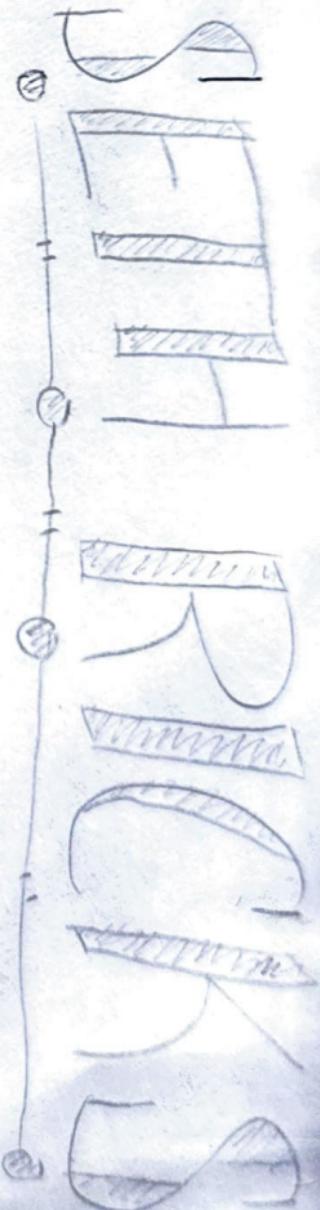


ECEN 240-02

Seth Ricks



III



"Things are more connected than they seem to be."

With Seth Ricks



0



Seth Ricks

$$\frac{0}{0} = 0 \cdot \otimes$$

$$\frac{0}{0} = 0 \cdot \otimes$$

0

$$(a-b)(a+b) = a^2 - b^2$$

$$a+b = \frac{a^2 - b^2}{a-b}$$

$$\frac{0}{0} = 0 \cdot \otimes$$

0

Perhaps $x \rightarrow 0$, $f \rightarrow \otimes$

Want, so $\otimes = \infty$?

$$\frac{1}{0} = \otimes$$

$$f = \frac{1}{x}$$

$$\frac{1}{0} = \otimes$$

$$\frac{1}{0} = \frac{0}{1} = 0$$