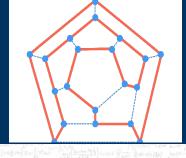


#### MATHEMATICS UNDERGRADUATE STUDENT ASSOCIATION

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SPONSORSHIP PACKAGE



### **ABOUT US**

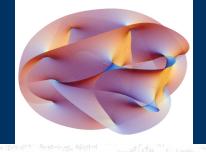
#### Who we are:

The Mathematics Undergraduate Student Association (MUSA) is a registered Student Organization at the University of California, Berkeley. We are a group of Math majors, Math enthusiasts, and Math community members. We are open to everyone interested in Mathematics, no matter your level of mathematical maturity.

#### What we do:

Our goals are to instill a strong passion for mathematics, to build and represent the Math community, and to enrich our Berkeley community and beyond.

MUSA acts as an intermediary between the Undergraduate Mathematics Student Population and the Mathematics Department Faculty, connecting the two groups together. We support the Berkeley math community with resources in academic and professional development, community building and outreach, and math events and competitions. Meanwhile, we provide our professors with a student perspective.



## EVENTS & PROGRAMS

#### **Our events**

- 1. Math Mondays: a weekly talk by faculty and graduate about their research
- 2. Thursday Socials: A weekly community building event for our students to talk about math and to build a tight-knit community
- 3. Study Halls/Office hours: Held everyday as additional support to our community
- 4. General Meetings: a variety of events like alumni panels, student-faculty dinners, recreational math nights, talks by external academics, diversity panels, and board game nights

#### Our Programs

- 1. Berkeley Undergraduate Math Mentoring Program (BUMP) a mentorship program created in order to link underclassmen with upper-classmen, to help people find their way in the math department
- 2. Shadow a Math Major a day for prospective students to pair with with an undergraduate student, in order to give them an additional perspective on math at Berkeley and learn about opportunities in the math department.
- 3. Math 74 (Transition to Upper Division Mathematics) a class run by MUSA in order to help students become more accustomed to the proof like nature of upper divison mathematics classes



#### SPONSORSHIP SUMMARY

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Sponsoring helps us achieve the following goals:

- 1. Develop a strong mathematical community among undergraduates
- 2. Promoting equity and voicing opinions of the undergraduate mathematics community to the Berkeley math department
- 3. Subsidize the cost for students on Shadow a Math Major Day so that underrepresented minorities can also attend
- 4. Conduct professional development events for undergraduates
- 5. Instill a sense of passion and confidence towards mathematics

#### Why should you sponsor?

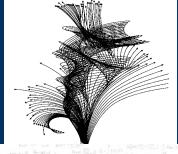
Sponsors gain the following benefits:

- 1. Displaying your logo on various materials we publish
- 2. Publicizing events though our mailing list which reaches over 1000 students in the undergraduate mathematics community
- 3. Access to resumés submitted by undergraduate math majors
- 4. Potential to host events and dinners for MUSA members

#### **Get in touch!**

If you have questions about sponsorship, feel free to email our Professional Chairs:

Karan Dhir at karan.dhir@berkeley.edu Tina Li at tinaxli@berkeley.edu.



#### SPONSORSHIP LEVELS

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Access to MUSA Events	$\begin{aligned} & \sum_{i=1}^{n-1} \frac{e^{-i\hat{Q}_{i}}}{e^{-i\hat{Q}_{i}}} \exp \left[ \frac{e^{-i\hat{Q}_{i}}}{e^{-i\hat{Q}_{i}}} \right] \right] \right] + \frac{e^{-i\hat{Q}_{i}}}{e^{-i\hat{Q}_{i}}} \frac{e^{-i\hat{Q}_{i}}}{$	$ \  u_{0} \ _{L^{2}(\Omega)} \leq \  u_{0} \ _{L^{2}(\Omega)} \ _{L^{2}(\Omega$	$\begin{split} & \frac{1}{  \mathbf{x}  ^2} \left[ \frac{1}{ \mathbf{x} } \left( \mathbf{y}_{1} \mathbf{y}_{1} \right) - \left( \frac{1}{ \mathbf{x} ^2} \mathbf{y}_{1} \mathbf{y}_{1} \right) + \frac{1}{ \mathbf{x} ^2} \mathbf{y}_{1} \mathbf{y}_{1} \mathbf{y}_{1} \mathbf{y}_{1} \mathbf{y}_{1} \mathbf{y}_{1} \mathbf{y}_{1} \right) - \frac{1}{ \mathbf{y} ^2} \mathbf{y}_{1}^2 \mathbf{y}_$	$ \begin{bmatrix} (x_{0}) & x_{0} & x_{0} & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) & x_{0} & x_{0} \\ (x_{0}) & x_{0} & x_{0} \end{bmatrix} = \begin{bmatrix} (x_{0}) &$	$ \frac{\partial \mathbb{R}^{n}}{\partial x_{1}} (\mathbf{x}_{1}(y_{1})) = \begin{pmatrix} \frac{1}{2} \frac{\partial \mathbb{R}^{n}}{\partial x_{1}} (\mathbf{x}_{1} - \mathbf{x}_{2}) + \frac{1}{2} \frac{\partial \mathbb{R}^{$
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#### **CUSTOM PACKAGES**

If you feel that none of these packages are right for you, contact us at karan.dhir@berkeley.edu and tinaxli@berkeley.edu



## FREQUENTLY ASKED QUESTIONS

### How can we pay?

We offer a variety of payment options: check, card, or wire transfer. If you need an invoice, email us at <a href="mailto:karan.dhir@berkeley.edu">karan.dhir@berkeley.edu</a> and tinaxli@berkeley.edu. In addition, if you need any specific information about the payment options, feel free to email us.

## What is our tax status?

Because we a registered student organization of the University of California, Berkeley, we have 501(c)(3) status through the Associated Students of the University of California (ASUC). As such, if you require a W-9 tax form, simply notify us and we will provide the W-9, along with the appropriate

# events and some state of the source of the s

We have found in the past that the more math an event has, the better it does. Company infosessions tend to be more practical and not as focused on the math, and as a result, they perform decently. However, several of our past events that place a greater emphasis on the mathematics involved have done much better, such as Applied Math and Baseball, Estimathons, and cryptography talks.

# TOOLS OF THE PARTY OF THE PARTY

Our mailing list has over a thousand members on it-mostly Math and Applied Math Majors, but also people who subscribe as Mathematics enthusiasts. MUSA is the largest Mathematics oriented student organization at the University of California, Berkeley.

We operate our mailing list in conjunction with the Math department's mailing list, which provides PRESIDENT Anthony Chen

VICE PRESIDENT Lily Li

TREASURER Bryce Goldman

PUBLICITY CHAIRS Sylvia Jin

**Armyben Patel** 

ACADEMIC CHAIRS Audrey Litvak

Karan Agarwal

OUTREACH CHAIRS Katie Lamar

Mason Maberle

**Austin Lei** 

DIVERSITY CHAIRS Andy Chen

**Chris Randall** 

Chidera Okenwa

PROFESSIONAL CHAIRS Karan Dhir

Tina Li

SOCIAL CHAIRS Tarang Srivastava

Megan Morris

**Emily Huffman** 

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### WE LOOK FORWARD TO WORKING WITH YOU!

Contact us!

musa@math.berkeley.edu

karan.dhir@berkeley.edu/tinaxli@berkeley.edu