arccos, atan2 from trigonometry

ElementSets from MeshConnectivity

Faces, Vertices, Edges, Opposite Faces, Vertex One Ring, Opposite Vertices, Neighbor Vertices In Face, Oriented Vertices, Edge Index from Neighborhoods (M) and the Vertices of the Vertices

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M: TriangleMesh
                      \mathbf{r} \in \mathbb{R}^3
               V E F = ElementSets(M)
VertexNormal(i) = \left(\sum_{t \in Iroscol} \frac{(x_j - x_i) \times (x_k - x_i)}{\|x_i - x_i\|^2 \|x_i - x_i\|^2} \quad \text{where } j, k = NeighborVerticesInFace}(f, i)\right) \text{ where } i \in V
               \theta(i, f) = \arccos \left( \frac{(x_j - x_i) \cdot (x_k - x_i)}{\|x_i - x_i\|} \right)
                                i \in V
                                f \in F
                              j, k = NeighborVerticesInFace(f, i)
              area(f) = \frac{1}{h} \|(x_i - x_i) \times (x_k - x_i)\|
                        where
                             i. i. k = OrientedVertices(f)
                  N(f) = \frac{(x_j - x_i) \times (x_k - x_i)}{2 \operatorname{area}(f)}
                         where
                             i. i. k = OrientedVertices(f)
                   l(e) = ||x_i - x_i||
                         where
                                  e \in E
                                i, j = Vertices(e)
                   \phi(e) = \pi - atan2(\|N_1 \times N_1\|, N_1 \cdot N_2)
                         where
                                  e \in E
                           f_1, f_2 = OppositeFaces(e)
                              N_1 = N(f_1)
                              N_2 = N(f_2)
         cot(k, j, i) = \frac{cos}{sin}
                          where
                             i, i, k \in V
                             oj, oi = OrientedVertices(k, j, i)
                              cos = (x_{ni} - x_k) \cdot (x_{ni} - x_k)
                              sin = ||(x_{ni} - x_k) \times (x_{ni} - x_k)||
              sin = \|(x_{ij} - x_k) \times (x_{ii} - x_k)\|

KN(i) = \frac{1}{2} \left( \sum_{i=1,\dots,n-1} \frac{\phi_e}{l_e} (x_j - x_i) \right) where e = EdgeIndex(i, j) where i \in V
               HN(i) = \frac{1}{2} \left( \sum_{\substack{i \in N \text{ and } cont(\alpha) \in A}} (\cot(\alpha) + \cot(\beta)) \ \left( x_i - x_j \right) \right) \text{ where } k, p = Opposite Vertices(EdgeIndex(i,j)), \cot(\alpha) = \cot(k,j,i), \cot(\beta) = \cot(p,i,j) \right) \text{ where } i \in V
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