DS3001 EDA Assignment

2. $(x_i - m(x)) = \frac{1}{N} \sum_{i=1}^{N} (x_i - m(x)) [(a + by_i) - m(a + bY)] = \frac{1}{N} \sum_{i=1}^{N} (x_i - m(x)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(x)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(x)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(Y))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X))) (b(y_i - m(X))) = b \cdot \frac{1}{N} \sum_{i=1}^{N} (x_i - m(X)) (b(y_i - m(X)) (b(y_i - m(X))) (b(y_i - m(X)) (b(y_i - m(X))) (b(y_i - m(X)) (b(y_i - m(X)))$

 $| m(a+bX) = \frac{1}{N} \sum_{i=1}^{N} (a+bx_i) = \frac{1}{N} \sum_{i=1}^{N} a + \frac{1}{N} \sum_{i=1}^{N} bx_i = a+b \cdot \frac{1}{N} \sum_{i=1}^{N} x_i = \frac{a+bm(X)}{1}$

cov(a+bX,a+bX)=b cov(a+bX,X)=b cov(X,X)

 $cov(a+bX, a+bX) = b^2 cov(X,X)$ $(ov(X,X)=s^2)$

 $m(q(X)) = \frac{0^2+2^2}{2} = 2$ $g(m(X)) = (1)^2 = 1$

 $g(m(X)) \neq m(g(X))$

 $IQR:_{q}(Q_{ozs}(X))-_{q}(Q_{ozs}(X))$ Range: $g(max(X))-_{g}(min(X))$

Non-decreasing transformations preserve the median kall quantiles, but may disturt distances like IQK k range ruless the transformation: slinear

4 median $(g(X)) = g(median(X)), Q_p(g(X)) = g(Q_p(X))$

 $(x_i-m(x))(y_i-m(y))=\frac{b_{cov}(X,Y)}{}$

5. No, except when g(x) is linear

 $\begin{cases} x \mid X = \{0, 2\} \\ m(X) = \frac{0+2}{Z} = 1 \end{cases}$

 $g(x) = x^2$

3. Let Y=X