



Unifying Lorentz force and Magnetism

New formula (or not really new, but a combination of magnetic force and Lorentz-force which eliminates magnetic fields as component completely):

$$\vec{F}_1 = \sum_{n=2}^{\infty} \frac{q_1 q_n}{4\pi\epsilon_0 |\vec{\Delta r}|^3} (\vec{\Delta r} + \frac{\vec{\Delta v}}{c^2} \times (-\vec{\Delta v} \times \vec{\Delta r}))$$

- [Download the Paper as PDF](#)
- [Download the mathematical derivation of this formula as PDF](#)

Introduction

Both, Lorentz force and Magnetism, describe forces on charged particles. Yet, until now, both had been understood as separate, distinct phenomena.

This article tries to unify both effects with only a slightly redefined Lorentz force.

Lorentz force and Magnetic force as defined before today

The Lorentz force was defined as

$$\vec{F} = q[\vec{E} + \vec{v} \times \vec{B}]$$

Magnetic force was defined as

$$\vec{F} = q(\vec{v} \times \vec{B})$$

Forces in conductors with a current

Yet unexplained, or believed to be somehow explainable with relativity, is the asymmetric behavior of the force between two conductors:

- Conductors with currents in the same direction are known to attract each other
- Conductors with currents in opposing directions are known to push each other

New definition of the Lorentz force

The force based upon the electric field remains unchanged

$$\vec{F}_{electric} = q\vec{E}$$

, but the force based upon the magnetic field is redefined to be based solely on the velocity difference Δv and distance d between two charged particles:

$$\vec{F}_{magnetic} = q_1 q_2 \Delta v^2 / d^2 * \vec{\Delta v}_0 \times \vec{d}_0)$$

with

$$1 = \text{abs}(\vec{\Delta v}_0) = \text{abs}(\vec{d}_0)$$

Calculations show that this always yields the very same result as the definition before, and thus can be seen equal.

Nonetheless this new definition explains a lot more things that yet had been explained differently.

New explanation for forces between conductors with a current

In conductors with a current, there are not only moving electrons, but also fixed protons with a positive charge.

As now electrons are moving in one conductor, they are not only moving in relation to other electrons, but also in relation to other protons. Depending on the direction of the moving electrons, the difference in speed between electrons in both conductors can be greater or lower than the difference between electrons in both conductors and all the protons. As the new Lorentz force formula is based upon Δv the force between the electrons might be greater or lower than the force between the electrons and protons.

In conductors with electrons going in the same direction $\Delta v_{e \leftrightarrow e}$ is lower than $\Delta v_{e \leftrightarrow p}$. So the force between electrons and protons is stronger, which results in a negative Force: The conductors attract each other.

In conductors with electrons going in opposing direction $\Delta v_{e \leftrightarrow e}$ is higher than $\Delta v_{e \leftrightarrow p}$. So the force between electrons and electrons is stronger, which results in a positive Force: The conductors push each other away.

Eliminating magnetism

Based upon this new formula, also magnets can be explained: In magnets more electrons rotate around the atomic nucleus in the same direction as in all other directions. So there is a small (depending on the strength of the magnet) difference in which direction electrons are moving in relation to their spatial position. The most strong magnet imaginable would have all electrons rotating around their nuclei in the very same plane in the very same direction.

Explaining magnets force on charged particles

S = Southpole, N = Northpole, x-axis indicating the axis around which more electrons rotate than around other axes:

```

y      z
|     /
|    /  SSSSSNNNNN
|   /   SSSSSNNNNN e_1      SSSSSNNNNN e_2
|  /    SSSSSNNNNN
| /-----> x

```

Electrons within the magnet rotate around the x axis, staying (more or less) in the y-z-plane. The x-axis as rotation-axis is obvious due to the symmetry of a magnet, which changes its magnetic field if rotated around z or y.

A charged particle e_1 or e_2 , staying near either of the two poles moves in relation to the electrons within the magnet, but not in relation to the protons in the magnet, which might lead to the wrong assumption that charged particles without velocity would be pushed or attracted by magnetic fields. This is not the case, as the force on the electron during a rotation is directed also around all directions in the y-z-plane. This, viewed together with lots of circulating electrons, which do rotate in the same y-z-plane, but which have distributed positions along their circular path, cancel each other out.

A charged particle which is moving in x direction also does not receive any resulting force, as this does not create any asymmetry.

Now, when the charged particle moves in the y-z-plane, that's a different case, as (1) the velocity difference to the protons now applies, as well as the velocity difference to the electrons changes depending on their position around their circular path, and thus the force calculated for position a is lower than the force calculated for position b, resulting in an overall force, which is well known and described as the classical Lorentz force.

Explaining magnets force on other magnets

```

y      z
|     /   SSSSSNNNNN      SSSSSNNNNN
|    /    SSSSSNNNNN      SSSSSNNNNN
|   /     SSSSSNNNNN      SSSSSNNNNN
|  /-----> x

```

Two magnets, where different poles are nearer to each other, have the electrons closest to each other rotating in the very same directions. So the difference in speed between the electrons eliminates, leaving only the speed of the electrons in relation to the protons: The different ends of the magnets attract each other.

```

y      z
|     /   SSSSSNNNNN      NNNNNSSSSS
|    /    SSSSSNNNNN      NNNNNSSSSS
|   /     SSSSSNNNNN      NNNNNSSSSS
|  /-----> x

```

Two magnets, where same poles are nearer to each other, have the electrons closest to each other rotating in the opposing directions. So the difference in speed between the electrons doubles, while the speed between the electrons and protons remains unchanged: The different ends of the magnets push each other away.

It has to be noted, that there is no difference in the axis or preferred rotation-direction on south or north pole, thus excluding the possibility of monopoles. Monopoles do not exist if this explanation is correct.

New Lorentz formula

The Lorentz force can be defined between 2 particles with charges q_1 and q_2 as

$$\vec{F}_1 = \frac{q_1 q_2}{4\pi\epsilon_0 |\Delta\vec{r}|^3} \left(\Delta\vec{r} + \frac{\Delta\vec{v}}{c^2} \times (-\Delta\vec{v} \times \Delta\vec{r}) \right)$$

Accordingly the total force on one particle with charge q_1 can be defined as resulting force of interaction with all other relatively moved charged particles $q_2 \dots q_n$ as

$$\vec{F}_1 = \sum_{n=2}^{\infty} \frac{q_1 q_n}{4\pi\epsilon_0 |\Delta\vec{r}|^3} \left(\Delta\vec{r} + \frac{\Delta\vec{v}}{c^2} \times (-\Delta\vec{v} \times \Delta\vec{r}) \right)$$

where

$$\epsilon_0 = \frac{10^7}{4\pi c^2}$$

$$\Delta\vec{v} = \vec{v}_1 - \vec{v}_n$$

$$\Delta\vec{r} = \vec{r}_1 - \vec{r}_n$$

Conclusions

- Magnetic fields are only descriptions of mathematical fields (no physically existing field) with that forces on moving charged particles can be calculated easily.
- Magnetic fields do not exist 'really', but are only descriptions to calculate possible forces whenever charged particles are moving at a specified position.
- Magnetism does not exist, but only the Lorentz force as force determined by relative speeds and distance between charged particles exists.
- Magnetic Monopoles do not exist.
- The Lorentz force alone can explain all effects formerly described with magnetism. Please give it a try with your favorite effect! ;-) You can always reach out to us for discussion of specific effects at <http://theory.kechel.de>
- Two charged particles in free space that are moving in relation to each other either attract or push each other: Same charges push, opposing charges attract. The sign of the speed-difference, whether approximating or departing, makes no difference, only the speed difference accounts.
- The forces that act on charges with a relative speed to each other is then defined to be a static central force according the Coulomb Force (that is a central force acting in the direction of the local distance vector between the charges) plus a force that is dependent on the square of the relative speed to each other. The direction of this dynamic force is always perpendicular to the vector of the speed difference. This dynamic force is not a central force, it creates a momentum, and never adds any Energy to the movement of the two charges with their masses. Both forces decrease with the reciprocal square of the distance to each other.
- It must be clear that this force description is time dependent, as at a time $t_1 > t_0$ the distance and/or angle between the charges changes and with it the forces.
- From this new formula three cases shall be considered
 - The case when two charges move exactly on the same vector line (absolutely central). Then the resulting dynamic force is zero.
 - The two charges cross each other at the smallest distance to each other. Then the dynamic momentum is zero, but the force at the velocity c is exactly identical to the static force. The total force in this case is exactly twice the static force. This simple rule can be seen in the new formula if you transform the two vector products into an expression that includes only scalar products. (see the attached mathematical derivation)
 - The vector of the momentary speed difference and the momentary vector of the location difference define a planar plane. If we select an x-y coordinate system in this plane, then all forces, the static and the dynamic force a lying in this plane. No three finger rule is needed to describe the direction of the forces.

Comments

We can not (yet) be sure that in magnets electrons really fly around one nucleus only, or maybe have wild strange pathways or 'superconducting currents'. The only thing that seems to be for sure is that the predominant pathways result in the same overall effect as the model where all electrons only fly around their own nucleus.

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Discussions

- Lorentz-Kraft & Magnetismus vereinen? <http://www.physikerboard.de/topic,51019,-lorenz-kraft-und-magnetismus-vereinen%3F.html>
- Unifying Lorentz force and Magnetism? <https://www.physicsforums.com/threads/unifying-lorentz-force-and-magnetism.899910/>



Original handwritten derivation of the new formula

9.2.2016

Allgemeine Lösung der Kräfte zwischen zwei bewegten Ladungen q_1 und q_2
 q_1 befindet sich am Ort \vec{r}_1 und hat die Geschwindigkeit \vec{v}_1
 q_2 " " " \vec{r}_2 und hat die Geschwindigkeit \vec{v}_2
 Dann wird \vec{B} am Ort \vec{r}_2 (q_2 mit \vec{v}_2)

$$687 \quad \vec{B}_2 = \frac{\mu_0}{4\pi} \cdot q_1 \cdot \frac{-\Delta \vec{v} \times \vec{d}}{|\vec{d}|^3}$$

$$688 \quad = \frac{1}{4\pi\epsilon_0 c^2} \cdot q_1 \cdot \frac{(\vec{v}_1 - \vec{v}_2) \times (\vec{r}_1 - \vec{r}_2)}{|\vec{r}_1 - \vec{r}_2|^3}$$

Die Lorentz-Kraft ist definiert als

$$689 \quad \vec{F} = q \cdot (\vec{E} + \vec{v} \times \vec{B}) = q \cdot \vec{E} + \underbrace{q \cdot (\vec{v} \times \vec{B})}_{\text{dyn. Kraft}}$$

Dann wird die dynamische Kraft auf q_2

$$690 \quad \vec{F}_{2, \text{dyn}} = q_2 \cdot (\vec{v}_2 - \vec{v}_1) \times \frac{(\vec{v}_1 - \vec{v}_2) \times (\vec{r}_1 - \vec{r}_2)}{|\vec{r}_1 - \vec{r}_2|^3} \cdot \frac{q_1}{4\pi\epsilon_0 c^2}$$

$$691 \quad = \frac{q_1 \cdot q_2}{4\pi\epsilon_0 c^2} \cdot \frac{(\vec{v}_2 - \vec{v}_1) \times [(\vec{v}_1 - \vec{v}_2) \times (\vec{r}_1 - \vec{r}_2)]}{|\vec{r}_1 - \vec{r}_2|^3}$$

692 Für die statische Kraft gilt $\vec{F} = \frac{1}{4\pi\epsilon_0} \cdot \frac{q_1 \cdot q_2}{r^2} \cdot \frac{\vec{r}}{r}$
 damit wird die statische Kraft auf q_2

$$693 \quad \vec{F}_{2, \text{stat}} = \frac{1}{4\pi\epsilon_0} \cdot \frac{q_1 \cdot q_2}{|\vec{r}_1 - \vec{r}_2|^2} \cdot (\vec{r}_2 - \vec{r}_1)$$



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