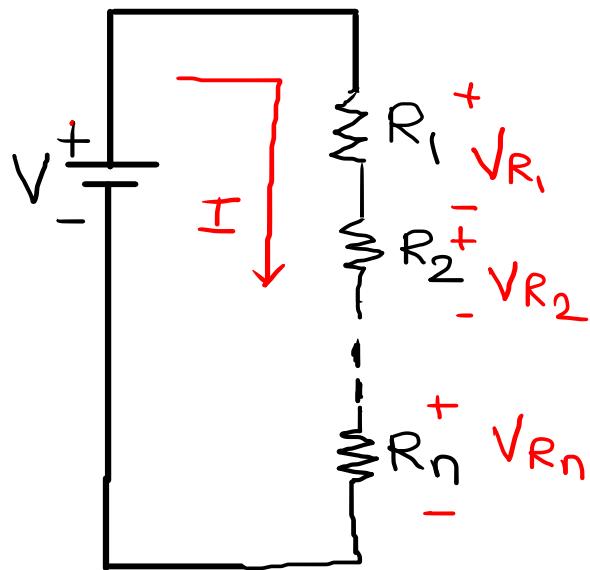


Series Combination of Resistors (Current is same in all resistor)



Applying KVL

$$V - V_{R_1} - V_{R_2} - \dots - V_{R_n} = 0$$

$$V = V_{R_1} + V_{R_2} + \dots + V_{R_n}$$

$$V = I R_1 + I R_2 + \dots + I R_n$$

$$V = I (R_1 + R_2 + \dots + R_n)$$

$$\frac{V}{I} = R_1 + R_2 + \dots + R_n \text{ also } I = \frac{V}{R_1 + R_2 + \dots + R_n}$$

$$R_{eq} = R_1 + R_2 + \dots + R_n$$

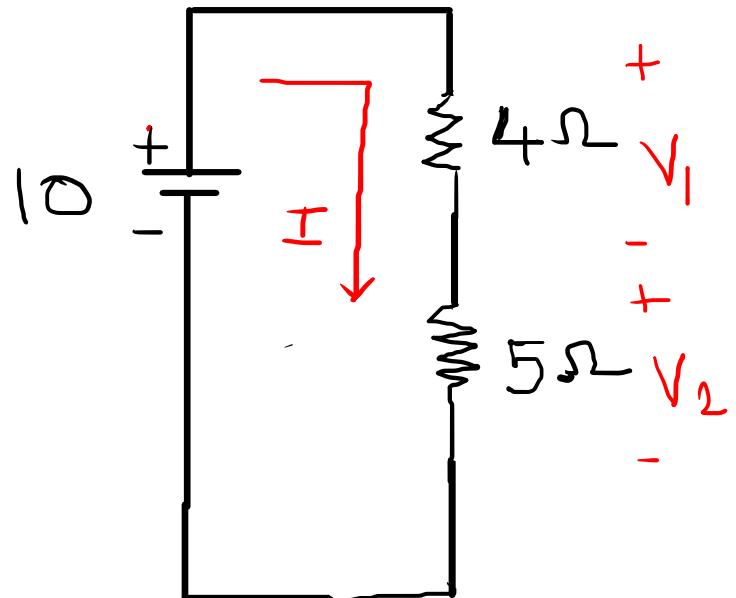
$$R_{eq} = \sum_{i=1}^n R_i$$

Voltage Division Formula

$$V_{R_1} = I R_1 = \frac{R_1 \times V}{R_1 + R_2 + \dots + R_n} , V_{R_2} = I R_2 = \frac{R_2 \times V}{R_1 + R_2 + \dots + R_n} \text{ & } V_{R_n} = I R_n = \frac{R_n \times V}{R_1 + R_2 + \dots + R_n}$$

$$\left[\begin{array}{l} \text{Voltage across any resistor in} \\ \text{a Series Combination} \end{array} \right] = \frac{\text{applied Voltage}}{\text{Sum of all resistances}} \times \left(\frac{\text{Resistance of the}}{\text{Same branch}} \right)$$

Series Combination of Resistors (Current is same in all resistor)



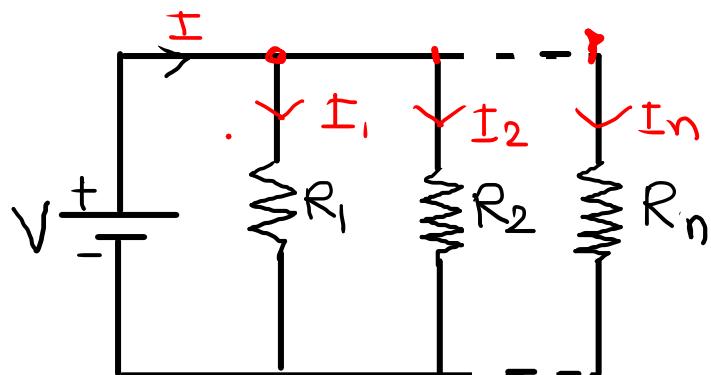
$$V_1 = \frac{4}{4+5} \times 10 = \frac{40}{9}$$

$$V_2 = \frac{5}{5+4} \times 10 = \frac{50}{9}$$

Voltage Division Formula

Voltage across any resistor in a Series Combination = applied Voltage $\times \left(\frac{\text{Resistance of Same branch}}{\text{Sum of resistances in Series}} \right)$

Parallel Combination of Resistors (Voltage Across all resistors is Same)



Applying KCL

$$I = I_1 + I_2 + \dots + I_n$$

$$I = \left[\frac{V}{R_1} + \frac{V}{R_2} + \dots + \frac{V}{R_n} \right] = V \left[\frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_n} \right]$$

$$\frac{I}{V} = \left[\frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_n} \right] = \frac{1}{R_{eq}}$$

Current Division formula

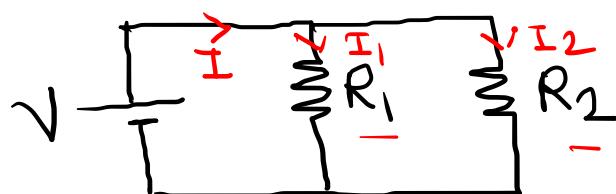
$$I_n = \frac{I \times \frac{1}{R_n}}{\frac{1}{R_{eq}}}$$

$$I_1 = \frac{V}{R_1} = \frac{1}{R_1} \left[\frac{I}{\frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_n}} \right]$$

$$V = \frac{I}{\left[\frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_n} \right]}$$

$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_n}$$

For two Resistors in parallel

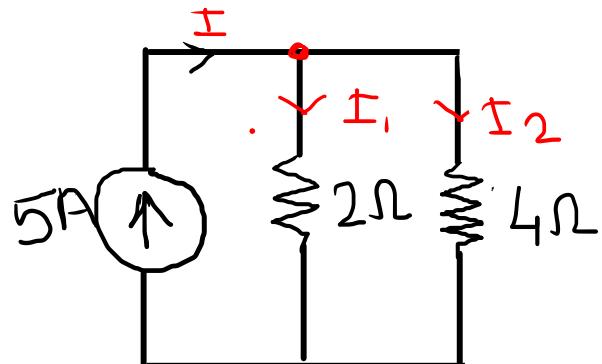


$$I_1 = \frac{\frac{1}{R_1} \times I}{\frac{1}{R_1} + \frac{1}{R_2}} = \frac{\frac{1}{R_1} \times I}{\frac{R_1 + R_2}{R_1 R_2}} = \frac{R_2 \times I}{R_1 + R_2}$$

Current Through a resistor (in parallel) = Total Current X (Resistance of other branch / Sum of Resistances combination of two resistors)

$$I_2 = \frac{R_1 \times I}{R_1 + R_2}$$

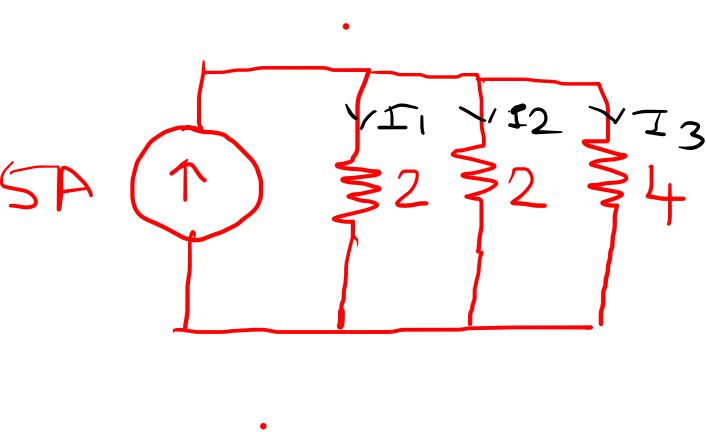
Parallel Combination of Resistors (Voltage Across all resistors is Same)



Current Division formula

$$I_1 = \frac{5 \times 4}{4+2} = \frac{20}{6}$$

$$I_2 = \frac{5 \times 2}{2+4} = \frac{10}{6}$$



$$I_1 = \frac{\frac{1}{2} \times 5}{\frac{1}{2} + \frac{1}{2} + \frac{1}{4}} \sim$$

$$I_2 = \frac{\frac{1}{2} \times 5}{\frac{1}{2} + \frac{1}{2} + \frac{1}{4}} \sim$$

$$I_3 = \frac{5 \times \frac{1}{4}}{\frac{1}{2} + \frac{1}{2} + \frac{1}{4}} \sim$$

Current Through a resistor(in parallel combination of two resistors) =

Total Current X (Resistance of other branch / Sum of Resistances)

Energy Sources

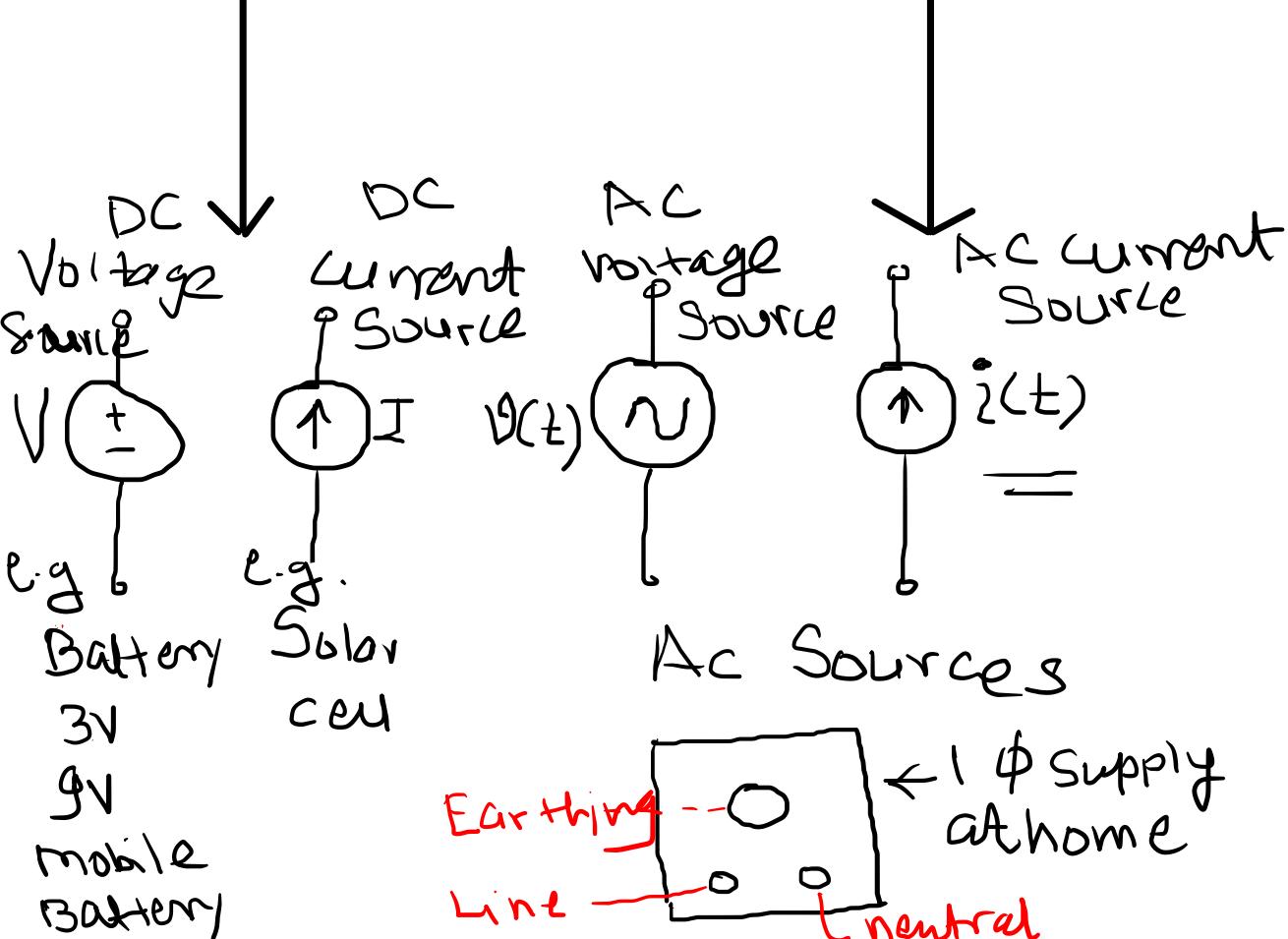
Voltage & Current Sources

Direct Current (DC) Sources
Vs

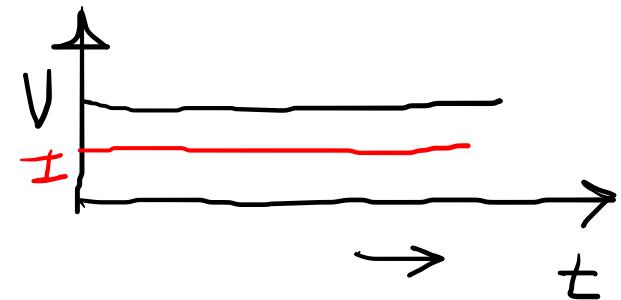
Alternating Current (AC) Sources

Ideal Vs Practical

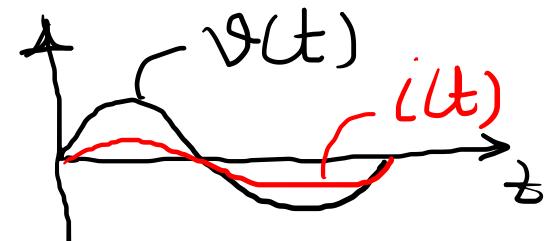
Dependent Vs Independent



DC Voltage/Current Source



AC Voltage/Current Source



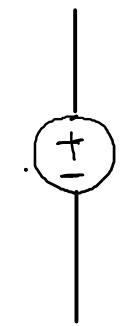
Energy Sources

Voltage
or
Current
Source

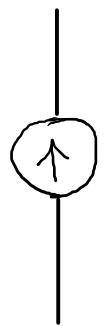
Direct Current (DC) Sources
Vs
Alternating Current (AC) Sources

Ideal
Vs
Practical

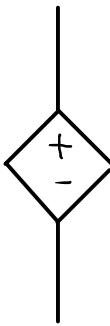
Dependent
Vs
Independent



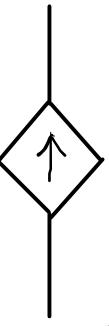
Independent
Voltage
Source



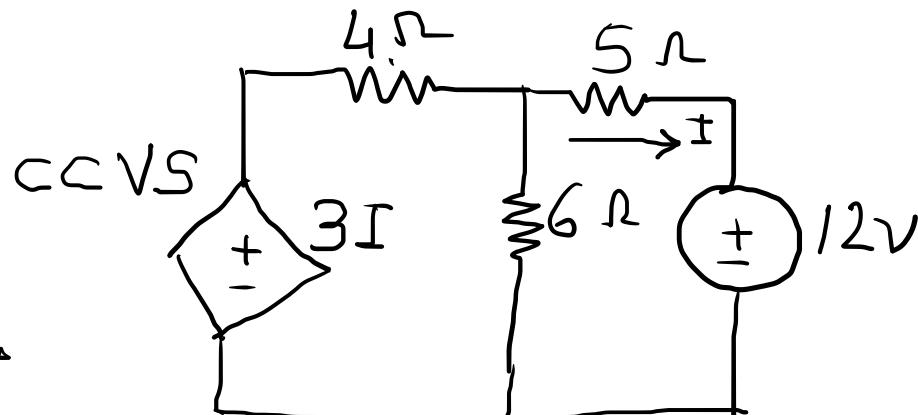
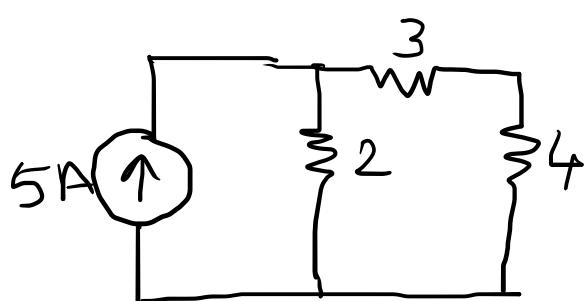
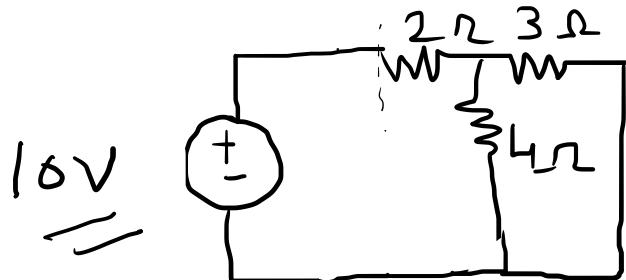
Independent
Current
Source



Dependent
Voltage
Source



Dependent
Current
Source



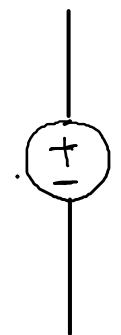
Energy Sources

Voltage
or
Current
Source

Direct Current (DC) Sources
Vs
Alternating Current (AC) Sources

Ideal
Vs
Practical

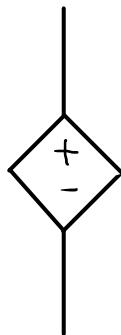
Controlled
Dependent
Vs
Independent
Uncontrolled



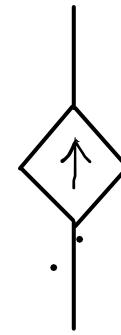
Independent
Voltage
Source



Independent
Current
Source



Dependent
Voltage
Source



Dependent
Current
Source



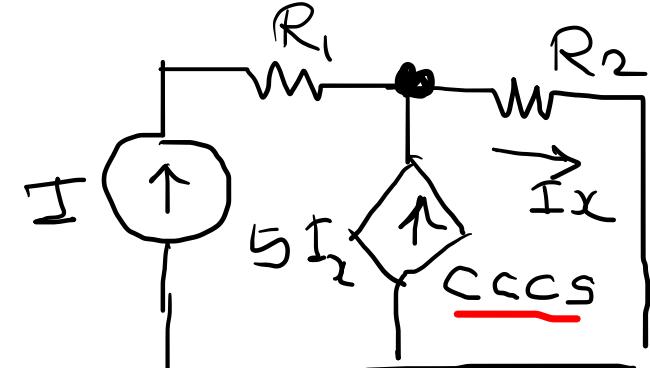
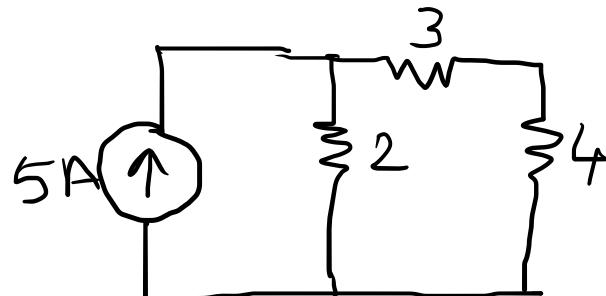
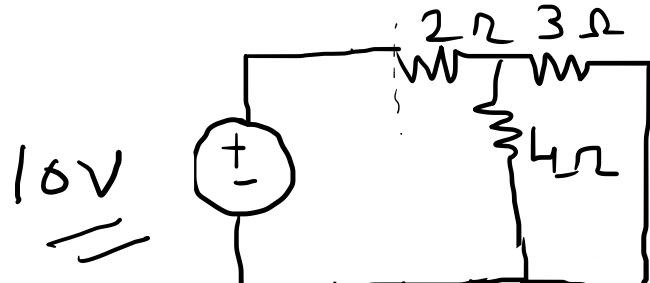
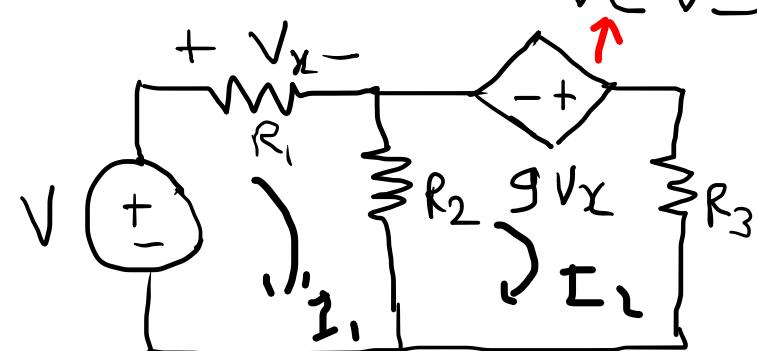
VCVS



CCVS



VCCS



Energy Sources

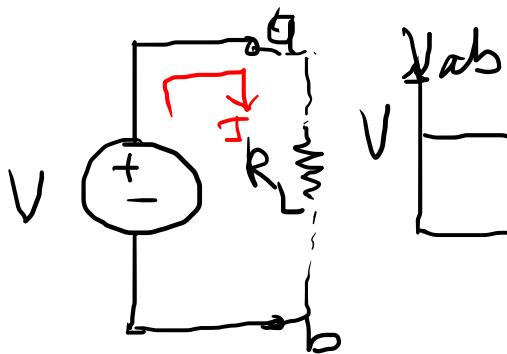
Voltage or Current Source

Direct Current (DC) Sources
Vs
Alternating Current (AC) Sources

Ideal Vs Practical

Dependent Vs Independent

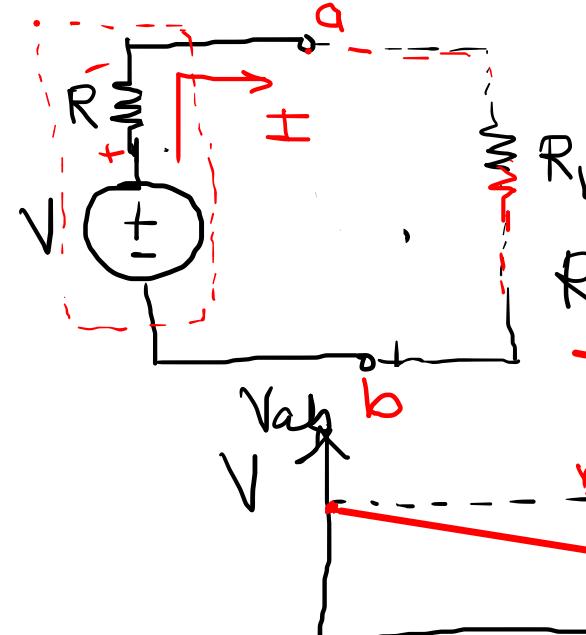
Ideal Voltage Source



$$V_{ab} = V$$

terminal voltage remains constant for all values of current

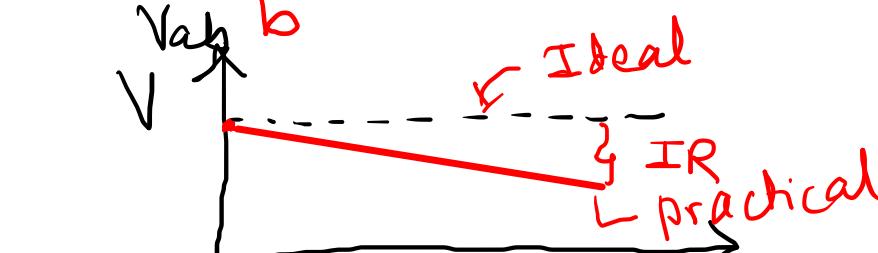
Practical Voltage Source



$$I = \frac{V}{R + R_L}$$

$$V_{ab} = V - IR$$

R is internal resistance



Terminal voltage reduces by $I \cdot R$ drop.

Energy Sources

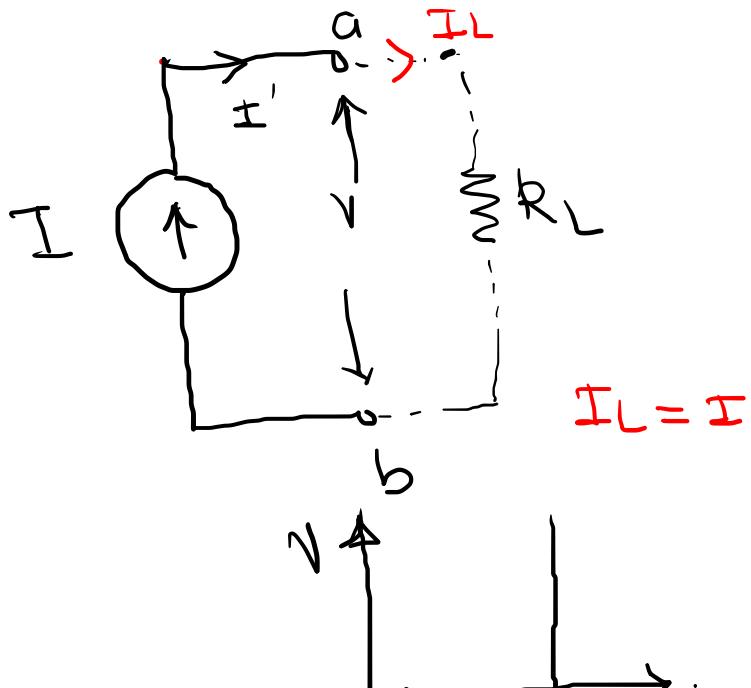
Voltage or Current Source

Direct Current (DC) Sources Vs Alternating Current (AC) Sources

Ideal Vs Practical

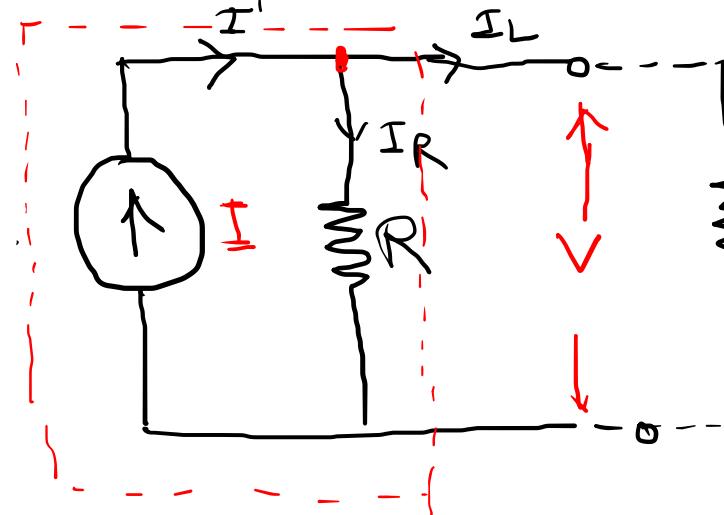
Dependent Vs Independent

Ideal Current Source



Current flowing is constant for all voltages

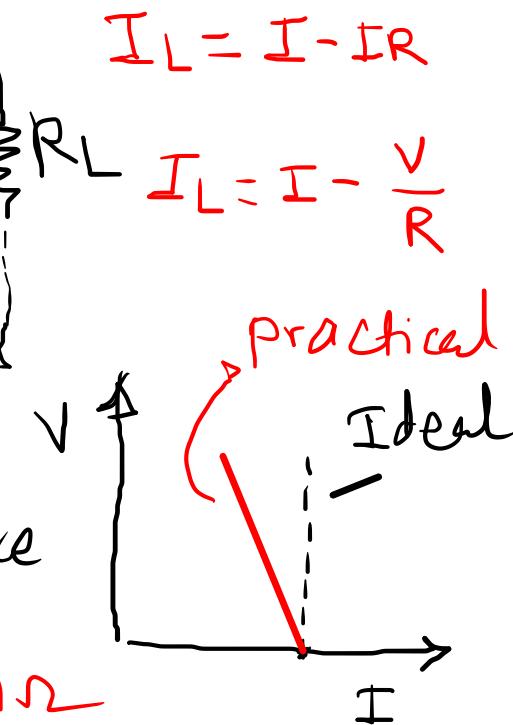
Practical Current Source



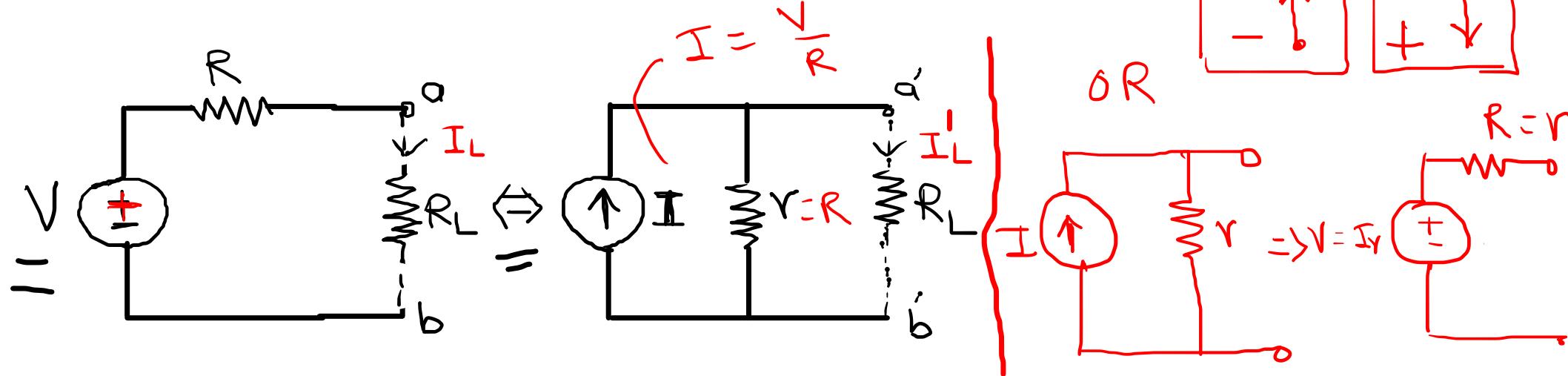
$R \rightarrow$ internal resistance of current source.

$R \rightarrow \infty$ few M Ω

Current reduces by $\frac{V}{R}$



Source Transformation



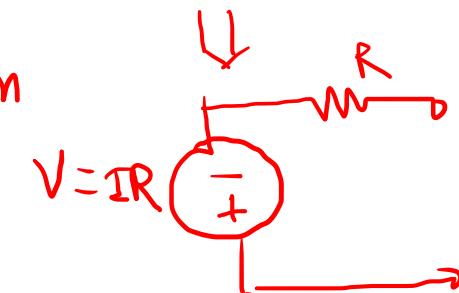
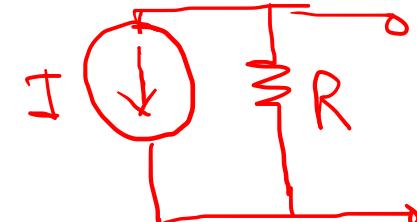
$$\underline{I_L = I_L' \text{ & } V_{ab} = V_{a'b'}}$$

$$I_L = \frac{V}{R + R_L}$$

$$\frac{V}{R + R_L} = \frac{Ir}{r + R_L}$$

$$I_L' = \frac{r \times I}{r + R_L}$$

Using current division formula



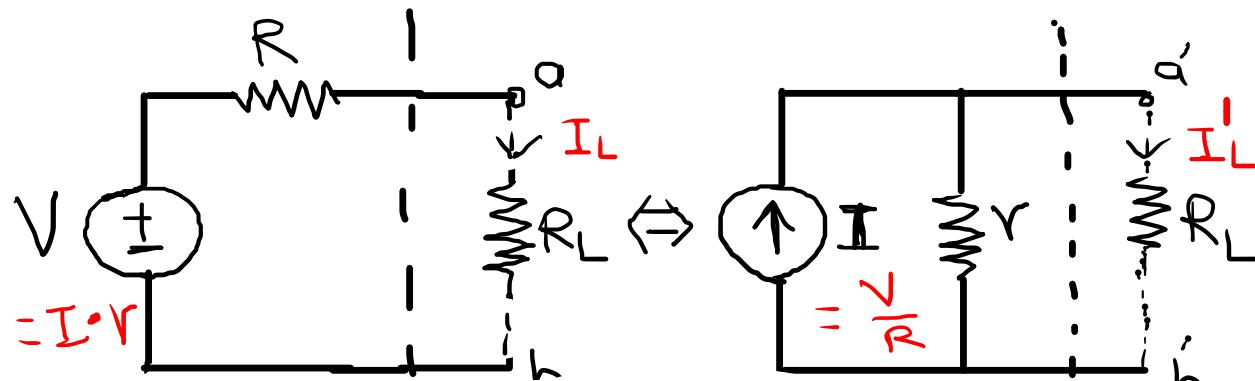
When R_L is removed

$$\underline{V_{ab} = V \text{ & } V_{a'b'} = V = Ir}$$

~~$$R + R_L = r + R_L$$~~

$$\boxed{R = r}$$

Source Transformation



For maintaining Electrical Equivalence of above networks

$$I_L = I'_L \quad \& \quad V_{ab} = V_{a'b'} \quad \text{--- (I)}$$

$$\frac{V}{R + R_L} = \frac{I \times r}{r + R_L} \quad \text{--- (II)}$$

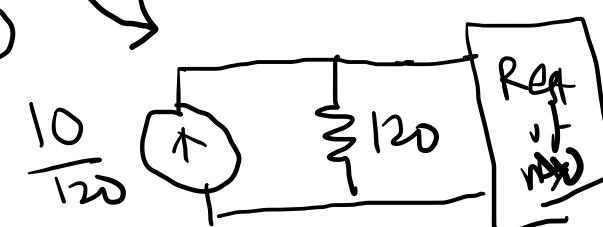
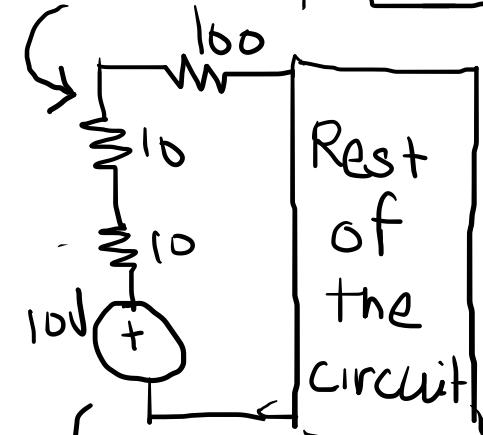
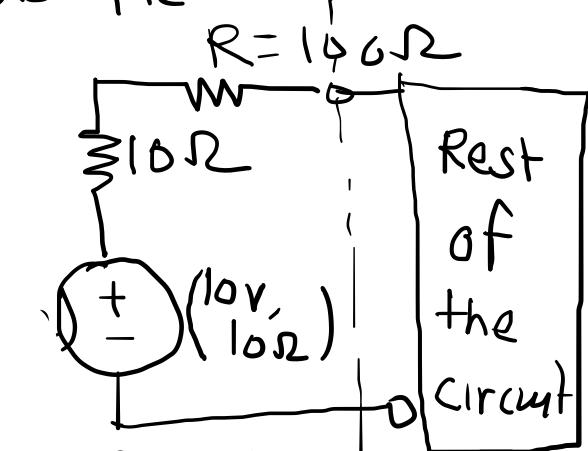
if R_L is removed from above networks

$$V_{ab} = V \quad \& \quad V_{a'b'} = I \times r \quad \text{substitute in (II)}$$

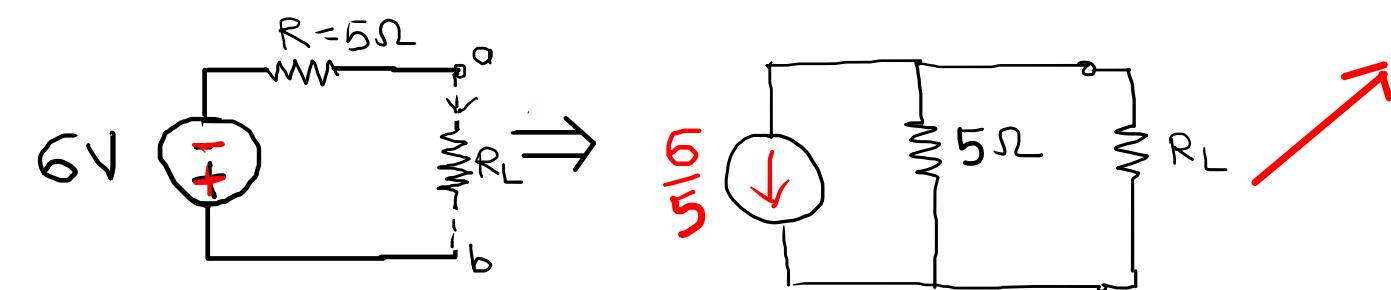
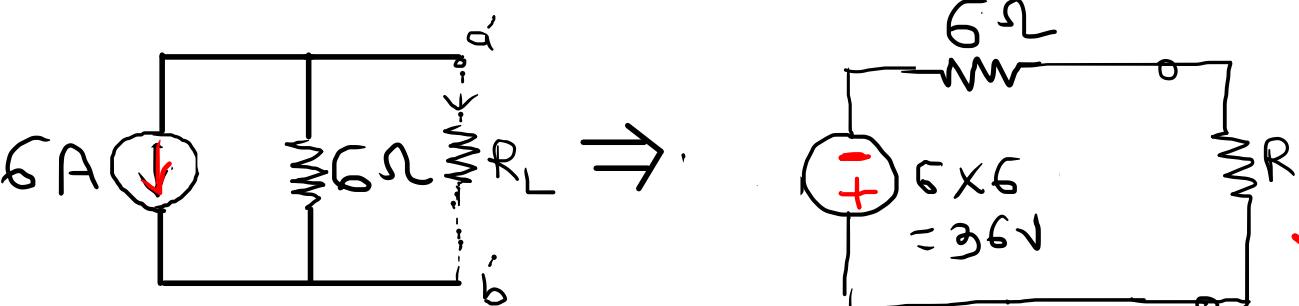
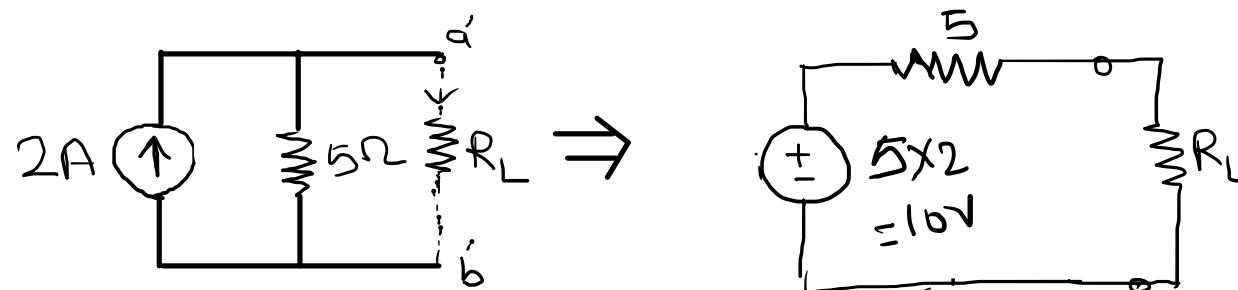
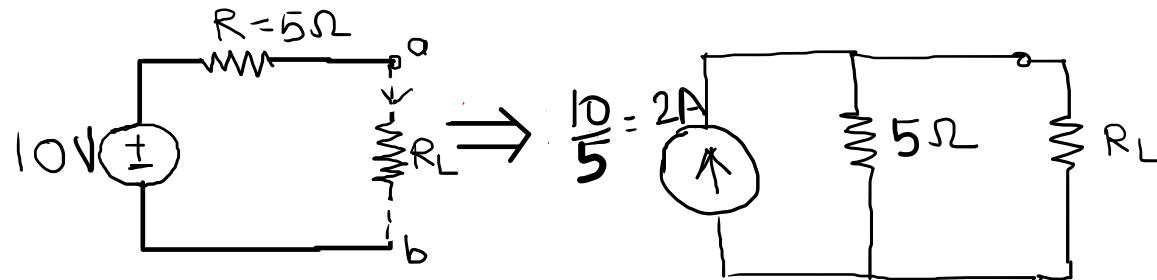
$$\text{So } \cancel{R + R_L} = \cancel{r + R_L}$$

$$\therefore R = r$$

Example



Source Transformation Examples



Note the direction of
current source &
polarity of voltage source