Assignment 1: Introduction to Systems Programming

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- 1 Mathematical Analysis
- 2 Theoretical Correctness
- 3 Testing
- 4 Experimental Analysis
- 5 Extrapolation and Interpretation
- 6 Code
- 6.1 Algorithm 1

```
* Enumeration
   * Loop over each pair of indices i; j and compute the sum from k=i
         to j of a[k].
   * Keep the best sum you have found so far.
  #include <iostream>
  #include <cstdio>
  #include <stdio.h>
10 #include <stdlib.h>
  int MaxSubarray(int a[], int n);
  int main(int argc, char **argv){
    int input [] = \{31, -41, 59, 26, -53, 58, 97, -93, -23, 84\};
    std::cout << MaxSubarray(input,10) << std::endl;
17
  int MaxSubarray(int a[], int n){
    \quad \quad \text{int} \quad i \ , j \ , k \, ; \\
21
    int max = a[0];
    int sum;
23
    for (i = 0; i < n; ++i)
       for (j = i; j < n; ++j){
```

```
26
          sum = 0;
27
           for (k = i; k \le j; ++k){
             sum += a[k];
28
29
           \inf (\max < \sup) \{
30
             \max = \sup;
31
32
        }
33
34
35
     return max;
36
```

alg1.cpp

6.2 Algorihm 2

```
* Better Enumeration
     Notice that in the previous algorithm, the same sum is computed
        many times.
   * In particular, notice that sum from k\!\!=\!\!i to j of a\!\left[k\right] can be
        computed from sum from k=i to j-1 of a[k] in O(1) time,
   rather than starting from scratch.

* Write a new version of the frst algorithm that takes advantage
        of this observation.
  #include <iostream>
  #include <cstdio>
  #include <stdio.h>
11 | #include < stdlib.h>
int MaxSubarray(int a[], int n);
  int main(int argc, char **argv){
    int input [] = \{31, -41, 59, 26, -53, 58, 97, -93, -23, 84\};
16
    std::cout << MaxSubarray(input,10) << std::endl;
17
18
19
  int MaxSubarray(int a[], int n){
20
21
     int i, j, k;
23
     int max = a[0];
     int sum;
24
     for (i = 0; i < n; ++i)
25
       sum = 0;
       for (j = i; j < n; ++j){
27
28
         sum += a[j];
         if(max < sum)
29
           \max = \sup;
30
31
       }
32
33
34
     return max;
35
```

alg2.cpp

6.3 Algorithm 3

```
/*

* Divide and Conquer

* If we split the array into two halves, we know that the maximum subarray will either be

* * contained entirely in the frst half,

* * contained entirely in the second half, or

* * made of a suffix of the frst half of maximum sum and a prefix of the second half of maximum sum

* The frst two cases can be found recursively. The last case can be found in linear time.

*/
```

 ${\it alg3.cpp}$