▸ SAMUEL BRAUNFELD AND MICHAEL C. LASKOWSKI, *Monadic dividing lines and hereditary classes.*
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A theory T is monadically NIP if every expansion of T by unary predicates is NIP. We will discuss how monadic NIP manifests in the theory T itself rather than just in unary expansions, and how this can be used to produce structure or non-structure in hereditary classes. Analogous results concerning monadic stability may also be discussed.

[1] Samuel Braunfeld and Michael C. Laskowski, *Characterizations of monadic NIP*, ***Transactions of the American Mathematical Society, Series B***, vol. 8 (2021), pp. 948–970.