## **LAB 4 SOLUTIONS**

#### Task 1

```
In [1]: import scipy.stats as sps
In [2]: ## Part (a)
    sps.binom.pmf(20, 143, 0.153)
Out[2]: 0.08687059451566365
In [3]: ## Part (b)
    sps.binom.pmf(40, 143, 0.153)
Out[3]: 4.347048512074074e-05
    Note that this is our first time seeing the notation e-05! This notation is actually
```

Note that this is our first time seeing the notation e-05! This notation is actually Python's version of scientific notation; for example, 13e-05 means  $13 \times 10^{-5}$ . As such, our answer to part (b) is a very small number; a number so small that many calculators would simply (but incorrectly) round it down to zero!

# Task 2

```
In [4]: ## Part (a)
    sps.norm.cdf(2, 3, 0.5)

Out[4]: 0.022750131948179195

In [5]: ## Part (b)
    1 - sps.norm.cdf(1, -2, 1)

Out[5]: 0.0013498980316301035

In [6]: ## Part (c)
    sps.norm.cdf(1, 0, 1) - sps.norm.cdf(-1, 0, 1)

Out[6]: 0.6826894921370859
```

```
In [7]: ## Part (b)
sps.uniform.cdf(0.1532, -1, 2)
```

```
Out[7]: 0.5766
```

Note the slightly peculiar way of writing this function call (which is why we had you look up the help file for the function first!) As the help file states, a call of sps.uniform.cdf(x, loc, scale) corresponds to the c.d.f. of the

$$Unif(loc, loc + scale)$$

distribution. As such, if we want a distribution uniform on the interval  $[-1,\ 1]$  we need to specify  $| \log | = -1|$  and | | | | | | | | | | |. As a sanity check, we know the answer is supposed to be

$$\frac{1+0.1532}{2} = 0.5766$$

which is precisely what we obtained above.

## Task 4

```
In [8]: ## Part (a)
    sps.norm.ppf( 1 - (0.05 / 2) )

Out[8]: 1.959963984540054

In [9]: ## alternate Part (a)
    -sps.norm.ppf(0.05 / 2)

Out[9]: 1.9599639845400545

In [10]: ## Part (b)
    sps.norm.ppf(1 - (0.18 / 2))

Out[10]: 1.3407550336902165

In [11]: ## alternate Part (b)
    -sps.norm.ppf(0.18 / 2)
```

### Task 5

Out[11]: 1.3407550336902165

## Task 6

```
In [14]: import numpy.random as npr
In [15]: npr.choice([1, 2, 3, 4, 5, 6], size = 10)
Out[15]: array([2, 5, 4, 3, 2, 2, 2, 6, 1, 4])
```

## Task 7

The outcome no longer changes each time the cell is run.

```
In [18]: x = ['success', 'failure', 'failure', 'success', 'failure', 'failure', 'fail
In [19]: for k in x:
    print(k == 'success')

True
    False
    False
    False
    False
    False
    False
    True
```

FIRST ITERATION		
Start of Iteration	• k: 'success'	
End of Iteration	• k: 'success'	
SECOND ITERATION		
Start of Iteration	• k: 'failure'	
End of Iteration	• k: 'failure'	
THIRD ITERATION		
Start of Iteration	• k: 'failure'	
End of Iteration	• k: 'failure'	
FOURTH ITERATION		
Start of Iteration	• k: 'success'	
End of Iteration	• k: 'success'	
FIFTH ITERATION		
Start of Iteration	• k: 'failure'	
End of Iteration	• k: 'failure'	
SIXTH ITERATION		
Start of Iteration	• k: 'failure'	
End of Iteration	• k: 'failure'	
SEVENTH ITERATION		
Start of Iteration	• k: 'failure'	

End of Iteration	• k: 'failure'
EIGHTH ITERATION	
Start of Iteration	• k: 'success'
End of Iteration	• k: 'success'

# Task 10

```
In [20]: count = 0

for k in x:
    if k == 'success':
        count += 1

count
```

Out[20]: 3

# Task 11

```
In [21]: import numpy as np
In [22]: count = 0
    for k in np.arange(0, len(x)):
        if x[k] == 'success':
            count += 1
        count
Out[22]: 3
```

Out[24]: array([1. , 1.1, 1.2, 1.3, 1.4, 1.5, 1.6, 1.7, 1.8, 1.9, 2. ])