# **Machine Learning Lab: Assignment 3**

## **Genetic Algorithm**

Notebook authored by Sonaal P. Pradeep (B170163CS)

## About the algorithm

Brute force applications of problems require a lot of time and processing power to find an optimal solution. The genetic algorithm is an approach which incorporates techniques **seen naturaly in nature**, in the form of evolution.

One iteration in a genetic algorithm consists of the following:

- 1. Parent Selection
- 2. Inter-Breeding
- 3. Mutation
- 4. Survivors Selection

Before implementing a problem for this algorithm, the problem **needs to be encoded**. The encoding can be of the following forms :

- 1. Binary Representation
- 2. Integer Representation
- 3. Real Value Representation
- 4. Permutation Representation

## **Constraints given**

- 1. The objective function used is  $f(x) = x^3 + 9$ . The goal is to maximize the objective function.
- 2. The value of *x* is represented as a 6 **digit binary number**.
- 3. Binary encoding scheme
- 4. Size of the population is 10
- 5. Parent selection is based on the Roulette Wheel selection .
- 6. Mutation probability 0.01.
- 7. Survival selection criteria : Replace 20% worst population in offsprings with 20% best population from the parent.

### Importing necessary modules

```
In [16]: import numpy as np
import math
import random

import matplotlib.pyplot as plt
from pylab import rcParams

rcParams['figure.figsize'] = 15, 10
```

#### **User defined functions**

```
In [17]: def f(x):
             The objective function is defined so that it can be used in the calculations involved in the roulette
             wheel selection and survivor selection.
             Input : Number
             Returns: The value wrt the objective function i.e x^3 + 9
             return pow(x, 3) + 9
In [18]: def create Parents(population Size, bit Length):
             The parents choosen initially are generated randomly based on the constraints / encoding of the probl
         em
             Parameters : population Size - The number of parents to choose
                          bit Length - Problem specific encoding, acts as encoding
             Returns : bitStrings of required length and size. The string format for binary numbers are removed as
         well
             and appended to the left with 0's, the corresponding list of numbers
             max number = pow(2, bit Length) - 1
             num list = [np.random.randint(0, max number) for in range(population Size)]
             return [format(num, "#08b").lstrip('0b').zfill(6) for num in num list]
In [19]: def find chance(parents):
             Finds the probabilities required for the roulette wheel selection
             Input : parents - The parents who's chances need to be calculated
             Returns : List of chances for corresponding parents
             num list = [int(b, 2) for b in parents]
             list sum = sum([f(x) for x in num list])
             return [f(num) / list sum for num in num list]
```

```
In [21]: def cross breed(parent, cross over type, cross breed shuffle, bit cross over, bit Length):
             Cross breeding deals with the swapping of characteristics of 2 parents. Its the first layer of proces
         s what leads
             to generating new children. It happens at the phenotype level
             Input: parent - The genes that are going through cross breeding
                     cross over type - Can be "uniform" or "single-point"
                                  In "single-point", a index is selected and all the genes to the right of both par
         ents
                                  interchanged
                                  In "uniform", all bits have an equivalent chance of being swapped
                      shuffle - If True, the parent is shuffled before cross breeding
                     bit cross over - Used when cross over type is "uniform", governs the chance a bit will get ex
         changed
                     bit Length - The length of the genes
             Returns : Children in which cross breeding is complete. Their size is the same size as that of the pa
          rents
             partition size = len(parent) // 2
             if cross breed shuffle:
                  np.random.shuffle(parent)
             child set 1, child set 2 = parent[:partition size], children[partition size:]
             if cross over type == "uniform":
                 for ind in range(partition size):
                      for b in range(bit Length):
                          rand val = np.random.rand()
                          if rand val < cross over chance:</pre>
                             bit 1 = int(child set 1[ind], 2) \& pow(2, b)
                             bit 2 = int(child_set_2[ind], 2) \& pow(2, b)
                              if bit 1 != bit 2:
                                  child set 1[ind] = format(int(child set 1[ind], 2) ^ pow(2, b), "#08b").lstrip('0
         b').zfill(6)
```

```
child_set_2[ind] = format(int(child_set_2[ind], 2) ^ pow(2, b), "#08b").lstrip('0
b').zfill(6)

return np.append(child_set_1, child_set_2)

elif cross_over_type == "single-point":

for ind in range(partition_size):
    slice_index = np.random.randint(1, bit_Length - 2)

    r_child_1 = child_set_1[ind][slice_index:]
    r_child_2 = child_set_2[ind][slice_index:]

    child_set_1[ind] = child_set_1[ind][:slice_index] + r_child_2
    child_set_2[ind] = child_set_2[ind][:slice_index] + r_child_1

return np.append(child_set_1, child_set_2)
```

```
In [22]: def mutation(children, mutation type, bit mutation, bit Length):
             Mutation happens at the genotype level, and it happens inherently in the children, and doesn't requir
         e a
             pair.
             Input: children - The genes that will undergo mutation
                     mutation type - The method in which mutation would happen. It can be "scan-all" or "random"
                             In "scan-all", each bit has to chance to get switched
                             In "random", a random bit is choosen to get swapped
                     bit mutation - The likelihood a bit would interchange, and is necessary if mutation type is
          "scan-all"
                     bit Length - The length of the genes
             Returns: The mutated children
             population size = len(children)
             if mutation type == "scan-all":
                 for ind in range(population size):
                     for b in range(bit Length):
                          rand val = np.random.ranf()
                          if rand val < bit mutation:</pre>
                              children[ind] = format(int(children[ind], 2) ^ pow(2, b), "#08b").lstrip('0b').zfill(
         6)
                  return children
             elif mutation type == "random":
                 for ind in range(population size):
                     b ind = np.random.randint(0, bit Length - 1)
                      children[ind] = format(int(children[ind], 2) ^ pow(2, b ind), "#08b").lstrip('0b').zfill(6)
                  return children
```

```
In [23]: def evolution(parents, children, population Size, survival death rate):
              The evolution function decides which amongst the 2 * population Size of parents and children go throu
          gh to
              the next generation. This functions picks the best x% of parents and the best (100 - x)% of children
              Input - parents - The array of parents
                      children - The array of parents after cross breeding and mutation
                      population Size - The number of genes in a generation
                      survival death rate - Decides the percent of parents that survive
              Returns - Array of children that progress to the next generation
              parent partition = int(math.floor(population Size * survival death rate))
              children partition = population Size - parent partition
              fitted parents = [f(int(x, 2)) \text{ for } x \text{ in parents}]
              fitted children = [f(int(x, 2)) \text{ for } x \text{ in } children]
              sorted parents = np.sort(parents)[::-1]
              sorted children = np.sort(children)[::-1]
              progressors = np.append(sorted parents[:parent partition], sorted children[:children partition])
              return progressors
```

```
In [24]: def plot generation graph(lines, generations, num of lines, opti fn y):
             The function is used to plot how well the children are working in each generation.
             Input: lines - A multi-dimensional list consisting of the history of each child
                     generations - The life of the children
                     num of lines - The number of children that needs to be plotted
                     opti fn y - Plot the y-axis based of the optimisation function
              1.1.1
             col list = {0 : 'maroon', 1 : 'green', 2 : 'cornflowerblue', 3 : 'olive', 4 : 'black',
                         5 : 'blue', 6 : 'silver', 7 : 'purple', 8 : 'slateblue', 9 : 'hotpink'}
             line list = [[] for in range(num of lines)]
             for l in range(len(lines)):
                 for i in range(min(num of lines, 10)):
                      if opti fn y == False:
                         line list[i].append(int(lines[l][i], 2))
                     else:
                         line list[i].append(f(int(lines[l][i], 2)))
             x = range(generations)
             fig = plt.figure()
             ax = fig.add subplot(111)
             for i in range(min(num of lines, 10)):
                 if i == 0:
                     ax.plot(x, line list[i], c = col list[i], linestyle = "--", marker = 'o', label = "Child " +
         str(i+1)
                 else:
                     ax.plot(x, line list[i], c = col list[i], label = "Child " + str(i+1))
             plt.title("Graph")
             plt.xlabel("Number of Generations")
             if opti fn y == False:
                 plt.ylabel("Bit String Value")
             elif opti fn y == True:
                 plt.ylabel("Optm. Function Value")
```

```
if opti_fn_y == False:
    plt.yticks(range(40, 65, 1))

plt.grid(True)
plt.legend()
plt.show()
```

# **Hyper Parameters**

```
In [28]: bit_Length = 6
    population_Size = 10
    max_num_of_generations = 25

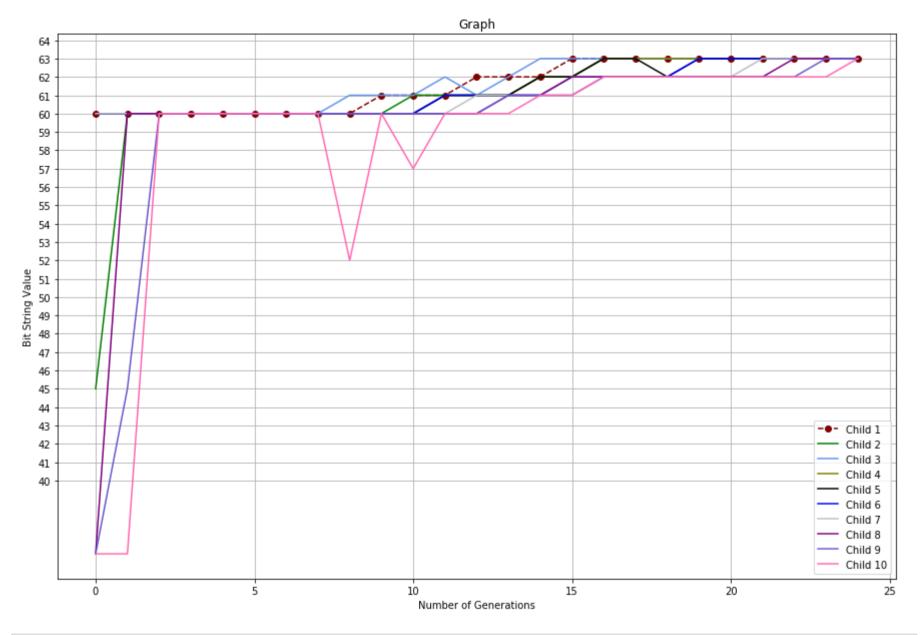
    inter_breeding_chance = 1
    mutation_chance = 1

    cross_breed_shuffle = True
    bit_cross_over = 0.5
    cross_over_type = "single-point"
    bit_mutation = 0.01
    mutation_type = "random"

    survival_death = 0.2
```

#### **Main Function**

```
In [27]: if name == " main ":
             parents = create Parents(population Size, bit Length)
             plotting elements = []
             num of generations = 0
             for _ in range(max_num_of_generations):
                 children = select Succesors(parents, population Size)
                 if np.random.rand() < inter breeding chance:</pre>
                     bred children = cross breed(children, cross over type, cross breed shuffle, bit cross over, b
         it Length)
                 if np.random.rand() < mutation chance:</pre>
                     mutant children = mutation(children, mutation type, bit mutation, bit Length)
                 survivors = evolution(parents, mutant children, population Size, survival death)
                 parents = survivors
                 plotting elements.append(survivors)
                 num of generations = num of generations + 1
             plot generation graph(plotting elements, num of generations, num of lines = 10, opti fn y = False)
```



In [ ]: