vimrc

```
map <F9> :wall! <CR> :!g++ -Wall -Wextra -Wshadow -\longleftrightarrow
                 \begin{array}{lll} \texttt{D\_GLIBCXX\_DEBUG-fsanitize} = \texttt{address} & <\texttt{CR}> \\ <\texttt{F7}> : \texttt{wall!} & <\texttt{CR}> : ! \texttt{g++} - \texttt{Wall} - \texttt{Wextra} - \texttt{Wshadow} & -\longleftrightarrow \end{array}
                 orall {
m Mno-unused-result -o \%:r \% -std=c++14 -DHOME -\leftarrow}
                 02 < CR >
        {\tt map} \ <\! {\tt F8} > \ : {\tt wall!} \ <\! {\tt CR} > \ : ! \, . \, / \, \% : {\tt r} \ <\! {\tt CR} >
        inoremap \{< CR> \ \{< CR>\} < ESC>0
        map < c-a > ggVG
        set rnu
10
        syntax on
        map <c-t> :tabnew <CR>
        \begin{array}{lll} \mathtt{map} & <\mathtt{c-1}> & \mathtt{:tabn} & <\mathtt{CR}> \end{array}
        \mathtt{map} \  \, <\! \mathtt{c-h} \! > \  \, :\mathtt{tabp} \  \, <\! \mathtt{CR} \! > \\
15
16
        set cin
17
        \verb"set" sw = 4
        \mathtt{set} \ \mathtt{so} = 99
        \mathtt{set} \ \mathtt{bs}{=}2
19
20
        set et
        \mathtt{set} \mathtt{sts}{=}4
```

template

```
#define F first
    #define S second
     #define pb push_back
    #define sz(a) ((int)(a).size())
#define all(a) (a).begin(),a.end()
#define pw(x) (1LL<<(x))
12
13
     using namespace std;
14
    typedef long long 11;
typedef double db1;
17
     typedef vector < int > vi;
    typedef pair < int, int > pi;
19
     const int INF = 1.01e9;
     const dbl eps = 1e-9;
     /* --- main part --- */
23
24
25
26
27
28
29
30
31
     \begin{array}{ll} \textbf{int} & \texttt{main} \, ( \, ) \\ \end{array}
32
     #define TASK ""
33
    #ifdef home
      assert(freopen(TASK".in", "r", stdin));
//assert(freopen(TASK".out", "w", stdout));
35
36
    #endif
37
38
39
40
41
42
    #ifdef home eprintf("time = %d ms\n", (int)(clock() * 1000. / \hookleftarrow
43
          CLOCKS_PER_SEC));
    #endif
       return 0;
```

crt

fastIO

```
#include < cstdio >
     #include <algorithm>
 3
     /** Interface */
     inline int readInt();
     inline int readUInt();
     inline bool isEof();
10
     /** Read */
11
    static const int buf_size = 100000;
static char buf[buf_size];
12
13
14
     static int buf_len = 0, pos = 0;
16
     inline bool isEof()
       if (pos == buf_len) {
17
         pos = 0, buf_len = fread(buf, 1, buf_size, stdin <math>\leftarrow
18
          if (pos == buf_len) return 1;
20
21
       return 0;
    }
22
23
24
     ++1; }
26
     inline int readChar() {
       27
28
29
       return c:
30
31
     inline int readUInt() {
  int c = readChar(), x = 0;
  while ('0' <= c && c <= '9') x = x * 10 + c - '0', ←</pre>
32
33
34
          c = getChar();
       return x;
36
37
     \begin{array}{lll} & \verb|inline| & \verb|int| & \verb|readInt|() & \{ & & \\ & \verb|int| & \verb|s| & = & 1 \,, & c & = & \verb|readChar|() \,; \end{array}
38
39
       40
41
       while ('0' <= c \&\& c <= '9') x = x * 10 + c - '0', \leftrightarrow
42
       c = getChar();
return s == 1 ? x : -x;
43
44
45
46
        10M int [0..1e9)
48
        cin 3.02
49
        scanf = 1.2
        cin sync_with_stdio(false) 0.71
fastRead getchar 0.53
fastRead fread 0.15
50
51
```

fft

```
1     namespace fft
2     {
          const int maxBase = 21;
          const int maxN = 1 << maxBase;
5          struct num
7          {
                dbl x, y;
                num() {}</pre>
```

```
11
12
13
                     in \, line \;\; num \;\; operator \; + \; ( \; num \;\; a \;, \;\; num \;\; b ) \;\; \{ \;\; return \;\; num \, ( \, \hookleftarrow \,\;
14
                     a.x + b.x, a.y + b.y); } inline num operator — (num a, num b) { return num(\leftarrow num operator — (num a, num b) { return num(\leftarrow
                     16
                                                                                                                                                                                                               103
                                                                                                                                                                                                               104
17
                     inline num conj(num a) { return num(a.x, -a.y); }
                                                                                                                                                                                                               105
 19
                     const dbl PI = acos(-1);
                                                                                                                                                                                                               107
 20
                                                                                                                                                                                                               108
21
                     num root[maxN];
                                                                                                                                                                                                               ling
22
                     int rev[maxN];
                                                                                                                                                                                                               110
                     bool rootsPrepared = false;
 23
                                                                                                                                                                                                                111
                                                                                                                                                                                                                112
25
                                                                                                                                                                                                               113
                     void prepRoots()
26
                                                                                                                                                                                                                114
                           if \quad (\verb"rootsPrepared") \quad \verb"return";\\
27
                                                                                                                                                                                                               115
                           \label{eq:control_root_special} \begin{array}{ll} \texttt{rootsPrepared} &= & \texttt{true}\,;\\ \texttt{root}\,[\,1\,] &= & \texttt{num}\,(\,1\,\,,\,\,\,0\,)\,;\\ \texttt{for}\,\,(\,\texttt{int}\,\,\,\texttt{k}\, =\, 1\,;\,\,\,\texttt{k}\, <\,\,\texttt{maxBase}\,;\,\,++\texttt{k}\,) \end{array}
28
                                                                                                                                                                                                               116
29
                                                                                                                                                                                                               117
31
                                                                                                                                                                                                                119
                                 120
32
33
                                                                                                                                                                                                                121
34
                                                                                                                                                                                                                122
                                         35
                                                                                                                                                                                                                123
                                                                                                                                                                                                                124
38
                                                                                                                                                                                                                195
                    }
39
                                                                                                                                                                                                               126
40
                                                                                                                                                                                                               127
                                                                                                                                                                                                               128
41
                     int base, N;
42
                                                                                                                                                                                                                129
 43
                     int lastRevN = -1;
                                                                                                                                                                                                               130
 44
                     void prepRev()
                                                                                                                                                                                                               131
 45
                                                                                                                                                                                                                132
                             \mbox{if } (\mbox{lastRevN} == \mbox{N}) \mbox{ } \mbox{return} \ ; \\
46
                                                                                                                                                                                                               133
                           47
                                                                                                                                                                                                                134
48
                                                                                                                                                                                                               135
                            1) < (base - 1);
50
                                                                                                                                                                                                               138
51
                     139
52
                                                                                                                                                                                                               140
                           53
                                                                                                                                                                                                                141
                                                                                                                                                                                                               144
                                 \begin{array}{lll} \mathtt{num} \ \ \mathbf{z} = \mathbf{f} \big[ \, \mathbf{i} \, + \, \mathbf{j} \, + \, \mathbf{k} \, \big] \, * \, \mathbf{root} \big[ \, \mathbf{j} \, + \, \mathbf{k} \, \big] \, ; \\ \mathbf{f} \big[ \, \mathbf{i} \, + \, \mathbf{j} \, + \, \mathbf{k} \, \big] \, = \, \mathbf{f} \big[ \, \mathbf{i} \, + \, \mathbf{j} \, \big] \, - \, \mathbf{z} \, ; \\ \mathbf{f} \big[ \, \mathbf{i} \, + \, \mathbf{j} \, \big] \, = \, \mathbf{f} \big[ \, \mathbf{i} \, + \, \mathbf{j} \, \big] \, + \, \mathbf{z} \, ; \end{array}
56
                                                                                                                                                                                                               145
57
                                                                                                                                                                                                               146
58
                                                                                                                                                                                                               147
59
                                                                                                                                                                                                                149
                                                                                                                                                                                                                150
61
                    62
                                                                                                                                                                                                                151
63
                                                                                                                                                                                                               152
64
                                                                                                                                                                                                               153
65
                     void _multMod(int mod)
                                                                                                                                                                                                               154
                            forn(i, N)
                                                                                                                                                                                                                155
67
68
                                                                                                                                                                                                               156
69
                                   int x = A[i] \% mod;
                                                                                                                                                                                                                157
                                 a[i] = num(x & (pw(15) - 1), x >> 15);
70
                                                                                                                                                                                                                158
71
                                                                                                                                                                                                                159
                            forn(i, N)
 73
                                                                                                                                                                                                                160
                                 \begin{array}{lll} & & & & & \\ & & & \\ & & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & \\ & & \\ & \\ & & \\ & \\ & \\ & & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ &
 74
                                                                                                                                                                                                                161
75
                                                                                                                                                                                                               162
76
                           fft(a, f);
fft(b, g);
77
 80
81
                                 int j = (N - i) & (N - 1);
82
                                 83
86
                                  \mathtt{num} \ \ \mathtt{b2} \ = \ ( \ \mathtt{g} \ [ \ \mathtt{i} \ ] \ - \ \mathtt{conj} \ ( \ \mathtt{g} \ [ \ \mathtt{j} \ ] \ ) \ \ * \ \mathtt{num} \ ( \ 0 \ , \ \ -0.5 \ \ / \ \ \mathtt{N} \hookleftarrow
                                   a[j] = a1 * b1 + a2 * b2 * num(0, 1);
                                  b[j] = a1 * b2 + a2 * b1;
88
91
                            {\tt fft} \, (\, {\tt a} \; , \quad {\tt f} \, ) \; ;
92
                            fft(b, g);
93
                            forn(i, N)
```

```
ll aa = f[i].x + 0.5;

ll bb = g[i].x + 0.5;

ll cc = f[i].y + 0.5;
   void prepAB (int n1, int n2)
  base = 1;
   while'(N < n1 + n2) base++, N <<= 1;
  prepRoots();
  prepRev();
void mult(int n1, int n2)
  prep AB (n1, n2)
  forn(i, N) a[i] = num(A[i], B[i]);
fft(a, f);
   forn(i, N)
     \begin{array}{lll} & & & & & & & & \\ \textbf{int} & \textbf{j} & = & & & & \\ \textbf{a} & [\textbf{i}] & = & & & \\ \textbf{f} & [\textbf{j}] & * & & \\ \textbf{f} & [\textbf{j}] & - & & \\ \textbf{conj} & (\textbf{f} & [\textbf{i}] & * & \\ \textbf{f} & [\textbf{i}]) & * & \\ \textbf{num} & \leftarrow & \\ \textbf{0} & , & -0.25 & / & \texttt{N}) & ; \end{array}
   (0, -0.25)
   fft(a, f);
  forn(i, N) C[i] = (11) round(f[i].x);
void multMod(int n1, int n2, int mod)
  prepAB (n1, n2);
   _{\tt multMod(mod)};
int D[maxN];
{\tt void} \ {\tt multLL(int n1, int n2)}
  prep AB (n1, n2);
   int mod1 = 1.5e9;
   int mod2 = mod1 + 1;
   _multMod(mod1);
  forn(i, N) D[i] = C[i];
   _{\mathtt{multMod}}(\mathtt{mod2});
   forn(i, N)
    \{ \quad C[i] = D[i] + (C[i] - D[i] + (11) mod 2) * (11) \leftarrow 
   mod1 % mod2 * mod1;
// HOW TO USE ::
^{\prime\prime}/ — set correct maxBase ^{\prime\prime}/ — use mult(n1, n2), multMod(n1, n2, mod) and \leftrightarrow
  // -- output : C[]
```

fftint

```
const int mod = 998244353:
 3
            \begin{array}{lll} {\tt const} & {\tt int} & {\tt base} \, = \, 2\,0\,; \\ {\tt const} & {\tt int} & {\tt N} \, = \, 1 \, << \, {\tt base}\,; \end{array}
            const int ROOT = 646;
            int root[N];
 9
            int rev[N];
10
            void init()
11
```

```
forn(i, N) rev[i] = (rev[i >> 1] >> 1) + ((i \& \leftarrow))
          (1, 1) << (base - 1);

(base - 1);
14
15
          int z = 1:
16
          forn(i, NN)
17
             root[i + NN] = z;
19
            z = z * (11)ROOT \% mod;
20
21
          [2 * i];
22
23
24
        void fft(int *a, int *f)
25
          26
            \begin{array}{lll} & int & z = f \left[ i + j + k \right] * (11) root \left[ j + k \right] \% \ mod \, ; \\ f \left[ i + j + k \right] = (f \left[ i + j \right] - z + mod) \% \ mod \, ; \\ f \left[ i + j \right] = (f \left[ i + j \right] + z) \% \ mod \, ; \end{array}
29
30
31
32
33
34
       37
38
       39
          fft(A, F);
40
          if (eq) forn(i, N) G[i] = F[i];
41
          else fft(B, G);
int invN = inv(N);
42
43
          forn(i, N) A[i] = F[i] * (11)G[i] % mod * invN %←
44
          reverse(A + 1, A + N);
          \mathtt{fft}\,(\,\mathtt{A}\;,\;\;\grave{\mathtt{C}}\,)\;;
46
       {\tt void} \  \, {\tt mult} \, (\, {\tt int} \  \, {\tt n1} \, , \  \, {\tt int} \  \, {\tt n2} \, , \  \, {\tt int} \  \, {\tt eq} \, = \, 0 \, )
49
50
          51
53
55
          56
```

blackbox

```
namespace blackbox
            int B[N];
            int CN ;
            int magic (int k, int x)
                C[k] = (C[k] + A[0] * (11)B[k]) \% mod;
                int z = 1:
11
                if (k == N - 1) return C[k];
while ((k & (z - 1)) == (z - 1))
12
13
                    //mult B[k - z + 1 ... k] x A[z .. 2 * z - 1]
forn(i, z) fft::A[i] = A[z + i];
forn(i, z) fft::B[i] = B[k - z + 1 + i];
16
17
                \begin{array}{ll} {\tt fft::multMod(z,\,z,\,mod);} \\ {\tt forn(i,\,2\,*\,z\,-\,1)} \ {\tt C[k\,+\,1\,+\,i]} \ = \ ({\tt C[k\,+\,1\,+\,i} \hookleftarrow ) \\ {\tt ]\,+\,fft::C[i])} \ \% \ {\tt mod}; \end{array}
18
                   z <<= 1;
21
22
                return C[k];
23
                A — constant array magic(k, x) :: B[k] = x, returns C[k] !! WARNING !! better to set N twice the size \hookleftarrow
24
                n\,e\,e\,d\,e\,d
27
```

halfplaneIntersection

```
int getPart(pt v) {
 2
        return less (0, v.y) | | (equal (0, v.y) && less (v.x, \leftarrow)
             0));
     int partB = getPart(b);
        if (partA < partB) return -1;
if (partA > partB) return 1;
if (equal(0, a * b)) return 0;
if (0 < a * b) return -1;
return 1;</pre>
10
11
15
     double planeInt(vector<Line> 1) {
        int n = 1.size();
sort(all(1), [](Line a, Line b) {
   int r = cmpV(a.v, b.v);
   if (r != 0) return r < 0;
   return a.0 % a.v.rotate() < b.0 % a.v.rotate() ←
16
17
18
19
20
21
           });
22
        26
30
        31
32
33
         int flagUp = 0;
         int flagDown = 0;
         for (int i = 0; i < n; i++) {
            int part = getPart(1[i].v);
           if (part == 1) flagUp = 1;
if (part == 0) flagDown = 1;
38
39
40
         if (!flagUp || !flagDown) return -1;
         for (int i = 0; i < n; i++) {
          pt v = 1[i].v;
pt u = 1[(i + 1) % n].v;
if (equal(0, v * u) && less(v % u, 0)) {
  pt dir = 1[i].v.rotate();
44
45
46
47
               \mathbf{if} (lessE(\mathbf{1}[(i + 1) % \mathbf{n}].0 % dir, 1[i].0 % dir\leftrightarrow
               return 0;
49
              return -1:
50
            if (less(v * u, 0))
51
              return -1;
52
53
         \mathtt{cur} = 0;
55
        ful = 0;
vector < Line > st(n * 2);
for (int tt = 0; tt < 2; tt++) {
  for (int i = 0; i < n; i++) {
    for (; cur >= 2; cur --) {
      pt G = st[cur - 1] * 1[i];
    }
}
56
57
58
60
                  if (! lessE(st[cur - 2].v * (G - st[cur - 2]. \leftarrow)
61
            0), 0))
62
              1].v, 0)) return 0;
66
           }
67
        Jector < int > use(n, -1);
int left = -1, right = -1;
for (int i = 0; i < cur; i++) {
   if (use[st[i].id] == -1) {</pre>
68
              use[st[i].id] = i;
73
74
            else
              lse {
  left = use[st[i].id];
75
              right = i;
79
80
        vector < Line > tmp;
for (int i = left; i < right; i++)</pre>
           tmp .pb (st[i]);
```

49 50

51

53

55

hash_table

```
template < const int \ max\_size \ , \ class \ HashType \ , \ class \ \hookleftarrow
           \mathtt{Data} , \mathtt{const} \mathtt{Data} \mathtt{default\_value}
     struct hashTable {
        HashType hash[max_size];
        Data f[max_size];
        int size;
        int position(HashType H ) const {
           int i = H \% max_size;
           if (++i == max_size)
i = 0;
11
12
          return i;
13
       }
        {\tt Data \& operator [] (HashType H) } \{
           assert(H != 0);
16
           int i = position(H);
if (!hash[i]) {
17
18
             hash[i] = H;
f[i] = default_value;
20
21
             size++;
22
23
           return f[i];
24
       }
25
     };
     \verb|hashTable| < 13 \,, \quad \verb|int| \,, \quad \verb|int| \,, \quad 0 > \quad \verb|h| \,;
```

hungary

```
namespace hungary
              const int N = 210;
               int a[N][N];
              int ans[N];
               int calc(int n, int m)
                  ++n , ++m ;
                   viu(n), v(m), p(m), prev(m); for (int i = 1; i < n; ++i)
11
12
13
                       \begin{array}{l} {\tt p} \; [\; 0 \; ] \; = \; {\tt i} \; ; \\ {\tt i} \, {\tt n} \, {\tt t} \; \; {\tt x} \; = \; 0 \; ; \end{array}
                        vi mn(m, inf);
vi was(m, 0);
while (p[x])
17
18
19
20
                             23
                                 24
25
29
30
                             {
                                 \begin{array}{lll} & \mbox{if} & (\,\mbox{\,w\,a\,s}\,[\,\mbox{\,j}\,]\,) & \mbox{\,u\,[\,p\,[\,\mbox{\,j}\,]\,]} & += & \mbox{\,d\,d}\,\,; \\ & \mbox{\,else} & \mbox{\,m\,n}\,[\,\mbox{\,j}\,] & -= & \mbox{\,d\,d}\,\,; \end{array}
31
32
34
35
                         while (x)
36
                            \begin{array}{l} {{\bf i}\,{\bf n}\,{\bf t}} \;\; {\bf y} \; = \; {\bf pr\,ev}\; [\; {\bf x}\; ] \; ; \\ {\bf p}\, [\; {\bf x}\; ] \;\; = \;\; {\bf p}\, [\; {\bf y}\; ] \; ; \end{array}
37
                             x = y;
```

```
}
    for (int j = 1; j < m; ++j)
    {
        ans[p[j]] = j;
    }
    return -v[0];
}

// HOW TO USE ::
    // -- set values to a[1..n][1..m] (n <= m)
    // -- run calc(n, m) to find MINIMUM
    // -- to restore permutation use ans[]
    // -- everything works on negative numbers
    //
    // !! i don't understand this code, it's ←
        copypasted from e-maxx (and rewrited by enot110←
    )
}
```

modReverseOneLine

optimizations

```
// from anta code http://codeforces.com/contest/755/\leftarrow
             submission / 23864531
      #pragma GCC optimize ("O3")
#pragma GCC target ("sse4")
inline void fasterLLDivMod(unsigned long long x, ↔
 3
 5
          unsigned y, unsigned &out_d, unsigned &out_m) {
unsigned xh = (unsigned)(x >> 32), x1 = (unsigned)↔
      x, d, m;
#ifdef __GNUC_
asm(
            "divl %4; \n\t"
: "=a" (d), "=d" (m)
: "d" (xh), "a" (xl), "r" (y)
 9
10
11
13
      #else
14
         __asm {
           \verb"mov" edx", dword ptr[xh]";
15
            mov dax, dword ptr[x1];
div dword ptr[y];
mov dword ptr[d], eax;
mov dword ptr[m], edx;
16
17
19
20
      #endif
21
22
         out_d = d; out_m = m;
23
25
26
      // have no idea what sse flags are really cool; list \hookleftarrow
      of some of them
// -- very good with bitsets
#pragma GCC optimize("O3")
27
      #pragma GCC target ("sse, sse2, sse3, ssse3, sse4, popcnt, ←
```

plane3DInt

```
1 //(A, v) * (B, u) -> (O, n)
2 
3 pt n = v * u;
4 pt m = v * n;
5 double t = (B - A) % u / (u % m);
6 pt 0 = A - m * t;
```

simplex

```
struct Simplex
          ll a[MAX_M][MAX_N];
 3
 4
           11 b [ MAX_M ]
           11 c MAX_N :
           11 v;
           {\tt 11} \ {\tt n} \ , \ {\tt m} \ ;
           11 left[MAX_M];
           11 up [MAX_N];
10
11
           12
              n = nn:
13
              m = mm;
14
               v = 0;
              v = 0,
for (int i = 0; i < m; i++)
for (int j = 0; j < n; j++)
a[i][j] = 0;
for (int i = 0; i < m; i++)</pre>
15
16
17
18
                 b[i] = 0;
or (int i = 0; i < n; i++)
19
20
21
                  c[\dot{i}] = 0;
22
23
24
          int pos[MAX_N];
26
           void pivot(ll x, ll y) {
              swap(left[x], up[y]);
11 k = a[x][y];
assert(abs(k) == 1);
27
28
29
              a[x][y] = 1;
b[x] /= k;
int cur = 0;
for (int i = 0; i < n; i++) {
30
31
33
                  a[x][i] = a[x][i] / k;
if (a[x][i]!= 0)
pos[cur++] = i;
34
35
36
37
              for (int i = 0; i < m; i++) {
  if (i == x || a[i][y] == 0) continue;
  ll cof = a[i][y];
  b[i] -= cof * b[x];
  a[i][y] = 0;
  for (int j = 0; j < cur; j++)
      a[i][pos[j]] -= cof * a[x][pos[j]];
}</pre>
39
40
41
42
43
44
47
               11 \ cof = c[y];
              fr cof = c[y];
v += cof * b[x];
c[y] = 0;
for (int i = 0; i < cur; i++) {
   c[pos[i]] -= cof * a[x][pos[i]];</pre>
48
49
51
52
53
          }
54
            \verb"ll res[MAX_N]"; \\
55
          void solve() {
  for (int i = 0; i < n; i++)</pre>
56
                  up[i] = i;
                       (int i = 0; i < m; i++)
59
60
                  left[i] = i + n;
61
               while (1) {
62
                  if'(b[i] < 0 && (x == -1'|| b[i] < b[x])) {
66
                         x = i;
67
                   if'(x == -1) break;
68
69
                  \begin{array}{lll} & \text{int } & \text{y} = -1; \\ & \text{for } & (\text{int } & \text{j} = 0; & \text{j} < \text{n}; & \text{j++}) \\ & & \text{if } & (\text{a}[\![ \, \text{x} \,]\!][\, \text{j} \,] & < 0) & \{ \end{array}
71
72
73
                        y = j;
break;
74
75
                  if^{}(y == -1) {
                     assert(false); // no solution
77
78
79
                  pivot(x, y);
80
               while (1) {
    int y = -1;
    for (int i = 0; i < n; i++)
81
83
                     if (c[i] > 0 && (y == -1 || (c[i] > c[y]))) \leftrightarrow
85
                        y = i;
86
                   if'(y == -1) break;
```

```
\begin{array}{lll} & \text{int } \mathbf{x} = -1; \\ & \text{for } (\text{int } \mathbf{i} = 0; \ \mathbf{i} < \mathtt{m}; \ \mathbf{i} + +) \ \{ \\ & \text{if } (\mathtt{a[i][y]} > 0) \ \{ \\ & \text{if } (\mathbf{x} == -1 \ || \ (\mathtt{b[i]} \ / \ \mathtt{a[i][y]} < \mathtt{b[x]} \ / \ \mathtt{a[} \hookleftarrow \\ \mathbf{x][y])) \ \{ \end{array}
  89
  90
  91
  92
                                                x = i;
                                           }
 95
                                    }
 96
                                \inf (y = -1)  {
 97
  98
                                     assert(false); // infinite solution
100
                               pivot(x, y);
101
102
                         {\tt memset} \; (\; {\tt res} \; , \quad 0 \; , \quad s \, i \, z \, e \, o \, f \; (\; {\tt res} \; ) \; ) \; ;
103
104
                          for (int i = 0; i < m; i++) {
  if (left[i] < n) {
    res[left[i]] = b[i];</pre>
105
106
107
108
109
                   }
110
111
             };
```

$\operatorname{std}_{rb}_{tree}$

```
#include "ext/pb_ds/assoc_container.hpp"
using namespace __gnu_pbds;

template <typename T> using ordered_set = tree<T, 
null_type, less<T>, rb_tree_tag, 
tree_order_statistics_node_update >;

template <typename K, typename V> using ordered_map 
= tree<K, V, less<K>, rb_tree_tag, 
tree_order_statistics_node_update >;

// HOW TO USE ::
// — order_of_key(10) returns the number of elements in set/map strictly less than 10
// — *find_by_order(10) returns 10—th smallest element in set/map (0—based)
```

Суффиксный автомат

```
namespace SA {
         const int MAXN = 1 << 18; const int SIGMA = 26;
          int sz, last;
int nxt[MAXN][SIGMA];
 6
          int link [MAXN], len[MAXN], pos[MAXN];
         void init() {
  memset(nxt, -1, sizeof(nxt));
  memset(link, -1, sizeof(link));
  memset(len, 0, sizeof(len));
12
13
             {\tt last} \ = \ 0\,;
             sz = 1;
14
15
16
17
          int cur = sz++
18
             {\tt len[cur]} \; = \; {\tt len[last]} \; + \; 1 \, ;
19
             pos[cur] = len[cur];
int p = last;
last = cur;
20
21
             last = cur,
for (; p != -1 && nxt[p][c] == -1; p = link[p]) ←
nxt[p][c] = cur;
if (p == -1) {
   link[cur] = 0;
23
25
26
                return;
             int q = nxt[p][c];
if (len[p] + 1 == len[q]) {
  link[cur] = q;
31
                 return;
32
33
             int clone = sz++;
             memcpy(nxt[clone], nxt[q], sizeof(nxt[q]));
```

```
\begin{array}{lll} {\tt len}\,[\,{\tt clone}\,] &=& {\tt len}\,[\,{\tt p}\,] \,\,+\,\,1\,; \\ {\tt pos}\,[\,{\tt clone}\,] &=& {\tt pos}\,[\,{\tt q}\,]\,; \end{array}
36
                                                                                                                                                                     56
37
                      link[clone] = link[q];
                                                                                                                                                                     57
                      38
                                                                                                                                                                     58
39
                                                                                                                                                                     59
                                                                                                                                                                     61
41
                int n;
42
                                                                                                                                                                     63
                string s;
int l[MAXN], r[MAXN];
int e[MAXN][SIGMA];
43
                                                                                                                                                                     64
44
                                                                                                                                                                     65
45
                                                                                                                                                                     66
46
                \begin{array}{c} {\bf v\,oid} \quad {\tt getSufTree}\,(\,{\tt string}\,\,\_{\tt s}\,) \quad \{ \\ {\tt memset}\,(\,{\tt e}\,,\,\,-1\,,\,\,\,{\tt sizeof}\,(\,{\tt e})\,)\;; \end{array}
47
                                                                                                                                                                     68
48
                                                                                                                                                                     69
                     \begin{array}{lll} \mathbf{s} &=& \mathbf{\_s} \ ; \\ \mathbf{n} &=& \mathbf{s} \cdot \mathtt{length} \ ( \ ) \ ; \end{array}
49
                                                                                                                                                                     70
                                                                                                                                                                     71
50
51
                      {\tt reverse}\,(\,{\tt s.begin}\,(\,)\,\,,\,\,\,{\tt s.end}\,(\,)\,\,)\,\,;
                                                                                                                                                                     72
52
                      init();
                                                                                                                                                                     73
53
                      for (int i = 0; i < n; i++) add(s[i] - 'a');
                                                                                                                                                                     74
                     for (int i = 0; i < n; i++) ad
reverse(s.begin(), s.end());
for (int i = 1; i < sz; i++) {
  int j = link[i];
  l[i] = n - pos[i] + len[j];
  r[i] = n - pos[i] + len[i];
  e[j][s[l[i]] - 'a'] = i;</pre>
54
                                                                                                                                                                     75
55
                                                                                                                                                                     76
56
                                                                                                                                                                     77
                                                                                                                                                                     78
57
59
                                                                                                                                                                     79
60
                                                                                                                                                                     80
61
                                                                                                                                                                     81
                                                                                                                                                                     82
                                                                                                                                                                     83
                                                                                                                                                                     84
```

dinica

```
2
 3
         const int maxn = 1e5 + 10;
         const int maxe = 2 * maxn;
 4
          int head [maxn], next [maxe], to [maxe], f [maxe], ec \leftarrow
         int ST, EN, N = maxn;
                                                                                                 100
                                                                                                 101
          inline void setN(int n)
                                                                                                 102
         {
                                                                                                 103
            ST = n;
11
                                                                                                 104
12
            EN = n + 1;
                                                                                                 105
13
            N = n + 2;
                                                                                                 106
14
                                                                                                 107
15
16
          inline void _add(int x, int y, int ff)
17
18
            to[ec] = y;

next[ec] = head[x];

head[x] = ec;

f[ec] = ff;
19
20
21
22
23
24
25
          in \, line \quad int \quad add \, (int \quad x \,\, , \quad int \quad y \,\, , \quad int \quad ff \,)
26
27
             {\tt \_add}\,(\,{\tt x}\,\,,\,\,\,{\tt y}\,\,,\,\,\,{\tt ff}\,)\,\,;
             add(y, x, 0);

return ec - 1;
28
29
30
31
32
          void clear()
33
34
            forn(i, N) head[i] = 0;
35
            ec = 1;
36
37
         int d[maxn];
38
         [nt \ q[maxn], \ st = 0, \ en = 0;
39
40
41
         int bfs()
42
         {
43
             {\tt forn}\,(\,{\tt i}\,\,,\  \, {\tt N}\,)\  \  \, {\tt d}\,[\,{\tt i}\,] \ = \ 1\,{\tt e}\,{\tt 9}\;;
            st = 0; en = 0;
d[ST] = 0;
q[en++] = ST;
44
45
46
             while (st < en)
47
49
                int x = q[st++];
                if (x == EN) return 1;
for (int e = head[x]; e; e = next[e])
50
51
52
                   int y = to[e];
if (d[y] == 1e9 && f[e])
53
```

```
d[y] = d[x] + 1;
                 q[en++] = y;
            }
        }
    return 0;
int pushed;
int fst[maxn];
int dfs(int x, int flow = 1e9)
    if (x == EN)
    {
        pushed = flow;
        return 1;
    for (; fst[x]; fst[x] = next[fst[x]])
         int e = fst[x];
        \begin{array}{lll} & \text{int } y = \text{to[e]}; \\ & \text{if } (d[y] == d[x] + 1 \&\& f[e] \&\& dfs(y, \min(f[e \leftrightarrow ])) \end{array}
     ], flow)))
           \begin{array}{ll} \texttt{return} & \texttt{1} \end{bmatrix} \overset{\texttt{rusned}}{+=} \texttt{pushed} \; ; \\ \texttt{return} & \texttt{1} \end{cases} ;
    return 0;
ll calcFlow()
    11 \text{ res} = 0;
    while (bfs())
        \begin{array}{lll} {\tt forn}\,(\,{\tt i}\,,\,\,\,{\tt N}\,) & {\tt fst}\,[\,{\tt i}\,] \;=\; {\tt head}\,[\,{\tt i}\,]\,; \\ {\tt w}\,{\tt hile} & (\,{\tt dfs}\,(\,{\tt ST}\,)\,) \end{array}
            res += pushed;
        }
    return res;
  / HOW TO USE ::
     --- set maxn and maxe (special for izban) --- add adges using add(x, y, f), call setN(n) --- run calcFlow
```

max-flow-min-cost

```
namespace flow
2
 3
        const int maxn = 2e5 + 10;
        const int maxe = 2 * maxn;
 4
 6
        int head [maxn], next [maxe], to [maxe], flow [maxe], \hookleftarrow
        cost [maxe], ec = 1; int ST, EN, N = maxn;
 8
 9
        inline void setN(int n)
10
        {
          ST = n;
11
          EN = n + 1;

N = n + 2;
12
13
14
15
16
        inline void _add(int x, int y, int f, int c)
17
        {
18
          tro[ec] = y;
next[ec] = head[x];
head[x] = ec;
flow[ec] = f;
19
20
21
22
           cost | ec | = c;
24
25
26
        inline int add(int x, int y, int f, int c)
27
           {\tt \_add}\,(\,{\tt x}\;,\ {\tt y}\;,\ {\tt f}\;,\ {\tt c}\;)\;;
29
           _{add}(y, x, 0, -c);
```

 31

32

33

34

35

40

41

 $\frac{42}{43}$

44

45

46

47 48

50

51

52

53

54

55

56

57

58

59

60

61

62

63

64

65

67

68

69

70

71

72

73

74

75

76

77

78

79

80

81

82

84

85

86

87

88

90

91

92

93

94

96 97

98

99

100

101

103

104

105

106

107

109

110

111

112

113

114

116

117

118

```
return ec - 1;
void clear()
  forn(i, N) head[i] = 0;
{\tt ll \ d[maxn], \ p[maxn];}
int last [maxn];
int used maxn;
{\tt pair}\!<\!\!{\tt ll}\;,\;\;{\tt ll}\!>\;{\tt \_calc}\left(\;i\,n\,t\;\;{\tt flag}\;\right)
   const 11 INF = 1e12;
   forn(i, N) p[i] = INF;

p[ST] = 0;

forn(\_, N) forn(x, N) for (int e = head[x]; e; e \leftarrow
     = next[e]) if (flow[e] > 0)
      int y = to[e];

\frac{if}{f} (p[y] > p[x] + cost[e])

      {
        p[y] = p[x] + cost[e];
   {\tt ll \; resFlow = 0 \, , \; resCost = 0;}
   while (1)
      forn(i, N) d[i] = INF, used[i] = 0;
      {\rm d}\,[\,{\rm ST}\,]\ =\ 0\,;
      forn(_, N)
         > d[i])) x = i;
         used[x] = 1;
         if (d[x] == INF) break;
               (int e = head[x]; e; e = next[e]) if ( \leftarrow
         for
   flow [e] > 0)
            int y = to[e];
11 len = cost[e] + p[x] - p[y];
if (d[y] > d[x] + len)
               \begin{array}{l} {\tt d\,[\,y\,]} \; = \; {\tt d\,[\,x\,]} \; + \; {\tt len} \; ; \\ {\tt last\,[\,y\,]} \; = \; {\tt e} \; ; \end{array}
            }
        }
      if (d[EN] = INF) break;
      \begin{array}{lll} \textbf{in}\,\textbf{t} & \textbf{pushed} & = & \textbf{inf}\;; \end{array}
      int x = EN;
      while (x != ST)
      {
         int e = last[x];
         pushed = min(pushed, flow[e]);
         x = to[e^{1}];
      {\tt resCost} \ +\!\!= \ {\tt realCost} \ * \ {\tt pushed} \ ;
      resFlow += pushed;
      x = EN;
      while (x != ST)
      {
         int e = last[x]:
         flow[e] -= pushed;
flow[e ^ 1] += pushed;
x = to[e ^ 1];
      {\tt forn}\,(\,{\tt i}\,\,,\  \, {\tt N}\,)\  \  \, {\tt p}\,[\,{\tt i}\,]\  \, + = \, {\tt d}\,[\,{\tt i}\,]\,\,;
   return mp(resFlow, resCost);
\mathtt{pair}\!<\!\!\mathtt{11}\;,\;\;\mathtt{11}\!>\;\mathtt{maxFlow}\;(\;)
   return _calc(0);
{\tt pair}\!<\!\!11\;,\;\;11\!>\;{\tt minCost}\;(\;)
   return \_calc(1);
```

poly

```
struct poly
 3
              vi v:
              poly() {}
              poly(vi vv)
  6
                   v = vv;
               int size()
10
11
                   return (int) v.size();
12
13
               poly cut(int maxLen)
14
                    if (maxLen < sz(v)) v.resize(maxLen);
16
                   return *this;
17
18
              poly norm()
19
                   20
                   return *this;
22
               inline int& operator [] (int i)
23
24
25
                   return v[i];
26
               void out(string name="")
28
29
                    stringstream ss;
30
                   \hspace{0.1cm} \textbf{if} \hspace{0.2cm} (\hspace{0.1cm} \textbf{sz}\hspace{0.1cm} (\hspace{0.1cm} \textbf{name}\hspace{0.1cm}) \hspace{0.1cm}) \hspace{0.1cm} \textbf{ss} \hspace{0.1cm} <<\hspace{0.1cm} \textbf{name}\hspace{0.1cm} <<\hspace{0.1cm} "="\hspace{0.1cm};
31
                   int fst = 1;
                   \mathtt{forn}\,(\,\mathtt{i}\,,\,\,\mathtt{sz}\,(\,\overset{\,\,{}_{\phantom{1}}}{\mathtt{v}}\,)\,)\quad \, \overset{\,\,{}_{\phantom{1}}}{\mathsf{i}}\,\mathbf{f}\quad(\,\mathtt{v}\,[\,\mathtt{i}\,]\,)
32
34
                        int x = v[i];
                        int sgn = 1;

if (x > mod / 2) x = mod - x, sgn = -1;

if (sgn == -1) ss << "-";

else if (!fst) ss << "+";
35
36
37
38
39
                        fst = 0;
                        if (!i || x != 1)
41
                             \mathtt{s}\,\mathtt{s}\ <<\ \mathtt{x}\,;
42
                             43
44
45
46
                        else
47
                        {
                             \mathtt{s}\,\mathtt{s}\,<<\,^{\shortparallel}\,x^{\,\shortparallel}\,;
48
                             if (i > 1) ss << "^" << i;
49
50
51
                    \inf_{if} (fst) ss << "0";
52
53
                   string s;
                    \mathtt{eprintf}\left(\,{}^{\shortmid \prime }\!\!/\!\! s \,\backslash\, n\,{}^{\shortmid \prime}\,\,,\  \  \mathsf{s.data}\left(\,\right)\,\right)\,;
55
56
57
         }:
58
         {\tt poly \ operator + (poly A, poly B)}
60
61
              \verb"poly C";
              C.v = vi(max(sz(A), sz(B)));
62
              \mathtt{forn}\,(\,\mathtt{i}\;,\;\;\mathtt{sz}\,(\,\mathtt{C}\,)\;)
63
64
                   \begin{array}{lll} if & (\ {\tt i} \ < \ {\tt sz} \ (\ {\tt A}) \ ) & {\tt C} \ [\ {\tt i} \ ] \ = \ (\ {\tt C} \ [\ {\tt i} \ ] \ + \ {\tt A} \ [\ {\tt i} \ ] \ ) \ \% \ \ {\tt mod} \ ; \\ if & (\ {\tt i} \ < \ {\tt sz} \ (\ {\tt B}) \ ) & {\tt C} \ [\ {\tt i} \ ] \ = \ (\ {\tt C} \ [\ {\tt i} \ ] \ + \ {\tt B} \ [\ {\tt i} \ ] \ ) \ \% \ \ {\tt mod} \ ; \\ \end{array}
65
66
67
68
               return C.norm();
69
70
71
         poly operator - (poly A, poly B)
72
              \begin{array}{lll} {\tt poly} & {\tt C} \; ; \\ {\tt C} \; . \; {\tt v} \; = \; {\tt vi} \left( \; {\tt max} \left( \; {\tt sz} \left( \; {\tt A} \right) \; , \; \; {\tt sz} \left( \; {\tt B} \; \right) \; \right) \; ; \end{array}
73
74
              \mathtt{forn}\,(\,\mathtt{i}\;,\;\;\mathtt{sz}\,(\,\mathtt{C}\,)\;)
75
76
                   if (i < sz(A)) C[i] = (C[i] + A[i]) \% mod;
```

```
if (i < sz(B)) C[i] = (C[i] + mod - B[i]) \% mod;
 79
 80
        return C.norm();
 81
 82
 83
      \verb"poly" operator" * (poly A, poly B) \\
 84
        85
                                                                       21
 86
                                                                       22
 87
       forn(i, sz(A)) fft::A[i] = A[i];
forn(i, sz(B)) fft::B[i] = B[i];
fft::multMod(sz(A), sz(B), mod);
forn(i, sz(C)) C[i] = fft::C[i];
return C.norm();
 88
 89
 91
                                                                       27
 92
 93
 94
 95
     poly inv(poly A, int n) // returns A^-1 \mod x^n
 96
 97
        assert(sz(A) \&\& A[0] != 0);
 98
        A.cut(n);
 99
        auto cutPoly = [](poly &from, int 1, int r)
100
                                                                       36
                                                                       37
101
102
          poly R;
                                                                       38
103
          R.v.resize(r-1);
          for (int i = 1; i < r; ++i)
104
105
106
            if (i < sz(from)) R[i - 1] = from[i];
107
          return R;
108
110
        \mathtt{function} < \mathtt{int} \ (\mathtt{int} \ , \ \mathtt{int} \ ) > \ \mathtt{rev} \ = \ [\&\mathtt{rev} \ ] \ (\mathtt{int} \ \mathtt{x} \ , \ \mathtt{int} \ \mathtt{m}) \hookleftarrow
111
112
          113
114
115
116
        117
118
119
        {
          120
121
          poly H = A0 * R;
H = cutPoly(H, k, 2 * k);
122
123
          124
          R)).cut(k);
          R.v.resize(2 * k);
125
          forn(i, k) R[i + k] = R1[i];
127
128
        return R.cut(n).norm();
     }
129
130
131
     {\tt pair}\!<\!{\tt poly}\ , \quad {\tt poly}\!> \ {\tt divide}\left(\ {\tt poly}\quad {\tt A}\ , \quad {\tt poly}\quad {\tt B}\ \right)
133
        if (sz(A) < sz(B)) return {poly({0}), A};
134
135
        auto rev = [](poly f)
136
          reverse(all(f.v));
137
          return f;
139
140
141
        142
143
        return \{q, r\};
145
```

```
const int UD = 0;
           const int WIN = 1;
16
           const int LOSE = 2;
17
18
           int res[N]
           int moves [N];
19
20
           int deg[N];
           int q[N], st, en;
           void calc(int n)
23
24
             {\tt forn\,(\,i\,,\,\,n\,)}\ \ {\tt deg\,[\,i\,]}\ =\ {\tt sz\,(\,v\,[\,i\,]\,)}\ ;
25
              st = en = 0;
              forn(i, n) if (!deg[i])
                 egin{array}{ll} {\tt q} \, [\, {\tt e} \, {\tt n} + +] \, = \, {\tt i} \; ; \\ {\tt r} \, {\tt e} \, {\tt s} \, [\, {\tt i} \, ] \, = \, {\tt LOSE} \; ; \end{array}
29
30
31
               while (st < en)
34
                  i nt x = q[st++];
                  35
              \begin{array}{lll} {\tt res}\,[\,{\tt y}\,] \; = \; 3 \; - \; {\tt res}\,[\,{\tt x}\,]\,; \\ {\tt moves}\,[\,{\tt y}\,] \; = \; {\tt moves}\,[\,{\tt x}\,] \; + \; 1\,; \end{array}
39
40
41
                         q[en++] = y;
42
43
                 }
45
          }
      }
```

retro