

# Wireless Systems Security

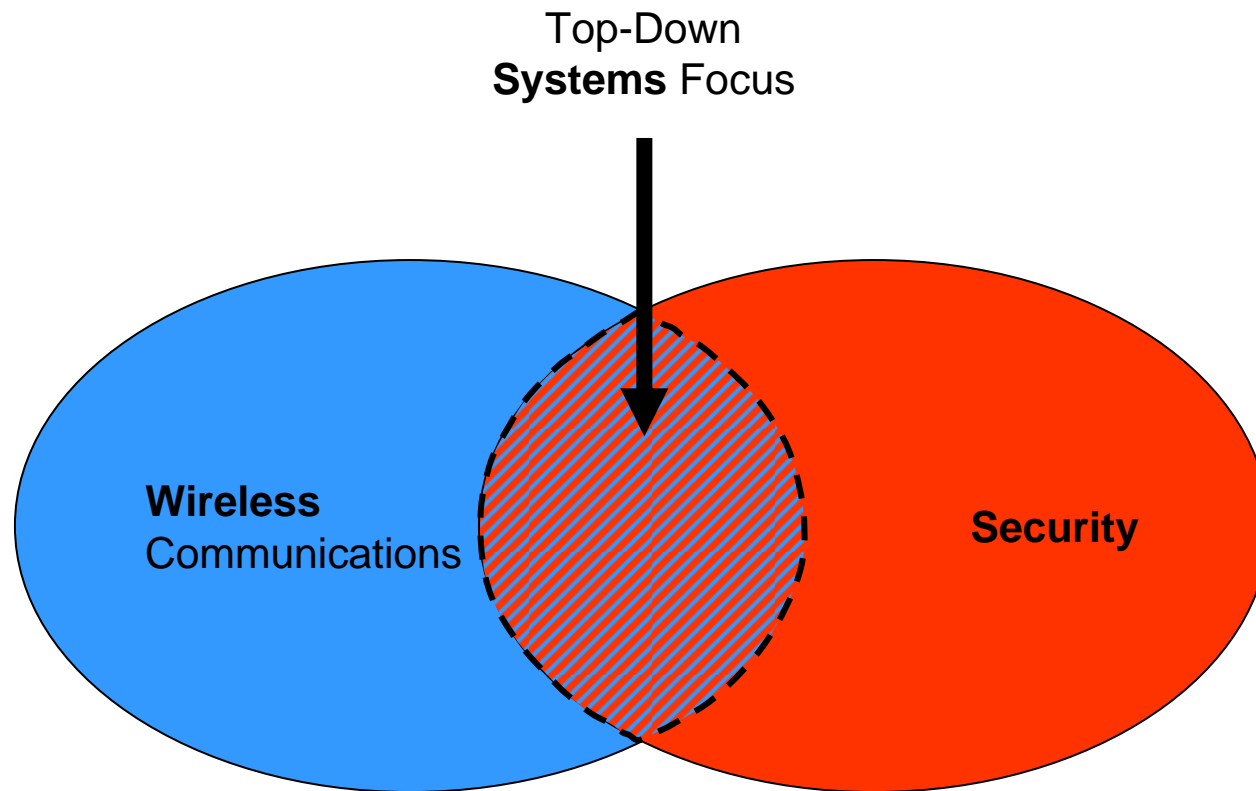
EE/NiS/TM-584-A/WS

Bruce McNair  
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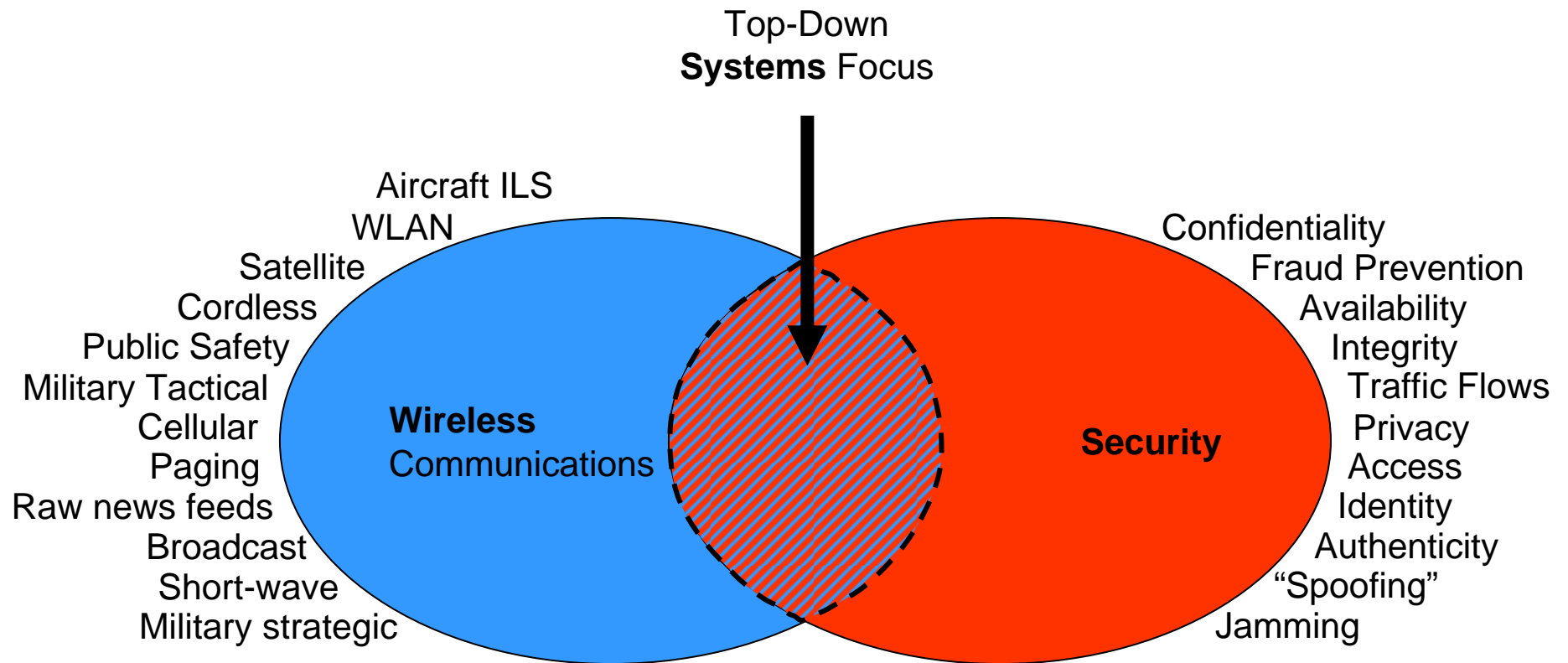
# Week 1

## Basic considerations in Wireless Systems

# Wireless Systems Security

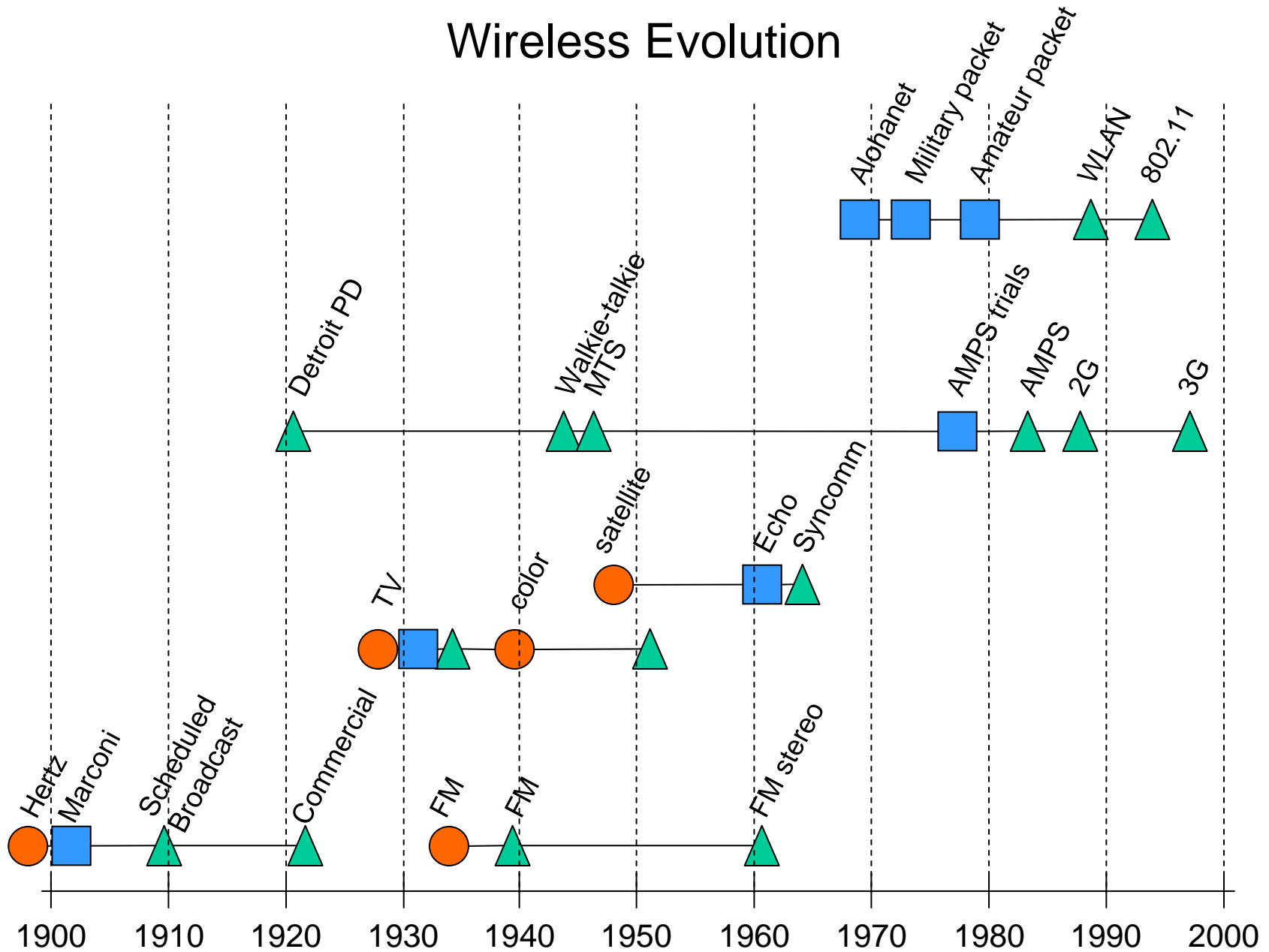


# Wireless Systems Security

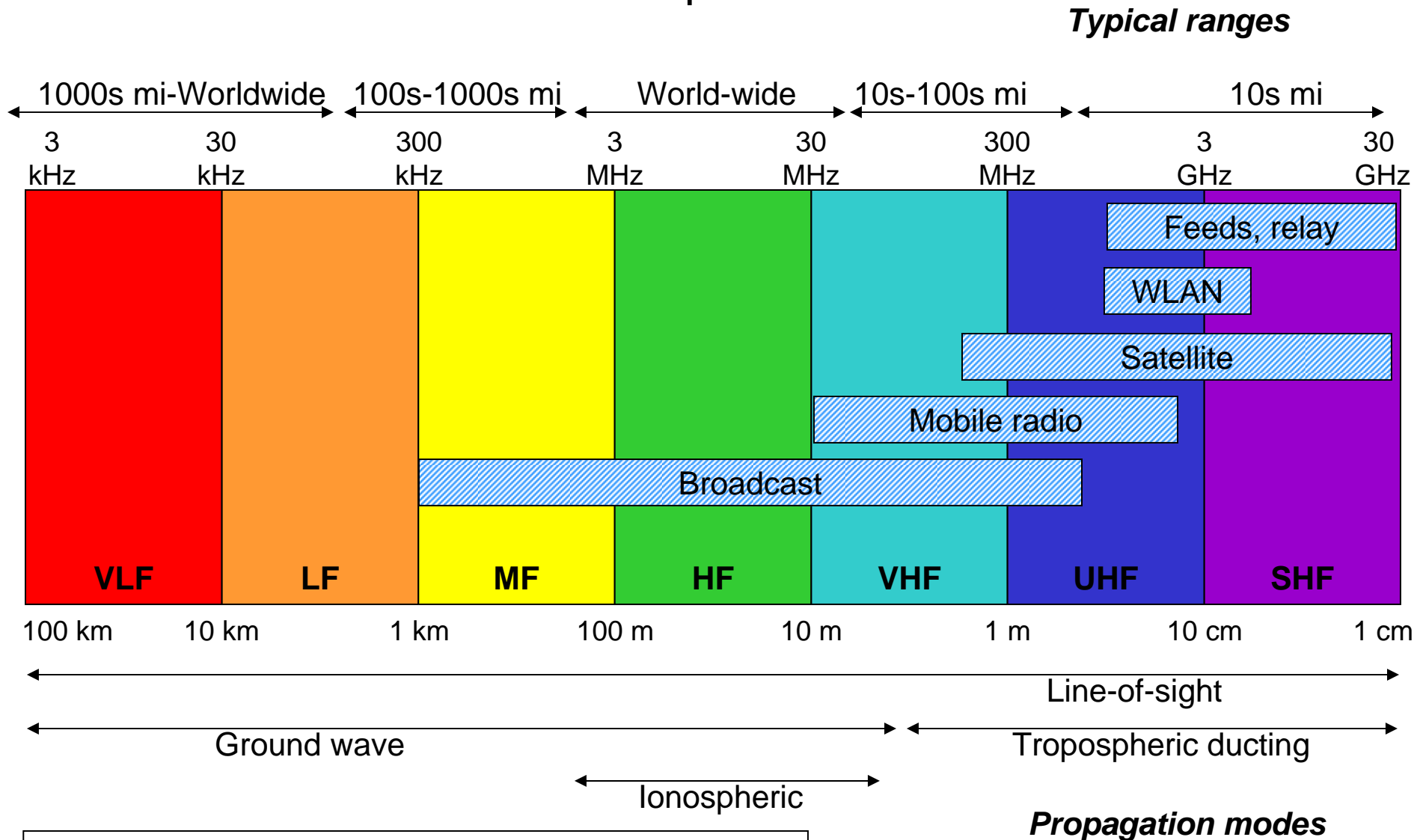


# Wireless Communications Topics

# Wireless Evolution

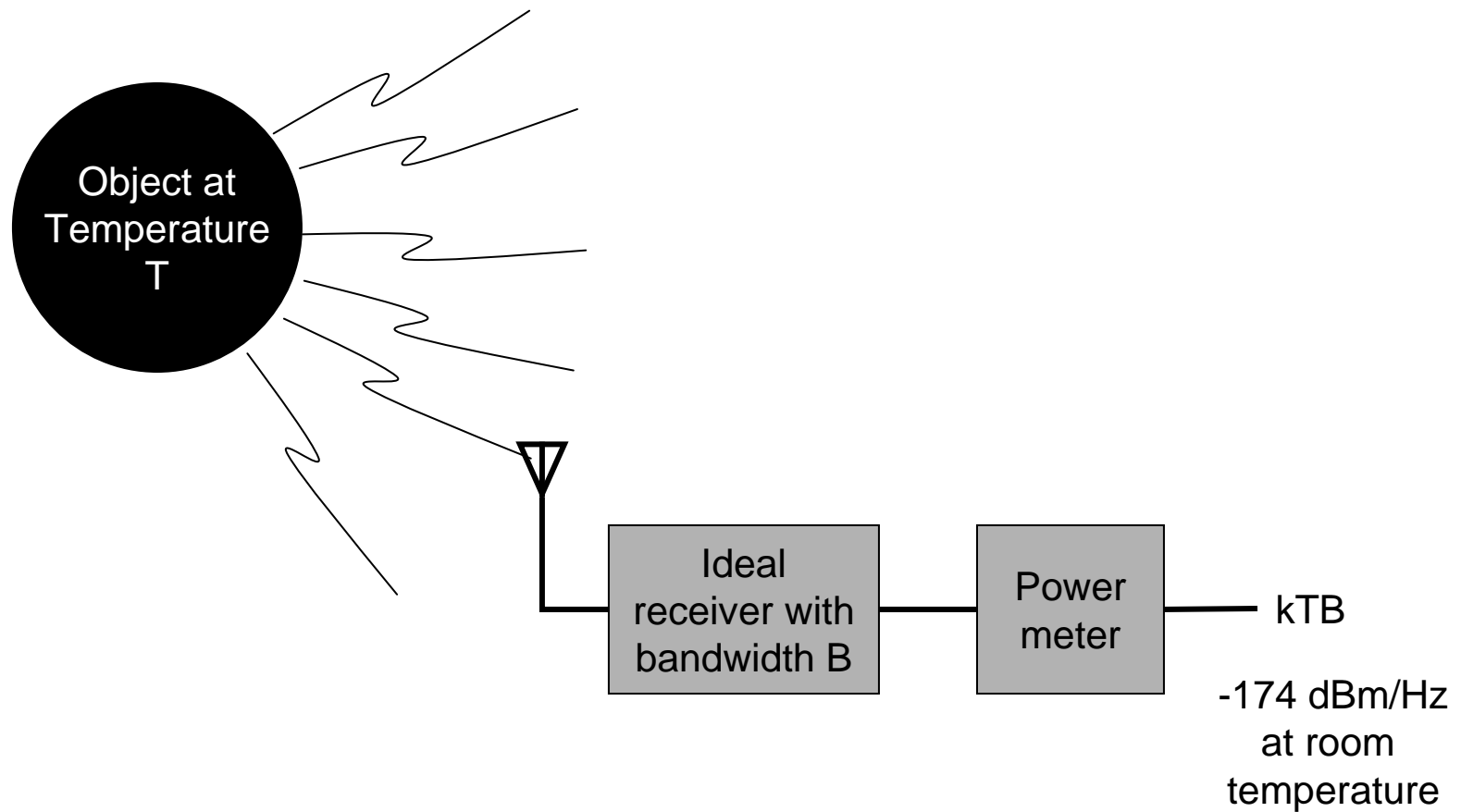


# RF Spectrum



See <http://www.ntia.doc.gov/osmhome/allochrt.pdf> for full details (1996)  
 Or <http://www.jsc.mil/images/speccht.jpg> for the military view

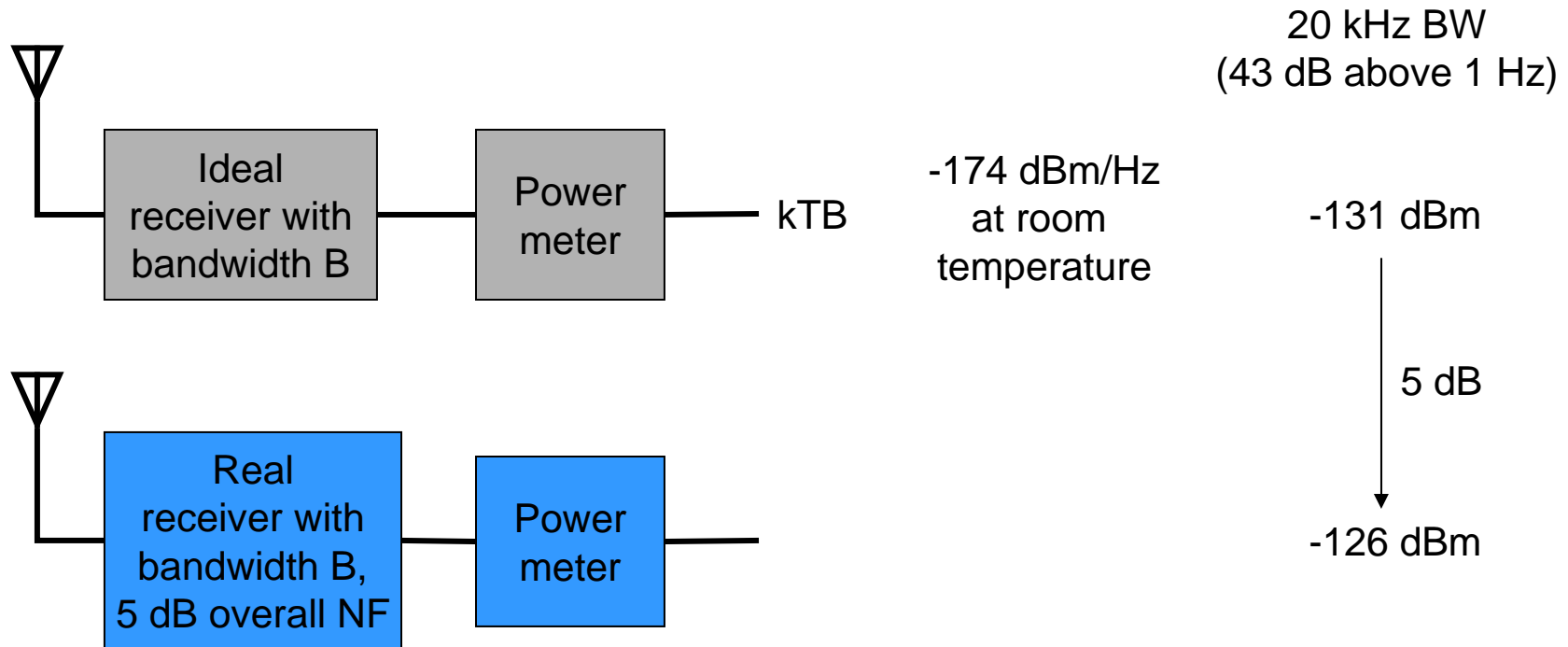
# Thermal Noise





# Noise Figure

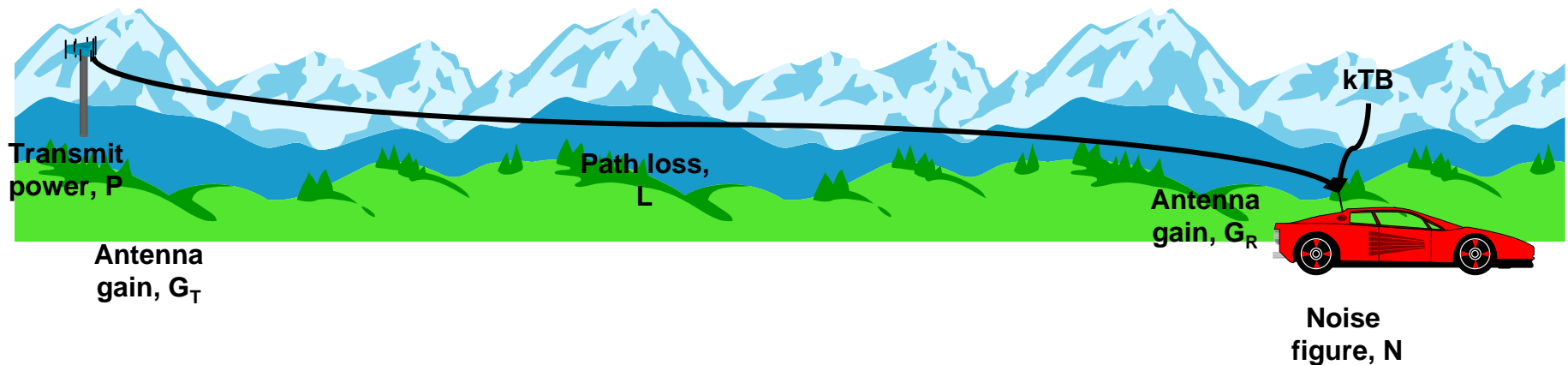
- Example: a VHF receiver with a bandwidth of 20 kHz



- Noise figure is a measure degradation of the real system to an ideal receiver
  - Caveats!!!: operating temperature, bandwidth, impedance

# Sensitivity

- The full story behind receiver sensitivity:

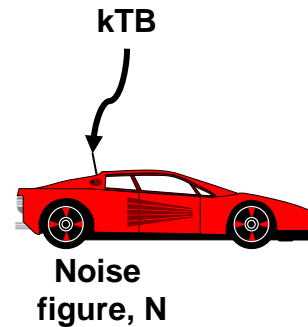


- The full story is a link budget analysis – we'll leave that until later. The simplified question:
  - What input level to the receiver will give acceptable performance?

$$\begin{aligned} P_{in} &= (kTB \text{ noise}) + (NF \text{ degradation}) + (SNR_{\text{acceptable\_performance}}) \\ &= (-174 \text{ dBm/Hz}) + 10 \log B + NF_{dB} + (SNR_{\text{acceptable\_performance}}) \end{aligned}$$

# Sensitivity

- How do you define “acceptable performance?”

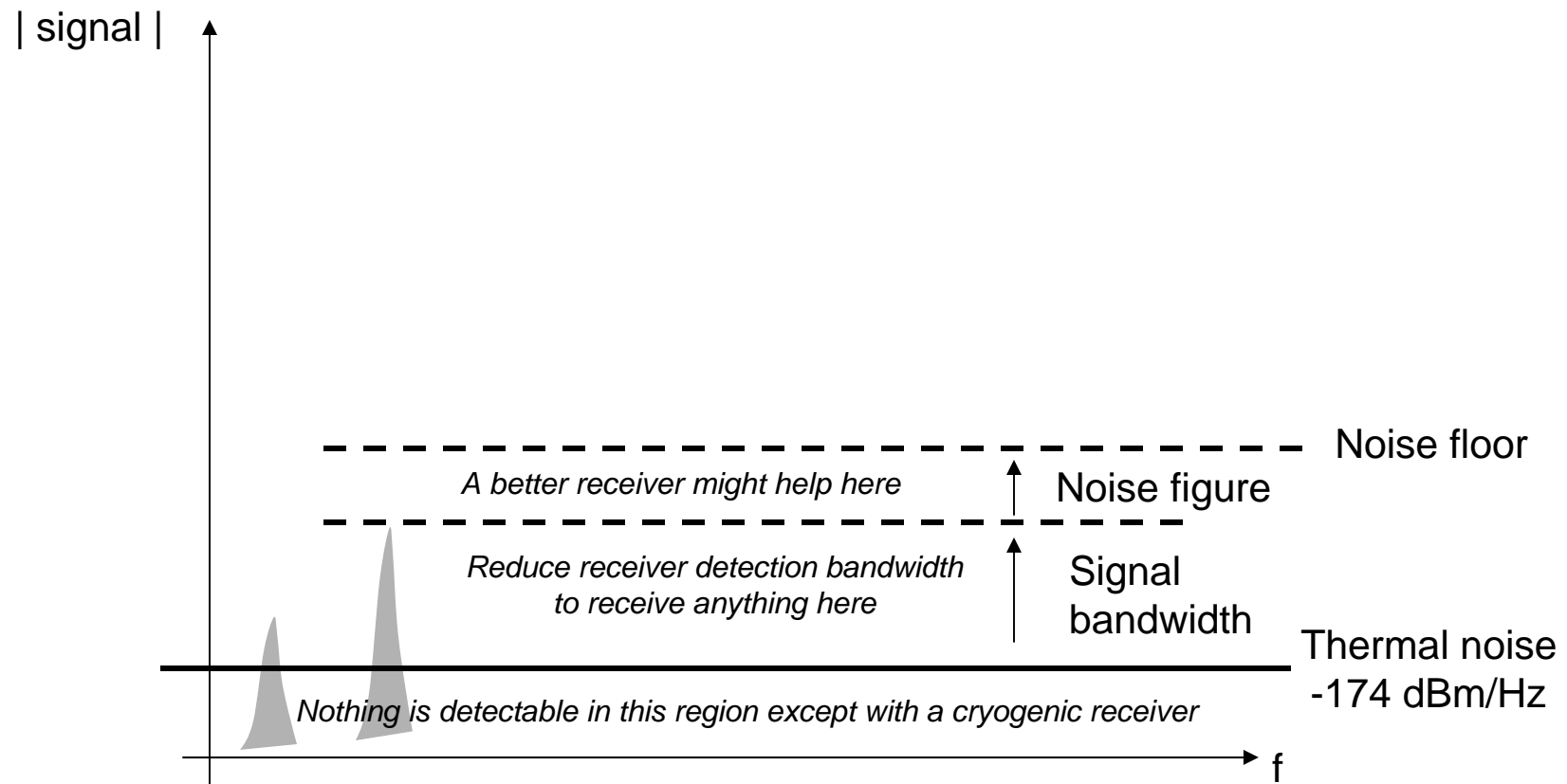


- Data: SNR at demodulator to give a particular BER or BLER
  - Voice: SNR at demodulator to give a particular SINAD
  - Video: SNR at demodulator to give particular picture SNR
- Assume a receiver bandwidth of 4 MHz, SNR at demodulator of 45 dB, NF=8 dB (much like a TV receiver)
    - What is the required input signal level in dBm,  $\mu\text{W}$ ,  $\mu\text{V}$  in 75  $\Omega$ ?

$$\begin{aligned} P_{in} &= (-174 \text{ dBm/Hz}) + 10 \log B + NF_{dB} + (SNR_{\text{acceptable\_performance}}) \\ &= (-174) + 10 \log(4 \cdot 10^6) + 8 + 45 \text{ dBm} \\ &= -174 + 66.02 + 8 + 45 \text{ dBm} \\ &= -55 \text{ dBm} = -25 \text{ dB}\mu\text{W} = .003 \mu\text{W} = 1500 \mu\text{V in } 75 \Omega \end{aligned}$$

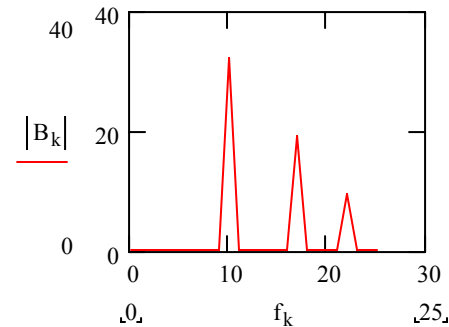
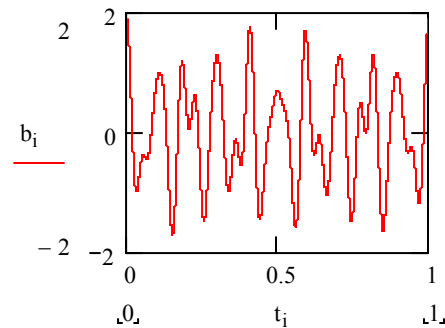
# Noise Floor

- Signals below the noise floor of a receiver are not discernable.



# Modulation - baseband signals

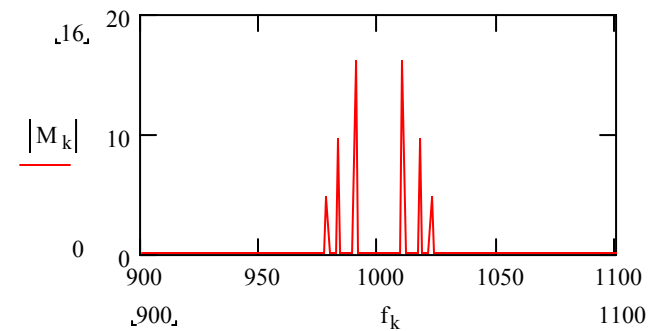
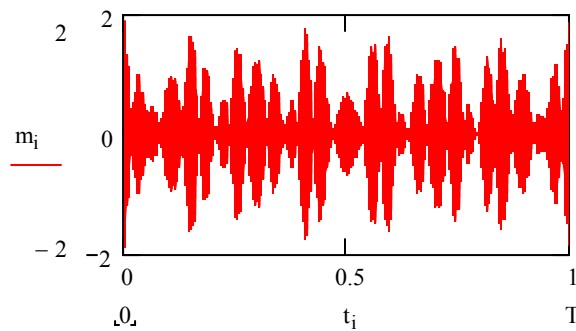
- Consider a baseband signal, consisting of a few sinusoids. Examine the signal in the time domain and in the frequency domain:



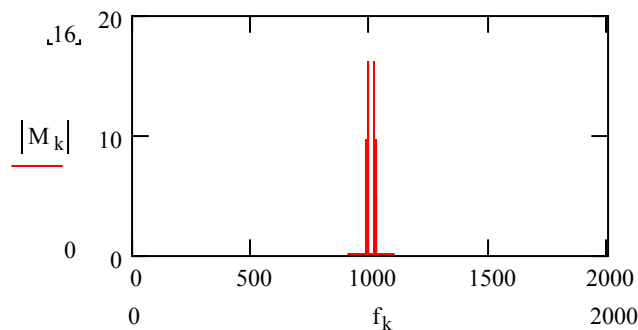
- This signal cannot be transmitted very far in its present format, nor can we allow multiple users to share the same spectrum, so the signal has to be modulated onto a “carrier”

# Modulation - passband signals

- By “translating” the previous signal to a “carrier” frequency, we obtain a passband signal:

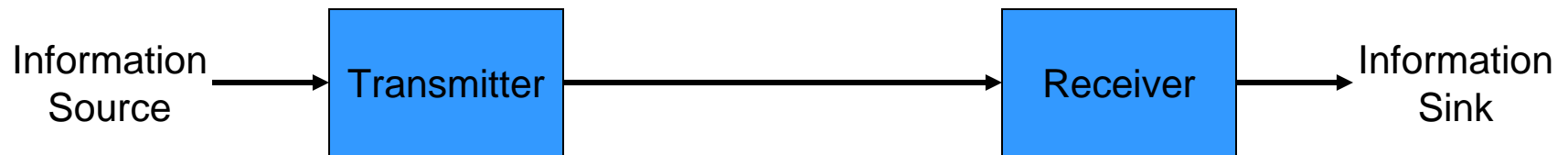


- This signal has all of its energy near the carrier frequency, in this case 1000 Hz



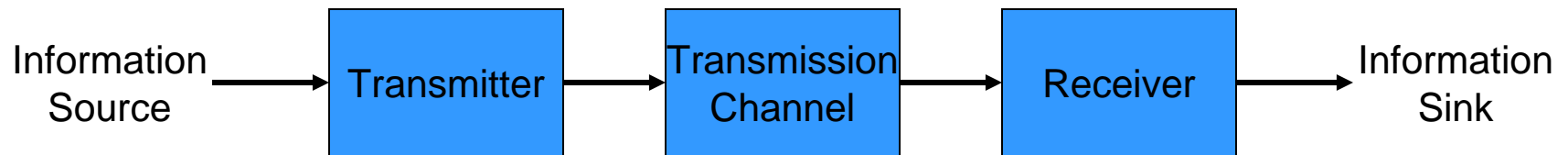
# Modulation - a generic communications system

- Consider a simple communications system:



# Modulation - a generic communications system

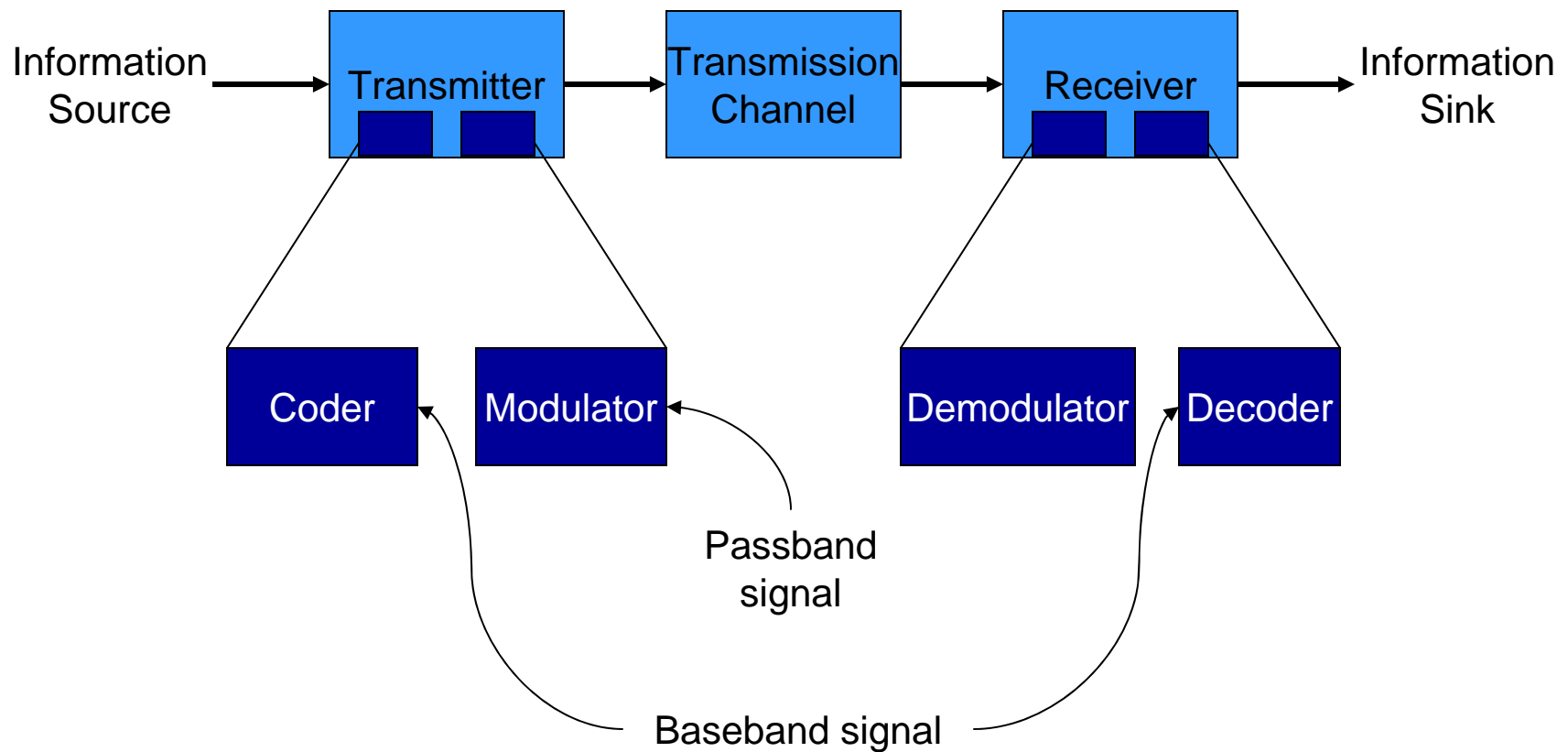
- Consider a simple communications system:





# Modulation - a generic communications system

- Consider a simple communications system:



# Modulation - modifiable signal parameters

- Consider a generic equation for a modulated signal  $m(t)$ , generated by a baseband signal  $b(t)$ . Start with an unmodulated carrier signal:

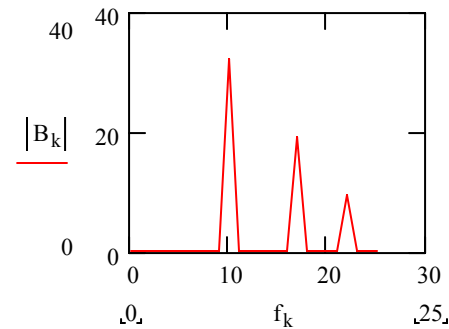
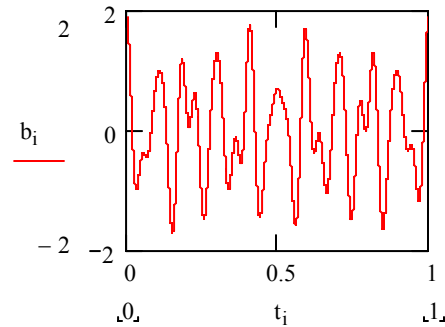
$$m(t) = A_c \cos(w_c t + \phi_c)$$

- we can modulate the carrier's
  - amplitude (as set by  $m_A$ )
  - frequency (as set by  $m_f$ ), or
  - phase (as set by  $m_p$ )

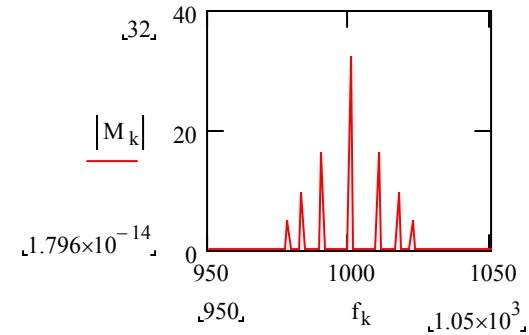
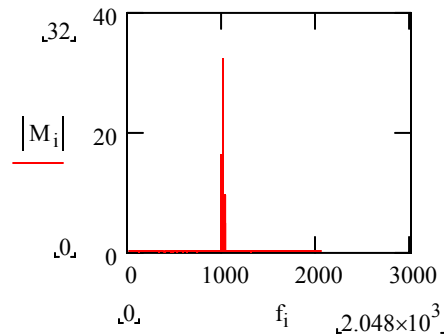
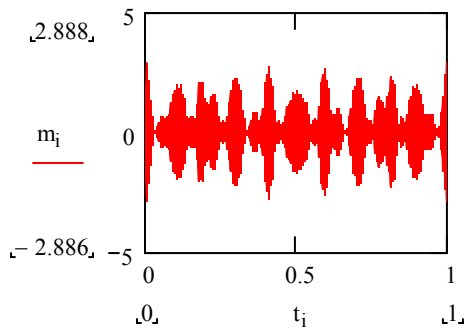
Or multiple parameters could be modulated simultaneously

$$m(t) = A_c [1 + m_A b(t)] \cos((w_c + m_f b(t))t + m_p b(t) + \phi_c)$$

# Analog modulation - AM



- With the baseband signal as before, set  $m_A$  to 1 (100% modulation) and the other modulation parameters to zero to obtain a purely AM signal



# FM and PM

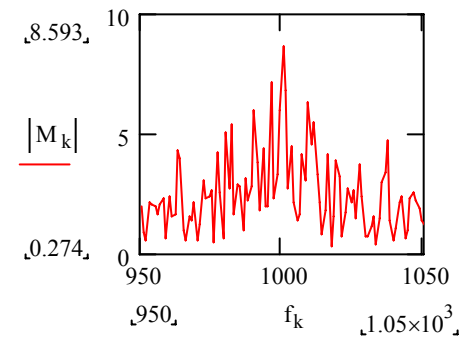
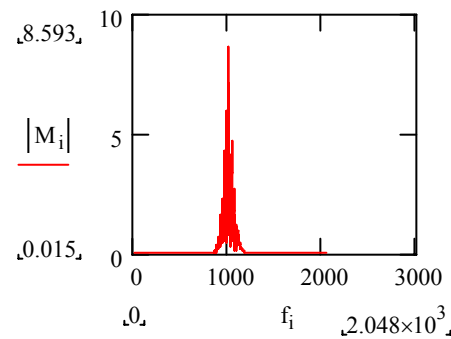
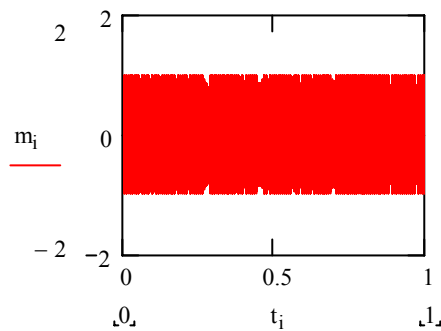
- FM and PM can be thought of as the same modulation technique with proper choice of the input signal:
  - Define the instantaneous phase of a sinusoid:

$$\phi(t) = \int_{-\infty}^t \omega(x) dx$$

- so, by integrating the modulating waveform presented to a phase modulation system, we have a frequency modulation system. And conversely, by differentiating the input to a frequency modulated system, we have a phase modulated system.

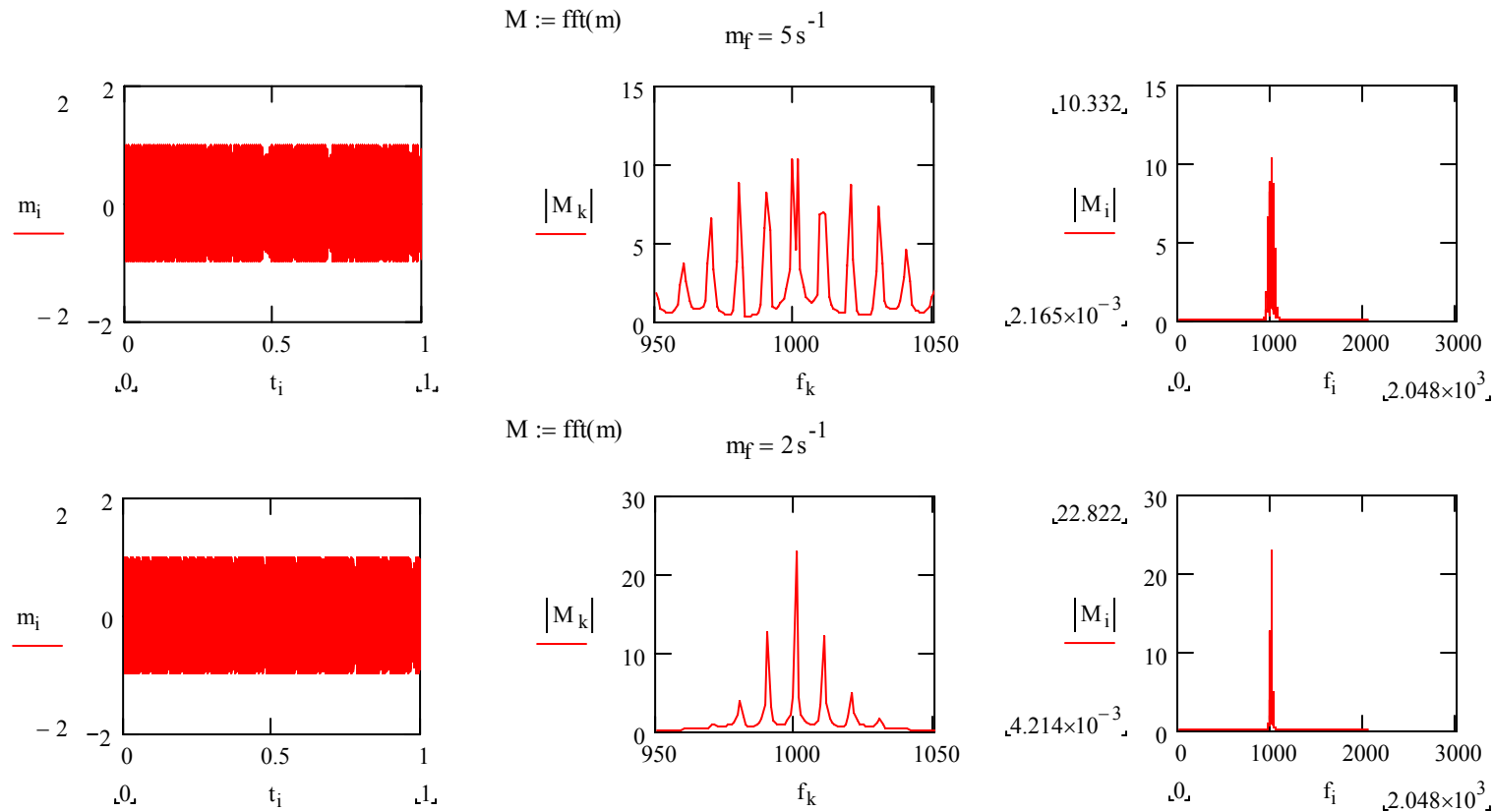
# Bandwidth requirements of FM/PM systems

- Again, consider the earlier baseband modulating signal, this time frequency modulating the carrier.



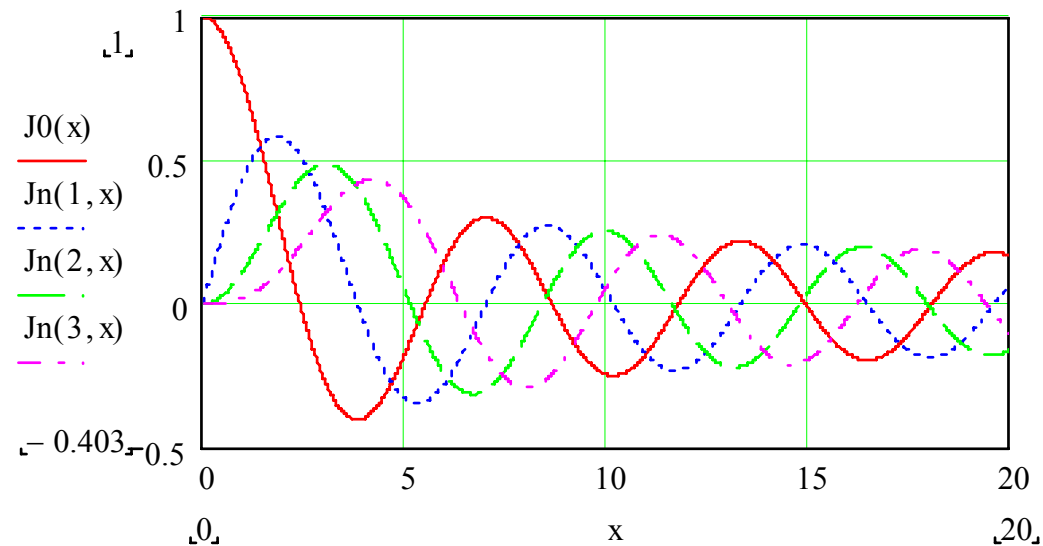
# Bandwidth requirements of FM/PM systems

- An FM signal with a simple sinusoidal modulating waveform



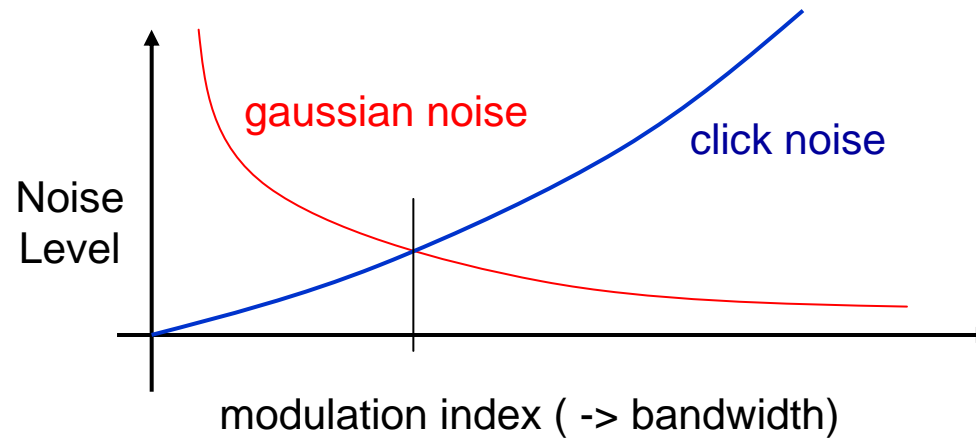
# Sideband amplitudes for a sinusoidally modulated carrier

- The  $i^{\text{th}}$  sideband amplitude is described by a  $i^{\text{th}}$  order Bessel function of the 1st kind



# Performance considerations for FM systems

- Noise/bandwidth tradeoffs in FM





# Digital Modulation

- As before, the generic expression for a modulated signal

$$m(t) = A_c [1 + m_A b(t)] \cos((w_c + m_f b(t))t + m_p b(t) + \phi_c)$$

- For digital modulation,  $b(t)$  is a digital waveform – discrete in time and level:

$$b(t) = b(nT) \in \{l_1, l_2, \dots, l_m\}$$

- The modulated signal “shifts” between discrete states, so digital modulation techniques are referred to differently than analog modulation:

Analog	Digital
AM	Amplitude Shift Keying (ASK)
FM	Frequency Shift Keying (FSK)
PM	Phase Shift Keying (PSK)

# M-ary signaling

- The size of the baseband signaling set may be binary:

$$b(t) = b(nT) \in \{l_1, l_2\} = \{0, 1\}$$

- Or M-ary

$$b(t) = b(nT) \in \{l_1, l_2, \dots, l_m\}$$

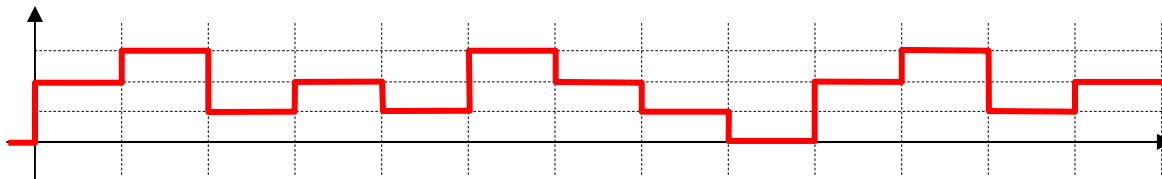
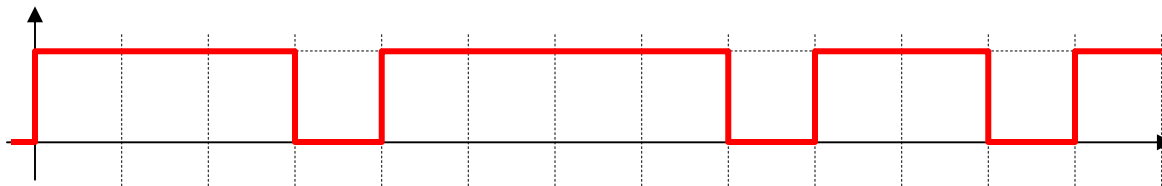
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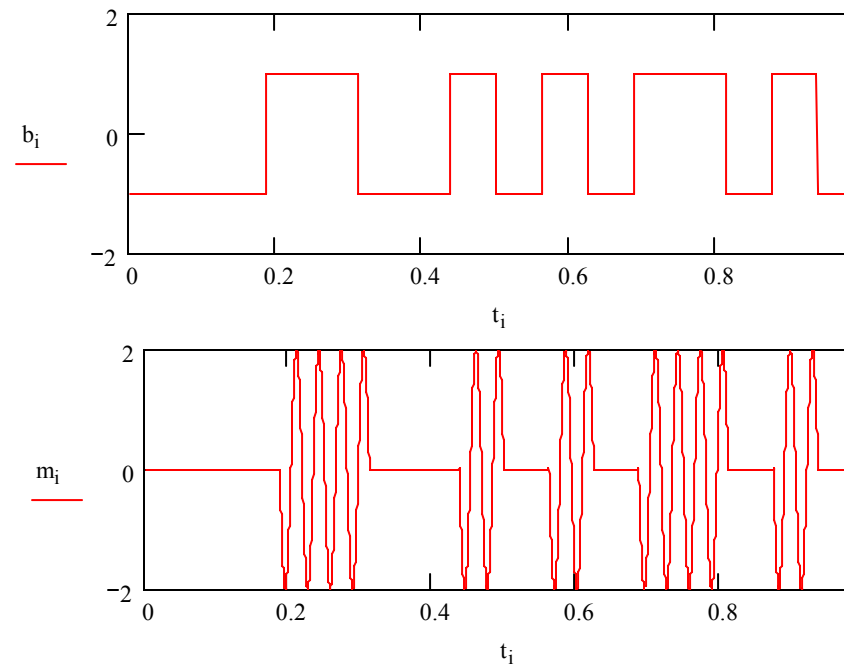
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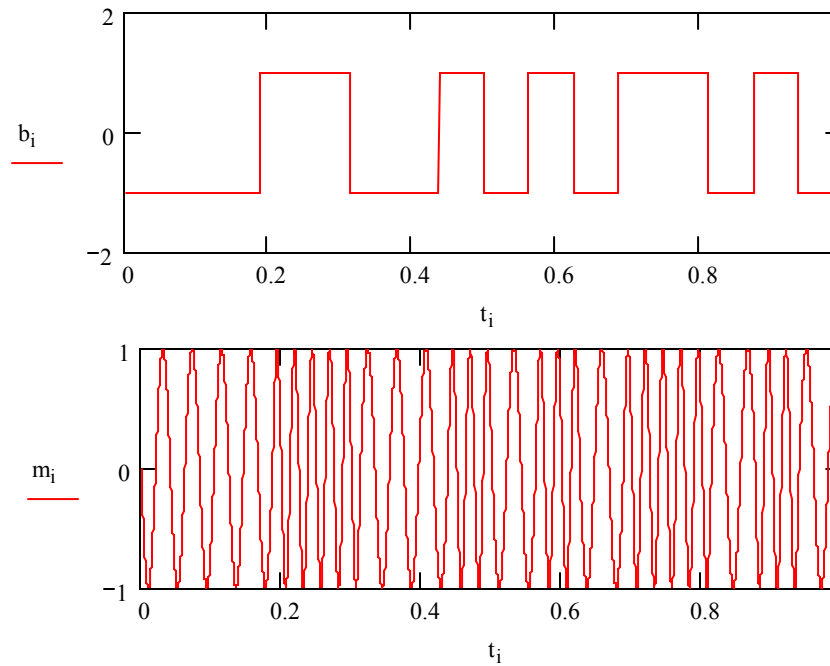
# ASK

- Amplitude Shift Keying (ASK) = On-Off Keying (OOK) if the modulation is 100%



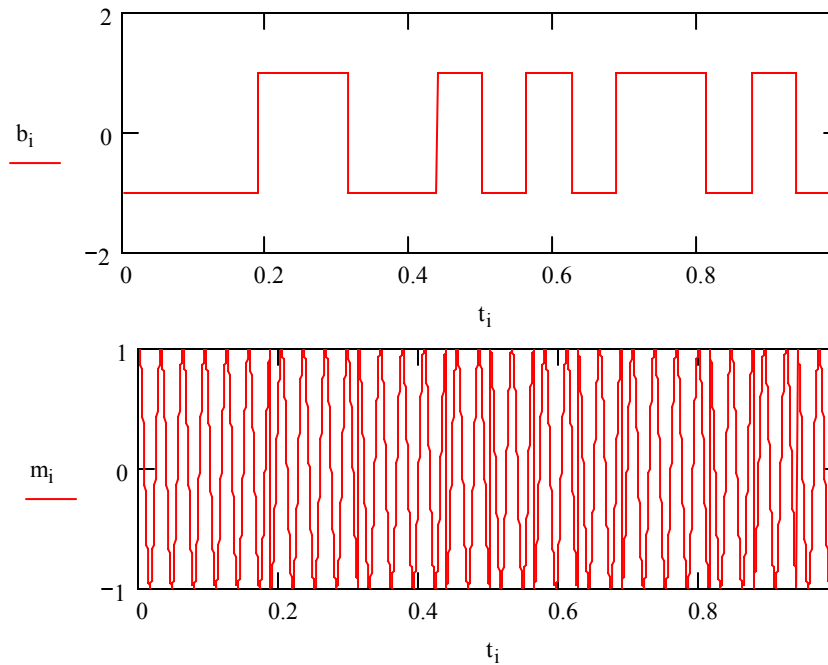
# FSK

- FSK maintains the carrier magnitude



# PSK

- PSK maintains the carrier amplitude and the average carrier frequency



# Practical examples of analog and digital modulation systems

	Analog	Digital
AM	<ul style="list-style-type: none"> <li>•AM broadcast 550-1650 kHz</li> <li>•Shortwave broadcast 2-30 MHz</li> <li>•HF Amateur radio (especially SSB)</li> <li>•TV video</li> </ul>	<p>Guided light wave systems</p> <div> <ul style="list-style-type: none"> <li>•Cable modems</li> <li>•DSL</li> <li>•4800-56k analog modems</li> <li>•FAX modems</li> <li>•HDTV</li> <li>•high speed amateur packet radio</li> </ul> </div>
PM	<ul style="list-style-type: none"> <li>• ????</li> </ul>	<ul style="list-style-type: none"> <li>•212 analog modem (1200 bps)</li> <li>•deep-space links</li> <li>•spread spectrum systems</li> </ul>
FM	<ul style="list-style-type: none"> <li>•FM broadcast 88-108 MHz</li> <li>•TV audio</li> <li>•C-band satellite TV</li> <li>•AMPS cellular</li> <li>•Police/fire/public service VHF/UHF radio</li> </ul>	<ul style="list-style-type: none"> <li>•103 analog modem (300 bps)</li> <li>•News &amp; amateur HF radio teletype (RTTY)</li> <li>•low speed amateur packet radio (1200 bps)</li> <li>•Tactical military radio systems</li> </ul>

# Impairment Effects for Different Modulation Schemes

	Analog	Digital
AM	<ul style="list-style-type: none"> <li>• Interferer creates a “beat-tone”</li> </ul>	<ul style="list-style-type: none"> <li>• Interferer can shift decision level</li> </ul>
PM	<ul style="list-style-type: none"> <li>• ????</li> </ul>	<ul style="list-style-type: none"> <li>• Interferer can shift constellation, interfering with decisions</li> <li>• Interference can appear to be excess noise</li> </ul>
FM	<ul style="list-style-type: none"> <li>• For higher modulation indices, FM capture effect suppresses weaker signal. May quiet desired signal or make interferer undetectable</li> </ul>	<ul style="list-style-type: none"> <li>• Low modulation index reduces FM capture effect</li> </ul>