

LIST INTERSECTION: 1) Mutual partitioning 2) Doubling

$S_1 = 1 \ 2 \ 5 \ 7 \ 10 \ 16 \ 20$

$S_2 = 1 \ 8 \ 10$

1) MUTUAL PARTITION:

- pick middle element of the shortest list
- binary search of 8 in the other list; if don't match
- partition S_1 & partition $S_2 \Rightarrow$ RECURSE \Rightarrow NO ELEMENTS REMAINED

$S_1 = 1 \ 2 \ 5 \ 7 \ 10 \ 16 \ 20$

$S_2 = 1 \ [8] \ 10$

$S_1 \Rightarrow S_{11} = 1 \ 2 \ 5 \ 7$; $S_{12} = 10 \ 16 \ 20$

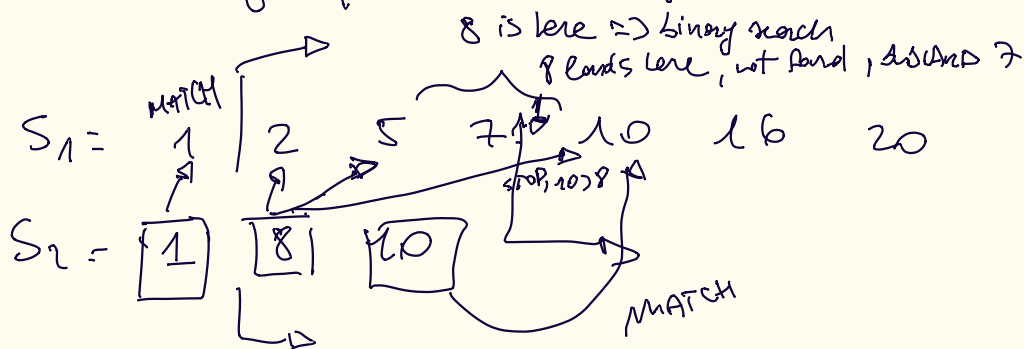
$S_2 \Rightarrow S_{21} = [1]$; $S_{22} = [10]$

3 binary searches

• values returned: 1, 10 $\Rightarrow S_1 \cap S_2$ (✓)

Doubling search

- scan the shorter list
- do the jump in the longer one (search the element in the other list comparing from the first element:



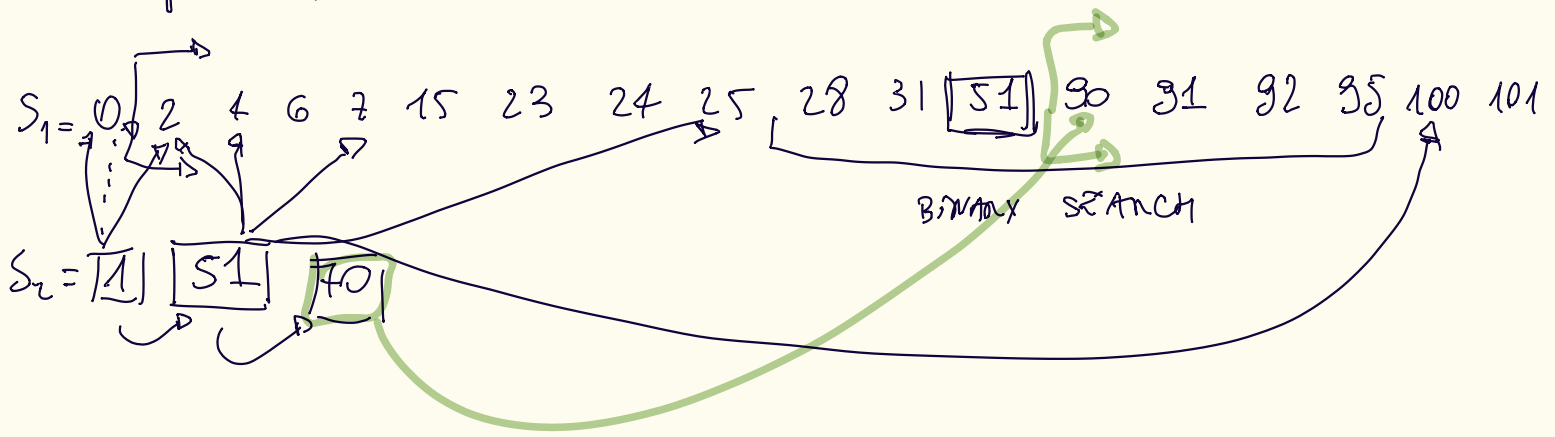
from the first element:

$2^0, 2^1, 2^2, 2^3, 2^4$

when match \Rightarrow discard the position matched

\Rightarrow returned: 1, 10

Duality Search



MUTUAL PARTITION

$S_1 = 1, 2, 5, 7, 10, 16, 20$

$S_2 = 1, 8, 10$

$1, 2, 5, 7$
 $\boxed{1}$

$= \text{major}$
 $\Rightarrow 1 \text{ return}$

$10, 16, 20$
 $\boxed{10}$

$= \text{major}$
 $\Rightarrow 10 \text{ return}$

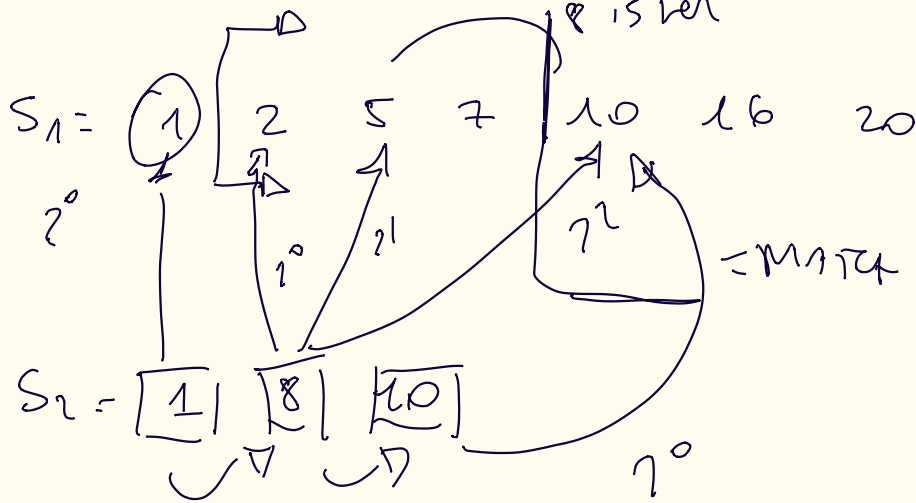
$S_1 \cap S_2 = \{1, 10\}$

Doubly linked

BS \Rightarrow linked

RETURN \sim

1, 10



$$BS \leq T$$
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