

# Classical Planning

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May 25, 2012

# Outline

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① Classical Planning

② PDDL

③ Planning Graph

# Review

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- What is a planning problem?

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  - deterministic
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    - objects with unique names are distinct
  - $\text{at}(\text{Truck1}, y)?, \neg \text{Wealthy}? , \text{At}(\text{Father}(\text{Fred}), \text{Sydney}), \text{On}(\text{blockA}, \text{blockB}) \vee \text{On}(\text{blockA}, \text{blockC})$

# Review

- Action Representation

- as action schemas
- single schema represents a set of ground actions

```
Action(Fly(p, from, to),  
      PRECOND: At(p,from) ^ Plane (p) ^ Airport (from)  
               ^ Airport (to)  
      EFFECT: -At(p,from) ^ At(p,to))
```

- Universally quantified
- applicable in states where all the preconditions are satisfied
- delete list: remove fluents that appear as negative literals in effects
- add list: add fluents that appear as positive literals in effects

# PDDL Formulation

- What predicates would you use to represent the problem?

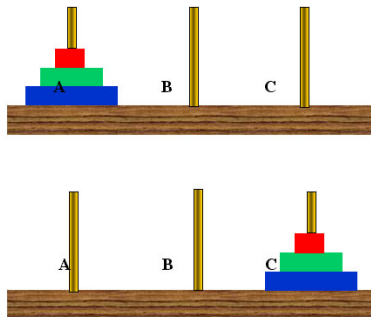


Figure: objects: disks - red, green, blue;  
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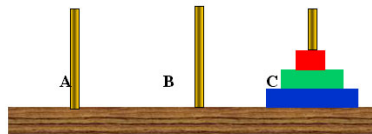
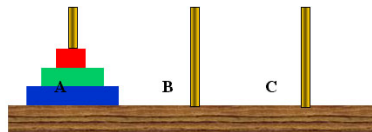


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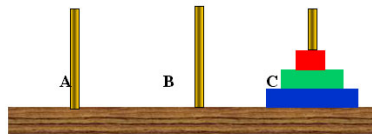
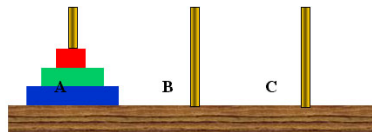


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`clear(B)`, `clear(C)`,  
`smaller(Red, Green)`  
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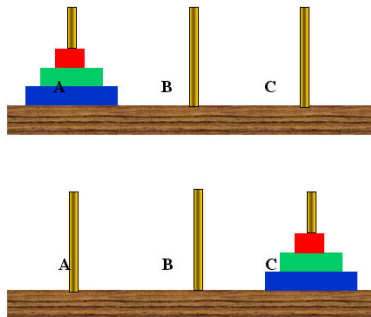


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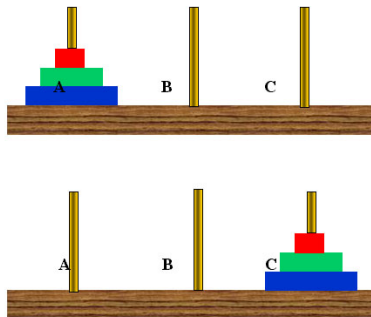


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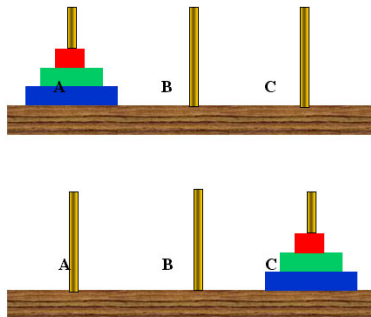


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- How are actions defined?

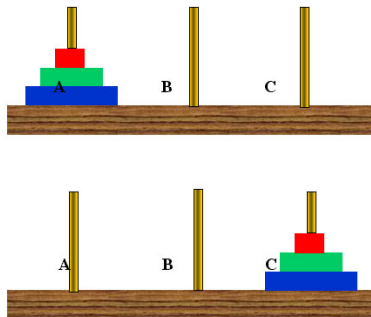


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- `on(Red, Green)`, `on(Green, Blue)`, `on(Blue, C)`

- How are actions defined?

- `Action(move(disk, source, destination))`  
`PRECOND: clear(disk) ^ on(disk, source) ^ clear(destination)`  
`^smaller(disk,destination)`  
`EFFECT: on(disk, destination) ^ -on(disk, source) ^`  
`-clear(destination) ^clear(source)`

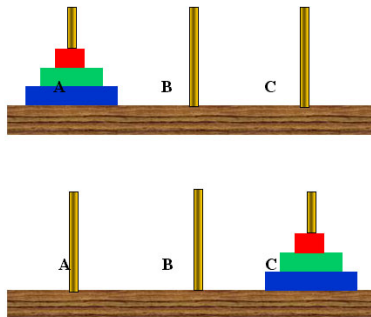
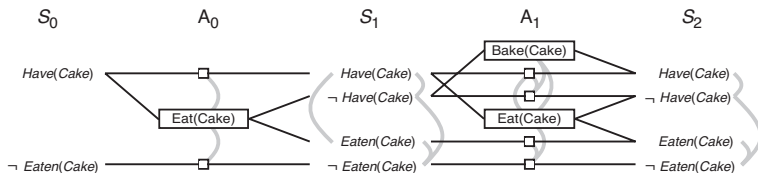


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# Planning Graph Review

- Directed graph
  - organized into levels
  - level  $S_0$  is the initial state that consists of fluents that hold in  $S_0$
  - level  $A_0$  consisting of actions applicable in  $S_0$ .
  - Alternate  $S_i$  and  $A_i$  until termination
  - persistence actions and mutex

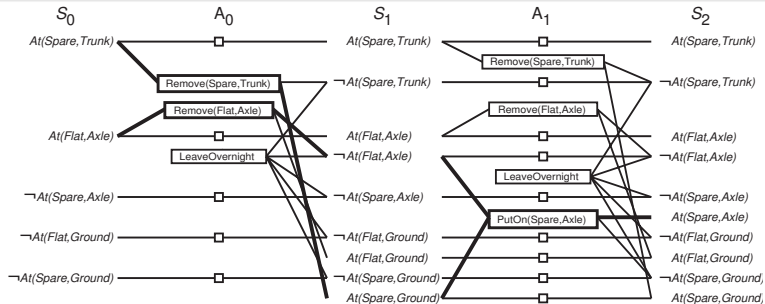


- Uses
  - for generating plans
  - for heuristic estimation

## Spare Tire Example (in book)

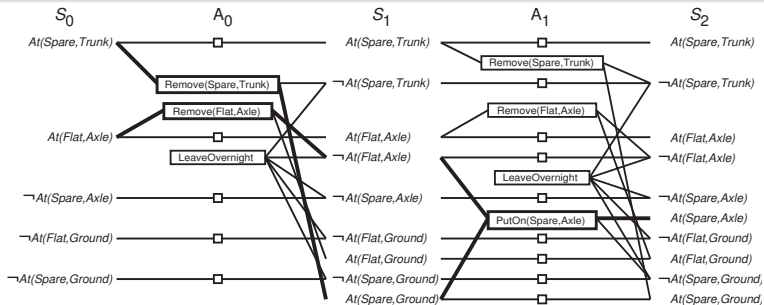
```
Init(Tire(Flat) ^ Tire(Spare) ^ At(Flat,Axle) ^ at(Spare,Trunk))
Goal(At(Spare,Axle))
Action(Remove(obj,loc),
      PRECOND: At(obj,loc)
      EFFECT: -At(obj,loc) ^ At(obj,ground))
Action(PutOn(t,Axle),
      PRECOND: Tire(t) ^ At(t,Ground) ^ -At(Flat,Axle)
      EFFECT: -At(t,Ground) ^ At(t,Axle)
Action(LeaveOvernight)
      PRECOND:
      EFFECT: -At(Spare,Ground) ^ -At(Spare,Axle) ^ -At(Spare,Trunk)
              ^-At(Flat,Ground) ^ -At(Flat,Axle) ^-At(Flat,Trunk)
```

## Spare Tire Example (in book)



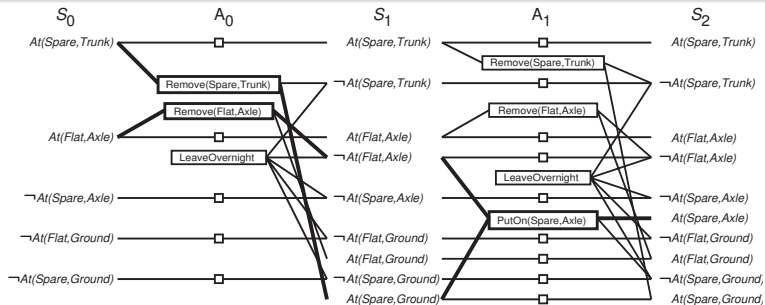
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## Spare Tire Example (in book)



- Mutex actions?
  - Inconsistent effects?

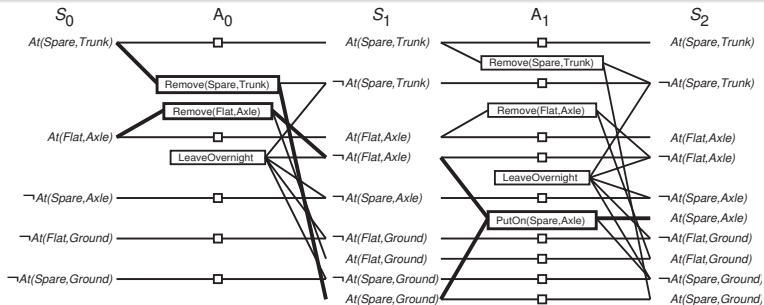
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    - one action negates an effect of the other

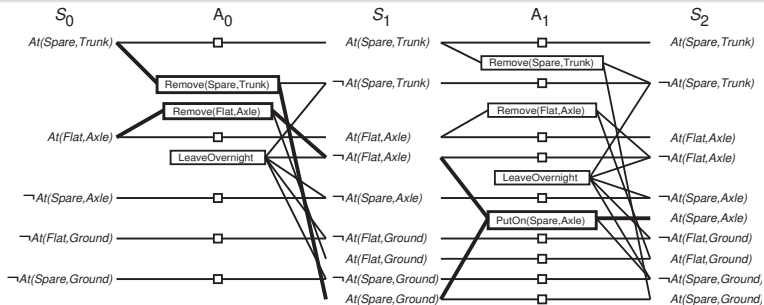


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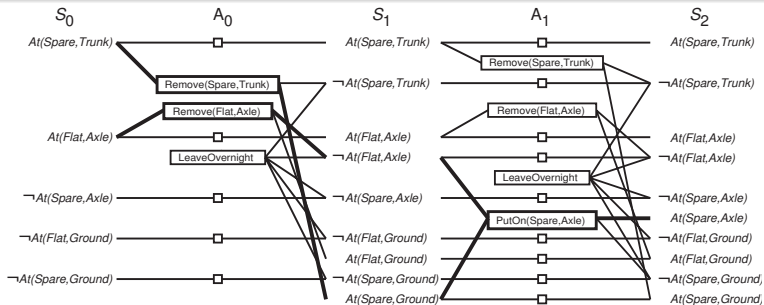
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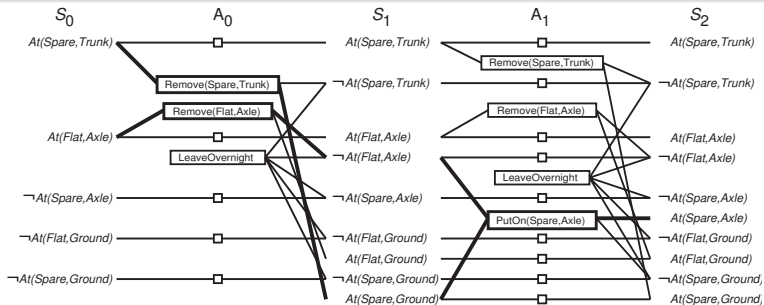
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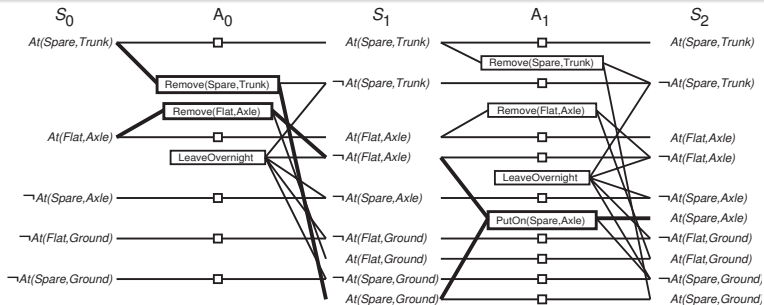
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- Competing needs?

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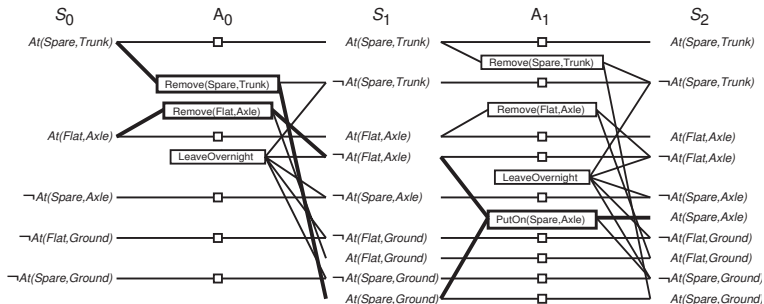
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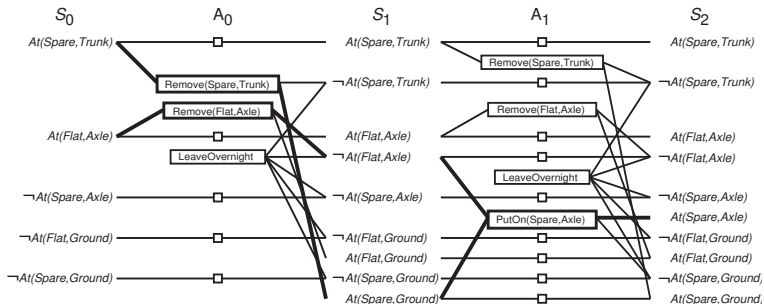
- Mutex actions?
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    - one action negates an effect of the other
    - $Remove(Spare, Trunk)$  with  $LeaveOvernight$
  - Interference?
    - one of the effects of an action is the negation of a precondition of the other
    - $Remove(Flat, Axle)$  with  $LeaveOvernight$
- Competing needs?
  - One of the preconditions of one action is mutually exclusive with a precondition of the other
  - $PutOn(Spare, Axle)$  with  $Remove(Flat, Axle)$

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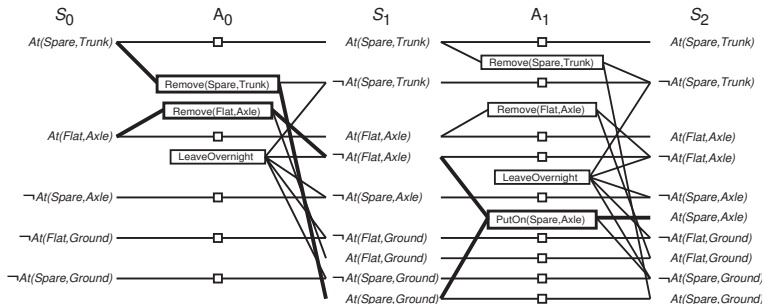
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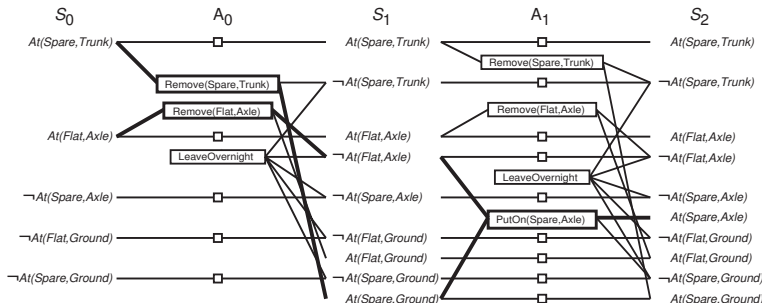
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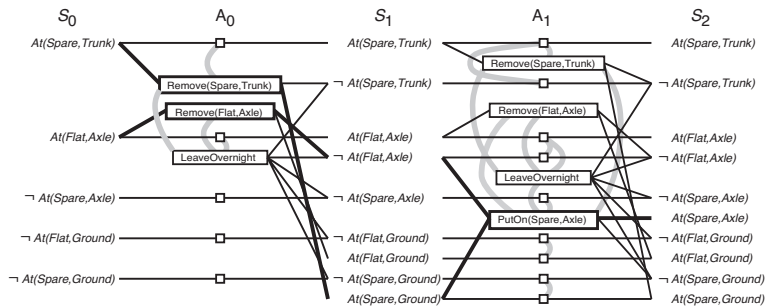


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    - $At(Spare, Axle)$  with  $At(Flat, Axle)$  in  $S_2$

# Extract Solution



- Extract Solution can be formulated as CSP or backward search
- As a CSP
  - variables? values?
  - constraints?
- As backward search
  - Initial state?
  - Goal?
  - Actions?
  - Cost