

Cambridge Ordinary Level Notes

Physics 5054

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Contents

1	Motion, forces and energy	3
1.1	Physical quantities and measurement techniques	3
1.2	Motion	5
1.3	Mass and weight	8
2	Waves	9
2.1	General properties of waves	9
3	Electricity and magnetism	11
3.1	Simple magnetism and magnetic fields	11
3.2	Electrical quantities	11
3.2.1	Electrical charge	11
3.2.2	Electrical current	13
3.2.3	Electromotive force and potential difference	14
3.2.4	Resistance	15
3.3	Electric circuits	17
3.3.1	Circuit diagrams and circuit components	17
3.3.2	Series and parallel circuits	17
3.3.3	Action and use of circuit components	17
3.4	Practical electricity	19
3.4.1	Uses of electricity	19
3.4.2	Electrical safety	19
4	Overall	21
4.1	Quantitative notation	21
4.2	Graphs	21

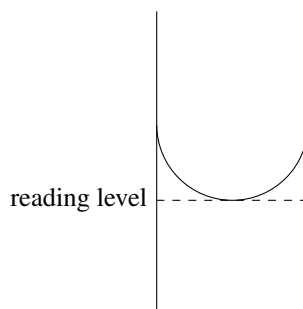


Figure 1: For colourless liquids.

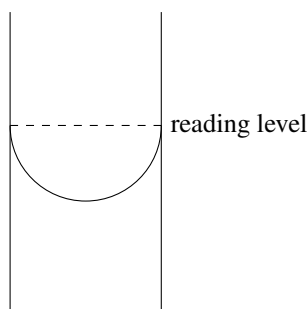


Figure 2: For coloured liquids.

1 Motion, forces and energy

1.1 Physical quantities and measurement techniques

1.1.1. *Describe how to measure a variety of lengths with appropriate precision using tapes, rulers and micrometers (including reading the scale on an analogue micrometer)*

Every ruler has a minimum length it can measure. Readings must be written rounded to that nearest reading. For a ruler calibrated to the nearest 0.1 mm, all readings should be written to the nearest 0.1 mm. To read micrometers, watch [this video](#).

Understand that, given a set of equipment and something to measure, we must choose the equipment with maximum readings closest to the thing to measure.

1.1.2. *Describe how to use a measuring cylinder to measure the volume of a liquid and to determine the volume of a solid by displacement*

For colourless liquids, readings in a measuring cylinder must be taken from the lower meniscus, and for coloured liquids the upper meniscus should be used, see Figures 1 and 2.

1.1.3. *Describe how to measure a variety of time intervals using clocks and digital timers*

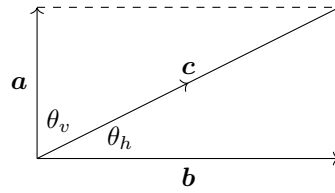


Figure 3: Vectors pointing outward.

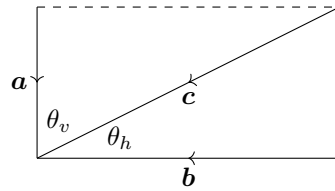


Figure 4: Vectors pointing inward.

1.1.4. *Determine an average value for a small distance and for a short interval of time by measuring multiples (including the period of oscillation of a pendulum)*

For experiments involving oscillation, oscillations are counted, and total time for those oscillations is taken. The total time is divided by the number of oscillations, giving an average value for each oscillation, removing influence of inaccurate and anomalous experiment.

1.1.5. *Understand that a scalar quantity has magnitude (size) only and that a vector quantity has magnitude and direction*

1.1.6. *Know that the following quantities are scalars: distance, speed, time, mass, energy and temperature*

1.1.7. *Know that the following quantities are vectors: displacement, force, weight, velocity, acceleration, momentum, electric field strength and gravitational field strength*

1.1.8. *Determine, by calculation or graphically, the resultant of two vectors at right angles*

Mathematically, the resultant, c , of two vectors, a and b has is given by:

$$c = \sqrt{a^2 + b^2}$$

The angle with the horizontal, θ_h and that with the vertical θ_v can be found:

$$\tan \theta_v = b/a$$

$$\tan \theta_h = a/b$$

refer to Figure 3 and 4 for directionality.

1.2 Motion

1.2.1. *Define speed as distance travelled per unit time and define velocity as change in displacement per unit time*

Displacement is the distance of an object with respect to a certain point, called the origin. Essentially, displacement is the vector form of distance. Speed and velocity, v are the rates of change of distance and displacement, s with respect to time, t .

1.2.2. *Recall and use the equation*

$$(\text{speed}) = (\text{distance})/(\text{time})$$

Mathematically,

$$v = s/t$$

1.2.3. *Recall and use the equation*

$$(\text{average speed}) = (\text{total distance})/(\text{time taken})$$

1.2.4. *Define acceleration as change in velocity per unit time; recall and use the equation*

$$(\text{acceleration}) = (\text{change in velocity})/(\text{time taken})$$

$$a = \frac{\Delta v}{\Delta t}$$

Symbolically,

$$a = \frac{\Delta v}{\Delta t} = \frac{v - u}{t}$$

where v is final and u is initial velocity.

1.2.5. *State what is meant by, and describe examples of, uniform acceleration and non-uniform acceleration*

When over a period of time, acceleration does not change, i.e., $\Delta a = 0$, acceleration is said to be uniform or constant. When $\Delta a \neq 0$, acceleration has changed, causing a non-uniform or non-constant acceleration.

1.2.6. *Know that a deceleration is a negative acceleration and use this in calculations*

A negative acceleration causes a decrease in velocity, and is called deceleration. A deceleration of x is the same as an acceleration of $-x$, and the opposite also applies.

1.2.7. *Sketch, plot and interpret distance–time and speed–time graphs*

The motion of objects can be investigated by their data, which is made more convenient by the use of graphical representations of the data. The distance covered by the object and the velocity or speed of the object can be plotted against time.

1.2.8. *Determine from the shape of a distance–time graph when an object is:*

(a) *at rest*

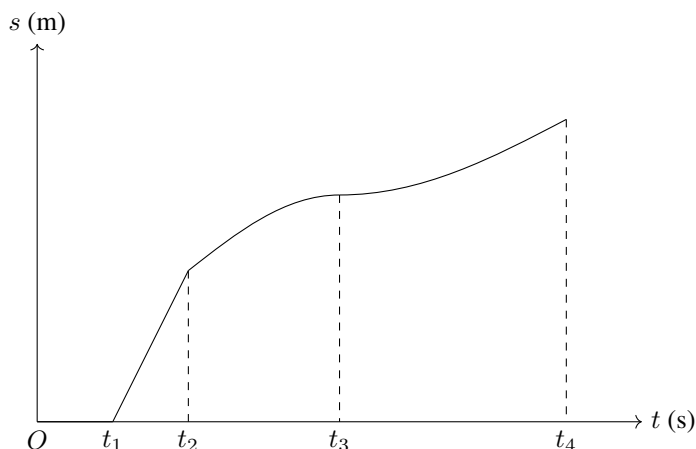


Figure 5: Distance-time graph.

- (b) *moving with constant speed*
- (c) *accelerating*
- (d) *decelerating*

For a distance time graph, understand that the gradient of the curve gives speed of the object being observed. This is further discussed in Section 1.2.11 onwards.

Observe Figure 5.

For $0 \leq t \leq t_1$, the distance travelled by the object being observed is not changing. This simply means it is not moving, is stationary and at rest.

For $t_1 \leq t \leq t_2$, the distance travelled by the object is increasing. The nature of the increase is to be observed. For this interval, the line is straight. This means the gradient is constant, and for a distance-time curve the gradient is the object's speed. Hence, for $t_1 \leq t \leq t_2$, the object travels with constant, uniform speed.

For $t_2 \leq t \leq t_3$, the distance travelled increases still, but the nature of the increase is different. If we were to image a tangent along the graph in the interval, we would see that the steepness of the tangent decreases as the tangent travel rightward, i.e., as time increases. Hence, here, the object travels with a decreasing speed.

For $t_3 \leq t \leq t_4$, we use the same approach as the previous interval. However, here we will notice the tangent increasing in gradient. Therefore, here, the object travels with increasing speed.

1.2.9. Determine from the shape of a speed–time graph when an object is:

- (a) *at rest*
- (b) *moving with constant speed*
- (c) *moving with constant acceleration*
- (d) *moving with changing acceleration*

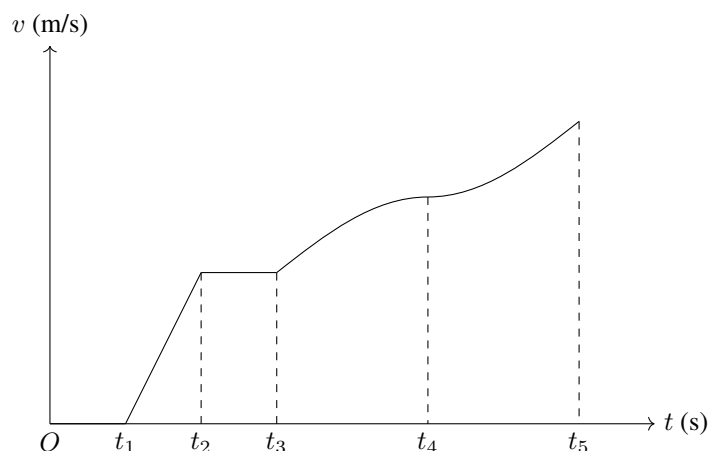


Figure 6: Speed-time graph

Understand that, for a speed-time graph, the gradient of the curve gives acceleration of the observed object and the area under it gives the distance travelled by the object. This matter is further discussed in Section 1.2.11 onwards.

Observe Figure 6, consider that an object's speed has been plotted against time.

For $0 \leq t \leq t_1$, notice that the graph is at the vertical coordinate of 0. That means speed for this time is zero, and the object is not moving, i.e., is at rest.

For $t_1 \leq t \leq t_2$, the speed of the object has increased. The graph for this interval is straight, meaning the speed has increased at a constant rate. The rate of change of velocity is acceleration, and hence, the object has accelerated uniformly for this time interval.

For $t_2 \leq t \leq t_3$, the speed of the object does not change, but it has a non-zero value. This means the object now travels at a uniform speed.

For $t_3 \leq t \leq t_4$, the speed of the object increases. The nature of the increase is to be investigated. Observing the tangent as t increases, we see its slope decreases, therefore, here, the object travels with decreasing acceleration.

For $t_4 \leq t \leq t_5$, the speed of the object increases still. Observing the tangent to the curve, we see its slope increases, hence, here the object travels with increasing acceleration.

1.2.10. *State that the acceleration of free fall g for an object near to the surface of the Earth is approximately constant and is approximately 9.8 m/s^2*

For an object near the surface of the Earth, it is attracted by the Earth. This force of attraction is said to be *gravity*. An object affected by Earth's gravity, which is near Earth's surface accelerates toward the centre of the Earth at a rate of 9.8 m/s^2 . This quantity, is called the acceleration of free fall and is denoted mathematically as g .

1.2.11. *Calculate speed from the gradient of a distance-time graph*

The gradient of a graph results in the division of the variable on the vertical axis divided by the variable on the horizontal axis. The quantities' units too, are divided. Knowing this, we see the gradient of a distance-time graph gives, (m)/(s) = m/s, the unit for speed.

The gradient at a point on a curve can be found by drawing a tangent to the point, taking two convenient coordinates through which the tangent passes, let's say (x_1, y_1) and (x_2, y_2) . Hence the gradient would be:

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{y_1 - y_2}{x_1 - x_2}$$

For a straight line, the line itself is its tangent, so taking two convenient points from it, or extending it to get more convenient points, and applying them into the above formula gives the gradient.

1.2.12. *Calculate the area under a speed-time graph to determine the distance travelled for motion with constant speed or constant acceleration*

The distance under a graph multiplies the horizontal and vertical variables, and hence their units. In case of a speed-time graph, (m/s)(s) = m, the unit of distance. Therefore, area under a speed-time graph gives distance travelled.

Geometry may be used to find the gradient under a graph.

1.2.13. *Calculate acceleration from the gradient of a speed-time graph*

Using principles discussed in Section 1.2.11, the gradient of a speed time graph can be found, which gives acceleration since (m/s)/(s) = m/s².

1.3 Mass and weight

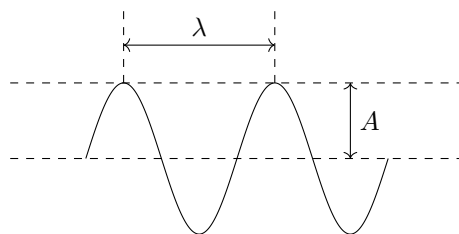


Figure 7: A wave

2 Waves

2.1 General properties of waves

2.1.1. *Know that waves transfer energy without transferring matter*

2.1.2. *Describe what is meant by wave motion as illustrated by vibrations in ropes and springs and by experiments using water waves*

The waves themselves never move. The particles that make up the wave oscillate, (move periodically back and forth) without movement of the wave itself. This can be illustrated by the movements of a rope, when one end is moved up and down periodically. In case of a spring, forward and backward movements at one end of a spring compress and expand parts of the spring, these parts move along the spring, which is wave movement.

2.1.3. *Describe the features of a wave in terms of wavefront, wavelength, frequency, crest (peak), trough, amplitude and wave speed*

The wave crests and troughs of multiple parallel waves form lines, called wavefronts.

The wavelength, frequency and amplitude are defined in following subsections.

The crest is the maximum displacement of a particle in a wave. The trough is the minimum displacement of a particle in a wave.

2.1.4. *Define the terms:*

- (a) *frequency as the number of wavelengths that pass a point per unit time*
- (b) *wavelength as the distance between two consecutive, identical points such as two consecutive crests*
- (c) *amplitude as the maximum distance from the mean position*

The wavelength and amplitude are shown in Figure 7 as λ and A , respectively. Frequency is denoted f .

2.1.5. *Recall and use the equation*

$$(\text{wave speed}) = (\text{frequency}) \times (\text{wavelength})$$

$$v = f\lambda$$

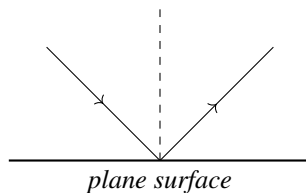


Figure 8: Reflection, refraction and diffraction of waves

2.1.6. *Know that for a transverse wave, the direction of vibration is at right angles to the direction of the energy transfer, and give examples such as electromagnetic radiation, waves on the surface of water, and seismic S-waves (secondary)*

2.1.7. *Know that for a longitudinal wave, the direction of vibration is parallel to the direction of the energy transfer, and give examples such as sound waves and seismic P-waves (primary)*

2.1.8. *Describe how waves can undergo:*

- (a) *reflection at a plane surface*
- (b) *refraction due to a change of speed*
- (c) *diffraction through a gap*

3 Electricity and magnetism

3.1 Simple magnetism and magnetic fields

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3.1.1. *Describe the forces between magnetic poles and between magnets and magnetic materials, including the use of the terms north pole (N pole), south pole (S pole), attraction and repulsion, magnetised and unmagnetised*

3.1.2. *Describe induced magnetism*

3.1.3. *State the difference between magnetic and non-magnetic materials*

3.2 Electrical quantities

3.2.1 Electrical charge

3.2.1.1. *State that there are positive and negative charges and that charge is measured in coulombs*

Matter is made of subatomic particles, two of which are protons and electrons. These are positively and negatively charged, respectively. The magnitude of their charges are measured in coulombs (C), the unit of charge.

Note that, though the particles have oppositely signed charge, the magnitudes of their charges are equal, which is 1.6×10^{-19} C.

3.2.1.2. *State that unlike charges attract and like charges repel*

As in magnetism, only, here the the signs of the charges are to be the factors that cause attraction or repulsion. Oppositely signed charges attract (positive and negative) and equally signed charges repel.

3.2.1.3. *Describe experiments to show electrostatic charging by friction*

As described before, charge is caused by the presence of protons and electrons. Protons are present in the nuclei of atoms, and are largely immobile. Electrons are present on the outskirts of each atom and are very prone to movement.

In a *electrically neutral* object, the number of protons equals the number of electrons, their opposite charges cancelling out, producing a net charge of zero. However, for an object with a *lack of electrons* such that there are more protons than electrons, the object will have a net charge that is positive. An object with an *excess of electrons* has an overall negative charge.

There are generally two types of materials in terms of how freely electrons can traverse them. These are conductors and insulators. In an electrical conductor, the electrons can easily move through the object, but for electrical insulators, the electrons are bound very strongly to their nuclei, making it difficult for them to move through the solid.

We can bring about a lack or excess of electrons by applying friction amongst two electrical insulators. Rubbing two insulators together causes electrons to move from

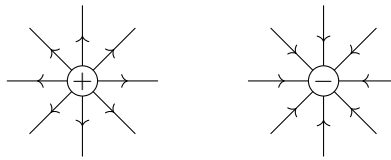


Figure 9: Electric field around point charges

one to the other. This causes an excess of electrons in one object, and a lack of electrons in the other. As a result, the objects become oppositely charged. Bringing these close together, we find that they are attracted to each other.

This is only possible in insulators, as, if an electrostatic charge was brought into a metal and it contacted any object, the excess electrons would flow out of it or electrons would be conducted into it from the surroundings to undo the charge.

3.2.1.4. *Explain that charging of solids by friction involves only a transfer of negative charge (electrons)*

3.2.1.5. *Describe an electric field as a region in which an electric charge experiences a force*

3.2.1.6. *State that the direction of an electric field line at a point is the direction of the force on a positive charge at that point*

A charged object has an *electric field* around it. This is a region in space where a charge will experience a force. The direction of an electric field at a point is identical to the direction of the force experienced by a positive charge at that point.

Since a positive charge is always repelled away from another positive charge and attracted to negative charges, electrical field lines always have an outward direction from positive charges and an inward direction from negative charges.

3.2.1.7. *Describe simple electric field patterns, including the direction of the field:*

- (a) *around a point charge*
- (b) *around a charged conducting sphere*
- (c) *between two oppositely charged parallel conducting plates (end effects will not be examined)*

Observe Figures 7 and 8.

Electric fields around point charges and charged, conducting spheres are identical; directed radially outward and radially inward for positive and negatively charged spheres respectively.

3.2.1.8. *State examples of electrical conductors and insulators*

All metals are great electrical conductors, whereas non metals are all insulators. Copper and gold are phenomenal conductors whereas poly(ethene) and wood are insulators.

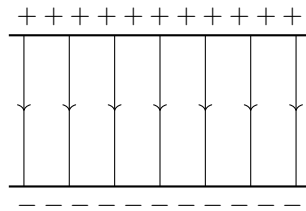


Figure 10: Electric field between oppositely charged conducting plates

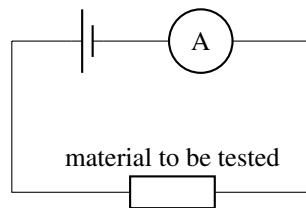


Figure 11: Circuit to see conductivity of material

3.2.1.9. *Describe an experiment to distinguish between electrical conductors and insulators*

Observe Figure 9, the resistor here, is the material to be tested. The ammeter will show the extent of current that can flow through it. That reading indicates the extent of conductive characteristic the material shows.

3.2.1.10. *Recall and use a simple electron model to explain the difference between electrical conductors and insulators*

3.2.2 Electrical current

3.2.2.1. *Define electric current as the charge passing a point per unit time; recall and use the equation*

$$(\text{electric current}) = \frac{(\text{charge})}{(\text{time})}$$

$$I = \frac{Q}{t}$$

3.2.2.2. *Describe electrical conduction in metals in terms of the movement of free electrons*

Something that conducts electricity has free electrons that can move through it.

3.2.2.3. *Know that current is measured in amps (amperes) and that the amp is given by coulomb per second (C/s)*

An ampere of current is identical to one coulomb of charge flowing through a point every second. The shortened form of ampere is (A).

3.2.2.4. *Know the difference between direct current (d.c.) and alternating current (a.c.)*

Current whose direction changes is said to alternating, otherwise it is direct. The direction of current depends on the sign, change in sign means change in direction of flow of current.

3.2.2.5. *State that conventional current is from positive to negative and that the flow of free electrons is from negative to positive*

Free electrons flow from negative to positive terminals, whereas conventional current is considered to flow from positive to negative. This is a historical mistake.

3.2.2.6. *Describe the use of ammeters (analogue and digital) with different ranges*

Ammeters measure the amount of current flowing through them. In a circuit, they must always be connected in series to the branch of whose current is being measured.

Given a range of possible values, the ammeter to be chosen is selected depending on which has a greater maximum range, but the least difference between the greatest maximum range and the greatest possible anticipated value.

3.2.3 Electromotive force and potential difference

3.2.3.1. *Define e.m.f. (electromotive force) as the electrical work done by a source in moving a unit charge around a complete circuit; recall and use the equation*

$$(e.m.f.) = \frac{\text{(work done (by a source))}}{\text{(charge)}}$$

$$E = \frac{W}{Q}$$

3.2.3.2. *Define p.d. (potential difference) as the work done by a unit charge passing through a component; recall and use the equation*

$$(p.d.) = \frac{\text{(work done (on component))}}{\text{(charge)}}$$

$$V = \frac{W}{Q}$$

3.2.3.3. *Know that e.m.f. and p.d. are measured in volts and that the volt is given by joule per coulomb (J/C)*

The symbol of the volt is (V).

3.2.3.4. *Describe the use of voltmeters (analogue and digital) with different ranges*

Identical to Section 2.2.2.6, only here, the voltmeters must be connected parallel to the component whose voltage is being measured.

3.2.3.5. *Calculate the total e.m.f. where several sources are arranged in series*

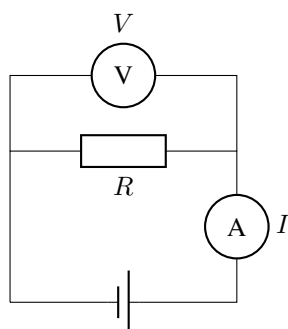


Figure 12: Experiment to determine resistance of component

Given there are n source, with electromotive forces of $E_1, E_2, E_3, \dots E_n$, their total electromotive force equals:

$$E_1 + E_2 + E_3 + \dots + E_n$$

3.2.3.6. *State that the e.m.f of identical sources connected in parallel is equal to the e.m.f. of one of the sources*

3.2.4 Resistance

3.2.4.1. *Recall and use the equation*

$$(\text{resistance}) = \frac{(\text{p.d.})}{(\text{current})}$$

$$R = \frac{V}{I}$$

The resistance of a component is the voltage required to push one unit of charge through the component. It is measured in ohms, whose symbol is (Ω).

3.2.4.2. *Describe an experiment to determine resistance using a voltmeter and an ammeter and do the appropriate calculations*

Observe Figure 10. Here, the component whose resistance, R is being determined is in series to an ammeter and a source, and parallel to a voltmeter. The ammeter gives reading I and the voltmeter gives reading V . Hence,

$$R = V/I$$

3.2.4.3. *Recall and use, for a wire, the direct proportionality between resistance and length, and the inverse proportionality between resistance and cross-sectional area*

Consider the case of a conducting wire. Its resistance to current will depend on its physical dimensions. That is, the longer the wire, the more resistant it will be, the thicker the wire (the larger the cross section) the less resistant it will be. Symbolically

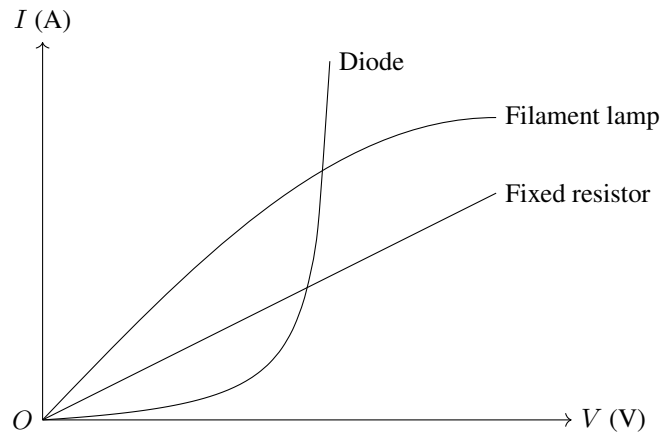


Figure 13: Current-voltage graphs for constant resistance and a filament lamp

$$R \propto L$$

$$R \propto 1/A$$

where L is the length of the wire and A is its cross sectional area.

3.2.4.4. State Ohm's law, including reference to constant temperature

Ohm's law states that current across a resistor, at a constant temperature, will vary directly with the voltage applied across it. Mathematically,

$$V \propto I$$

$$V = IR$$

Here, the constant of proportionality is resistance.

3.2.4.5. Sketch and explain the current-voltage graphs for a resistor of constant resistance, a filament lamp and a diode

Observe Figure 11. A diode allows flow of infinite voltage once a sufficient voltage has been applied.

For a filament lamp, the filament heats up as voltage across it is increased. As a result of this increase in temperature, resistance across it also increases, inhibiting increase in voltage.

The fixed resistor shows the ohmic property of $V \propto I$.

3.2.1. Describe the effect of temperature increase on the resistance of a resistor, such as the filament in a filament lamp

Increase in temperature increases resistance as the vibrating particles of the wire inhibit smooth flow of charge.

3.3 Electric circuits

3.3.1 Circuit diagrams and circuit components

3.3.1.1. *Draw and interpret circuit diagrams with cells, batteries, power supplies, generators, oscilloscopes, potential dividers, switches, resistors (fixed and variable), heaters, thermistors (NTC only), light-dependent resistors (LDRs), lamps, motors, ammeters, voltmeters, magnetising coils, transformers, fuses, relays, diodes and light-emitting diodes (LEDs), and know how these components behave in the circuit*

Refer to the syllabus for these symbols.

3.3.2 Series and parallel circuits

3.3.2.1. *Recall and use in calculations, the fact that:*

- (a) *the current at every point in a series circuit is the same*
- (b) *the sum of the currents entering a junction in a parallel circuit is equal to the sum of the currents that leave the junction*
- (c) *the total p.d. across the components in a series circuit is equal to the sum of the individual p.d.s across each component*
- (d) *the p.d. across an arrangement of parallel resistances is the same as the p.d. across one branch in the arrangement of the parallel resistances*

3.3.2.2. *Calculate the combined resistance of two or more resistors in series*

For n resistors that are in series, the sum of their resistances is

$$R_1 + R_2 + R_3 + \dots + R_n$$

3.3.2.3. *Calculate the combined resistance of two resistors in parallel*

For n resistors in parallel, the sum of their resistances is

$$(R_1^{-1} + R_2^{-1} + \dots R_n^{-1})^{-1}$$

3.3.3 Action and use of circuit components

3.3.3.1. *Describe the action of negative temperature coefficient (NTC) thermistors and light-dependent resistors and explain their use as input sensors*

Observe Figure 12, which show the circuit symbols for a light dependent resistor and a thermistor (the light dependent resistor should not have a circle around it, refer to the syllabus).

A thermistor's resistance *increases as heat decreases* and vice versa. An LDR's resistance *increases as light intensity decreases* and vice versa. With increase in input intensity, resistance decreases.

3.3.3.2. *Describe the action of a variable potential divider*

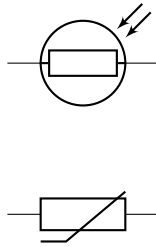


Figure 14: Light dependent resistor and thermistor

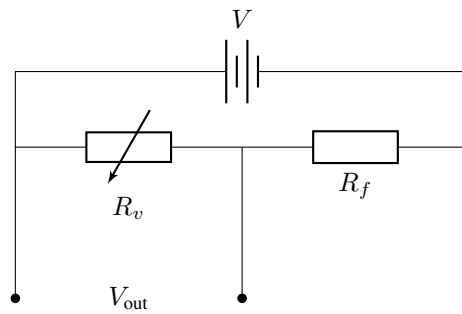


Figure 15: A potential divider circuit

A *potential divider* divides the e.m.f. of a source into two, using the principle of series circuits where voltages are divided amongst resistors according to their resistances. Figure 13 shows such a circuit.

Here, the total resistance across the circuit is $\sum R = R_v + R_f$, where R_v can be changed as it is that of a variable resistor. Since R_v can change, it can take up more or less of a fraction of total resistance. The e.m.f. provided by the source, V does not change, but the voltage, V_{out} across the variable resistor changes when R_v changes. Here,

$$V_{\text{out}} = \frac{R_v}{\sum R}$$

3.3.3.3. *Recall and use the equation for two resistors used as a potential divider*

$$\frac{R_1}{R_2} = \frac{V_1}{V_2}$$

In a series circuit, the ratio of voltage across two resistors equals the ratio of their resistances.

3.4 Practical electricity

3.4.1 Uses of electricity

3.4.1.1. *State common uses of electricity, including heating, lighting, battery charging and powering motors and electronic systems*

3.4.1.2. *State the advantages of connecting lamps in parallel in a lighting circuit*

Each lamp lights brighter as all of them are exposed to the same voltage. If one lamp goes out of order, the others are unaffected.

3.4.1.3. *Recall and use the equation*

$$(\text{power}) = (\text{voltage}) \times (\text{current})$$

$$P = VI$$

The power expended by a component equals the product of the current flowing through it and the voltage across it.

3.4.1.4. *Recall and use the equation*

$$(\text{energy}) = (\text{current}) \times (\text{voltage}) \times (\text{time})$$

$$E = IVt$$

The product of power and time equals the energy expended over that time period.

3.4.1.5. *Define the kilowatt-hour (kWh) and calculate the cost of using electrical appliances where the energy unit is the kWh*

The kilowatt-hour is a unit of energy equivalent to the energy expended when one kilowatt of power is produced in an hour.

3.4.2 Electrical safety

3.4.2.1. *State the hazards of:*

(a) *damaged insulation*

(b) *overheating cables*

(c) *damp conditions*

(d) *excess current from overloading of plugs, extension leads, single and multiple sockets*

when using a mains supply

Damaged insulation will electrify metal parts of a device, such that when touched a current will flow through the body of the person who touched it down to earth.

Overheating cables will melt.

Water conducts electricity

Too many plugs is bad because too much voltage being pulled to each appliance will overload and overheat the wire of the multiplug.

3.4.2.2. *Explain the use and operation of trip switches and fuses and choose appropriate fuse ratings and trip switch settings*

The function of *trip switches* and *fuses* is to *break the circuit* when too much current flows through it.

Fuses are lengths of thin wire, which will conduct current of a certain magnitude, but beyond a certain magnitude these fuses will melt and break the circuit. The maximum current a fuse will tolerate is called its rating. The fuse must hence be replaced each time it melts, feasible as the fuses are cheap.

Trip switches are mechanisms which disconnect a circuit when a current of certain magnitude flows through them. These are also called circuit breakers, and these do not need to be replaced after each disconnection. They are expensive, contrastingly to fuses.

3.4.2.3. *Explain what happens when a live wire touches a metal case that is earthed*

Current flows through the metal casing, through the least resistance path, down to earth.

3.4.2.4. *Explain why the outer casing of an electrical appliance must be either non-conducting (double-insulated) or earthed*

Non-conducting casings will never pass current onto user's body. Metal casings must be connected to earth, when the casing is electrified, the earth connection is always less resistance than the user's body, which causes current to flow down into earth, preventing an electric shock.

3.4.2.5. *Know that a mains circuit consists of a live wire (line wire), a neutral wire and an earth wire and explain why a switch must be connected into the live wire for the circuit to be switched off safely*

The live wire is what carries the alternating current, and the neutral wire is what allows the current to alternate, how exactly is out of the syllabus' scope. The earth wire connects to earth.

Since the live wire carries current, switching it on or off switches the appliance on or off.

3.4.2.6. *Explain why fuses and circuit breakers are connected into the live wire*

If large magnitude of current flows as a result of broken insulation or metal casing or whatever, they will flow through the live wire. As a result, circuit breaking mechanisms are connected to the current-carrying live wire.

4 Overall

4.1 Quantitative notation

A change in a quantity x is represented Δx . The change in x is always its final value minus the initial.

$$\Delta x = x_f - x_i$$

where x_f is the final value and x_i is the initial.

4.2 Graphs

The tangent of a curve gives its gradient at that point.