	Direct and Inverse Proportion Mark Scheme						
1(a)			y = kx	[1] Correct proportionality equation			
		36 =	= 4k so k =	[1] Value of k			
			y = 9x	[1] Correct final equation			
1(b)		<i>y</i> =	$9 \times 3 = 2$	[1] Substitute $x = 3$ into the eq. from (a)			
2(a)			$y = kx^2$	[1] Correct proportionality equation			
		36	6 = 4k, k = 9	[1] Value of k			
			$y = 9x^2$	[1] Correct final equation			
2(b)			$x = \frac{7}{3}$	[1] Substitute $y = 49$ into the eq. from (a)			
3(a)			d = kc	[1] Correct proportionality equation			
	12 = 3c so k = 4					[1] Value of k	
	d = 4c					[1] Correct final equation	
3(b)	c d	3 12	5 20	7 28	12 48	[1] $c = 7$ [1] $d = 20$ [1] $d = 48$	
4(a)	$y = \frac{k}{x} , \qquad 4 = \frac{k}{7}$					[1] Correct proportionality equation	
	k = 28					[1] Value of k	
	$So \ y = \frac{28}{x}$					[1] Correct final equation	
4(b)	$2 = \frac{28}{x}, \qquad x = 14$					[1] Substitute $y = 2$ into the eq. from (a)	
5(a)	$y = \frac{k}{x^2}$					[1] Correct proportionality equation	
	$3 = \frac{k}{4^2}, k = 48$					[1] Value of k	
			$y = \frac{48}{x^2}$	[1] Correct final equation			
5(b)			$y = \frac{48}{25}$	[1] Substitute $x = 5$ into the eq. from (a)			

6(a)	$r \propto \frac{1}{x^2}$, $r = \frac{k}{x^2}$	[1] Correct proportionality equation
	$(4) = \frac{k}{(4)^2}, k = 64$	[1] Value of k
	$r = \frac{64}{x^2}$	[1] Correct final equation
6(b)	$r = \frac{64}{(2)^2} = 16$	[1] Substitute $x = 2$ into the eq. from (a)
6(c)	$x^2 = \frac{64}{r} = \frac{64}{2}$	[1] Substitute $x = 2$ into the eq. from (a)
	$x = \sqrt{32} = 4\sqrt{2}$	[1] Correct value of x
7	$a = kb^2$ and $a = m\sqrt{c}$	[1] Correct proportionality equations using any letters for k and m.
	So $kb^2 = m\sqrt{c}$	[1] Equating the two equations
	So $b^2 = \frac{m}{k} \sqrt{c}$	[1] Rearranging
	So $b^2 \propto \sqrt{c}$, so $b^2 = g\sqrt{c}$	[1] Introducing new proportionality constant g
	$g = \frac{b^2}{\sqrt{c}} = \frac{4.5^2}{\sqrt{2.25}} = 13.5$	[1] Finding g
	$b^2 = 13.5\sqrt{8} \; \; ; \; \; b = 6.18$	[1] Correct value of b to 3 s.f.
1		