

# CSDS 435: Project 2

## Clustering Methods and Distance Measures for Finding Tweet Topics

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## 1 Introduction

In this paper, the initial task at hand is to inspect the tweets from the `cnn` twitter account in order to generally assess what kind of topics CNN has tweeted about in the past. The accompanying research question is to ask what generic clustering methods work best for this task. I explore two clustering methods along with two distance measures. The two clustering methods I chose were k-Medoids and Complete-Link Hierarchical Clustering, because both algorithms accept pre-generated distance kernels. This was necessary for the concurrent goal of also studying distance measures. I compare the algorithms and the distance measures by metrics of separation and cohesion, and engage in hyperparameter tuning and visualization in order to explore these methods.

## 2 Methods

### 2.1 Distance Measures

#### 2.1.1 Normalized Unordered Edit Distance

$$d_1(x, y) = \frac{\sum_k x_k - y_k}{\sum_k x_k + y_k}$$

This is a new distance measure of my design. When considering how you compare strings, one is reminded of edit distance (both for words and sentences). Of course, edit distance requires an ordered string, and the bag-of-words model doesn't preserve the order; however, the difference between two vectors is essentially a version of edit distance that does not pay attention to order (hence “unordered”). Consider this as well: two four-word sentences with two words in common are about as near as two six-word sentences with three words in common, or at least that this might be a good hypothesis to test, since the other distance measure in this paper *does not* treat the data this way. Hence, the distance is normalized through the operation of dividing by the difference by the total number of words in both. This distance measure is essentially

$$\frac{\# \text{ of words not in common}}{\# \text{ total number of words in both sentences}}$$

Therefore, the minimum value ( $d_1(x, x)$ ) is zero, and the maximum value (for two vectors with no words in common) is one.

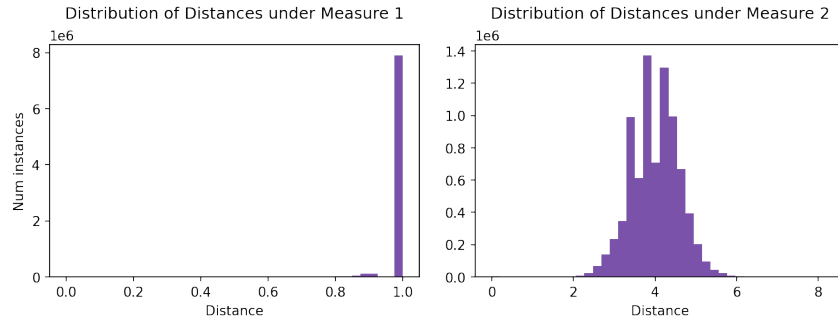
#### 2.1.2 Euclidean Distance

$$d_2(x, y) = \sqrt{\sum_k (x_k - y_k)^2}$$

Euclidean distance seems like an intuitive choice, although it would also seem to place far too much importance on the ordering of words in the tweets. It will, as opposed to normalized unordered edit distance, generally attribute greater distances to longer tweets. Two totally different sixty-word tweets will be much farther apart than two ten-word tweets (assuming they each have nothing in common).

#### 2.1.3 Comparing Distributions

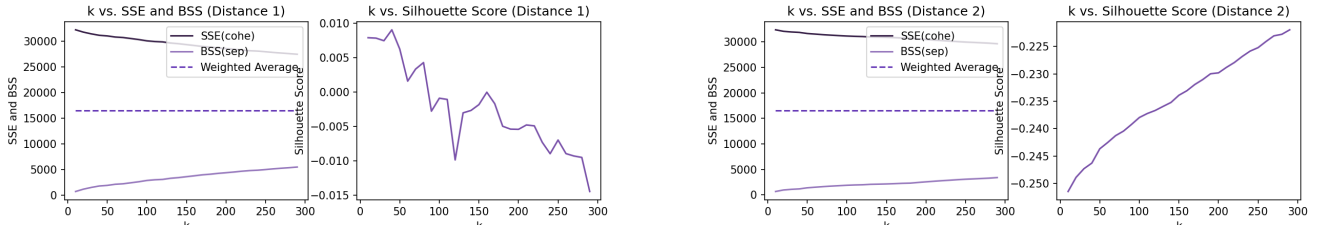
The distributions of the distance measures across the dataset are extremely different. The Euclidean distance ( $d_2$ )'s distribution is approximately Gaussian with  $\mu \approx 4$ , while  $d_1$  has a outlying concentration of 1.0 (no words in common) and then just a few thousand distances clustered around 0.9. This implies that most tweets used entirely different sets of words, and when they had words in common, they were not often more than a few.



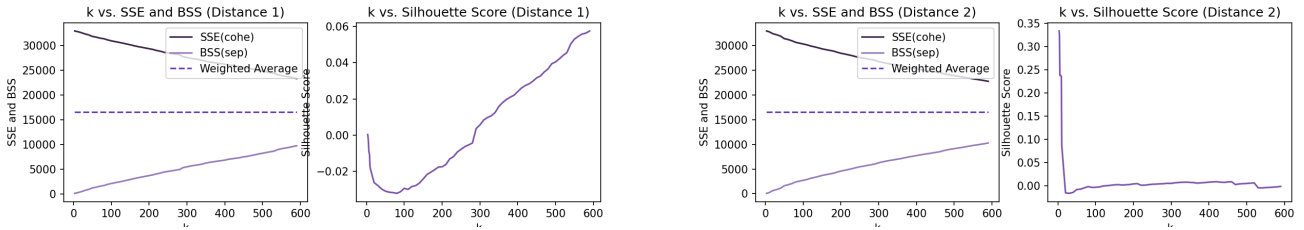
## 2.2 Choosing Hyperparameters

Both of my clustering methods required me to choose  $k$ , the number of clusters, which is also considered the primary hyperparameter for both. In order to do this, I tried to observe how different metrics and objective functions varied with  $k$ . Some results were surprising, and revealed to me that different distances worked very differently with different clustering algorithms. Observing the sum-squared error ( $SSE$ ) and the between-cluster sums of squares ( $BSS$ ) turned out not to be very helpful, but observing the silhouette score was. In general, a silhouette score closer to one is better. The only two combinations that demonstrated a positive correlation between silhouette score and  $k$  were {Distance 1 and Hierarchical} and {Distance 2 and  $k$ -Medoids}. The other two were negatively correlated, and less so. For  $k$ -Medoids I chose a default  $k$  of 50 as that is the max silhouette achieved with either distance. And for Hierarchical, smaller choices were not giving me coherent clusters, so I chose a much higher  $k$  based on the  $d_1$  figure: 600.

### 2.2.1 Choosing $k$ for $k$ -Medoids:



### 2.2.2 Choosing $k$ for Hierarchical:



## 3 Data

### 3.1 Dataset Summary

# Num of Tweets	# Num of Words (total)	# Num of Tokens	# Avg Num of Words
4,061	32,612	9,609	8.031

#### Top Ten Legal Tokens:

“health”, “getfit”, “new”, “@cnnhealth”, “today’s”, “cancer”, “know”, “kids”, “@drsanjaygupta”, “ebola”

### 3.2 Stopwords:

Initially, I tried manual stopwords selection, but I found this task to be cumbersome, and to leave in less frequent stopwords that were still important. So I chose most of the stopwords from the *Natural Language Toolkit* (NLTK), electing to leave a certain few out, while also trying my best to include ones specific to the dataset. After subtracting the NLTK words, I

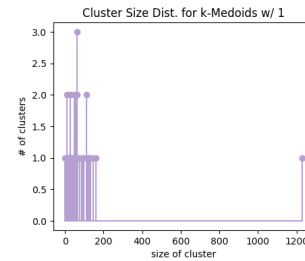
scanned through the most popular 100 words still left. The words “*rt*” (retweet) and “*w/*” (with) were removed, along with spurious characters that somehow made it through my regex cleaning.

When choosing what to keep and what to toss, I had a hard time deciding. Common stopwords like “*was*” and “*is*” contain tense information that could hypothetically be related to a cluster’s meaning, but I chose to go with precedent, which suggests that they are more noise than they are worth. I elected to remove the URLs since they were almost never in common between tweets. However, I chose to leave “@” mentions and “hashtags” in. I removed the hashtag character, however, as I judged “#ebola” and “ebola” could be treated as one in the same. Hashtags and “@”-mentions were left in because I thought that clusters could potentially be formed around them. Quite often, a hashtag’s sole purpose is to distill the subject or message of the tweet. And although not all textit“@”-mentions feature a certain doctor or expert, the ones that do and are the same are intrinsically related to one another.

## 4 Results

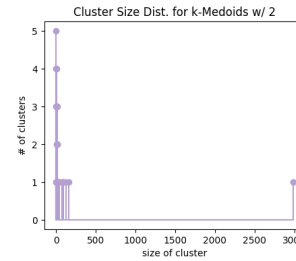
### k-Medoids with $d_1$ :

Number of Clusters	SSE	BSS	Silhouette Score
50	31061.623	1960.594	0.006



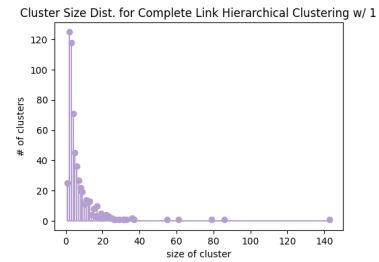
### k-Medoids with $d_2$ :

Number of Clusters	SSE	BSS	Silhouette Score
50	31631.14	1391.078	-0.244



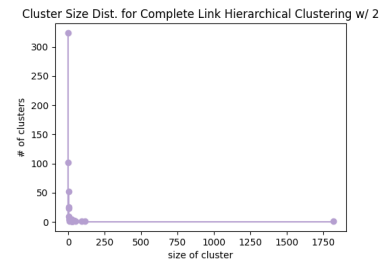
### Hierarchical with $d_1$ :

Number of Clusters	SSE	BSS	Silhouette Score
600	23151.933	9870.284	0.058



### Hierarchical with $d_2$ :

Number of Clusters	SSE	BSS	Silhouette Score
600	22643.094	10379.124	-0.001



### 4.1 Cluster Deciphering

For Complete-Link Hierarchical Clustering, I had what looked like the best clusters, so here some of them are:  
Note: this was run with  $k = 600$  and  $d_1$ .

Cluster:	Cluster 3	Cluster 1	Cluster 109	Cluster 86
size:	143	86	61	55
Popular tokens:	getfit today's eat make eating calories @shape_magazine day every healthy	health minute insurance good weight crisis today's loss know food	cancer breast one survival scary prevent new come @cnnhealth you?	ebola american @jechristensen infected @elizcohencnn ebolaganda @who patients like experimental

There are some really nice clusters here. **Cluster 3** has a prevailing theme of diet and weight loss. **Cluster 1** seems to be about modern weight problems. **Cluster 109** is mostly scare-tweets about breast cancer and survival rates. **Cluster 86** is about the ebola outbreak in America.

## 4.2 Cluster Consistency:

I used entropy and purity to compare k-Medoids to Complete Link Hierarchical Clustering, both using distance measure 2 (Euclidean). Here are my results:

- When k-Medoids is the label, Entropy = 0.822, Purity = 0.81
- When Complete Link Hierarchical Clustering is the label, Entropy = 3.164, Purity = 0.457

## 5 Conclusion

Even with our self-imposed limitation of only kernel methods, we managed to run a successful comparison and try a somewhat novel distance measure. Keeping the limited scope of this report in mind, at least on my two distance measures, Hierarchical clustering (with Complete Linkage) seemed to consistently outperform k-Medoids in measures of cohesion and separation, silhouette score, and common understanding. The clustering was generally much more coherent coming from Hierarchical Clustering, *especially* with distance metric one. Although this report is by no means a complete dive into clustering, let alone these two metrics, it gave us some insight into how the two methods work in limited cases, and despite having an upsetting-looking distribution at first, novel distance measure  $d_1$  = Normalized Unordered Edit Distance proved functional and excelled against Euclidean distance.

## Statement of Participation

- John Mays: 100%

All team members agree with the specified effort.

## Sources

- [1] *Text pre-processing: Stop words removal using different libraries(NLTK)*
- [2] *Introduction to Data Mining (2nd ed.)* Tan et al.
- [3] *Fuzzy Approach Topic Discovery in Health and Medical Corpora* by Karami, Gangopadhyay, Zhou, and Kharrazi