

The dictionary ADT

CS 146 - Spring 2017

Review question

- backtracking problem

Announcement

- Exam 1 scheduled for T 3/14 (4 more lectures)
- covers hw 1 to 4

Study recommendations

- master concepts/skills listed in homework descriptions
- start with a self-evaluation of this list,
- redo class examples, homework problems, additional practice problems under exam conditions
- but don't memorize, understand

Today

- the dictionary ADT
- applications
- graphs
- caching and memoization

Dictionary ADT

- used to maintain a set of entries or (key, value) pairs
- insert(entry)
- delete(entry)
- search(key)
- values have distinct keys

The dictionary in Java

- Map interface
- implemented with TreeMap, HashMap
- ex: `Map<String, Integer> m = new TreeMap<>();`

Dictionaries are very useful

- databases (for storing actual data)
 - word → definition
 - word → pages containing that word
 - username → account
- compilers and interpreters: names → variables

Dictionaries are very useful

- network routers
IP address → wire
- operating system
virtual memory use
page tables
virtual address →
physical addresses

Dictionaries are very useful

- key value stores for caching large amounts of web-data (html webpage, css, images): url → file
- any caching technique

Dictionaries in this class

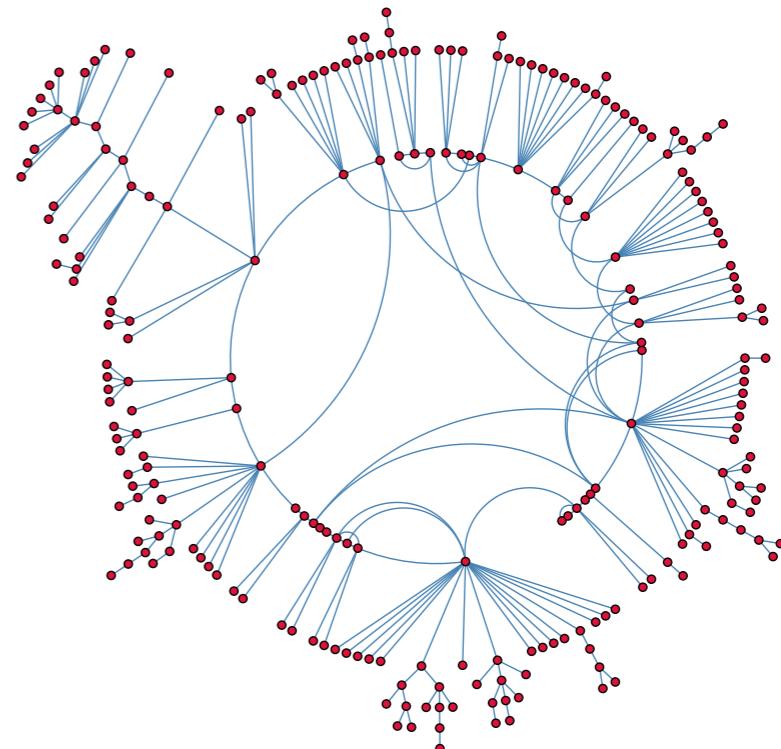
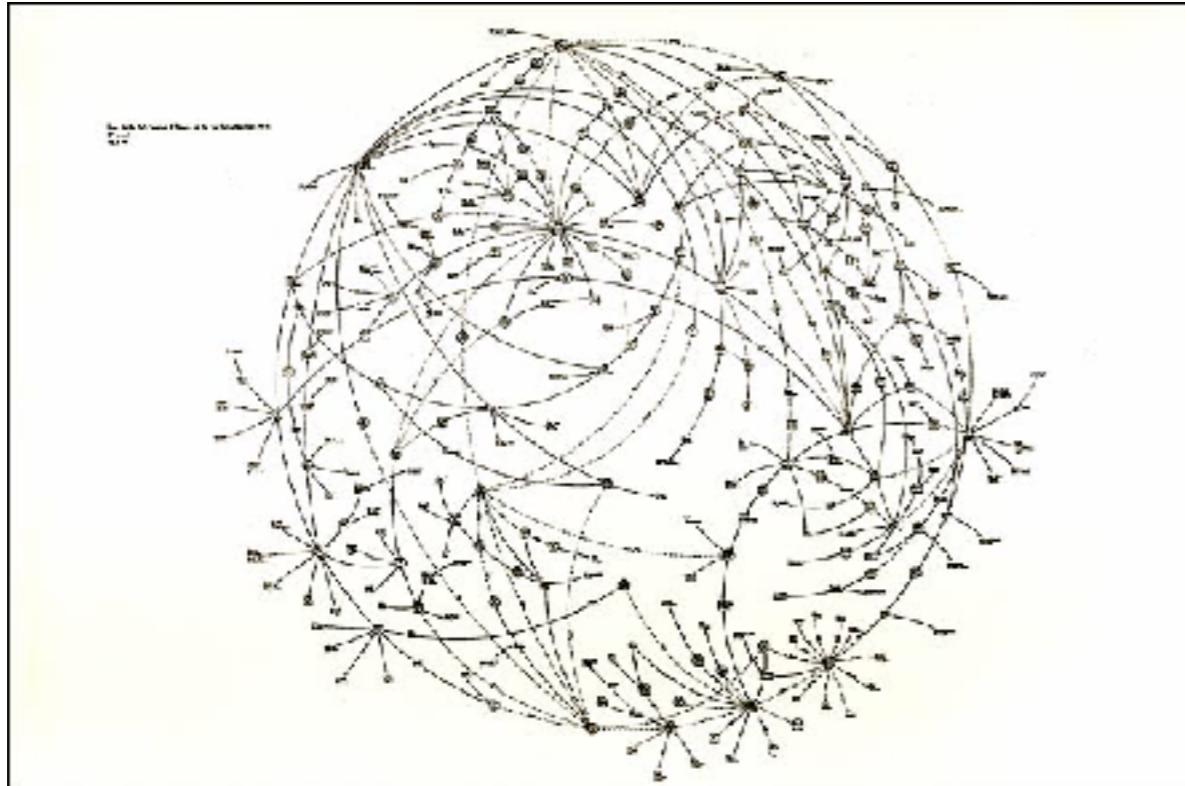
- memoization
input → output
- graphs
node → list of neighbors

Graphs

Informally Graphs

A graph consists of a collection of entities together with a binary “relation”.

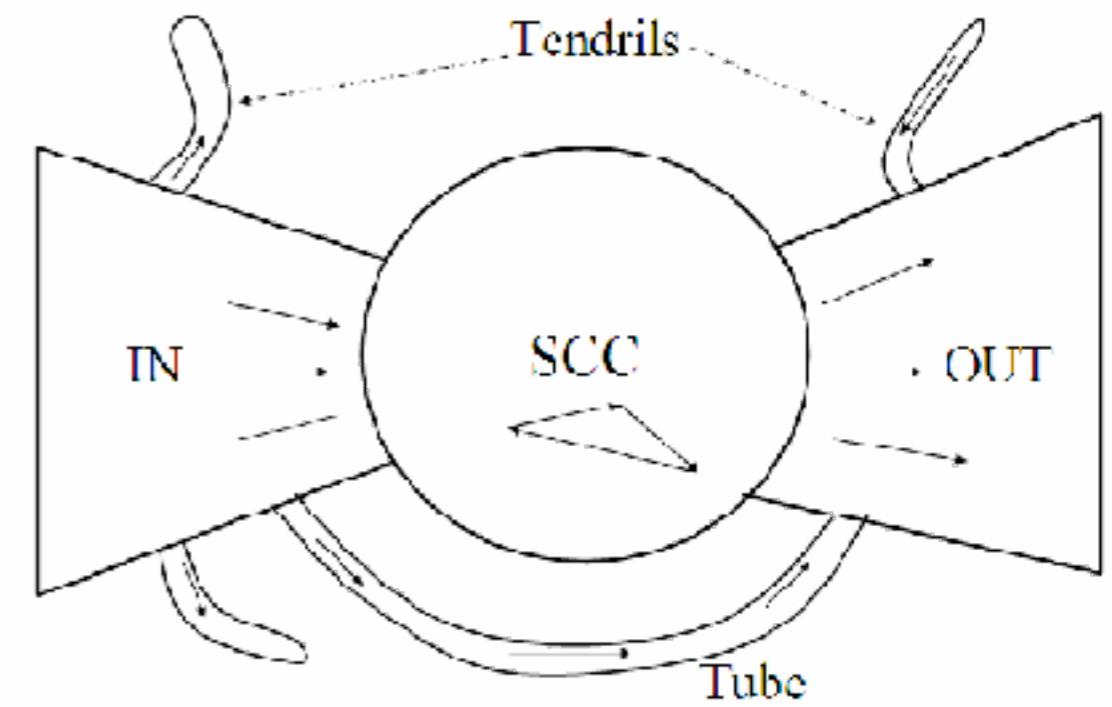
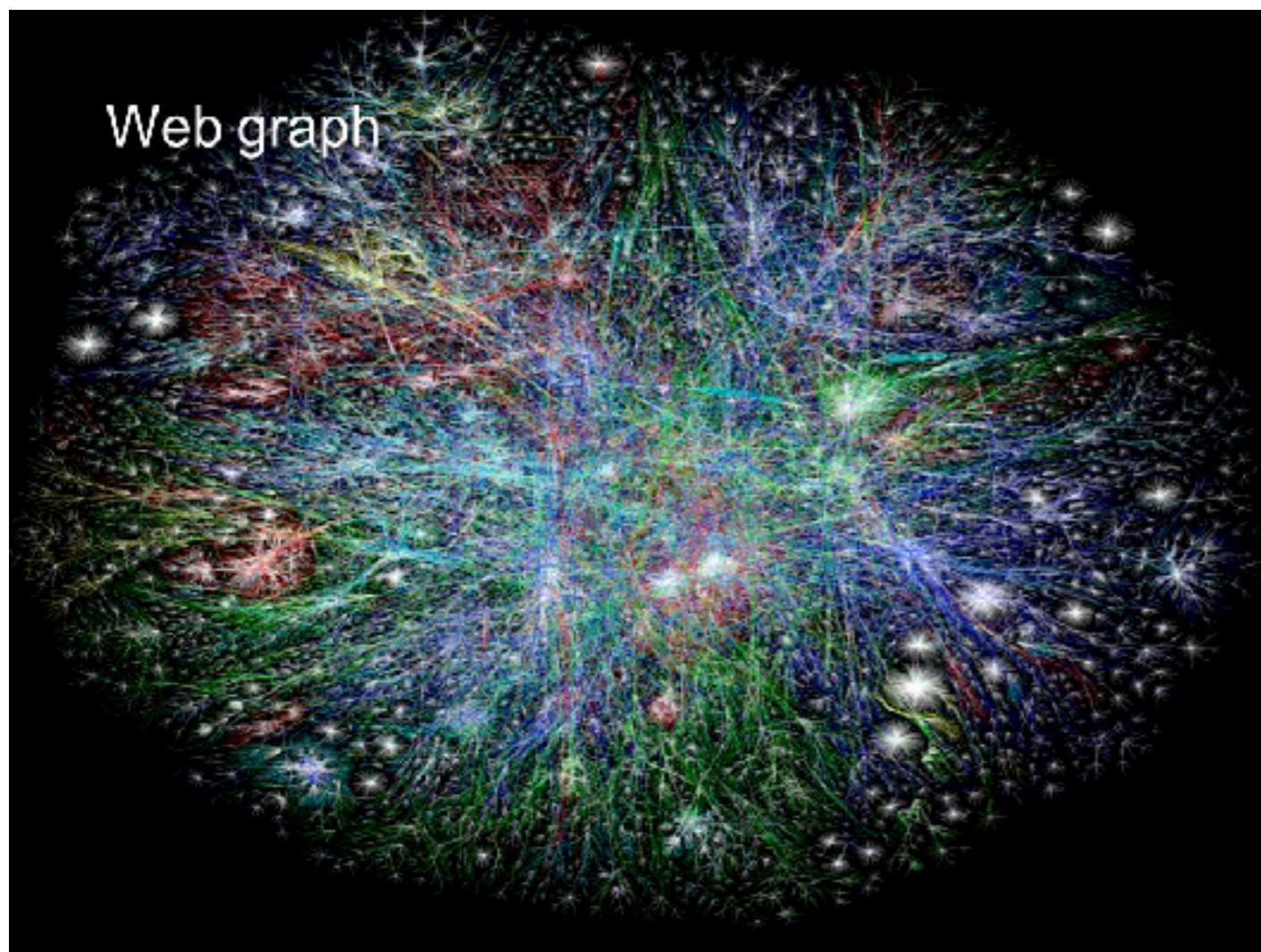
Social Interaction Graphs



Communication Networks



Webgraph



Transportation Networks

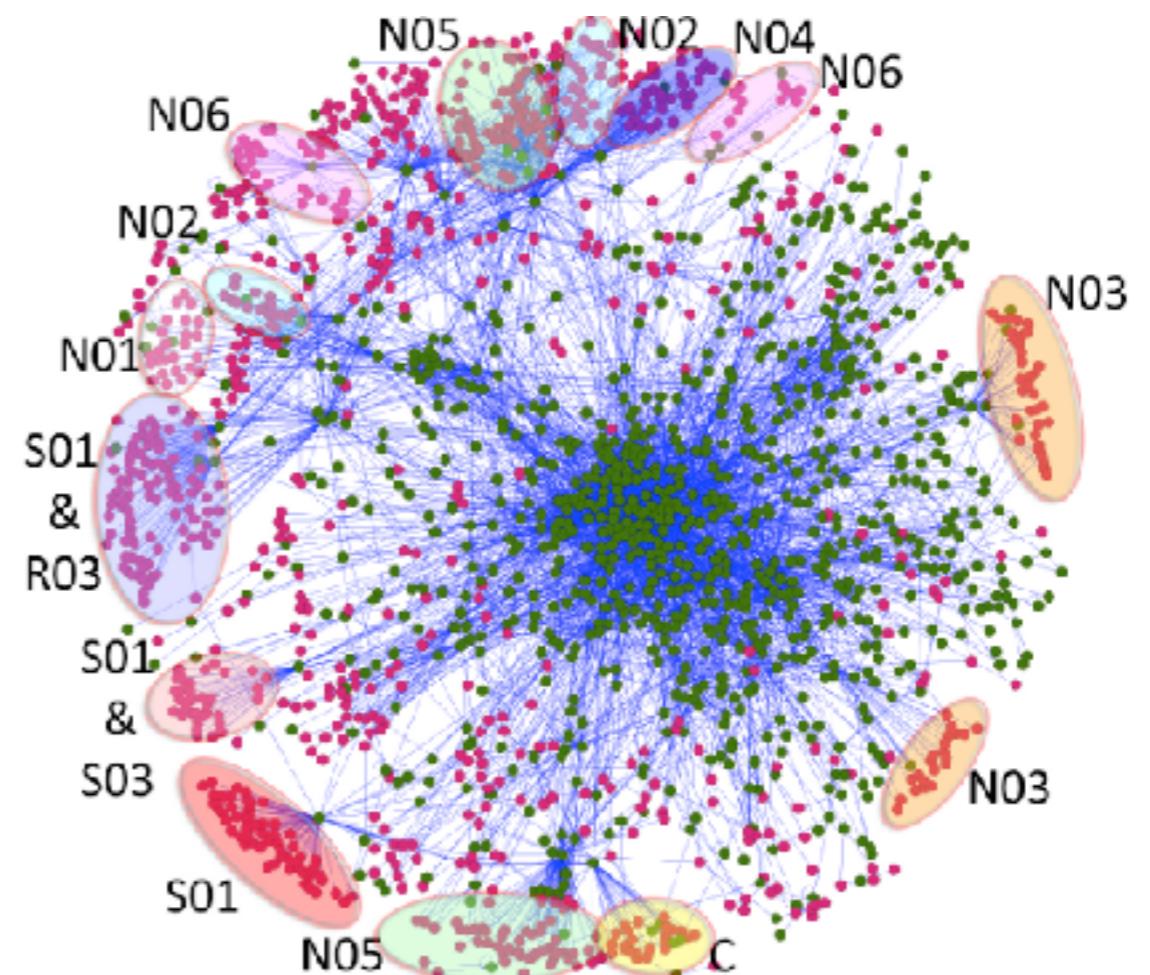
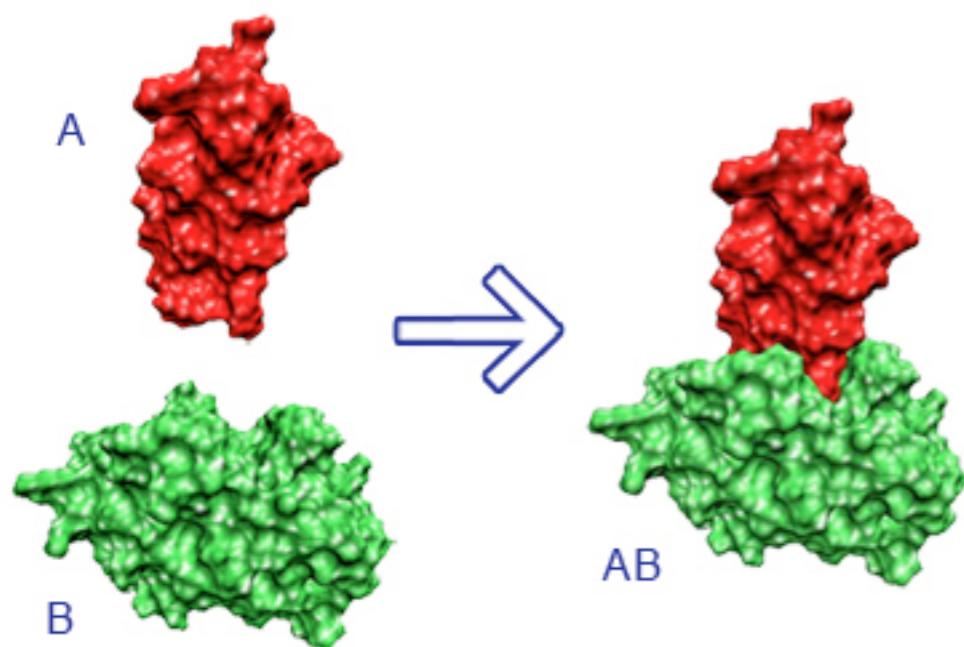


The Solar System

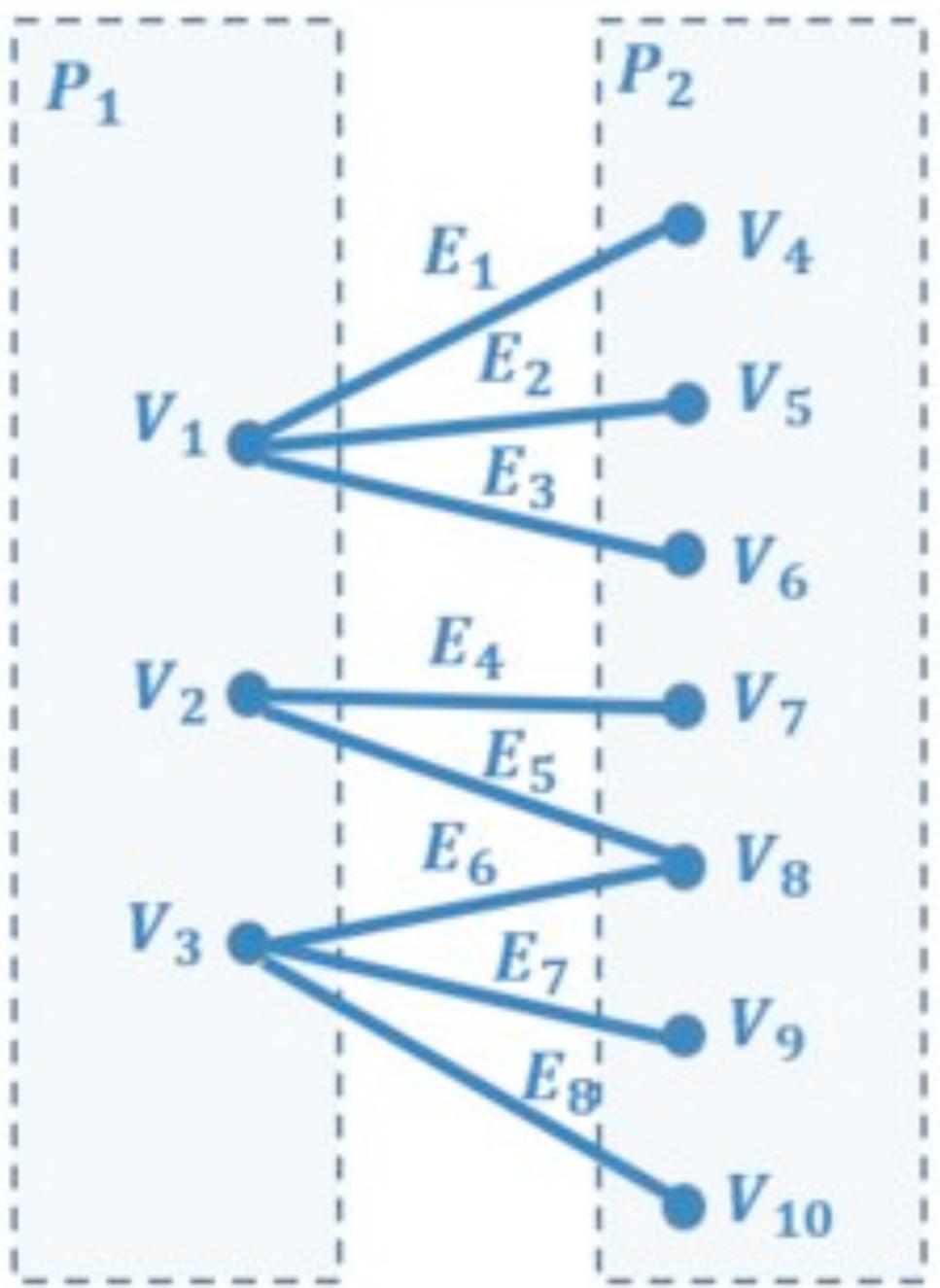
A subway map



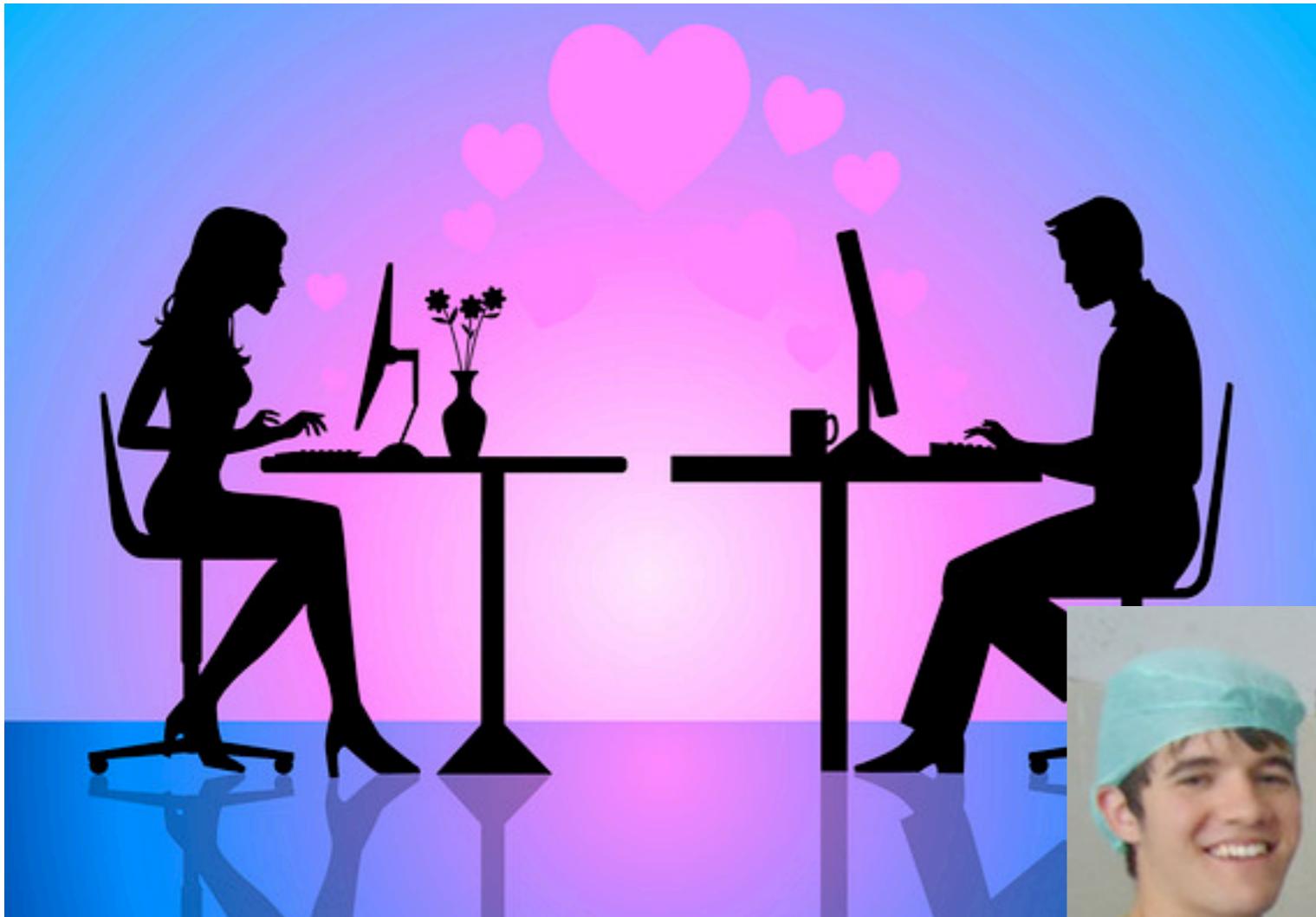
Protein-protein interaction networks



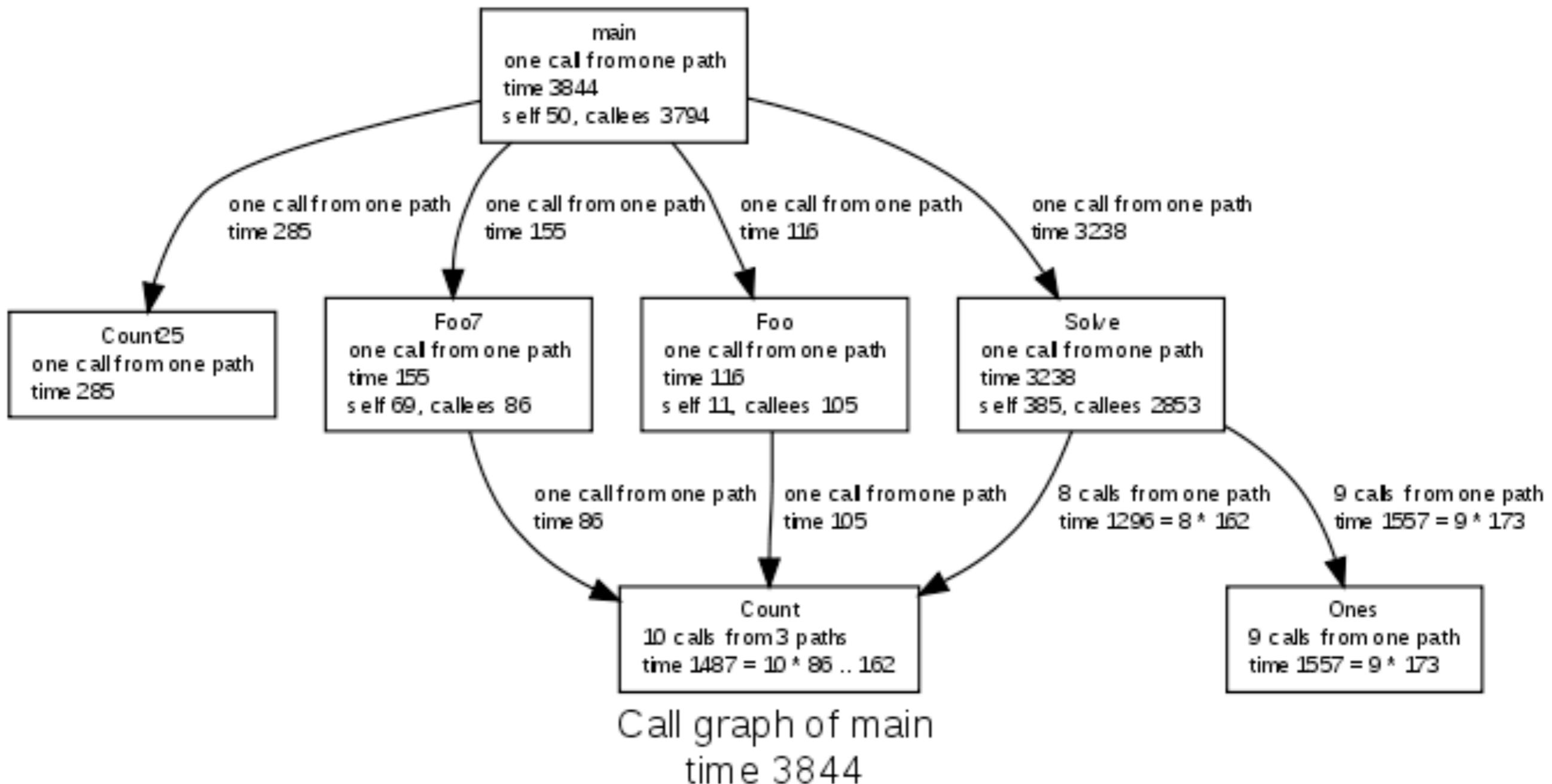
Advertising



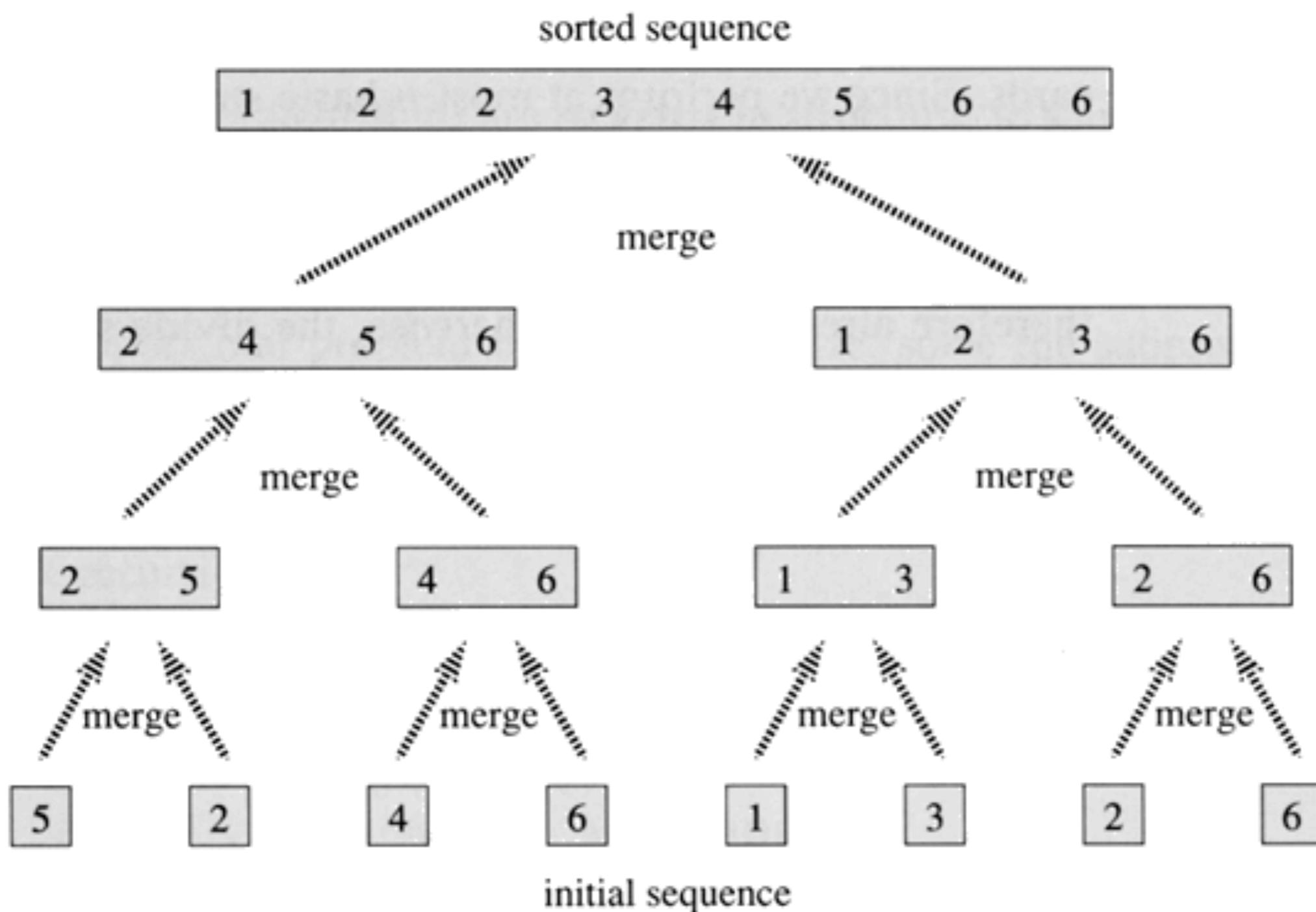
Stable matching



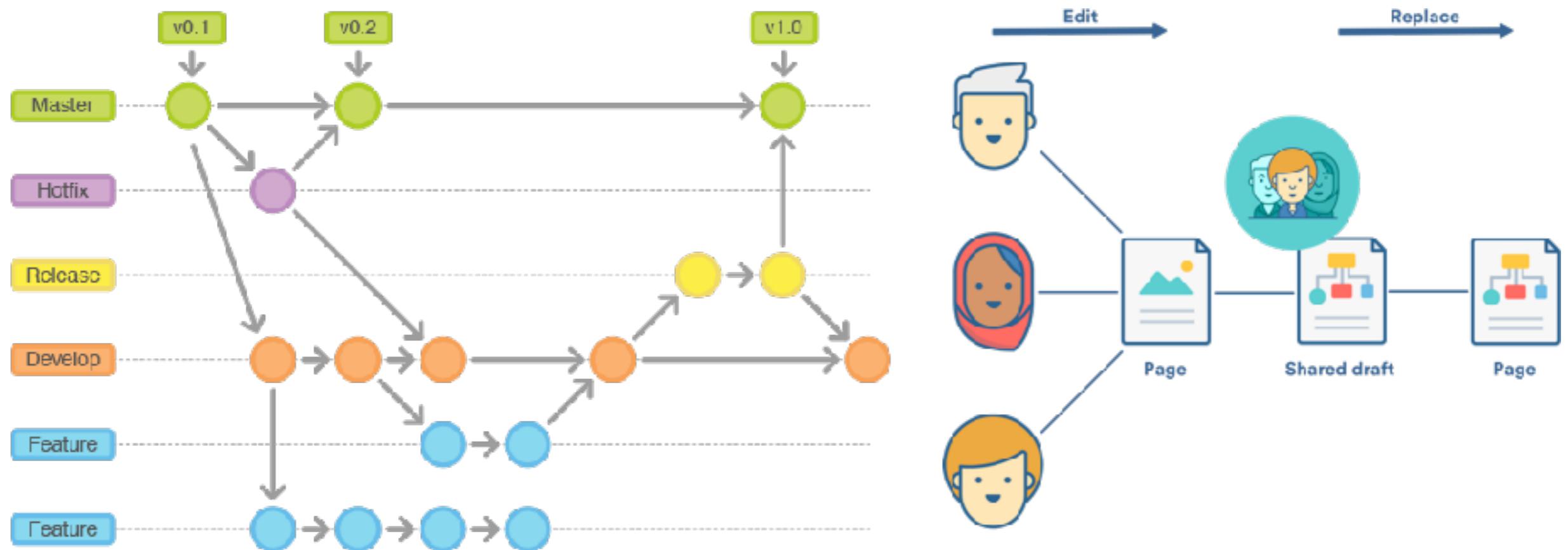
Call graph



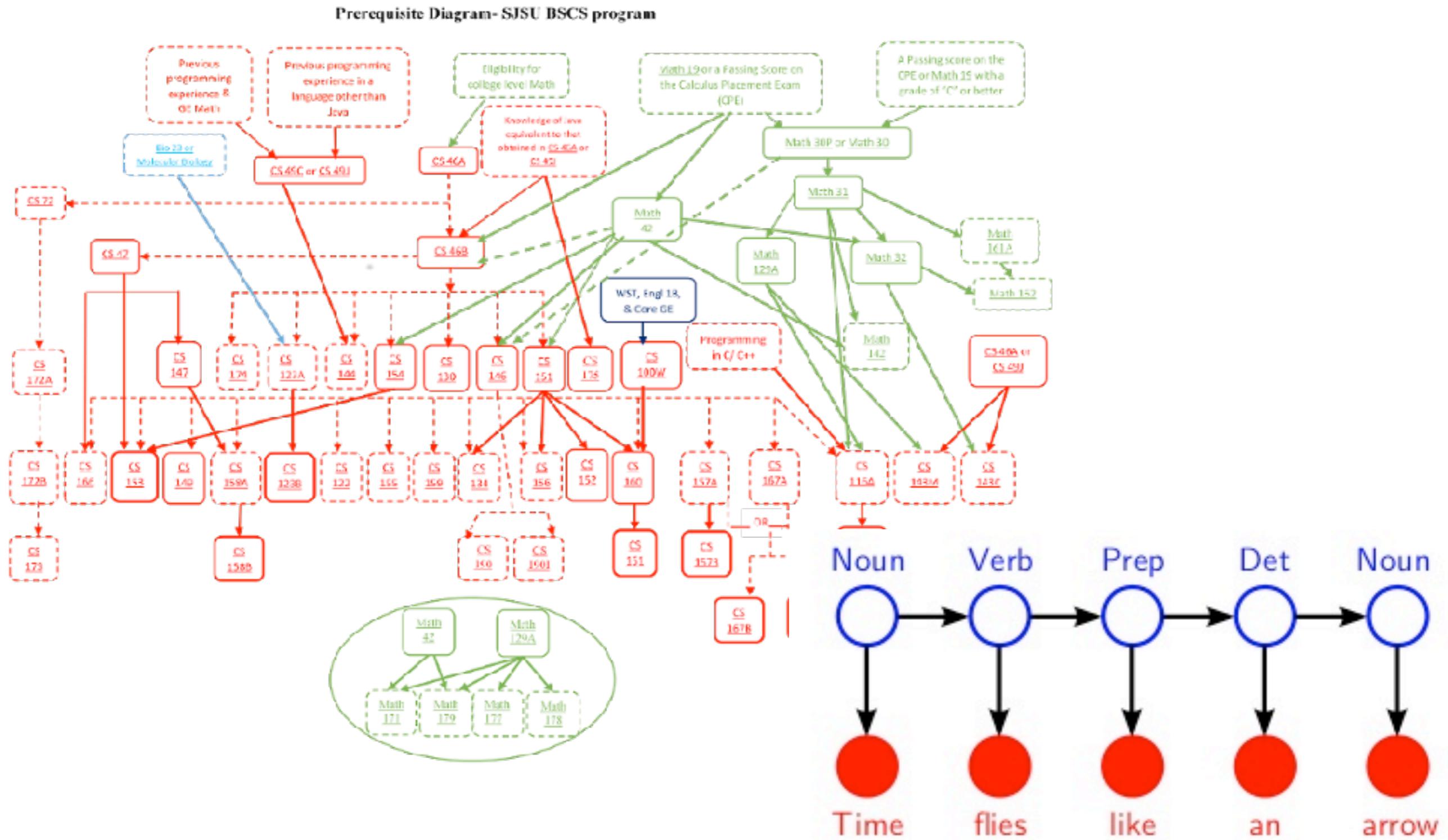
Recursion tree



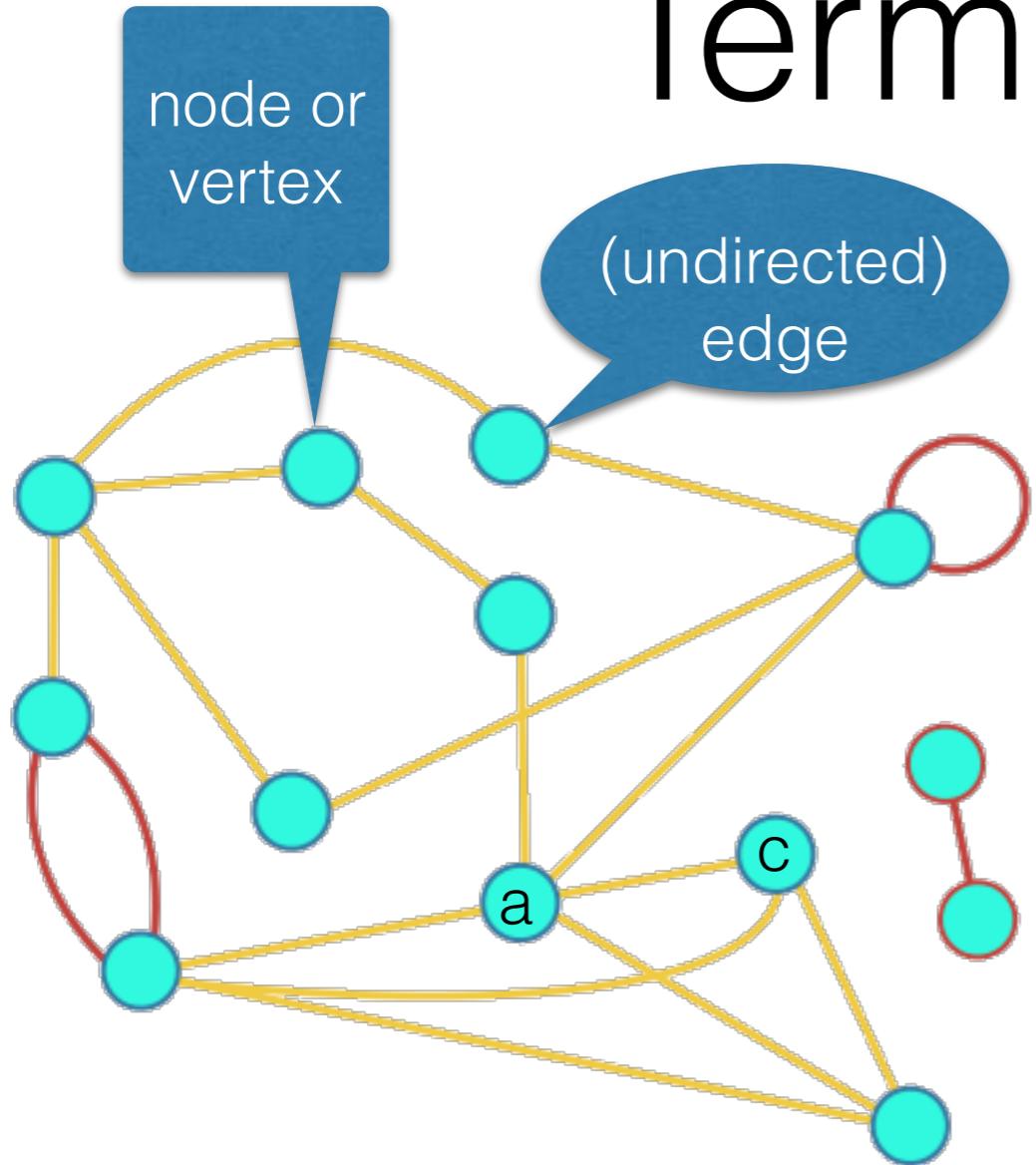
Version control



Dependencies and inference

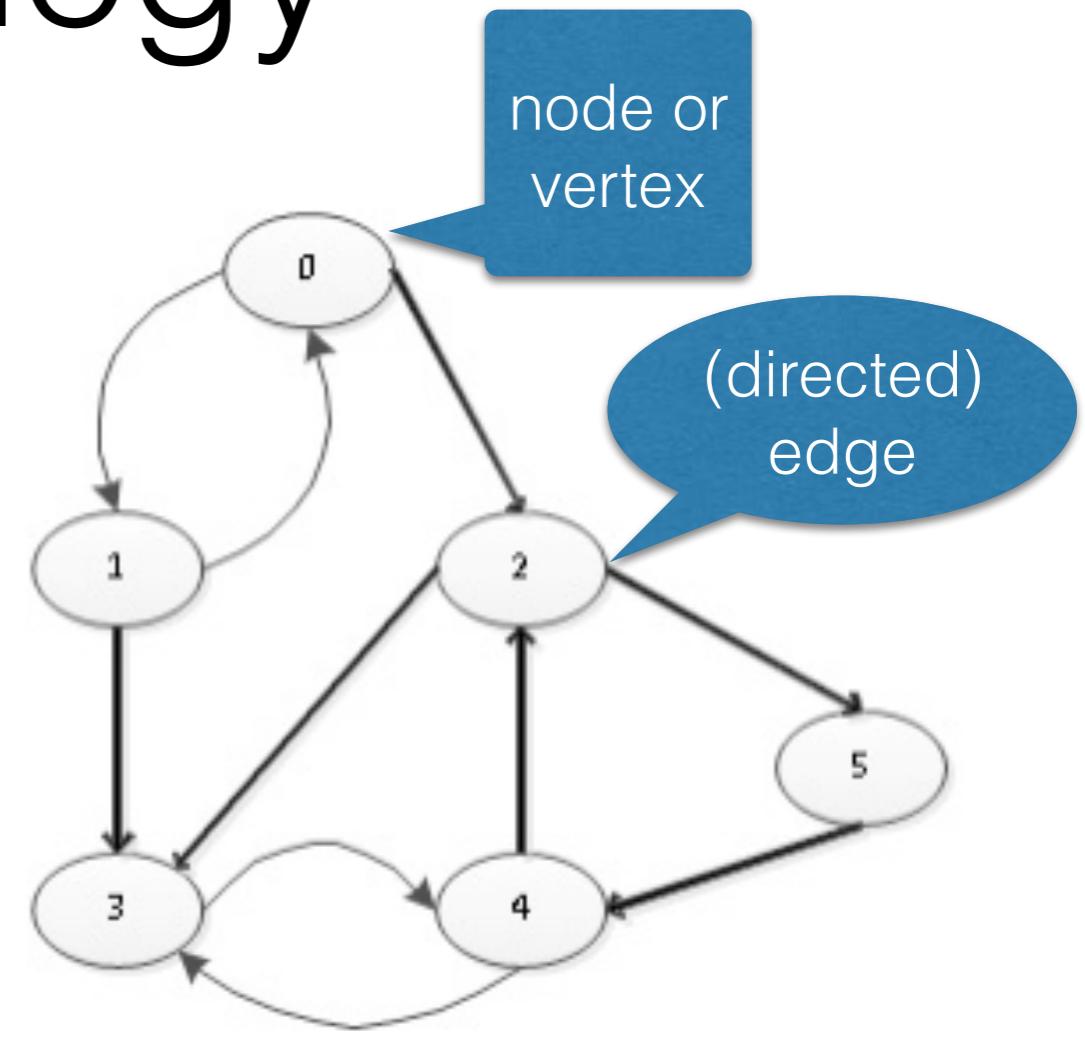


Terminology



undirected

a is a neighbor of c
c is a neighbor of a

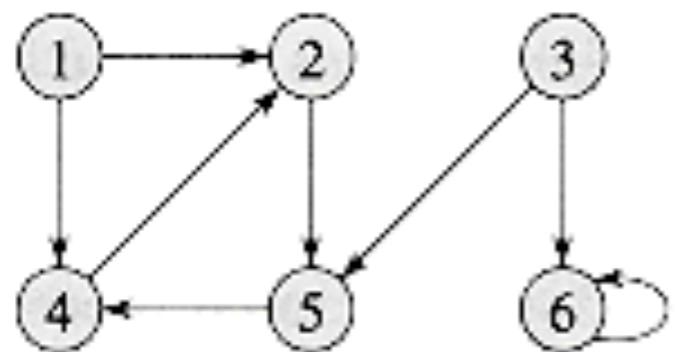


directed

3 is a neighbor of 2
2 is not a neighbor of 3

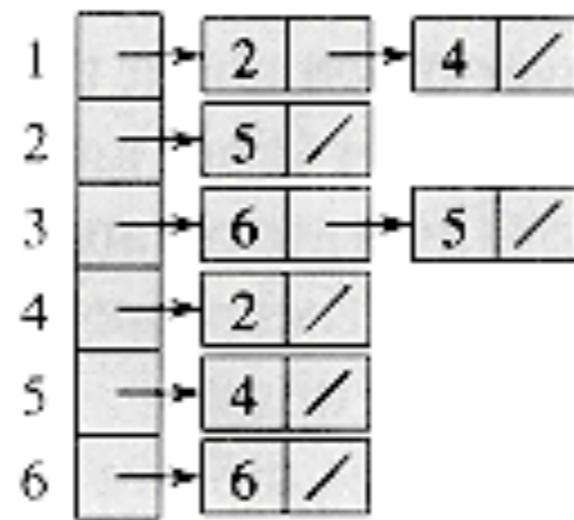
2 → 3

Computer representation of graphs



(a)

directed
graph



(b)

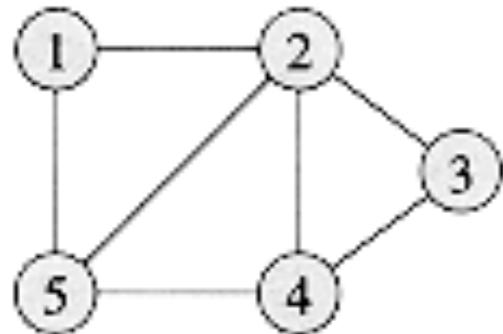
adjacency
list

	1	2	3	4	5	6
1	0	1	0	1	0	0
2	0	0	0	0	1	0
3	0	0	0	0	1	1
4	0	1	0	0	0	0
5	0	0	0	1	0	0
6	0	0	0	0	0	1

(c)

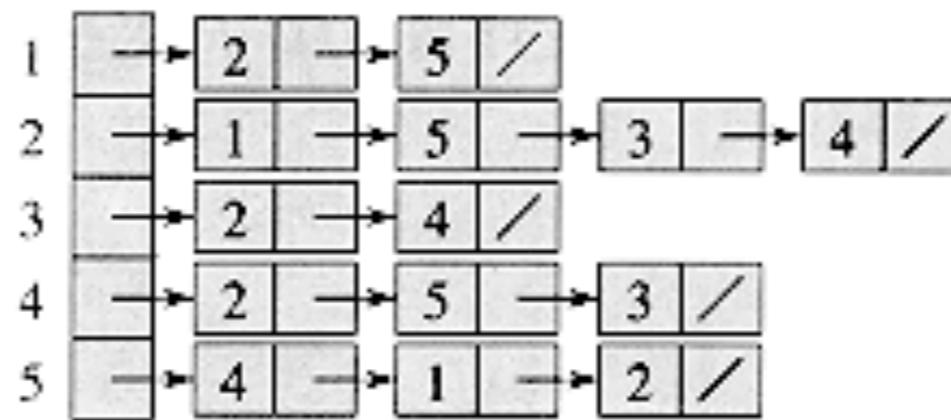
adjacency
matrix

Computer representation of graphs



(a)

undirected
graph



(b)

adjacency
list

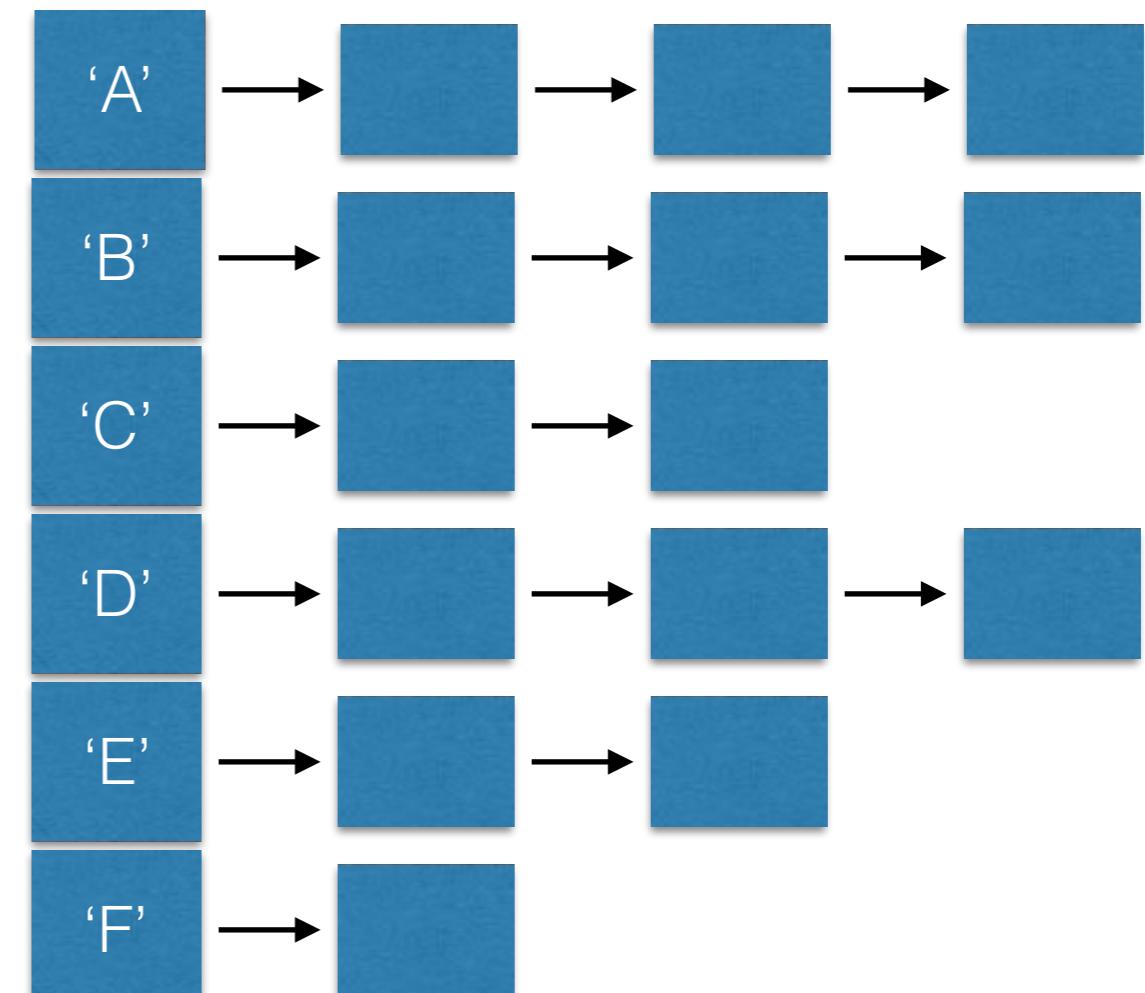
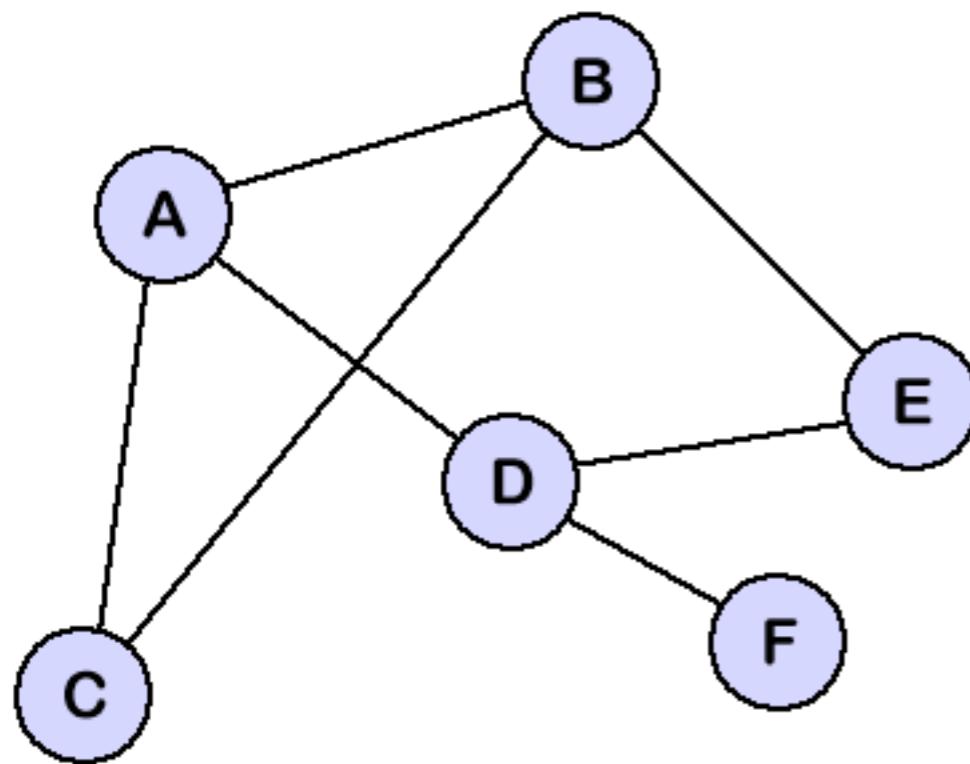
	1	2	3	4	5
1	0	1	0	0	1
2	1	0	1	1	1
3	0	1	0	1	0
4	0	1	1	0	1
5	1	1	0	1	0

(c)

adjacency
matrix

Dictionary representation

- same as adjacency list, but does not require indexing the vertices
- vertices can be easily inserted and deleted



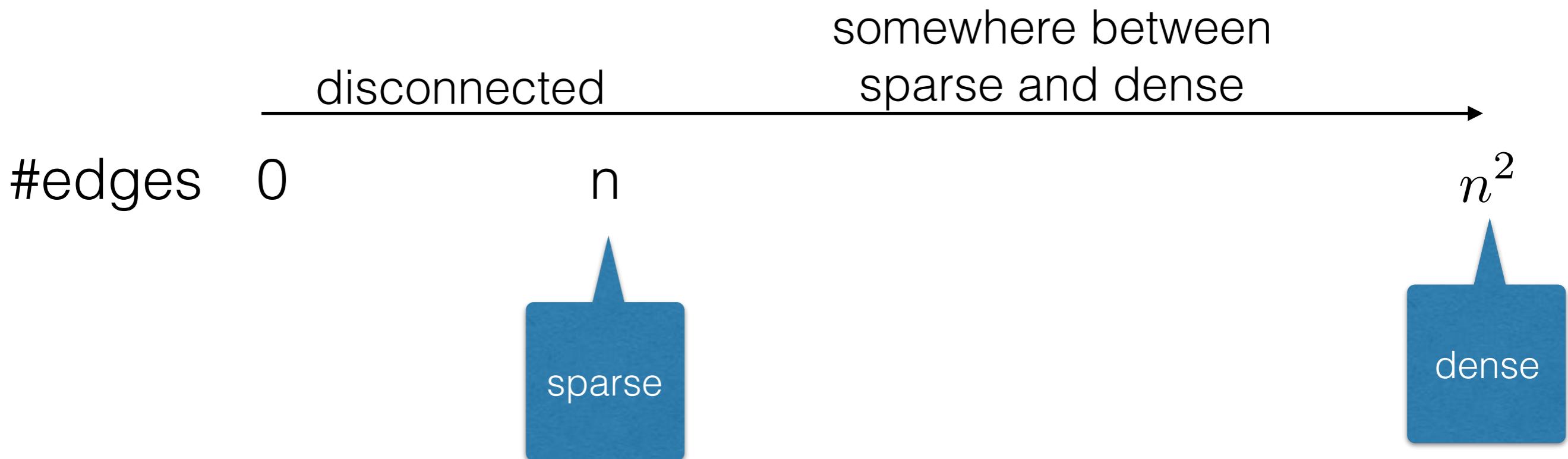
Which representation is better?

- depends on the **types of queries** one needs to do
 - is v a neighbor of w ?
 - get all the neighbors of v
- depends on the **density** of the graph

Graph density

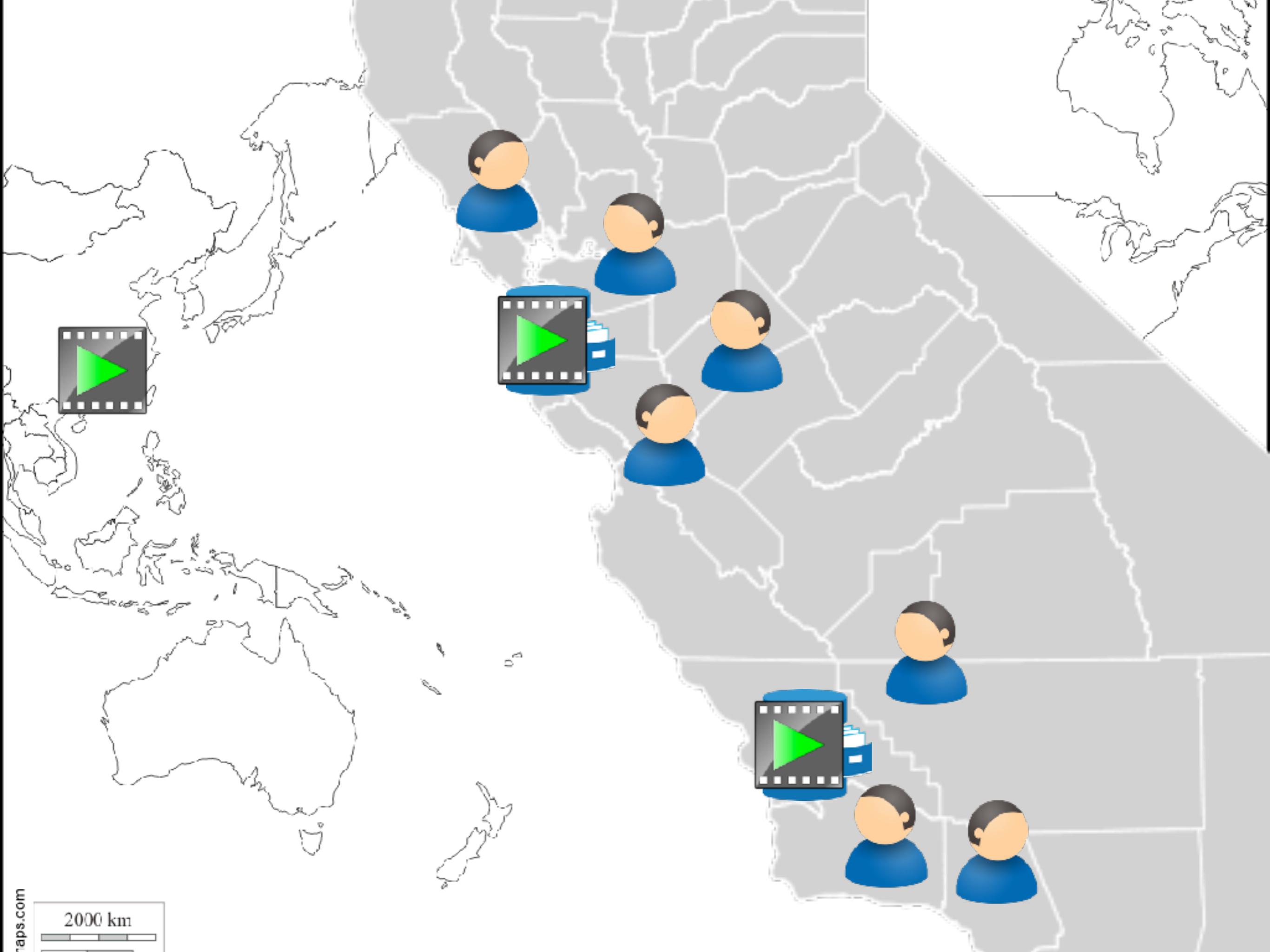
given a graph on n vertices

edges is at most

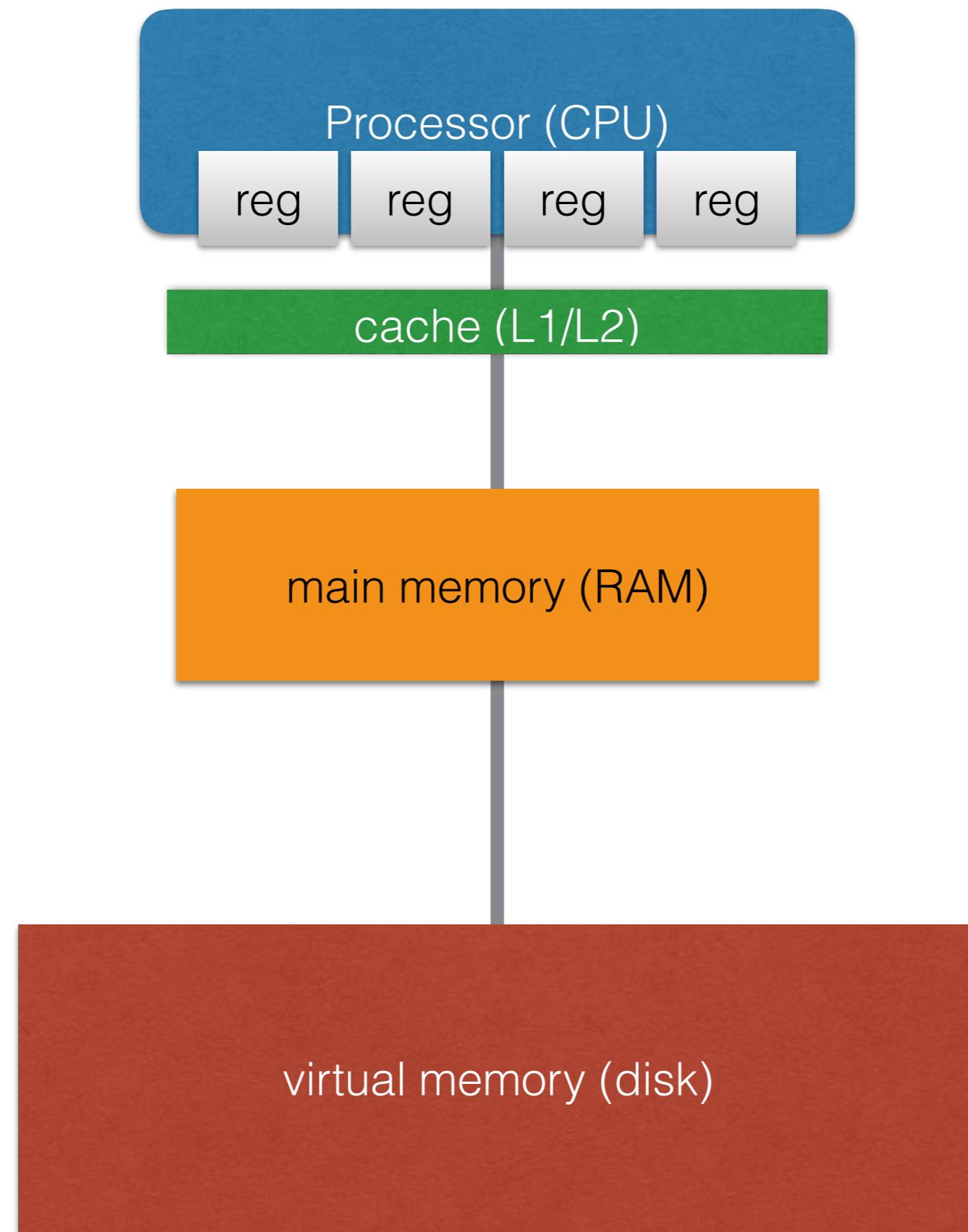


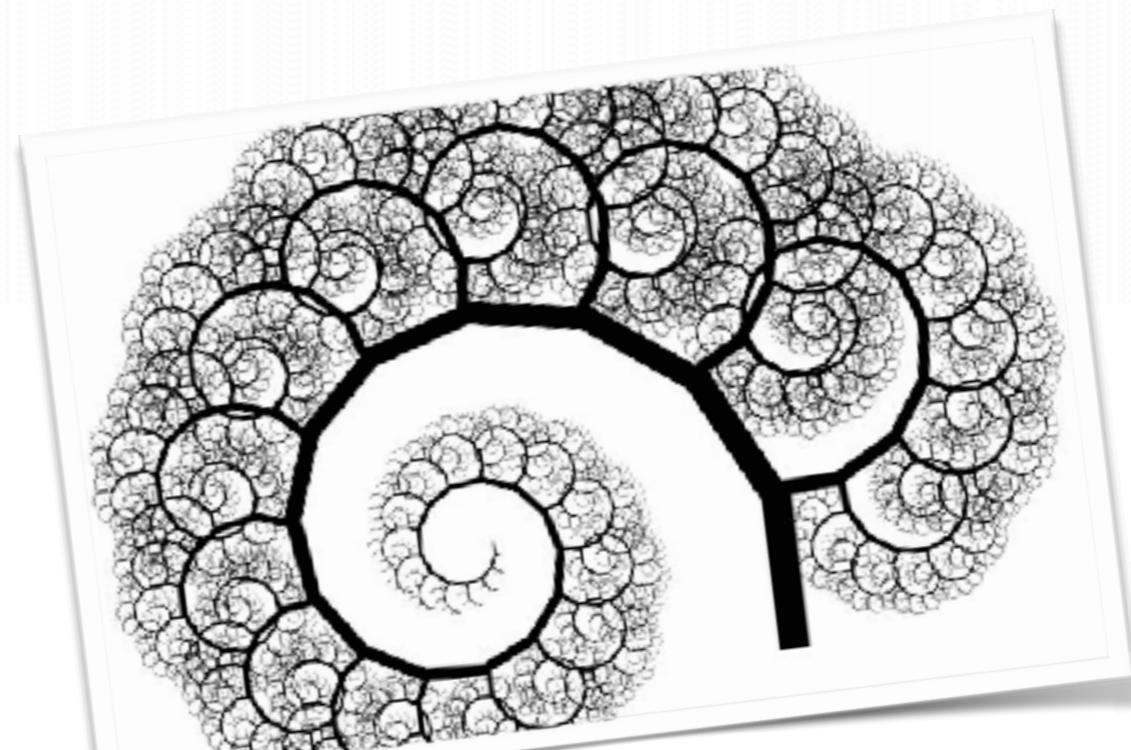
Caching and memoization

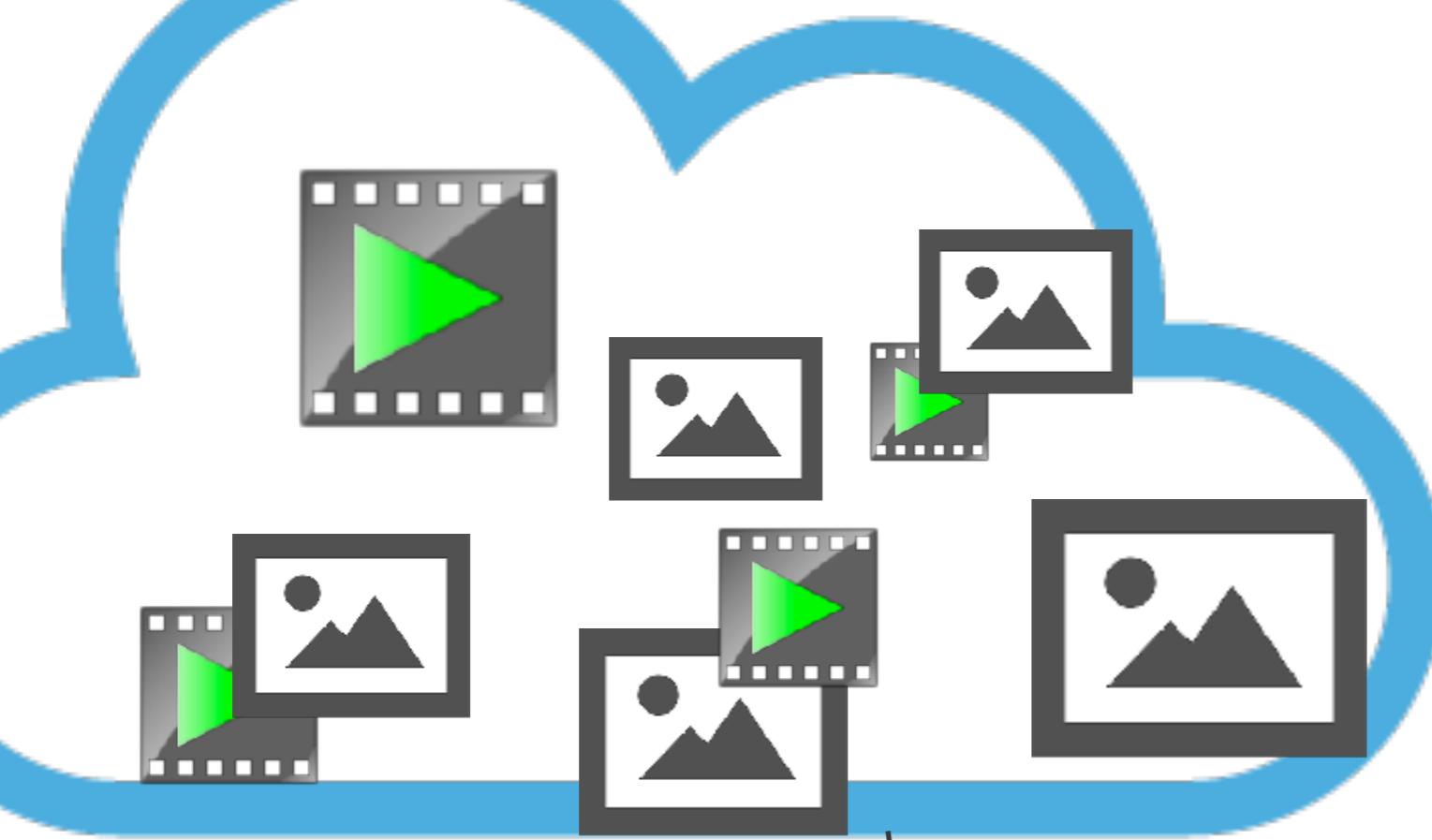




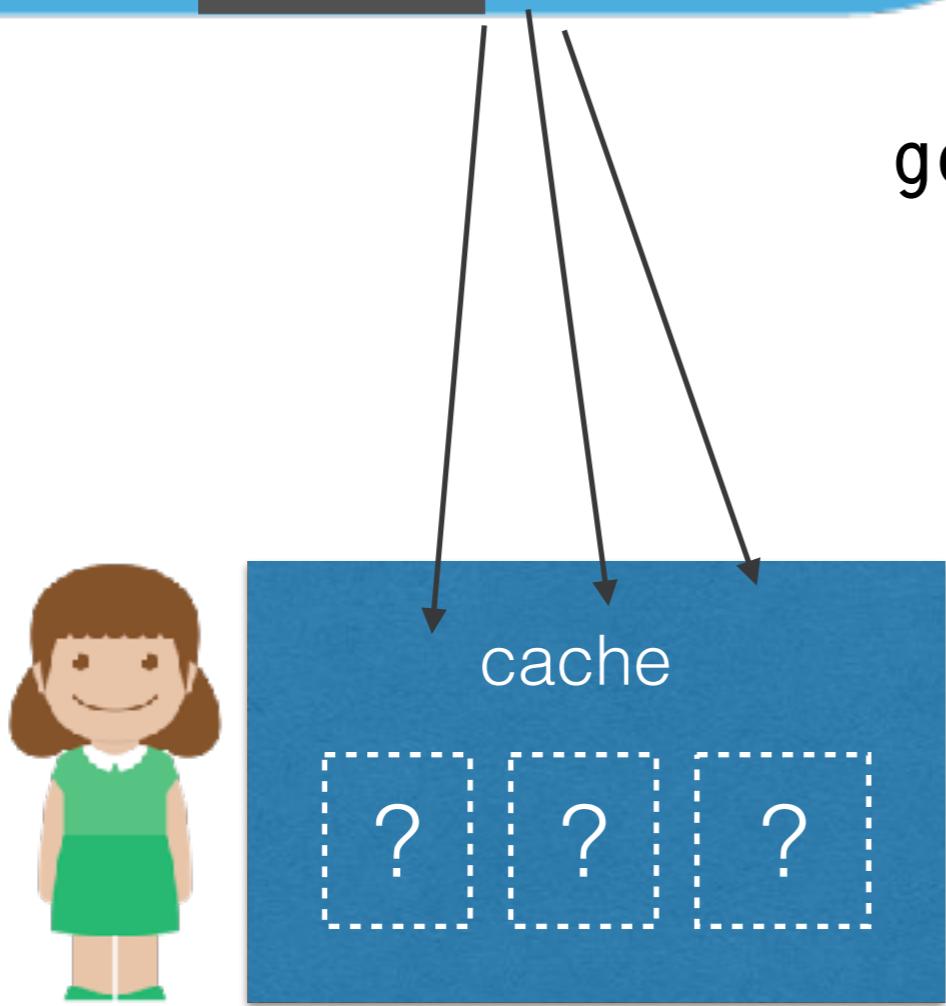
2000 km







origin



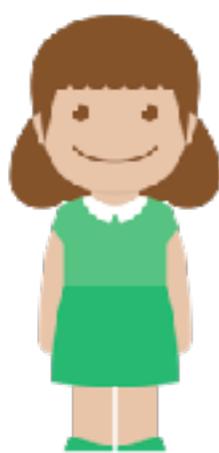
Template caching logic

```
get(key):  
    if key in cache:  
        value = cache.get(key)  
    else:  
        value = origin.get(key)  
        cache.put(key, value)  
    return value
```

A blue cloud-like shape contains several function calls: `foo(22)`, `foo(100)`, `foo(10)`, `foo(30)`, `foo(8)`, `foo(11)`, and `foo(7)`. Below the cloud, a horizontal line extends to the right. On the left side of this line, the text "computing from scratch" is written. On the right side, there is a blue rectangular box labeled "cache". Three arrows point from the function calls `foo(100)`, `foo(11)`, and `foo(7)` down to the "cache" box. Inside the "cache" box, there are three dashed boxes, each containing a question mark ("?").

`foo(22)`
`foo(100)`
`foo(10)`
`foo(30)`
`foo(8)`
`foo(11)`
`foo(7)`

computing
from scratch



Memoization is caching

```
get-foo(input):  
    if input in cache:  
        output = cache.get(input)  
    else:  
        output = foo(input)  
        cache.put(input, output)  
    return output
```

Longest increasing subsequence

Given a sequence of numbers

for example: 2, 4, 3, 5, 1, 7, 6, 9, 8

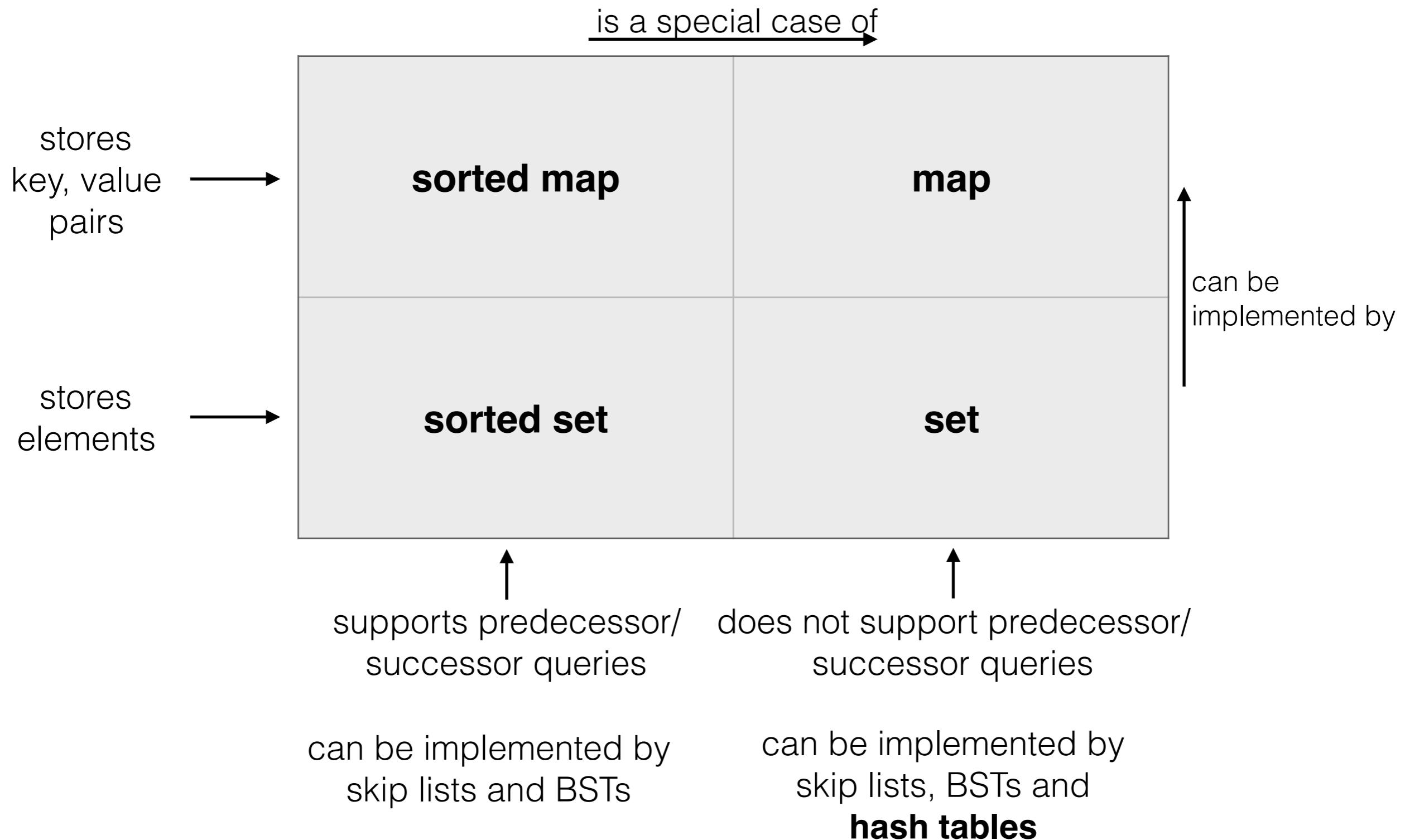
What is the length of the longest increasing subsequence?

find an algorithm

strictly

going left to right,
possibly skipping some

Search ADTs



Recap: dictionaries

- dictionaries are very useful
- graphs
 - 3 ways to represent them (including dictionary)
 - which is better depends on graph density and query type
- memoization: speeding up algorithms by caching intermediate values