Module 3.4 - CUDA 3

thread



grid

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(a)

(o o

Processing math: 100%

Stack

- Threads: Run the code
- Block: Groups "close" threads
- Grid: All the thread blocks
- Total Threads: threads_per_block x total_blocks

Processing math: 100%

CUDA Code

- Every thread runs simultaneously
- (Roughly) in lockstep
- How can we get anything done?

Memory

- CUDA memory hierarchy
- Local > Shared > Global
- Goal: minimize global reads and writes

Constraints

- Memory must be typed
- Memory must be constant size
- Memory must be relatively small

Quiz

Quiz

CUDA Algorithms

Examples from Puzzles

(Puzzles)

Example 1: Sliding Average

Compute sliding average over a list

```
sub_size = 2
a = [4, 2, 5, 6, 2, 4]
out = [3, 3.5, 5.5, 4, 3]
```

Basic CUDA

Compute CUDA

Better CUDA

Two global reads per thread ::

Example 2: Reduction

Compute sum reduction over a list

```
a = [4, 2, 5, 6, 1, 2, 4, 1]
out = [26]
```

Algorithm

- Parallel Prefix Sum Computation
- Form a binary tree and sum elements

Associative Trick

Formula

$$a = 4 + 2 + 5 + 6 + 1 + 2 + 4 + 1$$

Same as

$$a = (((4+2)+(5+6))+((1+2)+(4+1)))$$

Associative Trick

Round 1

$$a = (((4+2)+(5+6))+((1+2)+(4+1)))$$

Round 2

$$a = ((6+11)+(3+5))$$

Round 3

$$a = (17 + 8)$$

Round 4

Thread Assignments

Round 1 (4 threads needed, 8 loads)

$$a = (((4+2)+(5+6))+((1+2)+(4+1)))$$

Round 2 (2 threads needed, 4 loads)

$$a = ((6+11)+(3+5))$$

Round 3 (1 thread needed, 2 loads)

$$a = (17 + 8)$$

Round 4

Open Questions

- When do we read / write from global memory?
- Where do we store the intermediate terms?
- Which threads work and which do nothing?
- How does this work with tensors?

Table

Harder Questions

- What if the sequence is too short?
- What if the sequence is too long?

Too Short - Padding

- Recall that we always have a start, e.g. 0
- Can pad our sequence with start
- In practice can be done by initializing shared memory.

Too Long - Multiple Runs

- Sequence may have more elements than our block.
- Do not want to share values between of blocks.
- However, can run the code multiple times.

Example - Long Sequence

Formula

$$a = 4 + 2 + 5 + 6 + 1 + 2 + 4 + 1 + 10$$

Block size 8

$$a = (((4+2)+(5+6))+((1+2)+(4+1)))+10$$

Homework Tips

- Implement simple cases first. (power of 2, no padding).
- Then try shorter sequences, and longer with tensor.
- Draw lots of diagrams, hard to debug the code directly