

and  $I_0(1+z)$ . Using the Gilbert loop formed by Q1, Q2, Q3, and Q4:

$$I_3 = \frac{1}{2}I(1+y)(1+x)$$

 $I_2(1+x)(I(1+y)-I_3) = I_2(1-x)I_3$ 

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At the output,

$$I_0(1+z) = I_3 + I_5$$

$$= \frac{1}{2}I(1+x+y+xy) + \frac{1}{2}I(1-y-x+xy)$$

 $I_5 = \frac{1}{2}I(1-x)(1-y)$ 

 $I(1+y) + xI(1+y) - I_3 - xI_3 = I_3 - xI_3$ 

 $I(1 + y + x + xy) = 2I_3$ 

 $I_2(1+x)I_V = I_2(1-x)I_3$ 

$$I(1+z) = I(1+xy)$$
$$z = xy$$