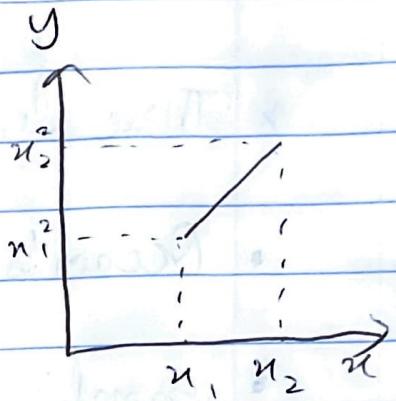


Lecture-15 - SGd4af

## ★ Homework 2 - Question discussion.

$$D = \{ (n_1, n_1^2), (n_2, n_2^2) \}$$

$$(-1, 1)$$



$$H = \{ h(n) : h(n) = w_0 + w_1 n, \\ w_0, w_1 \in \mathbb{R} \}$$

$$w_1^2 = w_0^* + w_1^* n_1$$

$$w_2^2 = w_0^* + w_1^* n_2$$

$$w_0^* = -n_1 n_2$$

$$w_1^* = n_1 + n_2$$

$$g^{(D)}(n) = w_0^* + w_1^* n$$

$$\bar{g}(n) = E_D [g^{(D)}(n)]$$

$$= E_D [-n_1 n_2 + (n_1 + n_2) n]$$

$$= E_D[n] = 0 \quad [\text{mean}]$$

$$n_2 = 0$$

$$\begin{aligned}
 E_D[F_{\text{out}}(x)] &= E_D[(\hat{y} - y)^2] \\
 &= (0 - x^2)^2 \\
 &= x^4
 \end{aligned}$$

### \* Three learning principles:

- Occam's Razor: Select a Model Carefully.  
↳ Simple model.
- Sampling Bias: Generate Data Carefully.  
↳ Avoid.
- Data Sampling: - Generate Handle data Carefully.  
↳ Avoid.
- + Occam's Razor:-  
An explanation of the data should be made as simple as possible, but not simpler.

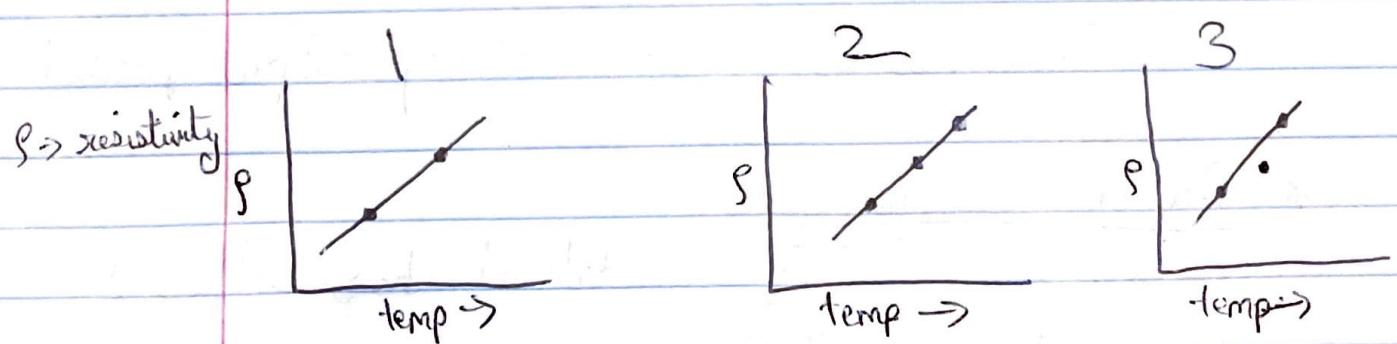
## Dimpler?

- Simplicity of a Hypothesis  
 $h: \Omega(H)$
- low order polynomial
- Hypothesis with small weights
- Easily described.
- Simplicity of a Hypothesis  
set  $H: \Omega(H)$
- Low dvc
- Small number of hypothesis
- Low entropy set.

Why is a simpler hypothesis better?

→ More surprising. When you fit the data.

## Scientific Experiment



~~old~~ data.  
Not  
convincing

Very  
convincing

Somewhat  
convincing

$$H_2 \neq H_{10}.$$

\* If data  $\downarrow$  & model is complex ↑  
then getting 0 Error is not convincing enough.

\* We should give the data chance to win by choosing a simpler hypothesis. Where the hypothesis want perform ~~good~~ excellent on a data. To avoid overfitting.

\* Sampling Bias:-

Randomly pick people from phone directory And asking them whom did they vote for.

- ↳ This was a biased data collection and covered only rich people will telephone.
- ↳ This resulted in wrong output prediction

\* Data Snooping:-

If a dataset has affected any step of learning.

↳ There are many ways to effect data.

↳ Here we getting Fout should not be effected by any other criteria or external factors.

Data snooping can be subtle.

- The data looks linear, so it will use a linear model  $\lambda$ .
  - We should not torture the data to find the function which fits the data.
  - Instead we should do cross-validation.
- ↳ Literature survey of things others have tried. I will improve upon it.
- Input normalization: normalize all data together and set aside a portion as test set.



\* VC analysis: - Approximation vs Generalization.

\* Linear model for 3 learning problems. (credit)

\* Mechanics of non-linear feature transforms. (analysis)

\* Use feature transforms Responsibly.

\* Overfitting.

\* 2<sup>nd</sup> order vs 10<sup>th</sup> order Polynomial.

\* Overfitting Measure (when to choose simpler vs complex) models.

\* Regularization (To combat overfitting).

↳ (controlled by term  $\lambda$ ) (We choose the value of  $\lambda$ ).

Choose  $\lambda$  which is just right.

$\lambda \downarrow \Rightarrow$  Overfitting

$\lambda \uparrow \Rightarrow$  Underfitting

\* three learning principles

\* MidTerm I: Tuesday 10/17.

Open book. LFD chapters 1, 2, 3, 4, 5.

5-6 Reasoning / essay Questions.

5-6 or more multiple choice questions.

↳ If multiple correct then  
mark all correct.