

Task 4

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For the given weighted graphs we used the algorithm of Dijkstra to find single source shortest path.

Time complexity of my provided solution for Problem 1 and 2:

N = total vertex, M = total edge

① Initializing all data structures = $O(N)$

② While queue not empty: - $O(N)$
[since N vertex has to be removed]

③ Finding minimum - $O(N + N) = O(N^2)$

④ Visiting adjacent vertices - $O(N + N - 1)$
 $= O(N^2)$

\therefore Time complexity $O(N) + O(N^2) + O(N^2) = O(N^2)$

In Problem 2:

we sorted two arrays in $n \log n$ time with `sort()`

But the time complexity remains $O(N^2)$
as the rest of the solve is same as problem 2

However, in problem 4 2, if we consider the cases, the time complexity will be increased to $O(\text{cases} * N)$.

* If the numbers of titans in each node is exactly 1, then it is an unweighted graph. In that case we can solve it with BFS algorithm as its time complexity is $O(N+M)$.

Inputs given will be $(V(n) \text{ graph}, (S) \text{ source}, \text{Destination})$