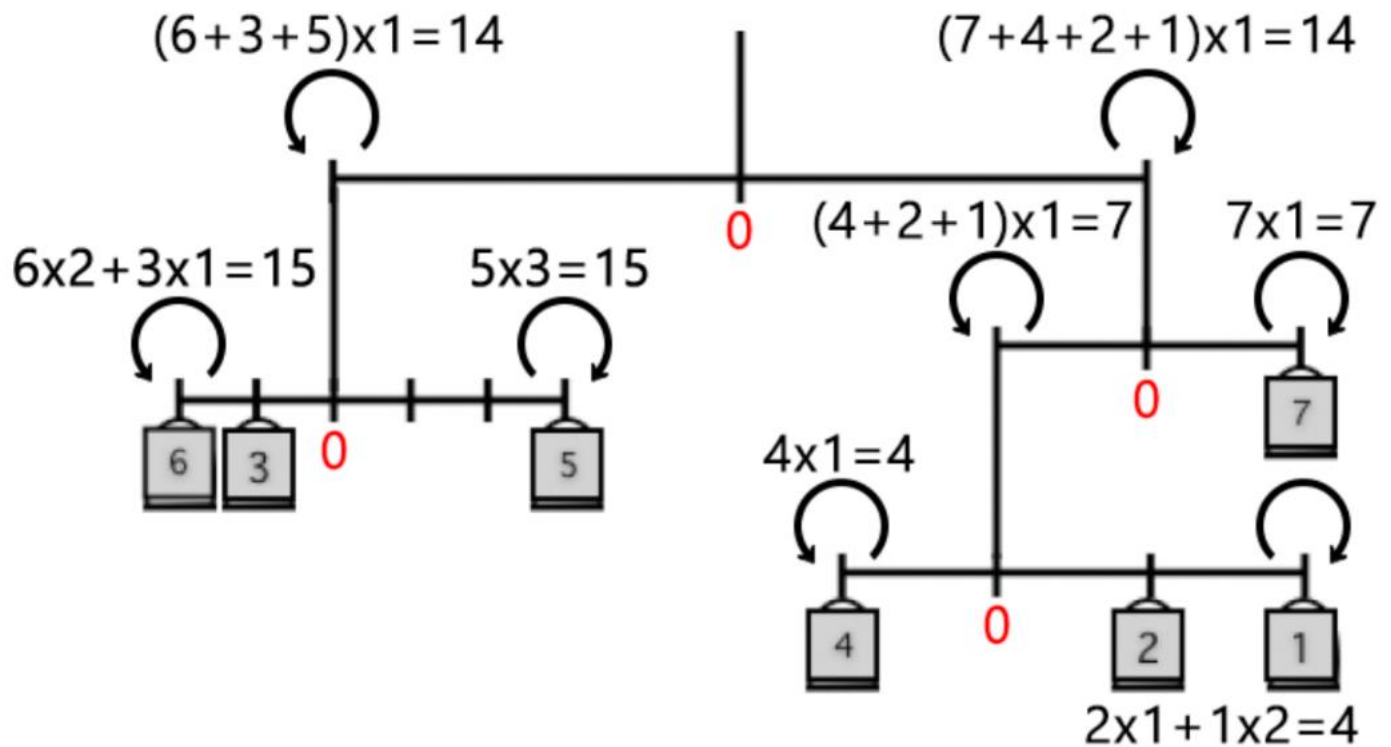
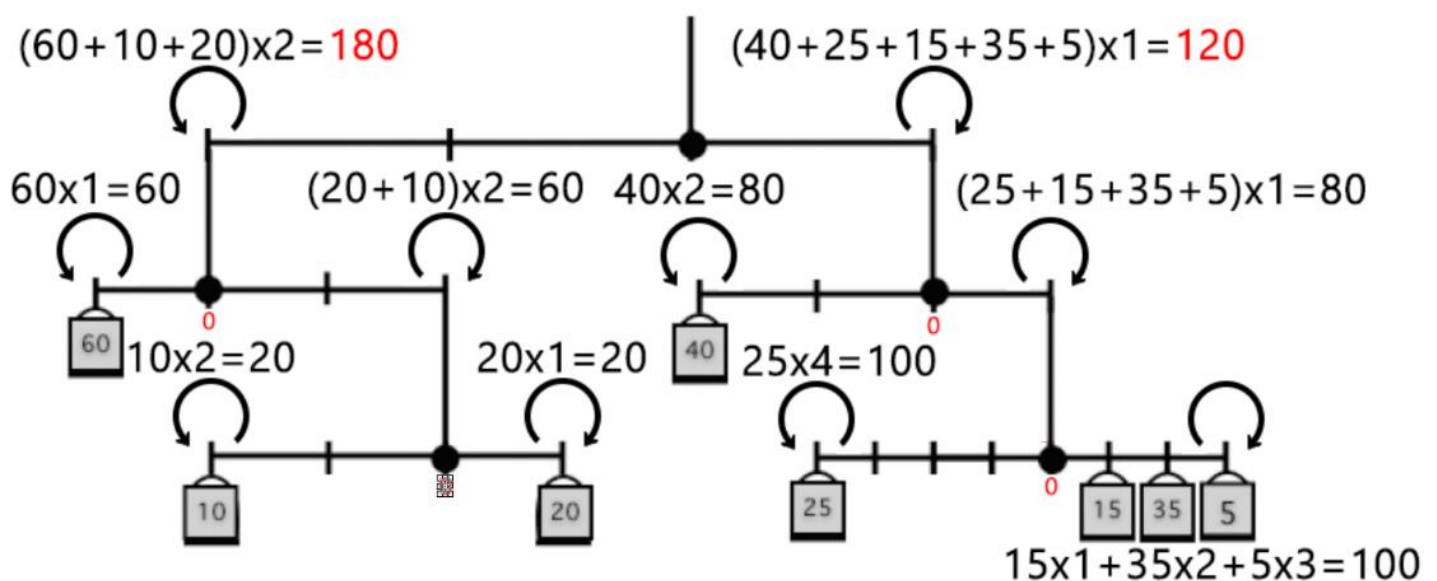


Activity 1: Problem Solving

1. (1) It is **balanced** because torque on each beam is 0.

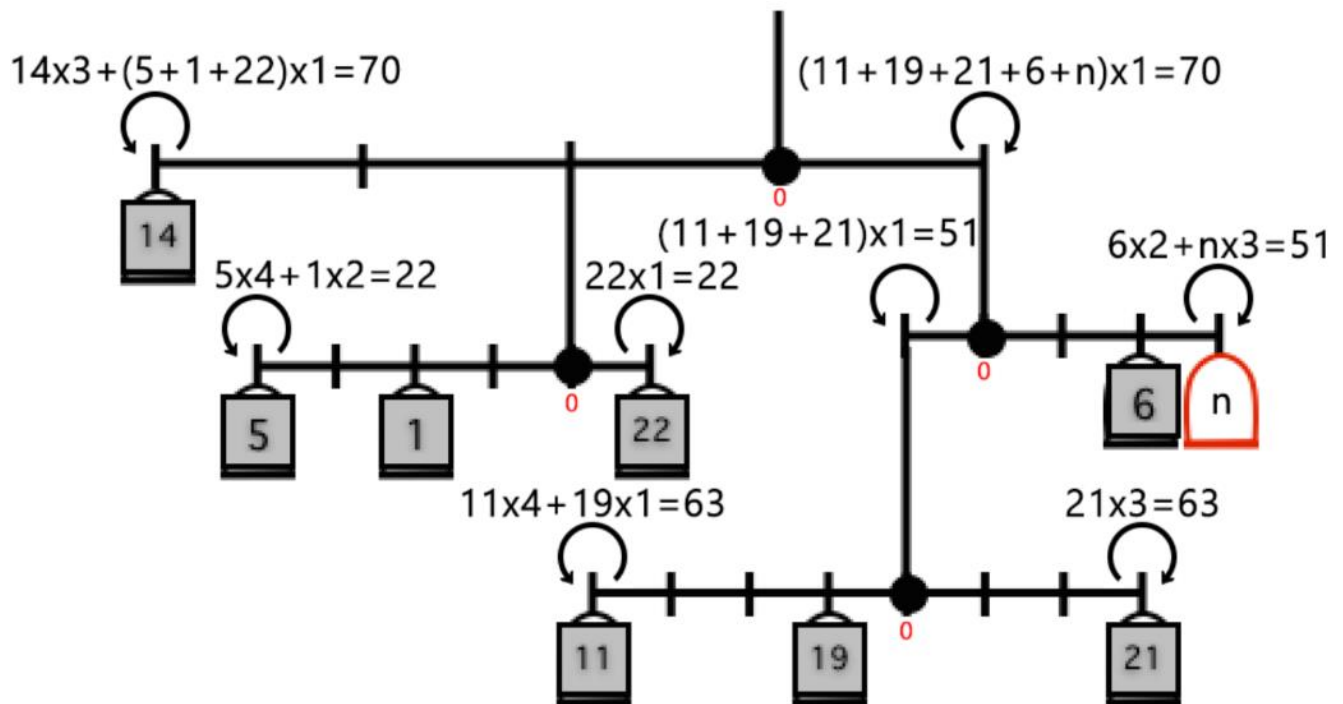


(2) It is **unbalanced** because torque on the root beam is not 0.



2. Balanced \rightarrow torque on all beams equals 0 \rightarrow

$$(11 + 19 + 21 + 6 + n) \times 1 = 70 \text{ or } 6 \times 2 + n \times 3 = 51 \rightarrow \mathbf{n = 13}$$



3.

```
__slots__ = "support_point", "weights"
```

```
# support_point: the point at which the beam is supported (held up)
```

```
# weights: a dictionary with positions as keys and their weights as values
```

4.

```
class Beam:
```

```
    # ... (skip __slots__ and __init__)
```

```
    def weight(self):
```

```
        result = 0
```

```
        for w in self.weights.values():
```

```
            result += w.weight()
```

```
        return result
```

```
class Weight:
```

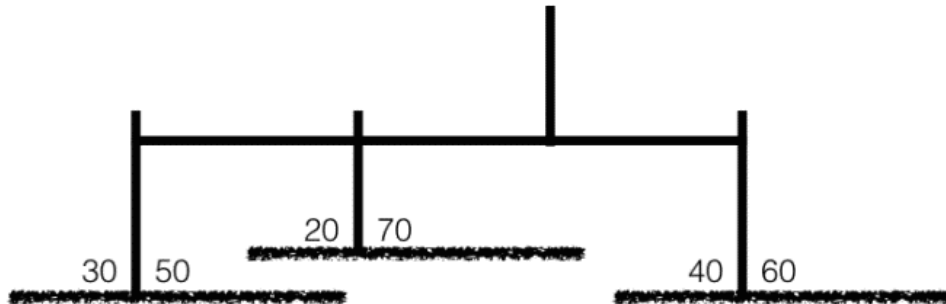
```
    # ... (skip __slots__ and __init__)
```

```
    def weight(self):
```

```
        return self.weight
```

5.

(a-1)



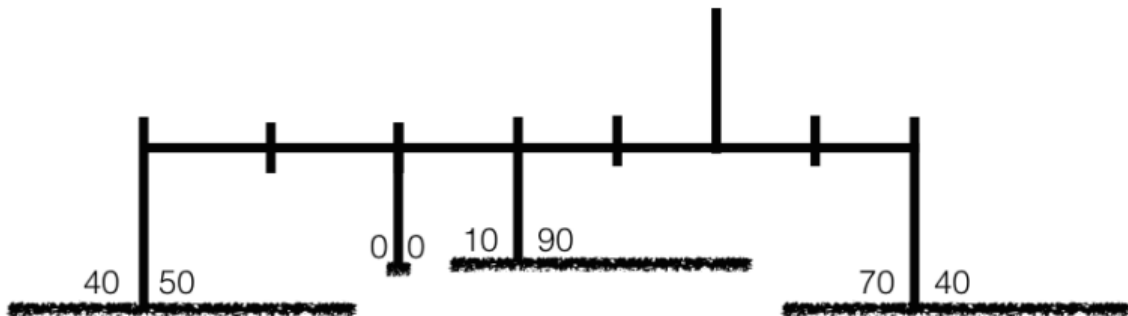
All possible scale factors:

$$(50 + 20 + 20) / 1 = 90$$

$$(70 + 20 + 40) / 2 = 65$$

Pick the larger one → Ans: **90 pixels/tick**

(a-2)



All possible scale factors:

$$(50 + 20 + 0) / 2 = 35$$

$$(0 + 20 + 10) / 1 = 30$$

$$(90 + 20 + 70) / 4 = 45$$

Pick the largest one → Ans: **45 pixels/tick**

(b-1) left: $30 + 90 \times 2 = 210$ (Pixels)
 right: $90 \times 1 + 60 = 150$ (Pixels)

(b-1) left: $40 + 45 \times 5 = 265$ (Pixels)
 right: $45 \times 2 + 40 = 130$ (Pixels)