

Belief Function Machine Review

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Topics

- New Features
 - Normalization
 - Approximation
- Java GUI
 - Demonstration
 - To Do

Normalization

- Previously no intermediate normalization
- For some problems, the mass on the empty set grows too large
 - e.g. Target Identification Problem
- Normalization after each combination gives accurate results for these problems with negligible additional solve time.

Normalization

- SOLVE command
 - 3rd argument added
 - 0: No normalization. (default)
 - 1: Use normalization.

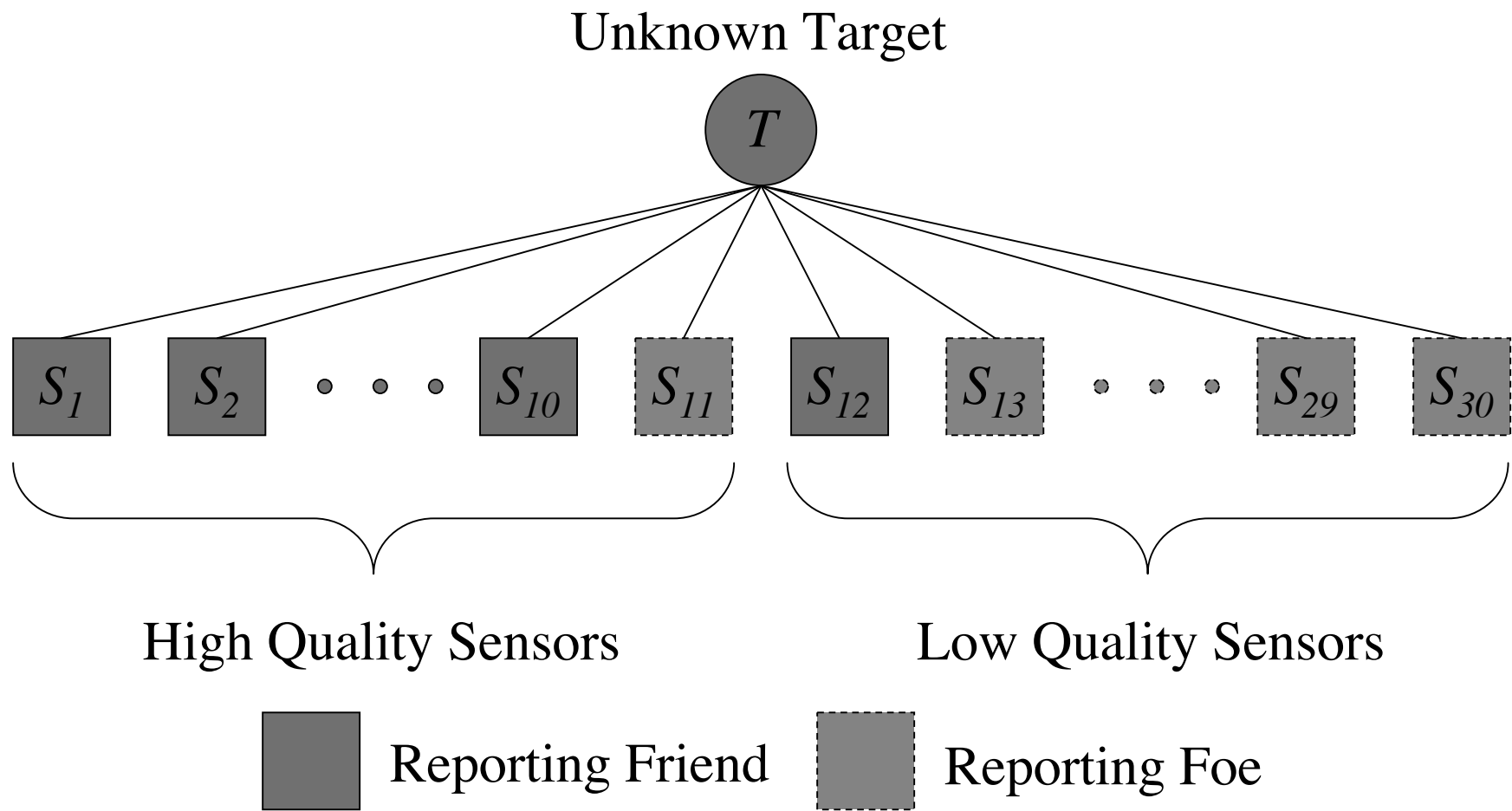
`solve(list_bels, list_vars, normmode);`

Target Identification Problem

- Unknown target T is either a friend or a foe
- 30 sensors S_i
 - 11 high quality (99% probability of accuracy)
 - 19 low quality (90% probability of accuracy)

From Cobb, B. & P. Shenoy, *A Comparison of Methods for Transforming Belief Function Models to Probability Models*, ECSQUARU 2003.

Target Identification Problem



Target Identification Problem

- UIL Code: 'uilfiles/friendfoe.txt'

```
DEFINE VARIABLE T {friend foe};
```

```
DEFINE RELATION S1 {T};
```

```
...  
DEFINE RELATION S30 {T};
```

```
SET VALUATION S1 {(friend)} 0.99;
```

```
...  
SET VALUATION S10 {(friend)} 0.99;  
SET VALUATION S11 {(foe)} 0.99;  
SET VALUATION S12 {(friend)} 0.90;  
SET VALUATION S13 {(foe)} 0.90;
```

```
...  
SET VALUATION S30 {(foe)} 0.90;
```

Demonstration

Demo of solution of Target Identification
Problem with and without normalization

Demonstration

Exact Solution

The Joint Bpa's and Plausibility Functions for 30 Sensors

$a \subseteq 2^{\square_T}$	Un-normalized bpa	Normalized bpa (m)	Plausibility (Pl_m)
\emptyset	≈ 1	0	0
$\{t_1\}$	$\approx 1.00 \times 10^{-20}$	≈ 0.9090	≈ 0.9091
$\{t_2\}$	$\approx 1.00 \times 10^{-21}$	≈ 0.0909	≈ 0.0909
$\{t_1, t_2\}$	$\approx 1.00 \times 10^{-41}$	≈ 0.0000	1

Approximation

- The complexity of solving large problems increases exponentially
- Approximation allows faster solve times for large problems.

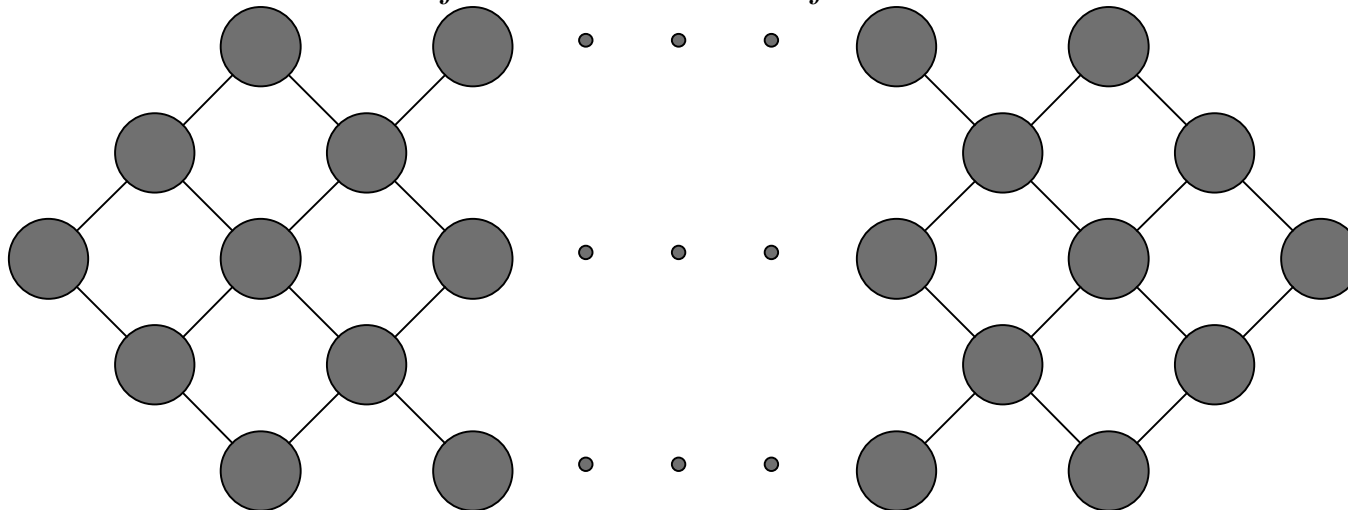
Approximation

- SOLVE command
 - 4th argument added
 - 0: No approximation. (default)
 - 1: Approximation with default threshold (2.22e-15).
 - x : Approximation with threshold x .

`solve(list_bels, list_vars, normmode, threshold);`

Communication Network Problem

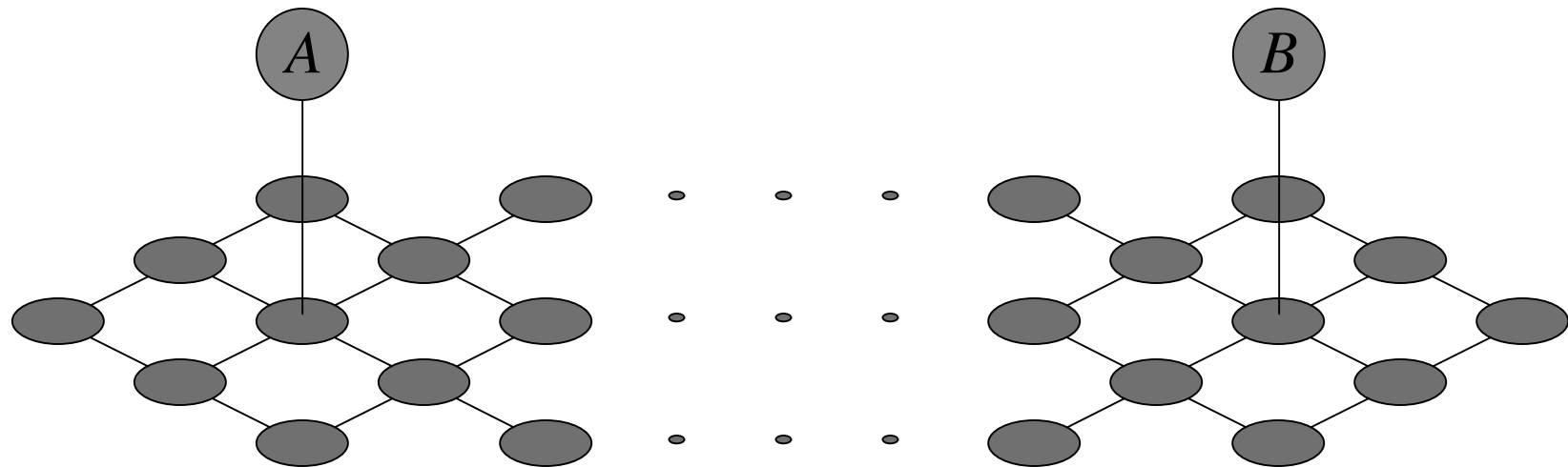
- Network of nodes arranged in 5 rows
 - Each link has a 90% reliability
 - $m(\{(n_i = t, n_j = t), (n_i = f, n_j = f)\}) = 0.9, m(\Omega) = 0.1$



From Haenni, R. & Lehmann, N., *Resource Bounded and Anytime Approximation of Belief Function Computations*, International Journal of Approximate Reasoning, 2002.

Communication Network Problem

- Additional nodes A and B linked to network with 80% reliability.
- What is the reliability of the connection between A and B ?

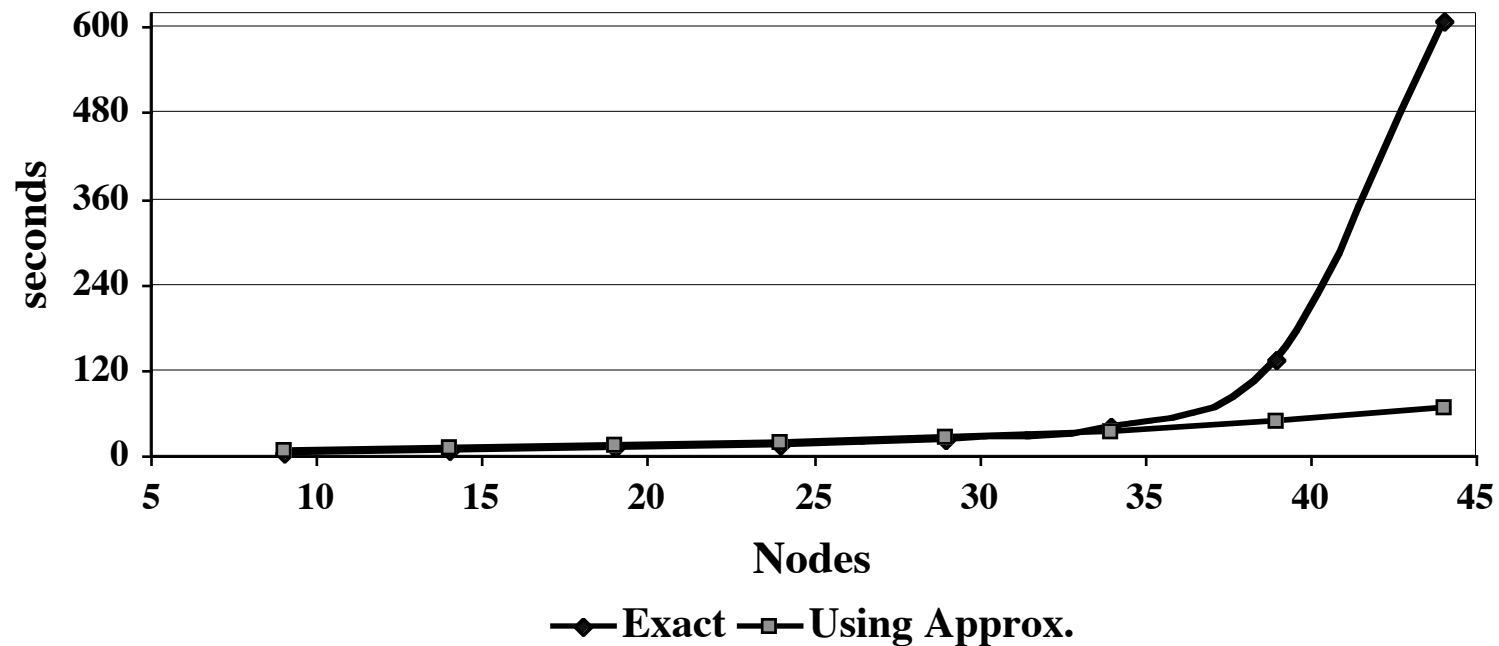


Communication Network Problem

- Measuring approximation performance by solve time and accuracy of solutions
 - Varying problem size (number of nodes)
 - Varying approximation threshold

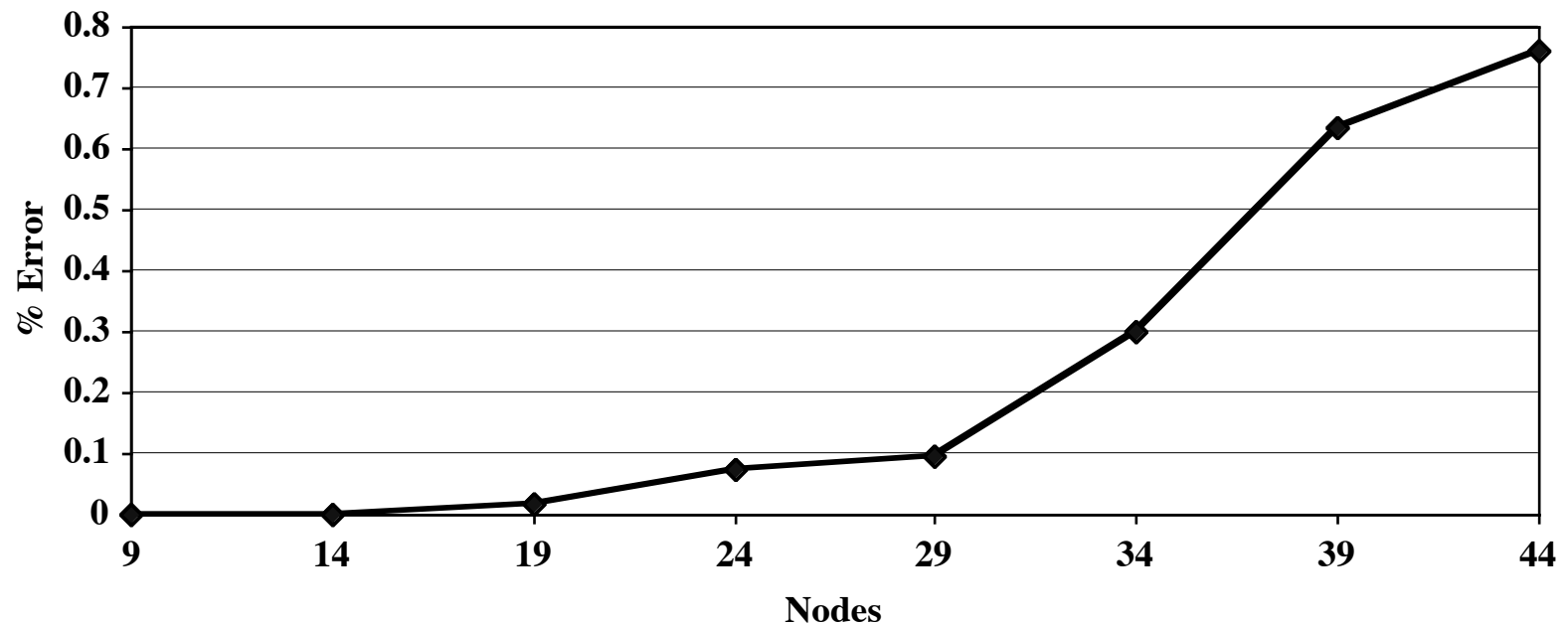
Communication Network Problem

**Comparison of Solve Times
(threshold = 1E-5)**



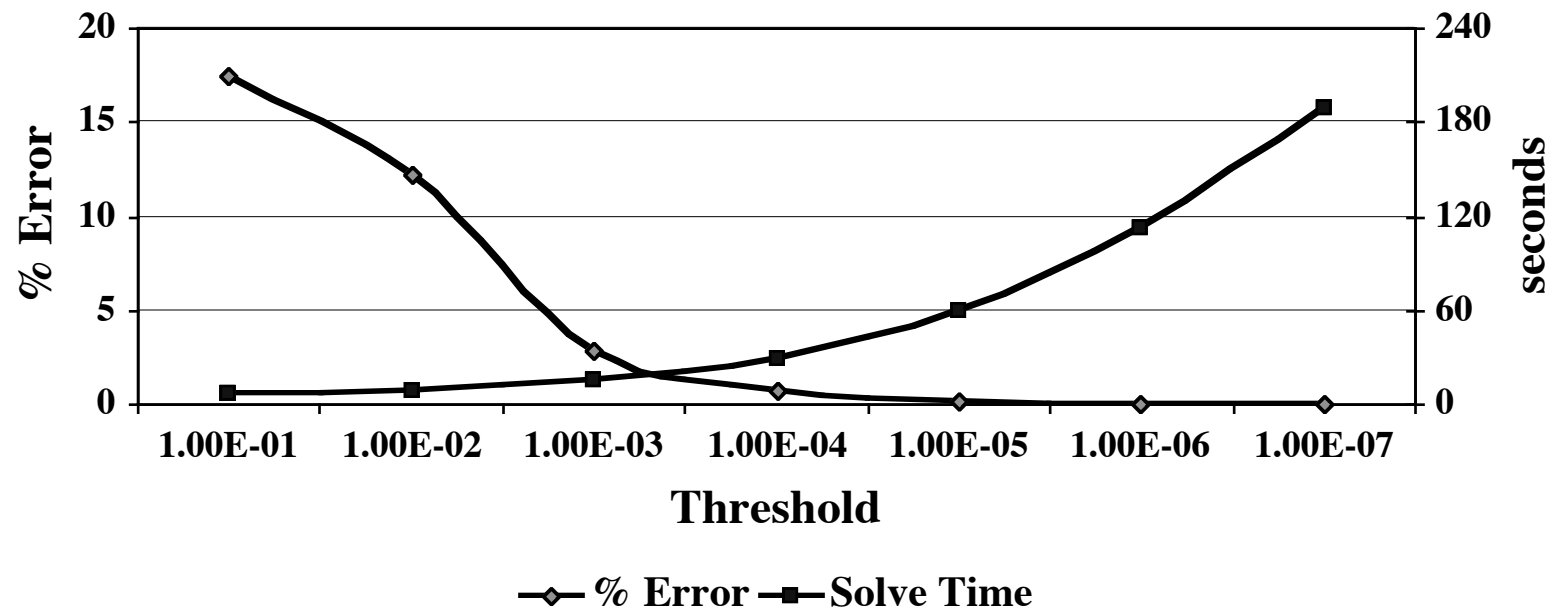
Communication Network Problem

**% Error in Approximation
(threshold = 1E-5)**



Communication Network Problem

Varying Approximation Threshold
(Nodes = 44)



Java GUI

- To install:
 - Download archive from <http://www.business.ku.edu/home/pshenoy/BFM/>
 - Extract archive to folder (e.g. 'BFM072203')
 - Start MATLAB
 - In MATLAB, type 'edit classpath.txt'
 - Add 'path_to_dir/BFM0702203/bfm.jar' to the end of the classpath.txt.
 - e.g. 'C:\MATLABr13\work\BFM072203\bfm.jar' on Windows
 - '/Applications/MATLAB/work/BFM072203/bfm.jar' on Mac OS.
 - Restart MATLAB

Java GUI

- To run:
 - Start MATLAB
 - Make 'BFM072203' the working directory
 - Type 'BFM.run' and hit enter

Captain's Decision Problem

- Variables:
 - A: Arrival delay (0 to 6 days)
 - D: Departure delay (0 to 3 days)
 - S: Sailing delay (0 to 3 days)
 - L: Loading delay (true or false)
 - M: Maintenance delay (true or false)
 - W: Weather (foul or fair)
 - R: Repair at sea (true or false)

From Almond, R., *Graphical Belief Modeling*, Chapman & Hall 1995

Captain's Decision Problem

- What will the Arrival delay be?
 - Arrival delay is sum of departure and sailing delays
 - Departure delay depends on loading, maintenance and weather
 - Sailing delay depends on weather and repair
 - Weatherman is reliable 80% of the time
 - Imprecise conditional probabilities of repair at sea given maintenance

Java GUI

- To create a new node, double-click where you want to place the node
- Select the kind of node you want to create (Variable, Valuation, or Conditional Valuation)
- To move a node, simply drag it around
- To delete or edit a valuation or to solve for a variable, double-click on the valuation or variable.
- Results will appear in the MATLAB console

Java GUI - To Do

- Add more solving capabilities
 - Multiple variables
 - Normalization & Approximation
- Ability to save and load documents
- More user-friendly display of results
- Make everything look nicer