

Laboratory 2

The expected delivery of lab_02.zip must include:

- **program_1.s**
- This file, filled with information and possibly compiled in a pdf format.

Please configure the WinMIPS64 simulator with the *Initial Configuration* provided below c):

- Integer ALU: 1 clock cycle
- Data memory: 1 clock cycle
- Code address bus: 12
- Data address bus: 12
- FP arithmetic unit: pipelined, 4 clock cycles
- FP multiplier unit: pipelined, 6 clock cycles
- FP divider unit: not pipelined, 30 clock cycles

- 1) Write an assembly program (**program_1.s**) for the *WinMIPS64* architecture described before being able to implement the following high-level code:

```
for (i = 31; i >= 0; i--){  
    v4[i] = v1[i]*v1[i] - v2[i];  
    v5[i] = v4[i]/v3[i] - v2[i];  
    v6[i] = (v4[i]-v1[i])*v5[i];  
}
```

Assume that the vectors v1[], v2[], and v3[] have been previously allocated in memory and contain 32 double-precision **floating-point values**; also assume that v3[] does not contain 0 values. Additionally, the vectors v4[], v5[], v6[] are empty vectors also allocated in memory.

Calculate the data memory footprint of your program:

Data	Number of bytes
V1	8*32=256
V2	256
V3	256
V4	256
V5	256
V6	256
Total	1536

Are there any issues? Yes, where and why? No? Do you need to change something?

No, because with 12 bits for the data address bus we can identify data from address 0 to address 4096, and the vectors occupy a total of 1536 bytes. So, we don't need to change the data address.

```
Example: my_fancy_vector: .byte 8, 12 ,2, 9
                        .byte 49,77, 28
                        .byte .....
```

- $$\text{CPU time} = \left(\sum_{i=1}^n \text{CPI}_i \times \text{IC}_i \right) \times \text{Clock cycle period}$$

- CPI is equal to the number of clock cycles required by the related functional unit to execute the instruction (EX stage).
- IC_i is the number of times an instruction is repeated in the referenced source code.

- Recalculate the CPU performance equation assuming that you can triple the speed by just one unit of your choice between the FP multiplier or the FP divider:
 - FP multiplier unit: $6 \rightarrow 2$ clock cycles
or
 - FP divider unit: $30 \rightarrow 10$ clock cycles

	Initial CPU time (a)	CPU time (b – MUL speeded up)	CPU time (b – DIV speeded up)
program_1.s	1986*66,67nS = 132.40 μS	1730×66.67 ns = 115.53 μs 8*32=256 cicli risparmiati	1346×66.67 ns = 89.71 μs 20*32=640 cicli risparmiati

- Table 2: CPU time using the simulator

	Initial CPU time (a)	CPU time (b – MUL speeded up)	CPU time (b – DIV speeded up)
program_1.s	2247*66,67nS = 149.8 μS	1991×66.67 ns = 132.7 μs	1607×66.67 ns = 107.1 μs

Are there any differences? If so, where and why? If not, please provide some comments in the box below:

<p>Your answer:</p> <p>Possible causes of the differences:</p> <p>Pipeline effects and stalls: The simulator may more precisely consider possible stalls in the pipeline (for example, due to dependencies between instructions or resource conflicts). When calculating by hand, it is easy to ignore or simplify these effects, resulting in a more optimistic time estimation (<i>we only consider the execute phase</i>).</p> <p>Delays in branching and jump operations: The simulator might handle jump instructions (bnez) more accurately, including branching penalties. The manual calculation may not take into account possible stalls introduced by control flow operations.</p> <p>Forwarding and hazards: Even though we have considered the pipeline and cycles for each instruction, we might not have accurately calculated all dependencies (hazards) between instructions, while the simulator manages them more precisely.</p> <p>Conclusion: The differences in the results can be attributed to the fact that the simulator takes into account more architectural details, including possible stalls, hazards, and the more precise behavior of the pipeline compared to manual calculation, which is a simplification. Therefore, the simulator provides a more realistic and slightly higher estimate of the execution time.</p>

- Using the simulator and the *Initial Configuration*, enable the Forwarding option and compute how many clock cycles the program takes to execute.

Table 3: forwarding enabled

	Number of clock cycles	IPC (Instructions Per Clock)
program_1.s	1861	450 / 1861 = 0,241805

Enable one at a time the *optimization features* that were initially disabled and collect statistics to fill the following table (fill all required data in the table before exporting this file to pdf format to be delivered).

Table 4: **Program performance for different processor configurations**

Program	Forwarding		Branch Buffer	Target	Delay Slot		Forwarding + Branch Buffer	Target
	IPC	CC	IPC	CC	IPC	CC	IPC	CC
program_1.s	450/1861= 0,241805	1861	450/2220= 0,202703	2220	16/77= 0,208	77	450/1834= 0,245	1834

- 2) Using the WinMIPS64 simulator, validate experimentally the Amdahl's law, defined as follows:

$$\text{speedup}_{\text{overall}} = \frac{\text{execution time}_{\text{old}}}{\text{execution time}_{\text{new}}} = \frac{1}{(1 - \text{fraction}_{\text{enhanced}}) + \frac{\text{fraction}_{\text{enhanced}}}{\text{speedup}_{\text{enhanced}}}}$$

- a. Using the program developed before: **program_1.s**
- b. Modify the processor architectural parameters related to multicycle instructions (Menu→Configure→Architecture) in the following way:
 - 1) Configuration 1
 - Starting from the *Initial Configuration*, change the FP addition latency to 3
 - 2) Configuration 2
 - Starting from the *Initial Configuration*, change the FP multiplier latency to 4
 - 3) Configuration 3
 - Starting from the *Initial Configuration*, change the FP division latency to 10

Compute both manually (using the Amdahl's Law) and with the simulator the speed-up for any one of the previous processor configurations. Compare the obtained results and complete the following table.

Table 5: **program_1.s speed-up computed by hand and by simulation**

Proc. Config.	Initial config. [c.c.]	Config. 1	Config. 2	Config. 3
Speed-up comp.				
By hand	1986	$1/[(1 - 96/450) + ((96/450)/(4/3))] = 1,056$	$1/[(1 - 64/450) + ((64/450)/(6/4))] = 1,05$	$1/[(1 - 32/450) + ((32/450)/(30/10))] = 1,0498$
By simulation	2247	$2247/2183 = 1,0293175$	$2247/2119 = 1,06$	$2247/1607 = 1,398258$

