

CUDA

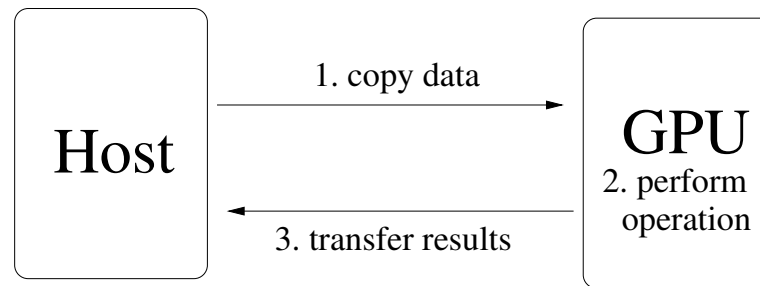
GPGPU programming

(General-Purpose Graphics Processing Unit)

- Graphics processing requires many similar operations in “graphics pipeline”
 - Triangles going through rotation and scaling, shading, and texturing
- Graphics Processing Units (GPUs) develop to meet this need and then get converted for general purpose programs
- CUDA (Compute Unified Device Architecture) is a GPU design and extension of C (et al) to support GPGPU programming developed by Nvidia
 - Market share leader; leading open alternative is OpenCL

Programming model: Memory

- Program mainly runs on “Host” (= CPU), but can call functions on “Device” (= GPU)
- Host and Device have separate address spaces (at least historically)
 - Memory must be explicitly transferred



Programming model: Processing

- GPU can run many threads simultaneously, but not independently
 - Device threads connected in groups called warps
 - All members of a warp perform the same operation
 - SIMD = Single Instruction, Multiple Data
- Programmer writes function to run on device (kernel)
- Invokes it with a number of blocks and threads (per block)
- All these threads run the function
 - Use implicit arguments blockIdx and threadIdx to identify itself

“Hello World” for CUDA

Overview of a CUDA program

- In host code:
 - Allocate memory on device
 - Copy data to device
 - Kernel call
 - Copy results to host
 - Free device memory
- In device code:
 - `__global__`
 - determine thread ID
 - bounds check

Adding vectors using CUDA

(Not actually fast...)

Recall: Calling a CUDA kernel

```
int threads = 512;                // # threads per block
int blocks = (N+threads-1)/threads; // # blocks (N/threads, rounded up)
kernel<<<blocks,threads>>>(res_dev, a_dev, b_dev);
```


Recall: Calling a CUDA kernel

```
int threads = 512;                // # threads per block
int blocks = (N+threads-1)/threads; // # blocks (N/threads, rounded up)
kernel<<<blocks,threads>>>(res_dev, a_dev, b_dev);
```

- Why use more than a single block?
- Why not use N blocks?

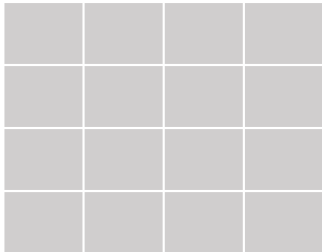
Recall: Calling a CUDA kernel

```
int threads = 512;                // # threads per block
int blocks = (N+threads-1)/threads; // # blocks (N/threads, rounded up)
kernel<<<blocks,threads>>>(res_dev, a_dev, b_dev);
```

- Why use more than a single block?
 - Limited number of threads per block (depends on card being used)
- Why not use N blocks?
 - Threads in block share variables (`__shared__`) and have barrier (`__syncthreads()`)
 - Also, technically limited (w/ newer cards, the limit is $2^{31} - 1$)

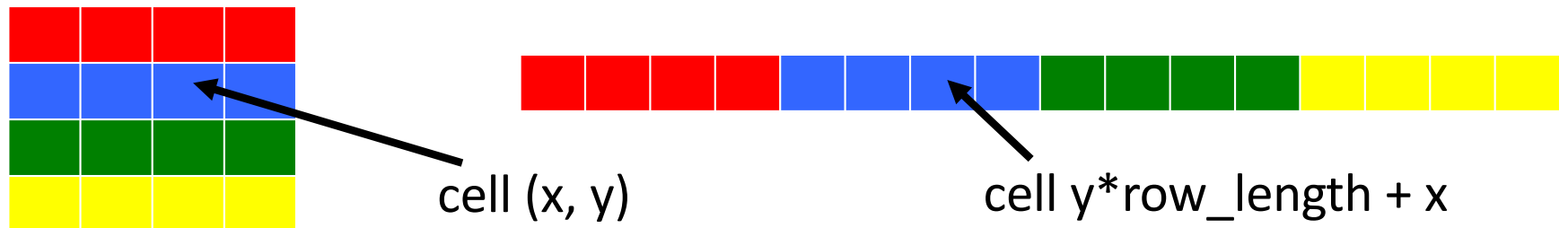
Linearizing multi-dimensional arrays

- cudaMemcpy only transfers 1D arrays
- need to represent 2D array:



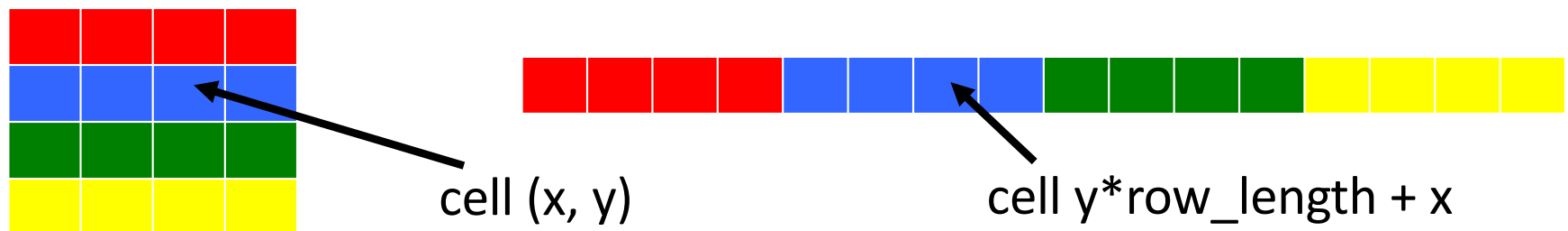
Linearizing multi-dimensional arrays

- cudaMemcpy only transfers 1D arrays
- need to represent 2D array:



Linearizing multi-dimensional arrays

- cudaMemcpy only transfers 1D arrays
- need to represent 2D array:

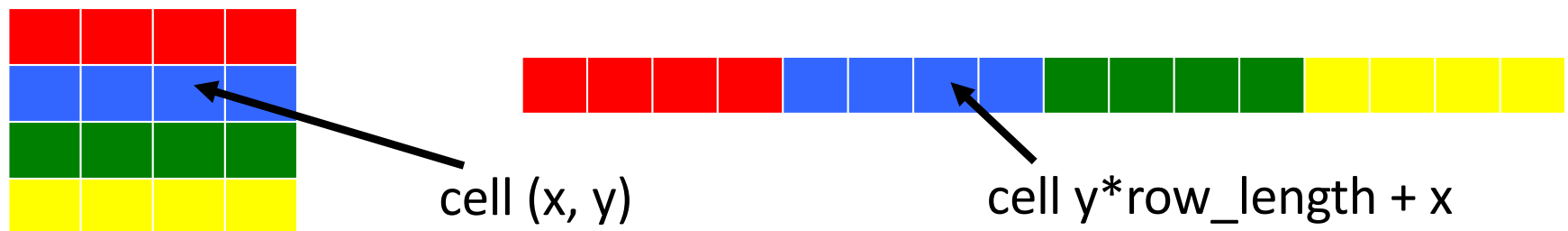


What is the 1D index of the cell below the cell with 1D index i ?

- A. $i + 1$ B. $i + 4$ C. $i + \text{row_length}$ D. $i * \text{row_length} - 1$
E. Insufficient information to determine it

Linearizing multi-dimensional arrays

- cudaMemcpy only transfers 1D arrays
- need to represent 2D array:

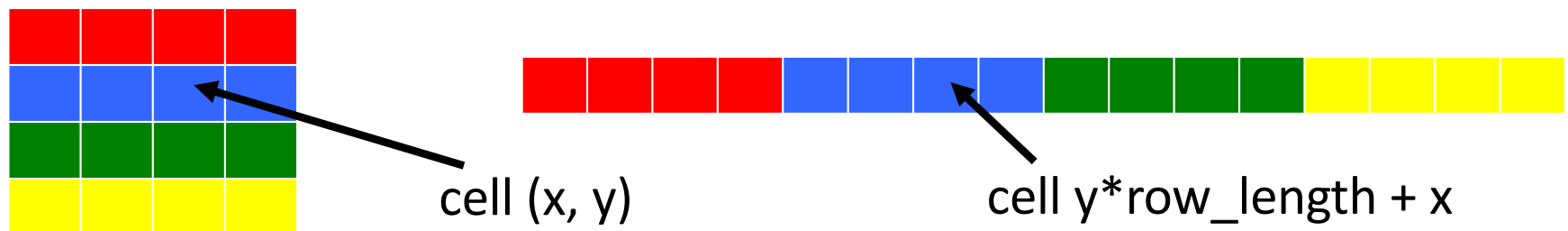


What is the 1D index of the cell below the cell with 1D index i ?

- A. $i + 1$ B. $i + 4$ C. $i + \text{row_length}$ D. $i * \text{row_length} - 1$
E. Insufficient information to determine it

Linearizing multi-dimensional arrays

- cudaMemcpy only transfers 1D arrays
- need to represent 2D array:

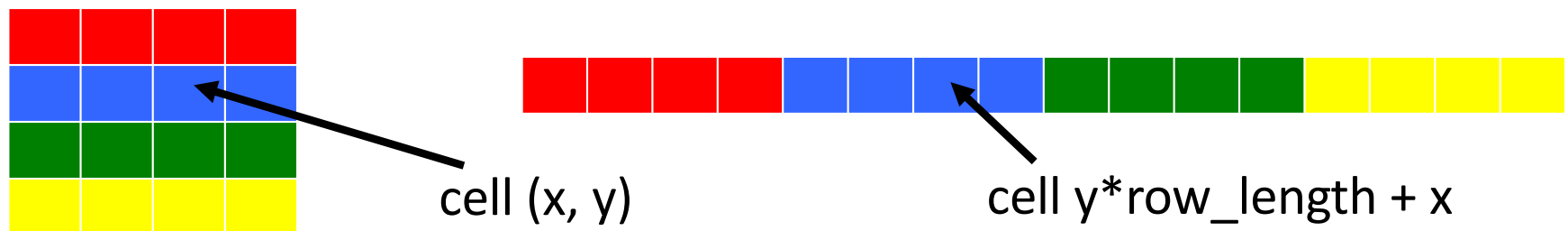


Which test determines if the cell with 1D index i is on the right edge (of the 2D matrix)?

- A. $i \% \text{row_length} == 0$
- B. $i \% \text{col_length} == 0$
- C. $i + \text{row_length} \geq \text{row_length} * \text{col_length}$
- D. $i \% \text{row_length} == \text{row_length} - 1$
- E. Not exactly one of the above

Linearizing multi-dimensional arrays

- cudaMemcpy only transfers 1D arrays
- need to represent 2D array:



Which test determines if the cell with 1D index i is on the right edge (of the 2D matrix)?

- A. $i \% \text{row_length} == 0$
- B. $i \% \text{col_length} == 0$
- C. $i + \text{row_length} \geq \text{row_length} * \text{col_length}$
- D. $i \% \text{row_length} == \text{row_length} - 1$
- E. Not exactly one of the above