## ► WEI WANG,

Ackermann Function and Reverse Mathematics.

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In 1928, Ackermann [1] defined one of the first examples of recursive but not primitive recursive functions. Later in 1935, Rózsa Péter [5] provided a simplification, which is now known as Ackermann or Ackermann-Péter function. The totality of Ackermann-Péter function is an interesting subject in the study of fragments of first order arithmetic. Kreuzer and Yokoyama [4] prove that the totality of Ackermann-Péter function is equivalent to a  $\Sigma_3$ -proposition called  $P\Sigma_1$ . And  $P\Sigma_1$  has played important roles in reverse mathematics in recent years. We will see some examples in this talk, including some joint works [2, 3] of the speaker and logicians in Singapore.

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