

Q1)

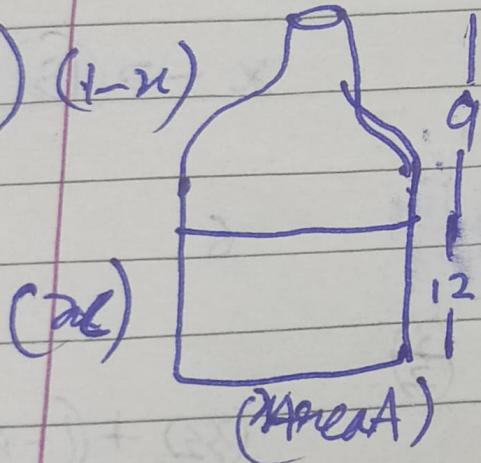
11 triangles
7 squares

Q₂)

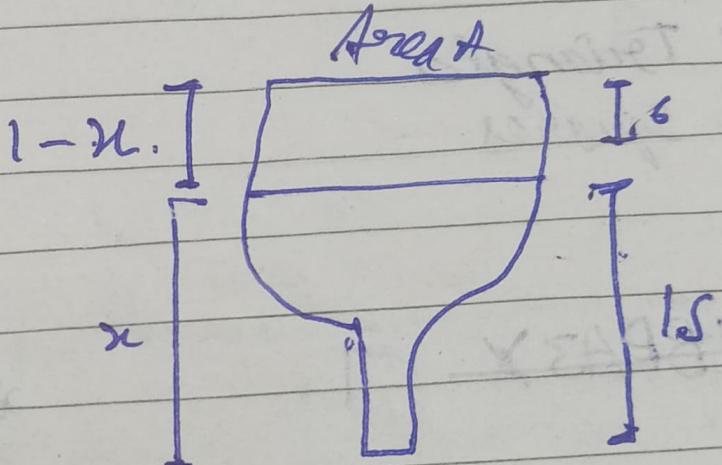
K1BBPA3X

satisfies all conditions

Q3) ($1-x$)



(x)



$1-x$.

x

I_6

I_5

$$1-x \rightarrow (6\text{cm})(A)$$

$$x = (12\text{cm})(A)$$

$$\text{Total} = (18\text{cm}) A$$

$$x = \frac{2}{3} \text{ fraction}$$

66%

(Q9)

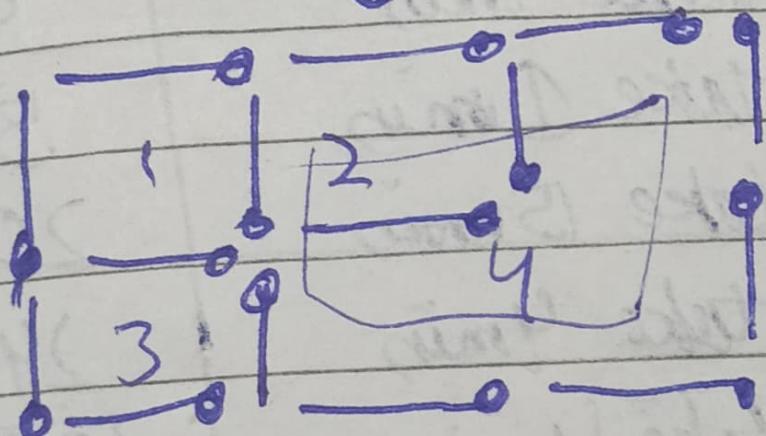
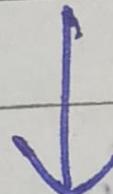
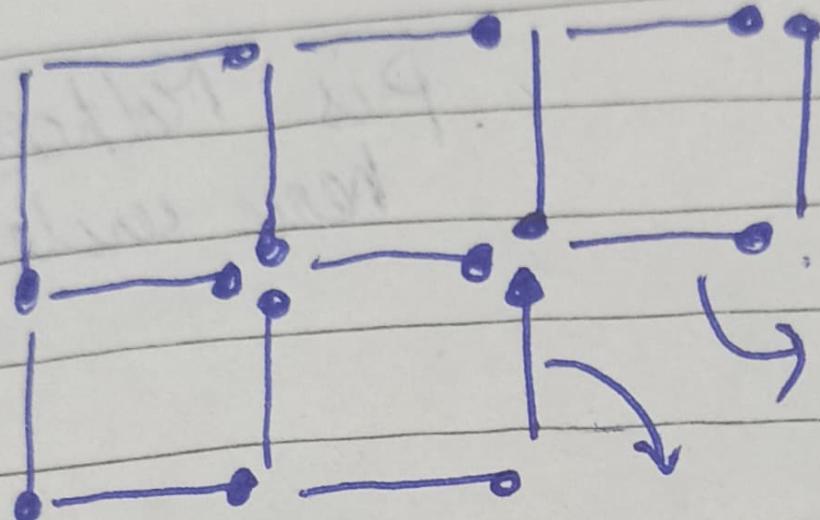
$$\text{Circumference of large} = 6\pi r$$

$$\text{Circumference of small} = 2\pi r.$$

$$\text{Large moves } \left(\frac{2\pi r}{6\pi r}\right) 360^\circ = \boxed{120^\circ}$$

or
1/3 revolution

Q9)



Q6) $P(\text{Birthday of Different Day}) =$

$$\frac{365}{365} \times \frac{364}{365} \times \frac{363}{365} \times \frac{362}{365} \times \dots$$

$$\frac{365}{365} \rightarrow \text{Odds better than } \frac{1}{2}$$

for n students

$$P(n) = \frac{365!}{365-n! (365)^n}$$

at $n=23$ odds are 50%

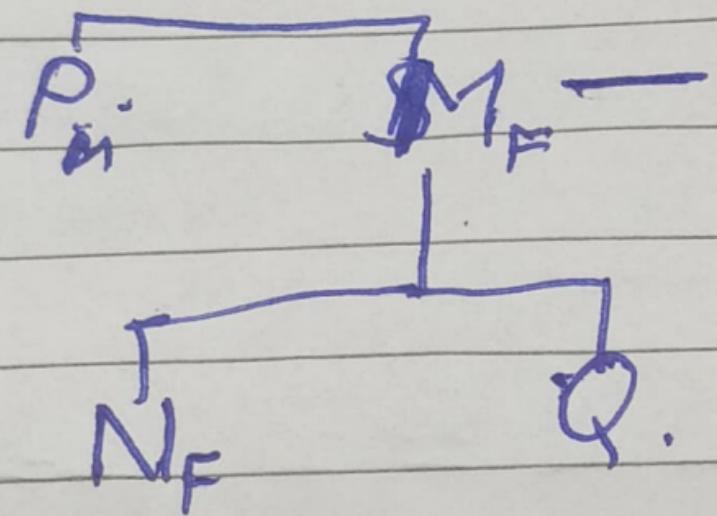
and at $n=30$ it is even lower

(+) Hence He has high chance of winning

$$\text{Because } P(\sim n) = 1 - P(n) \quad P(n) < \frac{1}{2}$$
$$P(\sim n) \geq \frac{1}{2}$$

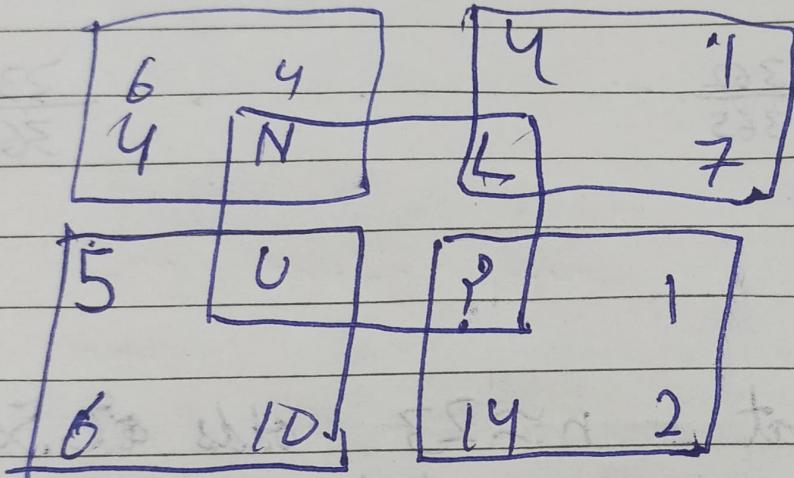
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2.8) (c)



Pi Molto's Broth
her's wife.

2. (q)



$$N = 6 + 4 + 4 = 14^{\text{th}} \text{ letter}$$

$$L = 4 + 1 + 7 = 12^{\text{th}} \text{ letter}$$

$$U = 10 + 6 + 5 = 21^{\text{st}} \text{ letter}$$

$$P = Q = 14 + 2 + 1 = 17^{\text{th}} \text{ letter}$$

2.10) If B plays as efficiently as possible.
 A can never win.

If A plays	1 - 4	B plays	5 - A.
If A plays	5	B play	5
If A plays	6	B play	4

If happens till 30 - 35 is reached
 then B forces a ~~tie~~ end at ⑬^(B)
 after which A can pick any end will lose

2.1) Let Person Be ABCD so on

We ask person A "who always lies"

If A lies & is saying true

He says 'himself' and we find on
A lies & is lying he says ~~himself~~ B

We ask C 'who always lies' & he tells
A so we find A.

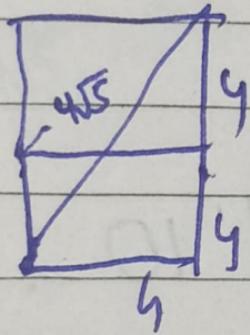
If A says true

He says B

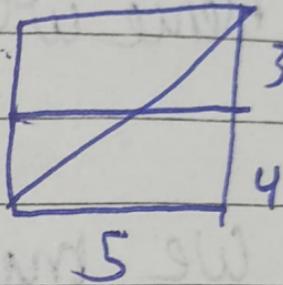
We ask C if he says B
We take B

Hence we have ans.

2.17) Tom's shortest path is Jerry's shortest path is



$$4\sqrt{2} \approx 8.9$$



$$\sqrt{74} \approx 8.6$$

Jerry always wins.

2.13) We make two piles of 10 & 490 coins.

490 pile has n tails

10 pile has $10 - n$ tails

Hence 10 pile has n heads

We flip 10 pile, now we have n tails & $10 - n$ heads

2.14)

$$7x + x = 8x \text{ day}$$

week =

7 days

2(5)

1 min & 4 min go

1 min comes back

10 min & 15 min go

4 min comes back

1 min & 4 min go

Table 4 min

take 1 min

take 15 min

take 4 min

take 4 min

Total

4 min

5 min

20 min

24 min

28 min

∴ 28 min is minimum time

Firefinder.ipynb M

base.py 9, U X

Python > UAS > base.py > [e] initDist

```
1  initDist = getFwdDist()
2  if initDist < 1.2:
3      right()
4      forward(0.5)
5      newdist= getFwdDist()
6      v = 2 * (initDist - newDist)
7      s=0
8  while True:
9      forward(0.1)
10     s+=v*0.1
11     newdist=getFwdDist()
12     if newdist < 1.2 and s>5:
13         left()
14     elif newdist < 1.2:
15         right()
16
```

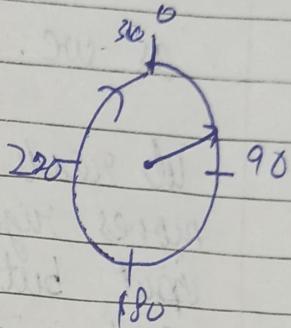
3.2

In mountain Area,
It still has active IMU
that can tell its velocity.

It has latitude longitude of last point
It also has previous direction from
compass

It can use trigonometry
to check its velocity
latitudinally & longitudinally.

taking constant velocity
& time from loss of GPS

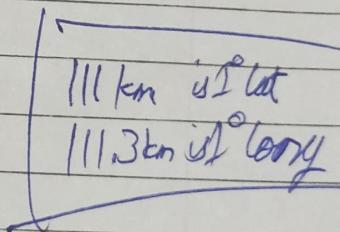


$$\text{dir} = \theta \quad (\text{in angle}),$$

$$v = \text{speed (m)} \quad (\text{by IMU})$$

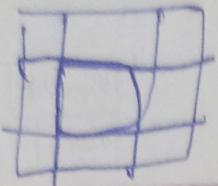
$$\text{time} = t. \quad (\text{by clock})$$

$$\text{Lat} = \frac{vt \sin \theta}{111(1000)} + \text{Lat old}$$



$$\text{longitude} = \text{long old} + \frac{vt \cos \theta}{(111.3)(1000)}$$

Altitude can be measure by taking monocular image downwards) and processing change by image libraries.



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Q33) bld kernel are good for detecting vertical edges.

b is better with top and left edge
d is better with bottom and right edge.

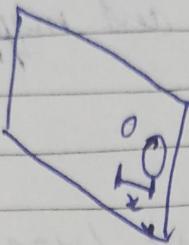
as we mask kernel and apply on top left

it reads from corners and outputs as it moves rightwards it still going to take edge input but have varying input on other scales, if in error and deviation range it should detect an edge

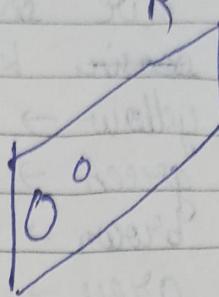
similar for bottom right d kernel.

3.4)

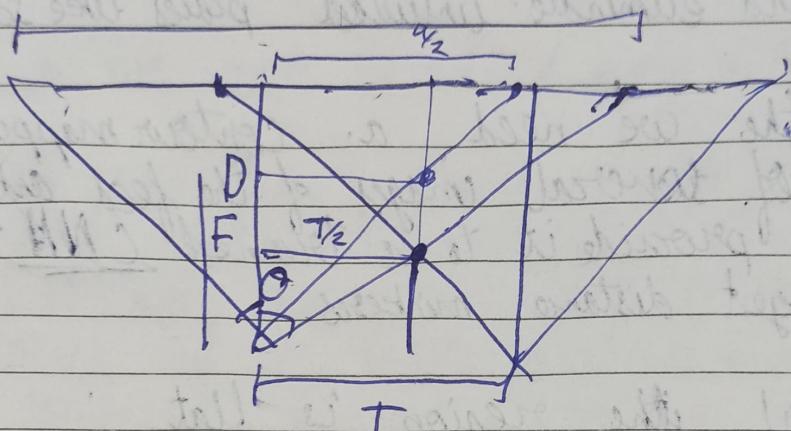
L



R



S



$$\text{FOV} = \theta$$

$$\text{Parallax} = a$$

$$S = \text{size}$$

$$D = \frac{S \cot(\theta/2)}{2}$$

$$\text{but } S = \frac{a}{\cot(\theta/2)} = \frac{T}{2F} \quad (\text{BPT theorem})$$

$$\therefore F = \frac{TS \cot(\theta/2)}{2a}$$

Since the monocular camera is not 100% accurate throughout and parallax does not account for width of object well.

$$F = \frac{TS \cot(\theta/2)}{2a}$$

Q35

Firstly we should use preliminary chroma ~~recognition~~ keeping and mapping
 e.g. yellow → sand
 green → grass
 brown → dirt
 grey → concrete / road.

and eliminate unsuited places like sand.

then we need a. contour mapping of several images of the field and provide it to a trained CNN to get distance markers.

If the region is flat and

there are no objects moving quickly (animal, kids, human, car)
 The drone may land at the site nearest.