CS 357 - 02 Python

Boyang Li (boyangl3)

Data types:

Names, values and modifying an object:

```
a = [1, 2, 3] # define a as a Python list

b = a # b = [1, 2, 3]

b.append(4) # b = [1, 2, 3, 4]

print(a) # [1, 2, 3, 4]
```

Memory management:

```
a = [1, 2, 3]
b = [1, 2, 3]
print("IS", a is b)  # "is" is used to compare ids; False
print("EQUAL", a == b)  # "==" is used to compare values; True

c = [1, 2, 3]
d = a  # Both "is" and "==" is True
```

Mutable and immutable objects:

```
# Mutable objects: can be modified after created
# Example: Python lists
myList = [3, 5, 7]
myList[0] = 1  # myList = [1, 5, 7]

# Tuples and strings are immuatble objects
# the operations would result in a type error
myTuple = (3, 5, 7)
myTuple[0] = 1
myString = "357"
myString[0] = '1'
```

List operations:

```
a = [1, 2, 3]
b = a
a is b  # True

a = a + [4]  # a = [1, 2, 3, 4] and b = [1, 2, 3]
a is b  # False

# Instead, take following operation:
a += [4]  # a = b = [1, 2, 3, 4]
a is b  # True
```

Advanced naming:

```
fruit = 'apple'

lunch = []
lunch.append(fruit)  # lunch = ['apple']

dinner = lunch
# dinner = ['apple'], lunch = ['apple']

dinner.append('fish')
# dinner = ['apple', 'fish'], lunch = ['apple', 'fish']

fruit = 'pear'

meals = [fruit, lunch, dinner]
# meals = ['pear', ['apple', 'fish'], ['apple', 'fish']]
```

Indexing:

```
# Given a list a, the formatting indexing: a[i:j:k]
# i - starting index; j - ending index (exclusive); k - step size
a = [0, 1, 2, 3, 4, 5, 6, 7, 8, 9]
a[1::2][::-1]
# output = [9, 7, 5, 3, 1]
# First bracket starting from index 1 to the end, step size 2
# Second bracket with step size -1, reverse the index
```

Control flow:

```
# Traditional way
mylist = []
for i in range(50):
    if i % 7 == 0:
        mylist.append(i**2)

# mylist = [0, 49, 196, 441, 784, 1225, 1764, 2401]

# Enhanced way
mylist2 = [i**2 for i in range(50) if i % 7 == 0]

# mylist2 has the same value as mylist

Function scope:
    def add_minor(person):
        person.append('math')

def switch_majors(person):
        person = [!physical]
```

```
def add_minor(person):
    person.append('math')

def switch_majors(person):
    person = ['physics']
    person.append('economics')

# here, the person variable has a local scope,
    # meaning its value/update only happens within the function,
    # and is "ignored" outside of it

# all variables created out here have a global scope
John = ['computer_science']
Tim = John
add_minor(Tim)
switch_majors(John)
print(John, Tim)
# ['computer_science', 'math'] ['computer_science', 'math']
```

Dictionary:

```
# definition of a dictionary
       myDict = {
            "number": 357,
            "major": "computer science",
            "credit hours": 3
       }
        # dictionaries are mutable, thus can be modified,
        # either modifying an existing value or creating a new key
       myDict["major"] = "math"
       myDict["level"] = "undergrad"
        # looping through the keys or the values over the dictionary
       for x in myDict:
         print(x)
          print(myDict[x])
       for x in myDict.values():
          print(x)
        # there are multiple ways to remove an existing entry
       myDict.pop("level")
        # copy an existing dictionary into a new reference
       anotherDict = myDict.copy()
Type annotations:
        # simple variable declaration (the type we're used to)
       a = 5
        # type annotated variable declaration
       a: int = 5
        # simple function definition (the type we're used to)
       def add_two_numbers(a, b):
         return a + b
        # type annotated function definition (both inputs and output)
       def add_two_numbers(a: int, b: int) -> int:
         return a + b
```

Numpy array initialization and operation:

```
import numpy as np
# 2d array of zeros, shape 2 x 2
np.zeros((2, 2))
# 2d array of ones, shape 2 x 2
np.ones((2, 2))
# array of numbers evenly spaced between 2 and 3 (4 entries)
np.linspace(2, 3, 4)
#array([2, 2.333, 2.667, 3])
# 2d array of random numbers between 0 and 1, shape 2 x 2
np.random.rand(2, 2)
# empty 2 x 2 2d array
np.empty((2, 2))
a = np.zeros((2, 2))
print(a.shape)
                    # will return (2, 2)
print(a.dtype)
                     # returns float
a = a.astype(int)
print(a.dtype)
                    # returns int
                     # b is deep copy of a
b = a.copy()
```

Numpy array indexing and slicing:

```
import numpy as np
a = np.array([3, 7, 9, 10, 3, 5])
b = np.array([[1, 2, 3], [4, 5, 6]])
               # prints 9
print(a[2])
print(b[0, 0]) # prints 1
# slicing examples for both 1d and 2d NumPy arrays
# (for 2d arrays we specify both the row and col)
print(a[1:3])
                # prints [7, 9]
print(b[0:1, 2]) # prints [3]
# If we leave the row/col index empty or use a colon(:)
# then we're saying that we select the entire row/col
# this assumes the starting index of the row is 0,
# so we select the entire first row, prints [[1, 2, 3]]
print(b[:1])
```

Array manipulation:

```
import numpy as np
a = np.array([3, 7, 9, 10, 3, 5])
b = np.array([[1, 2, 3], [4, 5, 6]])

b = np.reshape(b, (6, 1))  # Make b as 1d array
a = np.reshape(a, (3, 2))  # Make a as 2d array

a = a.flatten()  # Flatten a directly
a_transpose = a.T  # Transpose
```

Array mathematics and linear algebra:

```
import numpy as np
import numpy.linalg as la
a = np.array([[8, 9]])
b = np.array([[1, 2, 3], [4, 5, 6]])
{\it \# The most important operation you'll do is matrix multiplication}
# we can do this easily in 2 ways (both are the same)
c = np.dot(a, b)
c = a @ b
# We can do a lot of other operations
d = np.sin(a) # applies to every entry in a
e = np.cos(a)
                 # applies to every entry in a
f = np.exp(a) # applies to every entry in a
g = np.sum(a)
                  # q is a float
h = np.mean(a)
                 # h is a float
i = np.min(a)
                  # i is a float
A = np.array([1, 2], [3, 4])
b = np.array([5, 6])
matrix_inv = la.inv(A)
                             # inverse matrix
eigval, eigvec = la.eig(A)
                          # eigenvalues and eigenvectors
vec norm = la.norm(A)
                             # calculate norm of A
vec_norm_3 = la.norm(A, 3) # calculate 3-norm of A
                             # solve lienar system Ax = b
x = la.solve(A, b)
```

Random numbers:

```
import numpy as np
a = np.random.rand(3, 2)
# 3 x 2 array of random numbers 0 to 1

b = np.random.randint(100)
# random int from 0 to 100
x = np.random.randint(100, size=(5))
# array of size 5 with random number 0 to 100

c = np.random.choice([1, 2, 3, 4])
# will randomly return one of the values within the array
```

Broadcasting:

```
import numpy as np

A = np.array([[1, 2, 3, 4, 5]])
B = np.array([
       [10, 20, 30, 40, 50],
       [60, 70, 80, 90, 100],
       [110, 120, 130, 140, 150],
       [160, 170, 180, 190, 200]
])

C = B + A

print(C)
# C = np.array([[ 11, 22, 33, 44, 55],
#       [61, 72, 83, 94, 105],
#       [111, 122, 133, 144, 155],
#       [161, 172, 183, 194, 205]])
```

Packages will be useful in CS 357:

- 1. NumPy: https://numpy.org/doc/stable/reference
- 2. SciPy: https://docs.scipy.org/doc/scipy/reference/
- 3. SymPy: https://docs.sympy.org/latest/reference
- 4. matplotlib: https://matplotlib.org/3.5.3/api
- 5. **Pandas:** https://pandas.pydata.org/docs/reference