

# 258 Add Digits

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## Question:

Given a non-negative integer num, repeatedly add all its digits until the result has only one digit.  
For example:

Given num = 38, the process is like:  $3 + 8 = 11$ ,  $1 + 1 = 2$ . Since 2 has only one digit, return it.

### Follow up:

Could you do it without any loop/recursion in  $O(1)$  runtime?

来自 <<https://leetcode.com/problems/add-digits/description/>>

给一个非负整数 num，反复添加所有的数字，直到结果只有一个数字。

例如：

设定 num = 38，过程就像：  $3 + 8 = 11$ ， $1 + 1 = 2$ 。 由于 2 只有1个数字，所以返回它。

进阶：

你可以不用任何的循环或者递归算法，在  $O(1)$  的时间内解决这个问题么？

## Solution for Python3:

```
1 class Solution1:
2     def addDigits(self, num):
3         """
4         :type num: int
5         :rtype: int
6         """
7         while num > 9:
8             num = reduce(lambda x, y: x + int(y), str(num), 0)
9         return num
10
11
12 class Solution2:
13     def addDigits(self, num):
14         """
15         :type num: int
16         :rtype: int
17         """
18         return num and 1 + (num - 1) % 9
```

## Solution for C++:

```
1 class Solution {
2 public:
3     int addDigits(int num) {
4         return 1 + (num - 1) % 9;
5     }
6 }
```

```
5    }  
6  };
```

## Appendix:

### digital root problem

The problem, widely known as *digit root* problem, has a congruence formula:

[https://en.wikipedia.org/wiki/Digital\\_root#Congruence\\_formula](https://en.wikipedia.org/wiki/Digital_root#Congruence_formula)

For base  $b$  (decimal case  $b = 10$ ), the digit root of an integer is:

- $dr(n) = 0$  if  $n == 0$
- $dr(n) = (b-1)$  if  $n != 0$  and  $n \% (b-1) == 0$
- $dr(n) = n \bmod (b-1)$  if  $n \% (b-1) != 0$

or

- $dr(n) = 1 + (n - 1) \% 9$

Note here, when  $n = 0$ , since  $(n - 1) \% 9 = -1$ , the return value is zero (correct).

来自 <[https://leetcode.com/problems/add-digits/discuss/68580/Accepted-C++-O\(1\)-time-O\(1\)-space-1-Line-Solution-with-Detail-Explanations](https://leetcode.com/problems/add-digits/discuss/68580/Accepted-C++-O(1)-time-O(1)-space-1-Line-Solution-with-Detail-Explanations)>