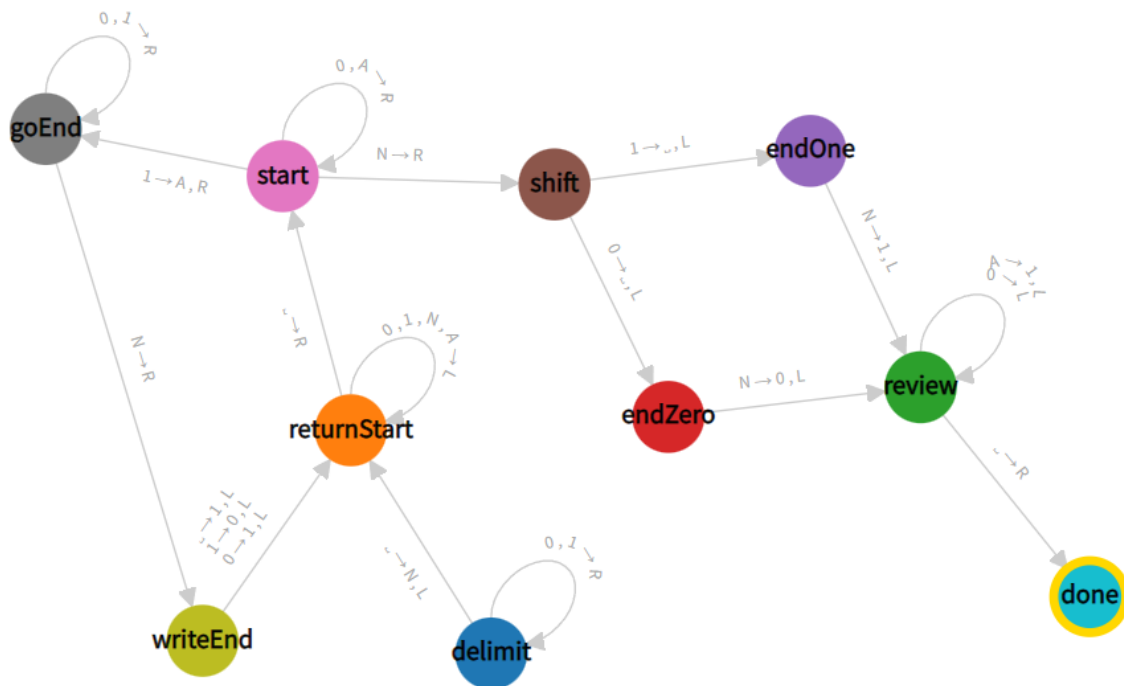


Máquinas de Turing:

1.



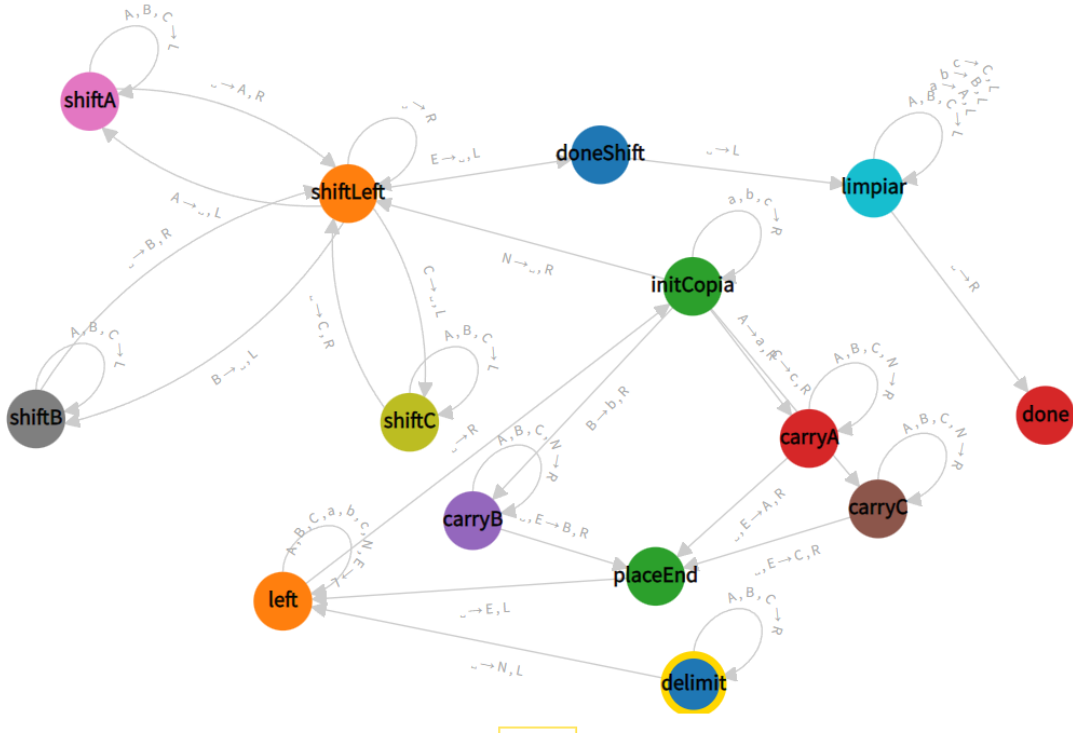
séptupla:

$$M = (Q, \Sigma, \Gamma, q_0, B, F, \delta(q, X) = (p, Y, S))$$

1. $Q = \{\text{start}, \text{goEnd}, \text{writeEnd}, \text{returnStart}, \text{delimit}, \text{shift}, \text{endZero}, \text{endOne}, \text{review}, \text{done}\}$
2. $\Sigma = \{0, 1, N, A\}$
3. $\Gamma = \{0, 1, N, A, _ \}$
4. $q_0 = \text{start}$
5. $B = _$
6. $F = \{\text{done}\}$
7. $\delta(q, X) = (p, Y, S) =$
 - $\delta(\text{goEnd}, 0) = (\text{goEnd}, 0, R)$
 - $\delta(\text{goEnd}, 1) = (\text{goEnd}, 1, R)$

$\delta(\text{goEnd}, N) = (\text{writeEnd}, N, R)$
 $\delta(\text{writeEnd}, _) = (\text{returnStart}, 1, L)$
 $\delta(\text{writeEnd}, 0) = (\text{returnStart}, 1, L)$
 $\delta(\text{writeEnd}, 1) = (\text{returnStart}, 0, L)$
 $\delta(\text{returnStart}, 0) = (\text{returnStart}, 0, L)$
 $\delta(\text{returnStart}, 1) = (\text{returnStart}, 1, L)$
 $\delta(\text{returnStart}, N) = (\text{returnStart}, N, L)$
 $\delta(\text{returnStart}, A) = (\text{returnStart}, A, L)$
 $\delta(\text{returnStart}, _) = (\text{start}, _, R)$
 $\delta(\text{start}, 0) = (\text{start}, 0, R)$
 $\delta(\text{start}, A) = (\text{start}, a, R)$
 $\delta(\text{start}, N) = (\text{shift}, N, R)$
 $\delta(\text{shift}, 0) = (\text{endZero}, _, L)$
 $\delta(\text{shift}, 1) = (\text{endOne}, _, L)$
 $\delta(\text{endOne}, N) = (\text{review}, 1, L)$
 $\delta(\text{endZero}, N) = (\text{review}, 0, _, L)$
 $\delta(\text{review}, 0) = (\text{review}, 0, L)$
 $\delta(\text{review}, A) = (\text{review}, 1, L)$
 $\delta(\text{review}, _) = (\text{done}, _, R)$
 $\delta(\text{delimit}, 0) = (\text{delimit}, 0, R)$
 $\delta(\text{delimit}, 1) = (\text{delimit}, 1, R)$
 $\delta(\text{delimit}, _) = (\text{returnStart}, N, L)$

2.



séptupla:

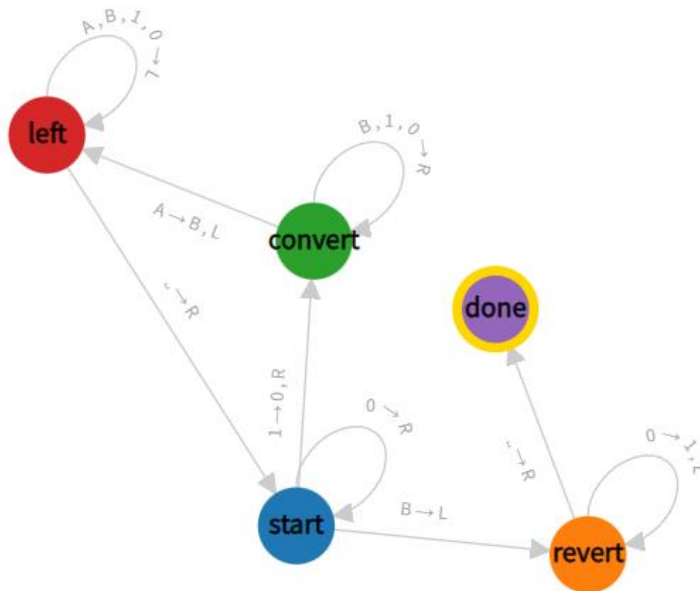
$$M = (Q, \Sigma, \Gamma, q_0, B, F, \delta(q, X) = (p, Y, S))$$

1. $Q = \{\text{delimit, left, initCopia, carryA, carryB, carryC, placeEnd, shiftLeft, shiftC, shiftB, shiftA, doneShift, limpiar, done}\}$
2. $\Sigma = \{A, a, B, b, C, c, N, E\}$
3. $\Gamma = \{A, a, B, b, C, c, N, E, _ \}$
4. $q_0 = \text{delimit}$
5. $B = _$
6. $F = \{\text{done}\}$
7. $\delta(q, X) = (p, Y, S) =$
 - $\delta(\text{delimit}, A) = (\text{delimit}, A, R)$
 - $\delta(\text{delimit}, B) = (\text{delimit}, B, R)$
 - $\delta(\text{delimit}, C) = (\text{delimit}, C, R)$
 - $\delta(\text{delimit}, _) = (\text{left}, N, L)$
 - $\delta(\text{left}, _) = (\text{initCopia}, _, R)$

$\delta(\text{left}, A) = (\text{left}, A, L)$
 $\delta(\text{left}, B) = (\text{left}, B, L)$
 $\delta(\text{left}, C) = (\text{left}, C, L)$
 $\delta(\text{left}, a) = (\text{left}, a, L)$
 $\delta(\text{left}, b) = (\text{left}, b, L)$
 $\delta(\text{left}, c) = (\text{left}, c, L)$
 $\delta(\text{left}, N) = (\text{left}, N, L)$
 $\delta(\text{left}, E) = (\text{left}, E, L)$
 $\delta(\text{initCopia}, A) = (\text{carryA}, a, R)$
 $\delta(\text{initCopia}, C) = (\text{carryC}, c, R)$
 $\delta(\text{initCopia}, B) = (\text{carryB}, b, R)$
 $\delta(\text{initCopia}, N) = (\text{shiftLeft}, _, R)$
 $\delta(\text{initCopia}, a) = (\text{initCopia}, a, R)$
 $\delta(\text{initCopia}, b) = (\text{initCopia}, b, R)$
 $\delta(\text{initCopia}, c) = (\text{initCopia}, c, R)$
 $\delta(\text{carryA}, A) = (\text{carryA}, A, R)$
 $\delta(\text{carryA}, B) = (\text{carryA}, B, R)$
 $\delta(\text{carryA}, C) = (\text{carryA}, C, R)$
 $\delta(\text{carryA}, N) = (\text{carryA}, N, R)$
 $\delta(\text{carryA}, _) = (\text{placeEnd}, A, R)$
 $\delta(\text{carryA}, E) = (\text{placeEnd}, A, R)$
 $\delta(\text{carryC}, A) = (\text{carryC}, A, R)$
 $\delta(\text{carryC}, B) = (\text{carryC}, B, R)$
 $\delta(\text{carryC}, C) = (\text{carryC}, C, R)$
 $\delta(\text{carryC}, N) = (\text{carryC}, N, R)$
 $\delta(\text{carryC}, _) = (\text{placeEnd}, C, R)$
 $\delta(\text{carryC}, E) = (\text{placeEnd}, C, R)$
 $\delta(\text{carryB}, A) = (\text{carryB}, A, R)$
 $\delta(\text{carryB}, B) = (\text{carryB}, B, R)$
 $\delta(\text{carryB}, C) = (\text{carryB}, C, R)$
 $\delta(\text{carryB}, N) = (\text{carryB}, N, R)$
 $\delta(\text{carryB}, _) = (\text{placeEnd}, B, R)$
 $\delta(\text{carryB}, E) = (\text{placeEnd}, b, R)$
 $\delta(\text{placeEnd}, _) = (\text{left}, E, L)$
 $\delta(\text{shiftLeft}, _) = (\text{shiftLeft}, _, R)$

$\delta(\text{shiftLeft}, C) = (\text{shiftC}, _, L)$
 $\delta(\text{shiftLeft}, B) = (\text{shiftB}, _, L)$
 $\delta(\text{shiftLeft}, A) = (\text{shiftA}, _, L)$
 $\delta(\text{shiftLeft}, E) = (\text{doneShift}, _, L)$
 $\delta(\text{shiftA}, A) = (\text{shiftA}, A, L)$
 $\delta(\text{shiftA}, B) = (\text{shiftA}, B, L)$
 $\delta(\text{shiftA}, C) = (\text{shiftA}, C, L)$
 $\delta(\text{shiftA}, _) = (\text{shiftA}, A, R)$
 $\delta(\text{shiftB}, A) = (\text{shiftB}, A, L)$
 $\delta(\text{shiftB}, B) = (\text{shiftB}, B, L)$
 $\delta(\text{shiftB}, C) = (\text{shiftB}, C, L)$
 $\delta(\text{shiftB}, _) = (\text{shiftLeft}, B, R)$
 $\delta(\text{shiftC}, A) = (\text{shiftC}, A, L)$
 $\delta(\text{shiftC}, B) = (\text{shiftC}, B, L)$
 $\delta(\text{shiftC}, C) = (\text{shiftC}, C, L)$
 $\delta(\text{shiftC}, _) = (\text{shiftLeft}, C, R)$
 $\delta(\text{doneShift}, _) = (\text{limpiar}, _, L)$
 $\delta(\text{limpiar}, A) = (\text{limpiar}, A, L)$
 $\delta(\text{limpiar}, B) = (\text{limpiar}, B, L)$
 $\delta(\text{limpiar}, C) = (\text{limpiar}, C, L)$
 $\delta(\text{limpiar}, a) = (\text{limpiar}, a, L)$
 $\delta(\text{limpiar}, b) = (\text{limpiar}, b, L)$
 $\delta(\text{limpiar}, c) = (\text{limpiar}, c, L)$
 $\delta(\text{limpiar}, _) = (\text{done}, _, R)$

3.



séptupla:

$M = (Q, \Sigma, \Gamma, q_0, B, F, \delta(q, X) = (p, Y, S))$

1. $Q = \{\text{start}, \text{revert}, \text{done}, \text{convert}, \text{left}\}$
2. $\Sigma = \{0, 1, B, A\}$
3. $\Gamma = \{0, 1, B, A, _ \}$
4. $q_0 = \text{start}$
5. $B = _$
6. $F = \{\text{done}\}$
7. $\delta(q, X) = (p, Y, S) =$
 - $\delta(\text{start}, 0) = (\text{start}, 0, R)$
 - $\delta(\text{start}, 1) = (\text{convert}, 0, R)$
 - $\delta(\text{start}, B) = (\text{revert}, B, L)$
 - $\delta(\text{convert}, 0) = (\text{convert}, 0, R)$
 - $\delta(\text{convert}, 1) = (\text{convert}, 1, R)$

$$\begin{aligned} \delta(\text{convert}, B) &= (\text{convert}, B, R) \\ \delta(\text{convert}, A) &= (\text{left}, B, L) \\ \delta(\text{left}, 0) &= (\text{left}, 0, L) \\ \delta(\text{left}, 1) &= (\text{left}, 1, L) \\ \delta(\text{left}, A) &= (\text{left}, A, L) \\ \delta(\text{left}, B) &= (\text{left}, B, L) \\ \delta(\text{left}, _) &= (\text{start}, _, R) \\ \delta(\text{revert}, 0) &= (\text{revert}, 1, L) \\ \delta(\text{revert}, _) &= (\text{done}, _, R) \end{aligned}$$

Link a los códigos:

<https://gist.github.com/fabianB30/5845eac82b9947bdd85dabdb863ede8b>

Figura 1:

A) 7 atributos de la definición formal:

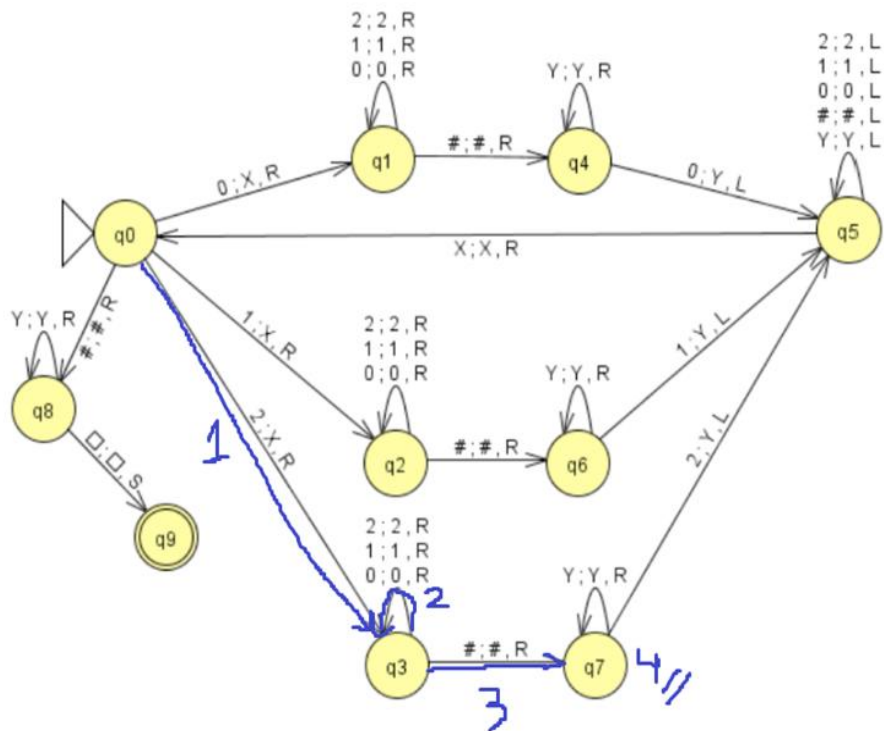
$M = (Q, \Sigma, \Gamma, q_0, B, F, \delta(q, X) = (p, Y, S))$

1. $Q = \{q_0, q_1, q_2, q_3, q_4, q_5, q_6, q_7, q_8, q_9\}$
2. $\Sigma = \{0, 1, 2, \#, Y, X\}$
3. $\Gamma = \{0, 1, 2, \#, Y, X, \square\}$
4. $q_0 = q_0$
5. $B = \square$
6. $F = \{q_9\}$
7. $\delta(q, X) = (p, Y, S) = \delta(q_0, 0) = (q_1, X, R)$
 $= \delta(q_0, \#) = (q_8, \#, R)$
 $= \delta(q_0, 1) = (q_2, X, R)$
 $= \delta(q_0, 2) = (q_3, X, R)$
 $= \delta(q_1, \#) = (q_4, \#, R)$
 $= \delta(q_1, 2) = (q_1, 2, R)$
 $= \delta(q_1, 1) = (q_1, 1, R)$
 $= \delta(q_1, 0) = (q_1, 0, R)$
 $= \delta(q_2, \#) = (q_6, \#, R)$
 $= \delta(q_2, 2) = (q_2, 2, R)$
 $= \delta(q_2, 1) = (q_2, 1, R)$

$= \delta(q_2, 0) = (q_2, 0, R)$
 $= \delta(q_3, \#) = (q_7, \#, R)$
 $= \delta(q_3, 2) = (q_3, 2, R)$
 $= \delta(q_3, 1) = (q_3, 1, R)$
 $= \delta(q_3, 0) = (q_3, 0, R)$
 $= \delta(q_4, Y) = (q_4, Y, R)$
 $= \delta(q_4, 2) = (q_5, 2, R)$
 $= \delta(q_5, 1) = (q_3, 1, L)$
 $= \delta(q_5, 0) = (q_3, 0, L)$
 $= \delta(q_5, \#) = (q_3, \#, L)$
 $= \delta(q_5, Y) = (q_3, Y, L)$
 $= \delta(q_5, X) = (q_0, X, R)$
 $= \delta(q_6, Y) = (q_6, Y, R)$
 $= \delta(q_6, 1) = (q_5, Y, L)$
 $= \delta(q_7, 2) = (q_5, Y, L)$
 $= \delta(q_7, Y) = (q_7, Y, R)$
 $= \delta(q_8, Y) = (q_8, Y, R)$
 $= \delta(q_8, \square) = (q_9, \square, S)$

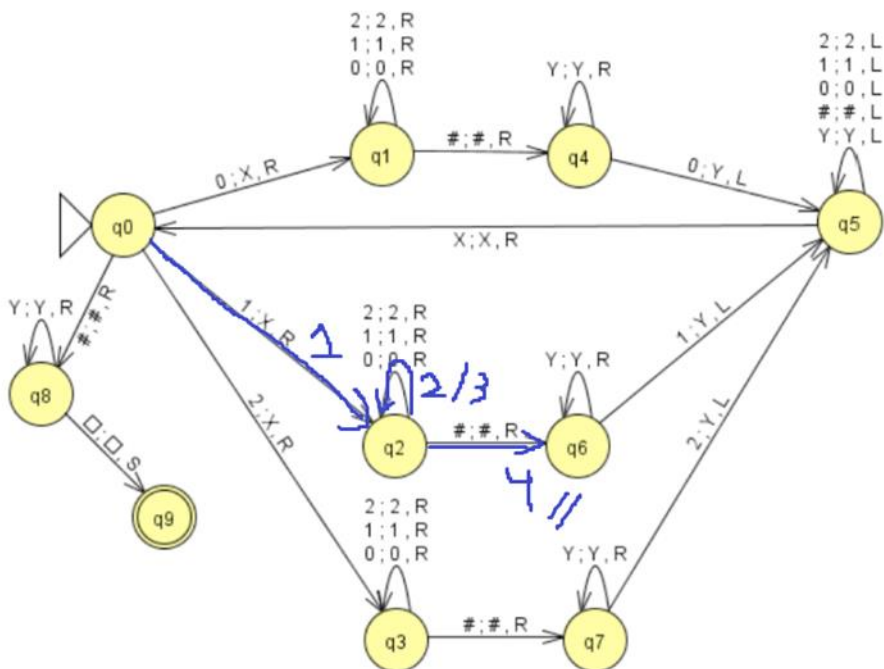
B) Simulaciones:

- 21#122



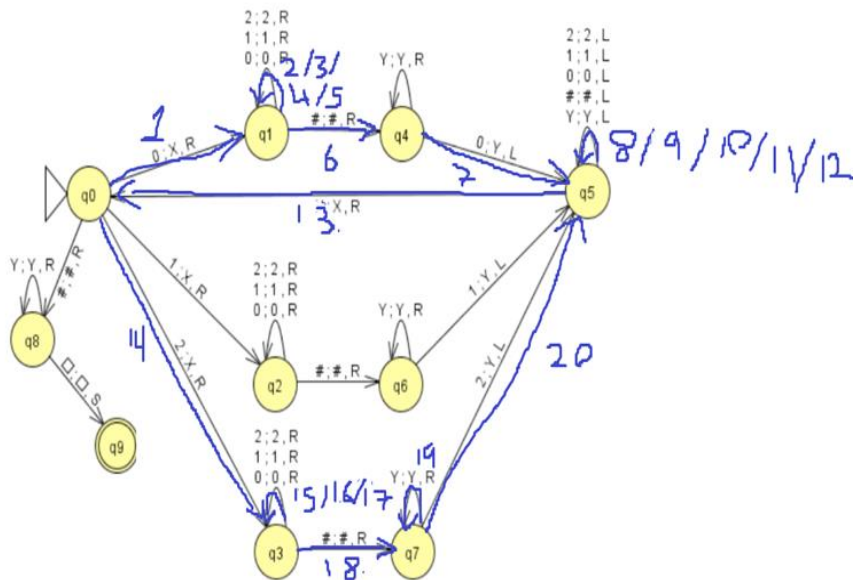
Resultado final:
"X1#122"

- 121#021223

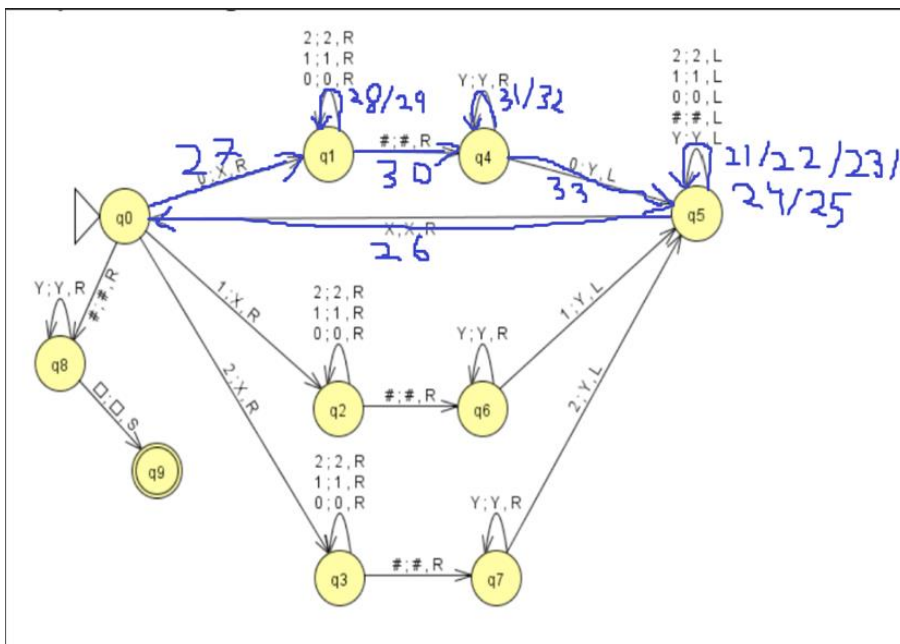


Resultado final:
"X21#21223"

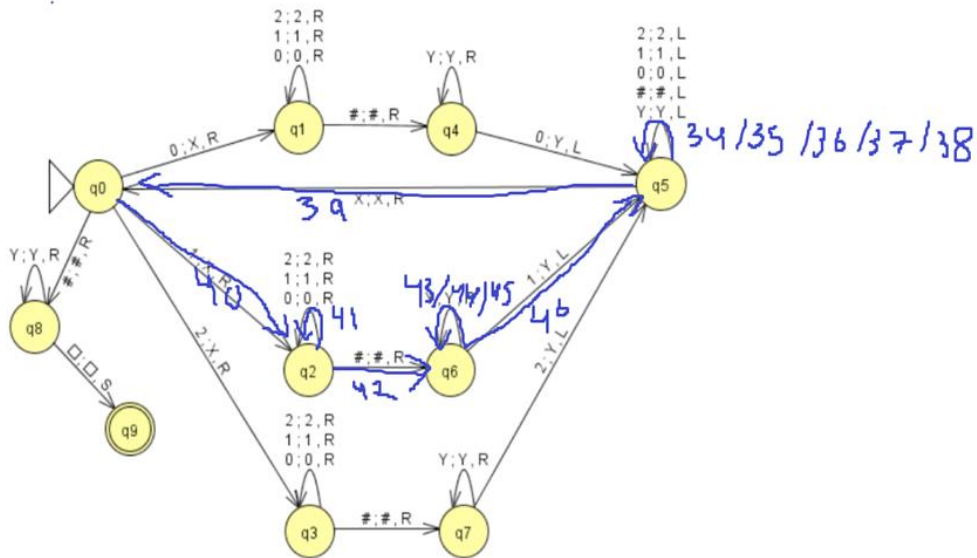
- 02012#02012



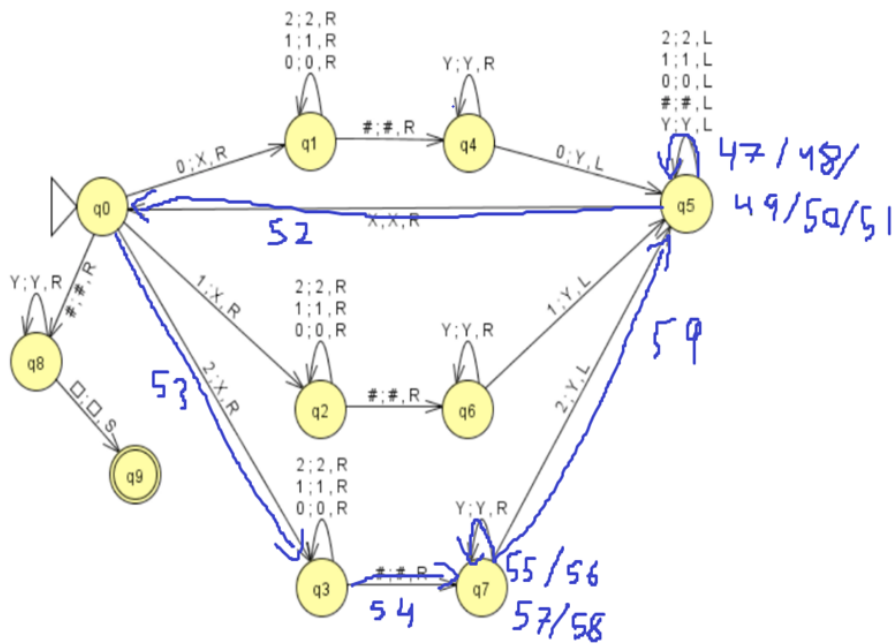
Resultado actual:
"XX012#YY012"



Resultado
actual:
"XXX12#YYY12"

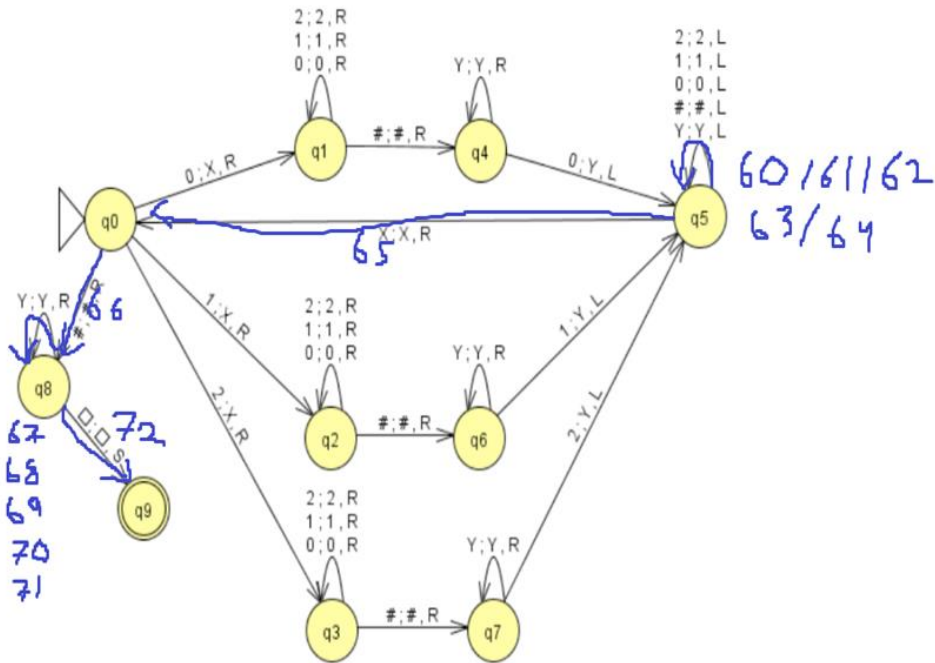


Resultado actual:
"XXXX2#YYYYY2"



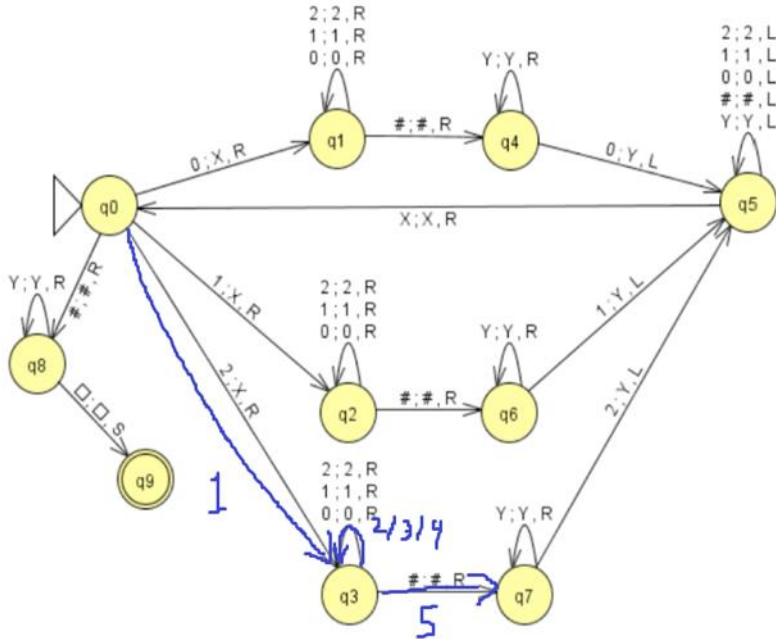
Resultado actual:
"XXXXXX#YYYYY"

Resultado final
"XXXXXX#YYYYY"



- 2012#02012

Resultado final:
"X012#02012"

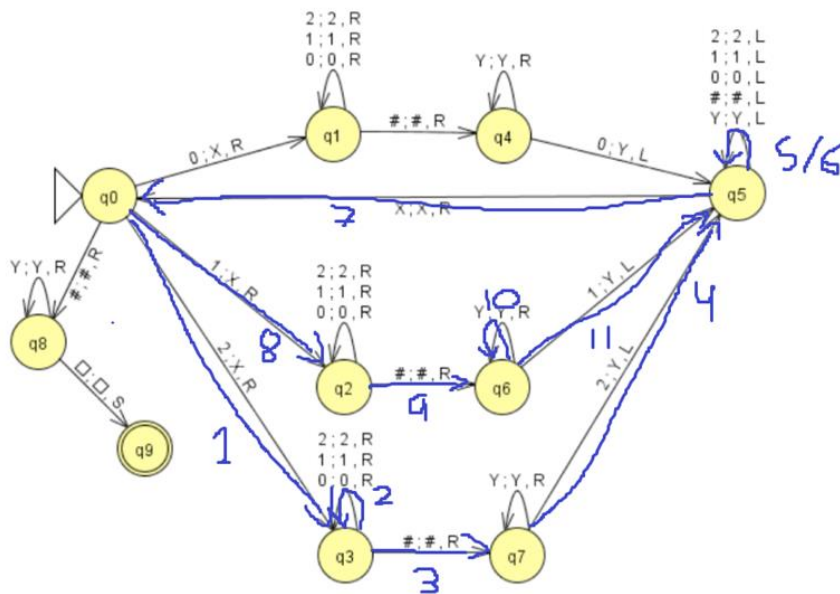


C) ¿Qué tipo de problema resuelve esta Máquina de Turing?

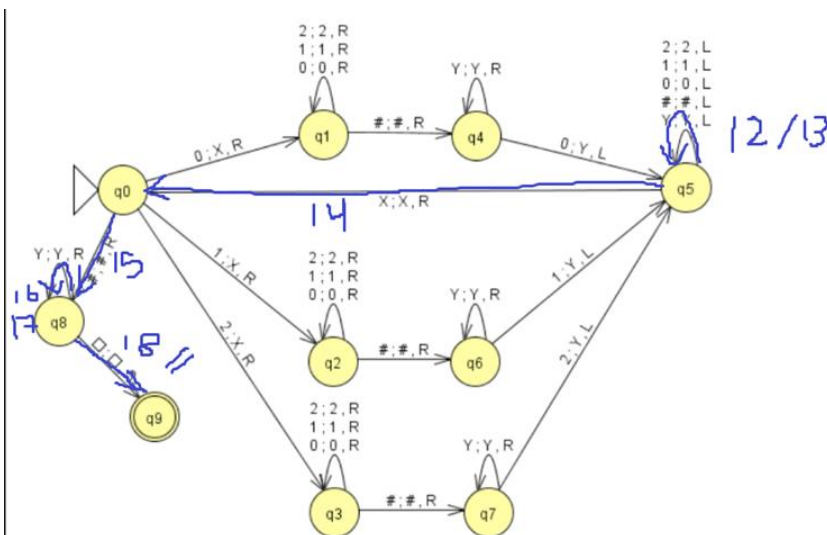
R/ Esta máquina de Turing se utiliza para confirmar que dos números dados en el formato "numero 1 # numero 2" con dígitos entre el 0 y el 2, sean el mismo número, para esto a la izquierda del "#" se convierte elemento por elemento los números a "X" y los compara convirtiendo del lado derecho los números en "Y", en caso de no ser el mismo número, la maquina se detendrá al convertir todos los dígitos en "X" o "Y" dejando dígitos sin convertir.

Ejemplos:

1. 21#21:



Resultado actual:
"XX#YY"



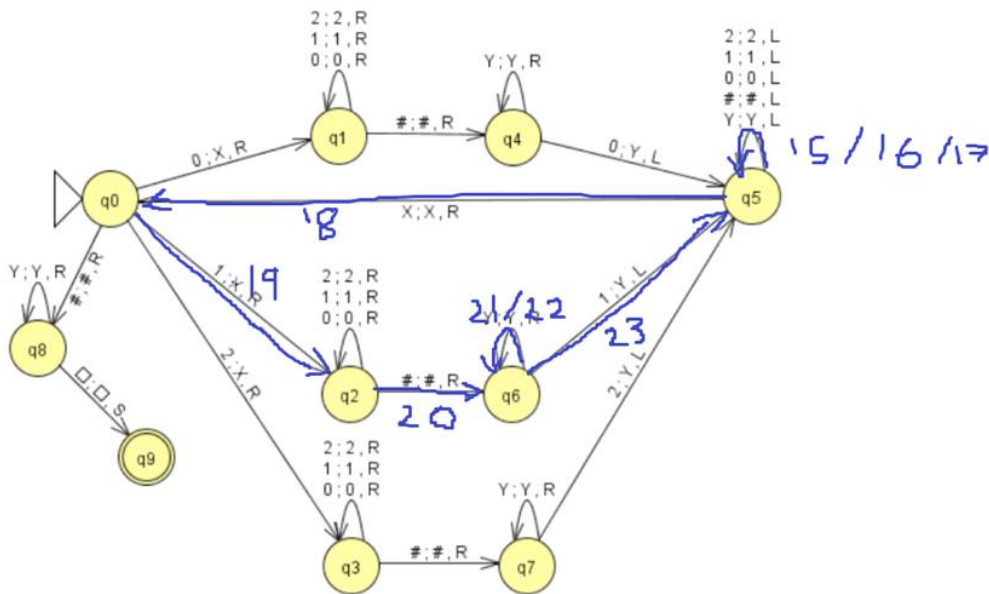
Resultado final:
"XX#YY"

Diagram illustrating a Turing Machine (TM) with states q_0 through q_9 . The machine is designed to recognize the language $L = \{x^n y^m \mid n \geq m\}$.

States and Transitions:

- States:** q_0 (Start), $q_1, q_2, q_3, q_4, q_5, q_6, q_7, q_8, q_9$ (Final).
- Transitions:**
 - $q_0 \rightarrow q_1$ on $0; X, R$ (labeled 10)
 - $q_0 \rightarrow q_2$ on $1; X, R$
 - $q_0 \rightarrow q_3$ on $2; X, R$ (labeled 1)
 - $q_0 \rightarrow q_8$ on $Y; R$
 - $q_0 \rightarrow q_9$ on $0; 0, S$
 - $q_1 \rightarrow q_4$ on $\#; \#, R$ (labeled 11, 12)
 - q_1 self-loop on $2; 2, R$, $1; 1, R$, $0; 0, R$ (labeled 11)
 - $q_2 \rightarrow q_6$ on $\#; \#, R$
 - q_2 self-loop on $2; 2, R$, $1; 1, R$, $0; 0, R$ (labeled 2/3)
 - $q_3 \rightarrow q_7$ on $\#; \#, R$ (labeled 4)
 - q_3 self-loop on $2; 2, R$, $1; 1, R$, $0; 0, R$ (labeled 2/3)
 - $q_4 \rightarrow q_5$ on $Y; Y, R$ (labeled 13, 14)
 - q_4 self-loop on $Y; Y, R$ (labeled 13)
 - $q_5 \rightarrow q_0$ on $X; X, R$ (labeled 9)
 - $q_5 \rightarrow q_2$ on $1; Y, L$
 - $q_5 \rightarrow q_3$ on $2; Y, L$ (labeled 5)
 - q_5 self-loop on $2; 2, L$, $1; 1, L$, $0; 0, L$, $\#; \#, L$, $Y; Y, L$ (labeled 6/7/8)
 - $q_6 \rightarrow q_5$ on $Y; Y, R$
 - q_6 self-loop on $Y; Y, R$
 - $q_7 \rightarrow q_5$ on $Y; Y, R$
 - q_7 self-loop on $Y; Y, R$
 - $q_8 \rightarrow q_0$ on $\#; \#, R$
 - q_8 self-loop on $Y; Y, R$

Resultado actual:
"XXX#YYY"



Resultado final:
"XXX#YYY"

