Practice Problems Modules 1 and 2

1. Consider a processor that takes the following execution time for different types of instructions in process A:

Instruction Type	Time taken	Number in process A
Integer arithmetic	1	10
Float	3	4
Control	3	8
Procedure call	4	2

i. How much performance improvement will be achieved if float instructions are made faster by 2 times?

iii. How much improvement in execution time of control instructions is needed to achieve 1.5 times speedup in overall execution time of process A?

Solution:

ii. How much improvement in execution time of procedure call is needed to achieve an overall improvement of 20% for process A?

S flux = 2
$$f_{floot} = 12|54$$
Soverall = $\frac{1}{1-0.22+0.22/2}$

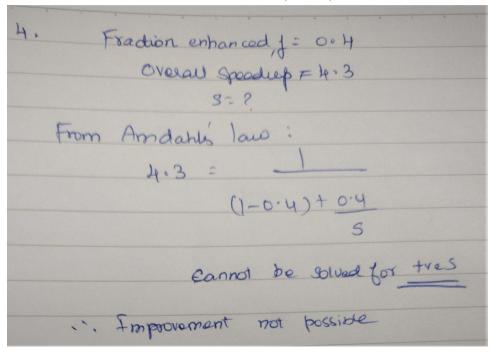
Cannot satisfy

Improvement not

97.
2) num;=0 011.1111 0100 0
V V V V V V V V V V
man data in property
F > 0111 1111 = 123,0 -127
= 0 .
M > 0100 0
Significand - 1.01 = 1255
Float num; = 1.01×20.
Tout hum;
1 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2
num2 ? 1 1000 0000 1110000
J J M
nerals and ansate in ketheration are being a
E-> 1000 0000 = 12810 - 127
\$ 47.11.01.30 1 = 1 Self mass
Significand > 1.111
num 2 = 1.111 x 2

1. Align 0:101 X2 - 1:111X2 DATE
2. pad. 0.110 x 2'
215 comp: +12+0×2
sign: - 1.010 x 21
3. NO Rounding needed.
4. Already in normal form.
-1.010 x 21 = - 2.5 to
0.0010 < 19
3) Multiplication
Num! 1 Num2: Same as ast ques.
Floor num, e-1-01x2º
Num 1: 0.101 X 2)
Num 2: -1.111 X 2)
Multiply: - 1.001011 x 2
Rounding: not needed (single precision can have 23 bits)
Normalized: 1.001011 x 22
= -4.6875

4. Let a program have 40 percent of its code enhanced to yield a overall speedup 4.3 times faster. What is the fractional speedup enhanced?



- 5. What do you mean by word size in a CPU? If the word size in a CPU is 32 bits, what can be the maximum address range for the CPU?
- 6. What is the primary difference between a big-endian and a small-endian machine, in terms of organizing the data?
- 7. Complete the following tables:

a.

Hexadecimal	Binary	a<<3	Hexadecimal
E5			
46			

b.

Hexadecimal	Binary	a>>2	Hexadecimal
B4			
49			

C.

Hexadecimal Binary	a>>2 - arithmetic	Hexadecimal
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AD		
D4		

8. Complete the following table:

Hexadecimal	Binary	B2U ₄ (in vector form)	B2T ₄ (in vector form)
0xA	1010	$2^3 + 2^1 = 10$	$-2^3+2^1=-6$
0xB			
0x8			
0x3			
0xF			

- 9. In an 8-bit machine, what is the maximum range (TMax) of representation possible for signed integers? If we know the value of TMax, how can we directly compute the minimum range of signed integers (TMin) and maximum range of unsigned integers (UMax)?
- 10. Represent the following in single and double precision format:
- (a) 1259.125 (b) -114.625

Solutions 6 to 10

Solution	18									
3	CPU-	- Word Size : -	JL	e an	rount	Q	da	ta	a cpu's	
	CPU-Word Size: - The amount of data a CPU's internal data ugishes can hold and process at a									
	time.									
		COU Word Size is 32 bits; Address trange Maximum address trange will be 0-232-1								
					,					
6	9n	a big-en	dian	mo	aelu'i	ne,	the	leas	it sign	ificant
	byte	has the	lug	hest	ado	cress,	whe	ieas	ma	0
	Little	a big. en has the	mo	achin	e t	he !	least	sig	mife can	- byte
	has	lowest o	addre	g					,	-
					7213	62				
		example,	On100	00101	00102	0 103	0×104	ONIOS	0x106	
		Big Endian the Endian			45	92	13	62		
	4	the Endian			62	13	72	45.		
		13426	10000			A				
		Q	as a second							
7.	(a)	Hex		ary	Section 1				odkeima	•
		<u>E5</u>		00 101			01000		28	
		46	010	0 0110)	000	0000		30	
	(6)		Polar	10 AM		a	×> 2	Hex	obsermal	
	(6)	Hex	10110	nary			01101		20	
		64	0100				10010		12	
		49	7,00	, 557						
	(e)	blen	Bin	any		a >>	2 motic	Her	na decimal	
		AD	10101	101.		11101		CIA	EB	
		D9	11010			11110			F5	
				(9-)						

				POSKZ			
			DA	TRPL /			
8	Hextdocimal	Bimary	B2U4(x)	1 Bo Tu (2)			
	OxA	U	23+21=10				
	OxB	1011		-23+21+20=-5			
	0,18	1000	25 = 8				
	Ox3	001)	21+20=3	21 + 20 = 3			
	OXF	1111-		-23+2°+21+2°1			
			= FAM Lawring				
9	Refer Islice	de "Nameria	Ranges"				
	TMax =	20-1	Track to 1989	105 2-1-127			
	Here W=8						
	. TMax =	28- = 128	-15 = 127 1 +0 62 11	4.15.27			
	(TMin)	= TWax +1	= 127+1 = 128	to shapper 2 = 121			
1 A 18 1	UMax	= 2 * TMax +	1 = 2×127+1 =	255.			
10 6) There are ti						
	first we conv	at these num	uber to bimary.				
	(1259)10 =	(100111000	011)2				
	(0.125)10 =						
	= 700111000	11.001	Alaca His				
		will normalize	1 31 30	29_ 0			
	We kym for	ion (1.N) X	2 \(\frac{2}{2} \) \(\frac{1 \text{lbd}}{63} \) \(\frac{63}{2} \) \(\frac{63}{1 \text{br}} \) \(\frac{1}{1 \t	23bits			
	Single Preciss	vim (I:N) x	28-1023 [Hot 11701]	52 bys			
	Juniore,	5(0)	Sign Expo	ment spantissa.			
	1100	11104011.0	001)0				
	= (1.00	110 011 X 2'0)	1.001/1010	11001 x 210			
			E-127				
	For single preciseron $(1:N) \times 2^{E-127}$ In this case, 805 $E-127=10 \Rightarrow 2=137=(10001001)$,						
	an single F	recission,	or ottolledion				
		oot ooniot	01100100				
	0 10001	Company of the Compan					

Similar Approach can be

