

Basic Principles in Networking

Digital signatures and End Point Authentication

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Version 1.0



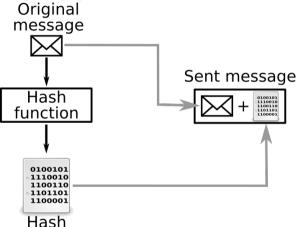
Video: INTERVIEW – Elliptic curve cryptography (10 min)

How did NSA read our emails?



Part I (15 min)

Digital Signatures

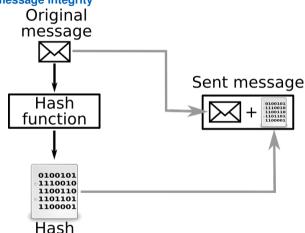






Use of hash functions to establish message integrity

 Create message m and calculate H(m) (e.g. using SHA-2)

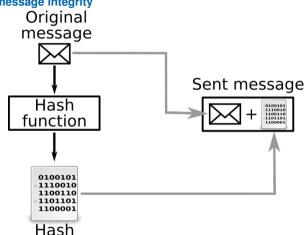




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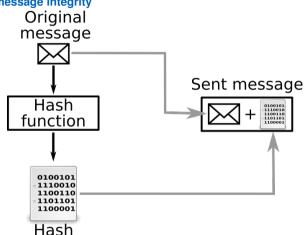
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Append H(m) to the message m and send (m, H(m))



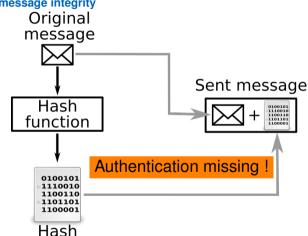


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- Append H(m) to the message m and send (m, H(m))
- Receiver of (m, h) calculates H(m).
 Verify: H(m) = h





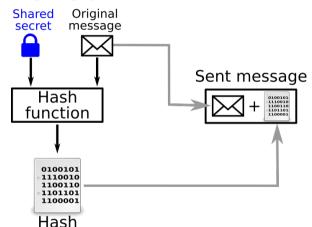
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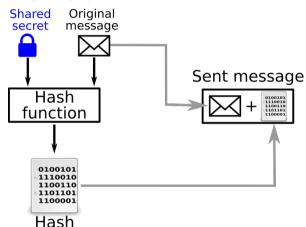
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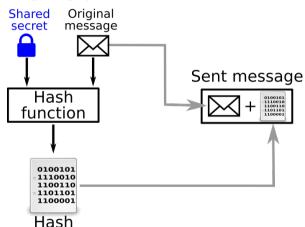


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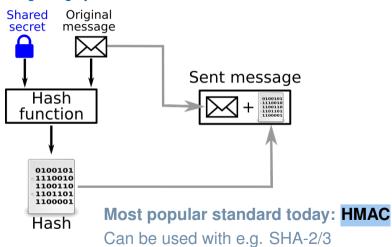
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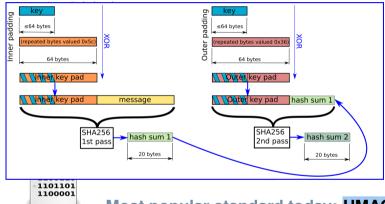






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Most popular standard today: HMAC

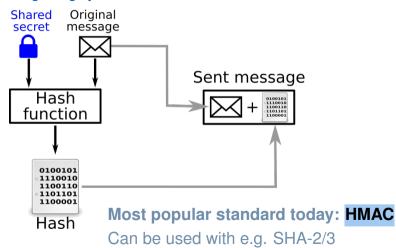
Can be used with e.g. SHA-2/3





Hash

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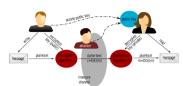
No: To verify the signature, the receiver needs a copy \rightarrow not unique







Asymmetric encryption for Digital Signatures



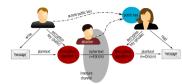








Asymmetric encryption for Digital Signatures



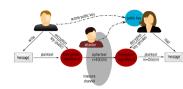
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Asymmetric encryption for Digital Signatures



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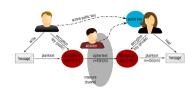
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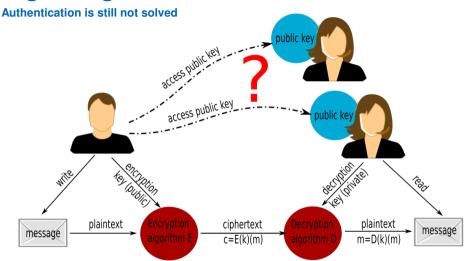
Private key K_B^- unique to sender and can be verified by anyone with the public key: $K_B^+(K_B^-(m)) = m$

Non-forgable since it is <u>not computationally feasible</u> to find m' with $K_R^+(K_R^-(m)) = m'$

















Part II (10 min)

End-point authentication

Why is authentication difficult in networks?

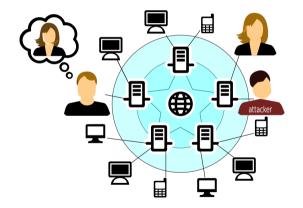






Why is authentication difficult in networks?

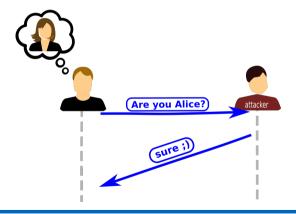
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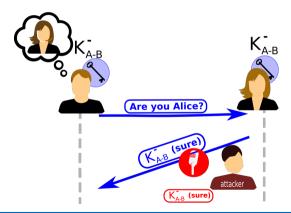
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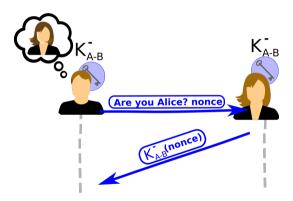
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- ⇒ Replay attacks





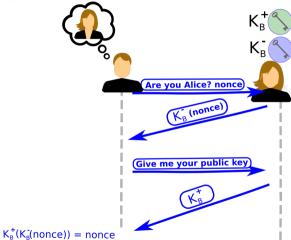
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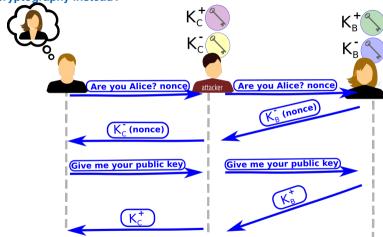
Use asymmetric cryptography instead?





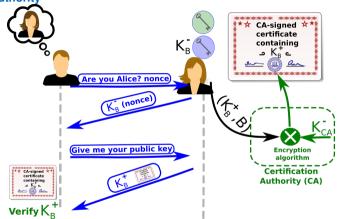


Use asymmetric cryptography instead?





Solution: Certified Authority



 \Rightarrow CA issued certificate contains K_B^+, B ; digitally signed by K_{CA}^-







Video: RSA 2016 – cryptographers panel (10 min)

Impact of the NSA-incident

Questions?

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Literature

- J.F. Kurose, K.W. Ross: Computer Networking: A Top-Down approach (7th edition), Pearson, 2016.
- J.F. Kurose, K.W. Ross: Computer Networking: A Top-Down approach (6th edition), Addison-Wesley, 2012.

