## **CIV102F Assignment #1 – September 13-15, 2022**

Due September 20-22 (before assigned tutorial time), 2022

## **Important Instructions**

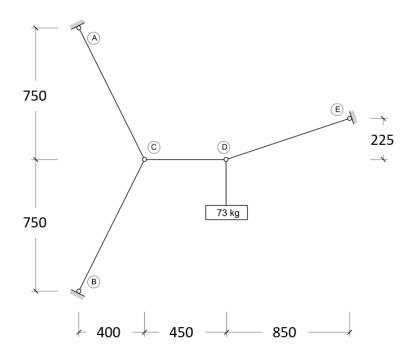
- There are five questions on this assignment. All questions must be attempted; however, only one question will be graded.
- Submissions which are incomplete and do not contain a serious attempt to solve each question will receive a grade of 0.
- Intermediate steps must be provided to explain how you arrived at your final answer. Receiving full marks requires both the correct process and answer.
- All final answers must be reported using slide-rule precision (ie, four significant figures if the first digit is a "1", three otherwise), and engineering notation.
- Submissions must be prepared neatly and be formatted using the requirements discussed in the course syllabus. Marks will be deducted for poor presentation of work.

1. The following equations will be used later in the course. Derive the units of the specified parameters so that the equations remain dimensionally consistent (i.e. the units work out without requiring any conversion parameters). For example, the equation  $v_{av} = \frac{\Delta x}{\Delta t}$  is dimensionally consistent if the average velocity  $v_{av}$  is in [m/s], the distance  $\Delta x$  is in [m] and the change in time  $\Delta t$  is in [s].

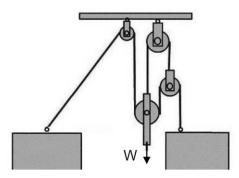
	Equation	Derive the units of the following:	Units of other variables
a)	$\sigma = \frac{P}{A}$	P, a force	σ is in MPa A is in m <sup>2</sup>
b)	$P = \frac{\pi^2 EI}{L^2}$	L, a length	P is in N E is in MPa I is in mm <sup>4</sup>
c)	$\phi = \frac{M}{EI}$	E, a material stiffness with dimensions of [force per unit area]	M is in Nmm I is in mm <sup>4</sup> φ is in rad/mm
d)	$\tau = \frac{VQ}{Ib}$	b, a length	τ is in MPa V is in N Q is in mm <sup>3</sup> I is in mm <sup>4</sup>
e)	$V_S = \phi_S \frac{A_v f_y d_v}{S} \cot \theta$	$f_y$ , a material stress with dimensions of [force per unit area]	$V_s$ is in N $\phi_s$ and $\theta$ are unitless $A_v$ is in mm <sup>2</sup> $d_v$ and s are in mm

For questions 2-5, a free body diagram showing a sign convention and corresponding equations of equilibrium must be presented for full marks

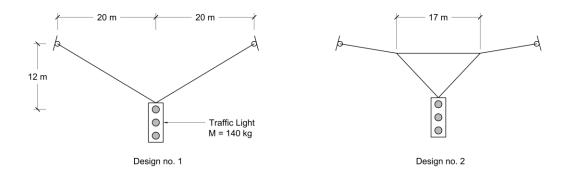
2. For the system of weights and wires shown below, solve for the forces in each of the cables. All dimensions are in mm.



3. For the system of pulleys, weights and wires shown below, solve for the forces in each of the wires.



- **4.** A designer has proposed two designs for a cable system to carry a traffic light which has a mass of 140 kg.
  - a) Calculate the tension forces in the cables in Design no. 1.
  - b) Design no. 2 is a modification of Design no. 1 which raises the traffic light by attaching a 17 m cable to connect the midpoints of the original two cables. For safety concerns, however, the maximum tension in any of the wires cannot exceed 4 kN. Is Design no. 2 feasible?



**5.** For the three-wire system shown below, each of the wires can carry a force of 500 N before breaking. Plot the relationship between the angle  $\theta$  and the failure load P over values of  $\theta$  over the domain  $0 \le \theta < 90^{\circ}$  in increments of 15°. What is  $\theta$  which causes all three wires to fail simultaneously?

