

# CSE 331 Computer Organizations

## Homework 1

Due Date 30/10/2020 Friday 17:00

Student name and surname: Ozan GEÇKİN

Student number: 1801042103

1. Assume that, today, a wafer containing 120 processor dies costs 10000\$. The yield decreases by 10% at each year while the wafer cost also decreases by 20% at each year. Then, what will be the cost of a single chip manufacturing after 4 years? Show your computations. Edit: Assume, today, there is a yield of 80%.

Answer:

Today

yield 80%

120 processor

cost 10000\$

} yield decrease 10%  
cost decrease 20%

One year later

yield 72%

cost 8000\$

} yield decrease 10%  
cost decrease 20%

two year later

yield 64.8%

cost 6400\$

} yield decrease 10%  
cost decrease 20%

three year later

yield 58.32%

cost 5120\$

} yield decrease 10%  
cost decrease 20%

four year later

yield 52.48%

cost 4096\$

$$\begin{aligned} \text{total chip number} &= 120 \times 52.48\% \\ &= 62.98 \text{ wafer can be used now} \end{aligned}$$

$$\text{the cost of a single chip} = \frac{4096}{62.98} = 65.03\$$$

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2. A compiler designer wants to compare the performance of two different compilers he designed. The compilers are generating MIPS machine code from a C program. He compiles the same C program using the two compilers.

a. According to the tables below, find which compiler is better and by how many times it is better than the other?

	R-type ( $\times 10^6$ )	I-Type ( $\times 10^6$ )	J-Type ( $\times 10^6$ )
Compiler A	50	10	2
Compiler B	80	5	1

	R-type	I-Type	J-Type
Required Cycles	2	4	3

b. What must be the clock speed of the processor so that the program compiled with the better compiler executes in 100ns?

Answer:

a)

$$\text{Clock Cycle Compiler A} = ((50 \times 10^6) \times 2) + ((10 \times 10^6) \times 4) + ((2 \times 10^6) \times 3) = 146 \times 10^6$$
$$\text{Clock Cycle Compiler B} = ((80 \times 10^6) \times 2) + ((5 \times 10^6) \times 4) + ((1 \times 10^6) \times 3) = 183 \times 10^6$$
$$\frac{183 \times 10^6}{146 \times 10^6} = 1.253$$

Compiler A is 1.253 times better than Compiler B

b)

$$\frac{146 \times 10^6}{(\text{clock speed})} = 0.1 \text{ s}$$

$$\text{clock speed} = \frac{146 \times 10^6}{0.1} = 1.46 \text{ GHz}$$