

programming for artists and designers

Daniel Berio

Session Summary

- Mid-term Q&A
- Arrays
- Vectors
 - 2d vector math basics
 - `glm::vec2`
- Number Generators:
 - Interpolation
 - Perlin Noise
 - Flow fields
- Lab / at home:
 - Chance & Control: Generative “Drawing”

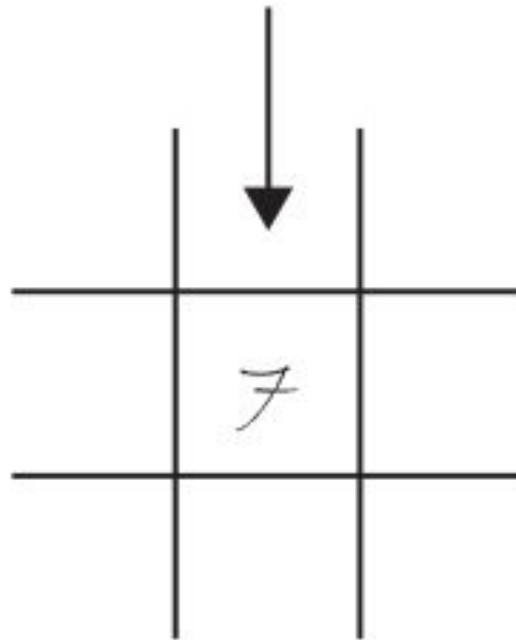
Mid-term Q&A

Any questions about the project brief?

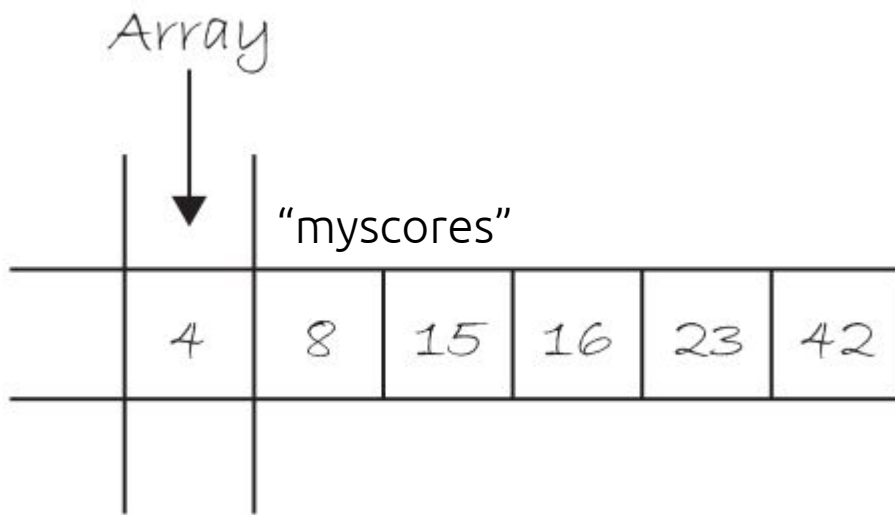
How do we store a list
of values?



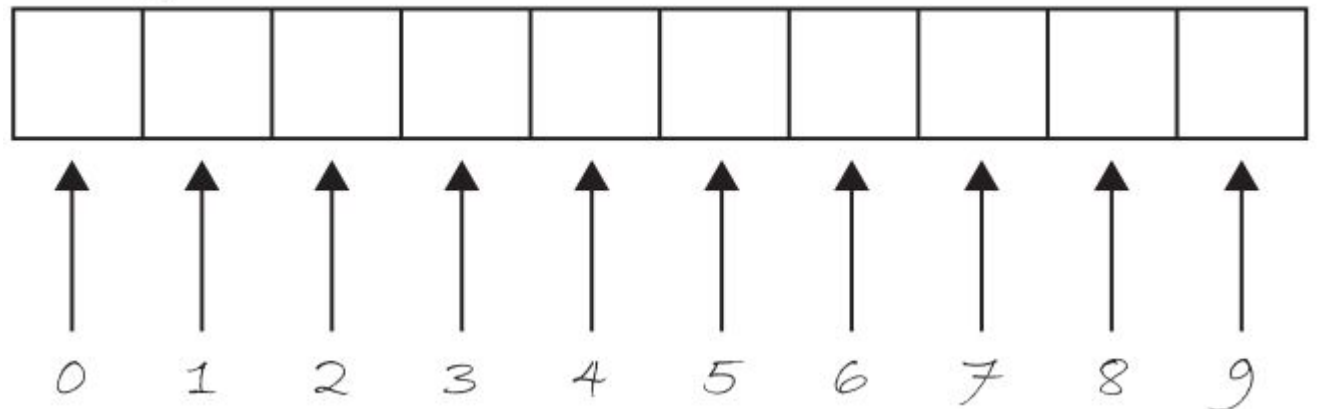
```
int myscore;
```



Arrays



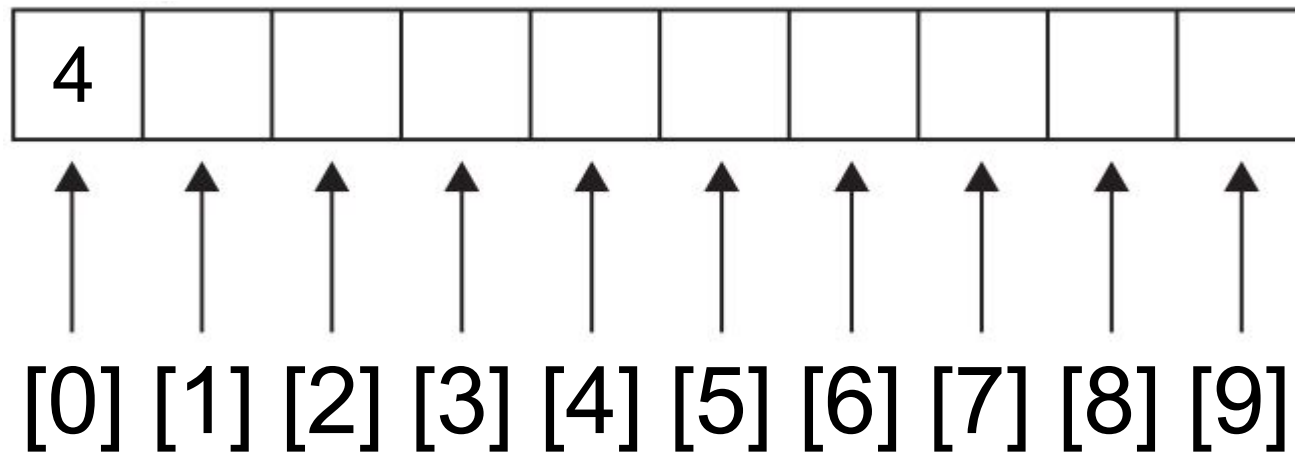
Array index values



Storing a value inside an array

```
//in ofApp.h  
int myscores[10];
```

```
//in setup()  
myscores[0] = 4;
```



Storing a value inside an array

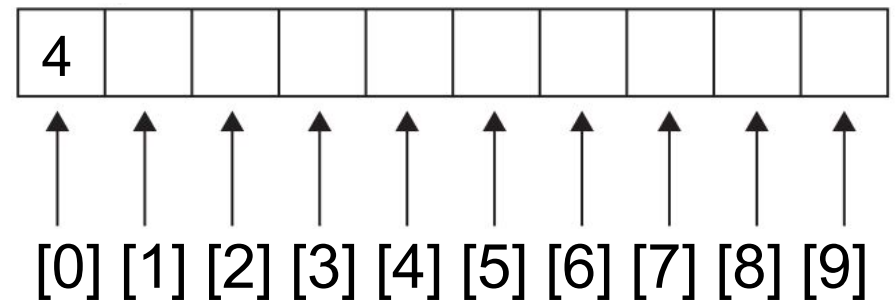
With C++, arrays are blocks of *static computer memory* whose size must be known at compile time, before the program runs.

```
//in ofApp.h  
int myscores[10];
```

```
//in setup()  
myscores[0] = 4;
```

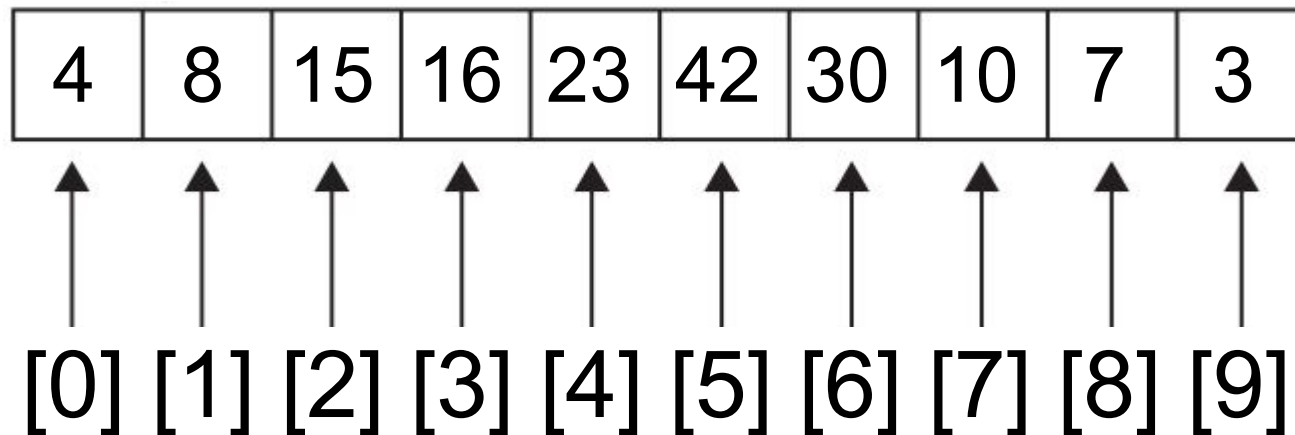
*Different from Javascript
(p5.js) !!!!!*

Next week we will learn about a data structure that we can *dynamically* make bigger while the program is running.



Reading a value inside an array

```
cout << myscores[4] << endl;
```

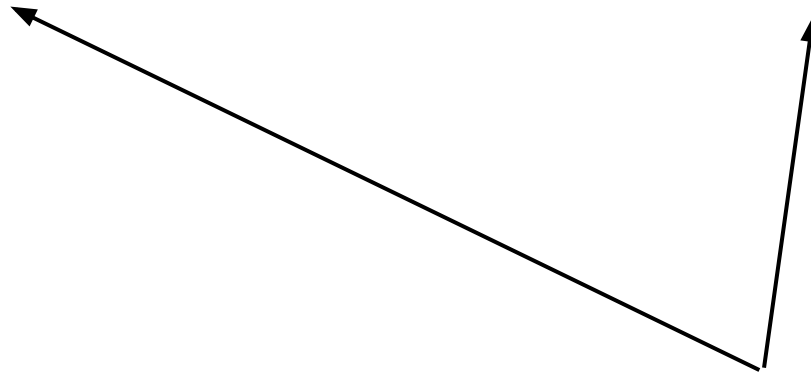


Remember?
We count starting from 0



myArray[arrayIndexValue]

Square Brackets



Question: What do we do if we have an array with 1000 elements?

```
//in ofApp.h
int myIntArray[1000];

//in setup()
myIntArray[0] = 10;
myIntArray[1] = 80;
myIntArray[2] = 5;
...
myIntArray[999] = 100;
```



Answer



We can use a for loop!!!!

```
//in ofApp.h
int myIntArray[1000];

//in setup()
for (int i = 0; i<1000; i++)
{
    //1000 random values
    myIntArray[i] = ofRandom(0,10);
}
```

2D Arrays (arrays of arrays)

```
int array2D[3][4];
```

➡ `cout << array2D[2][1] << endl;`

	0	1	2	3
0	50	18	7	73
1	10	80	45	20
2	6	89	30	11

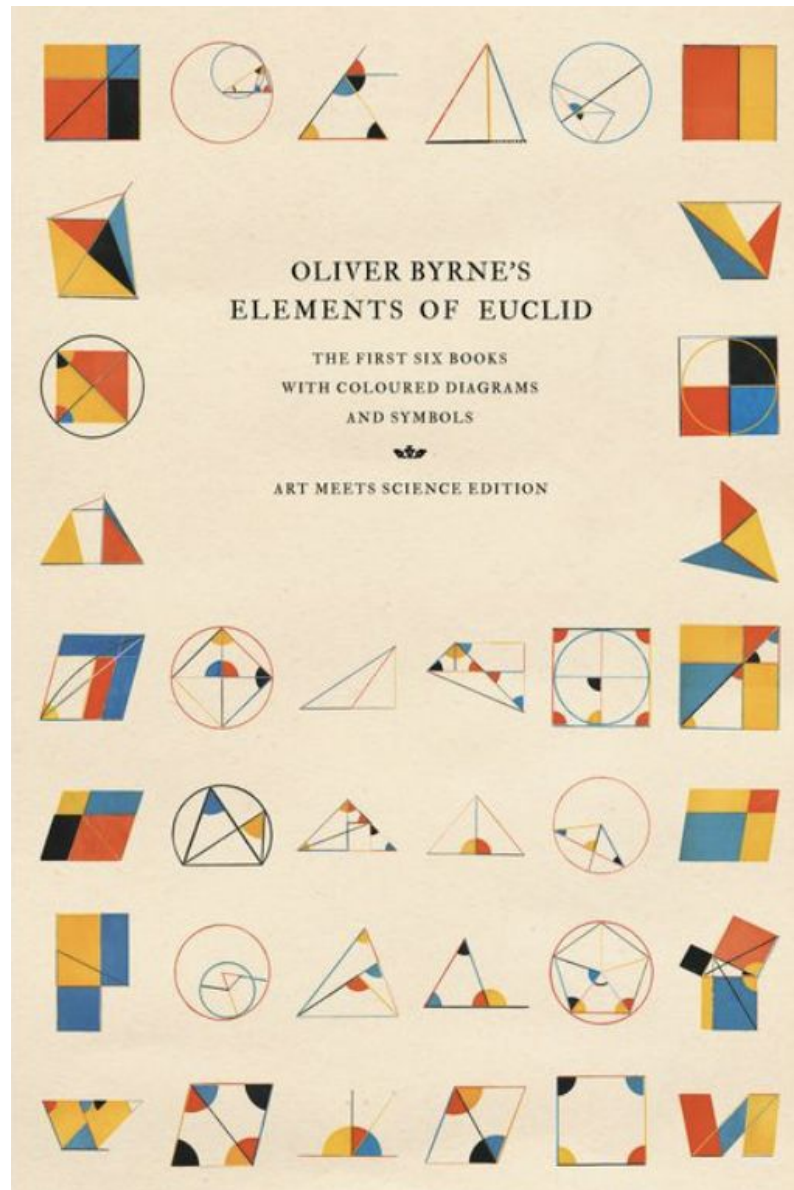
Quick way to fill a 2D array?

A nested for loop!

```
//in ofApp.h
float myFloatArray[10][10];

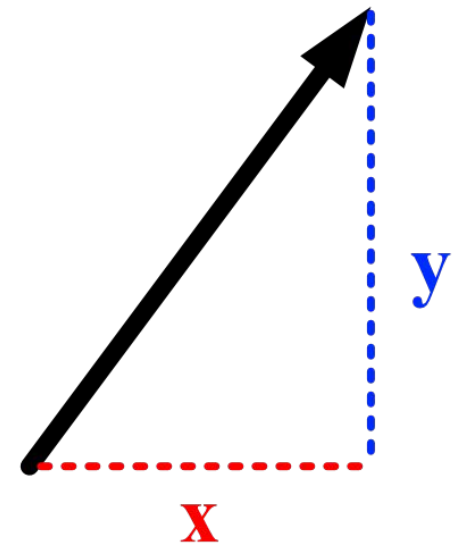
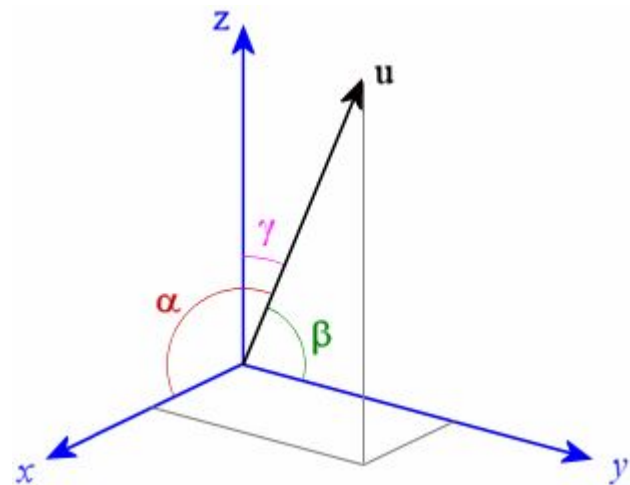
//in setup()
for (int i = 0; i<10; i++)
{
    for (int j = 0; j<10; j++)
    {
        //10 x 10 (100) random values between 0-1
        myFloatArray[i][j] = ofRandom(1);
    }
}
```

Back to geometry



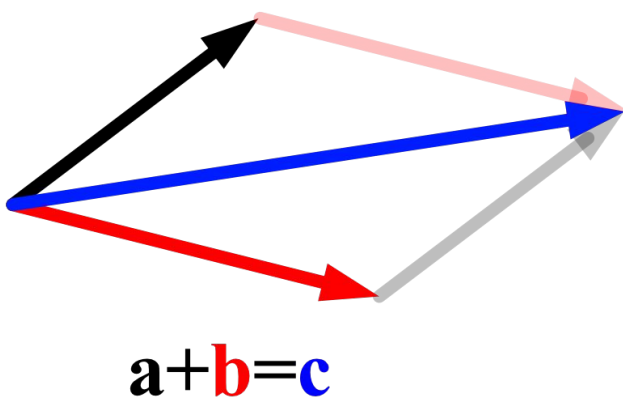
Vectors

- Vectors are mathematical objects that describe a **direction** and a **length** (aka “magnitude” or “norm”)
- Imagine them as arrows in space (e.g. 2D, 3D, etc...)
 - Tip of the arrow pointing in the direction of the vector
- Represented with an ordered list of numbers
 - One for each dimension, e.g. 2 for 2D, 3 for 3D, 4 for 4D etc etc...
 - We will focus only on 2D, i.e. $[x, y]$
 - Concepts also useful in 3D and further higher dimensions (e.g. machine learning)
- Similar to points but (conceptually) vectors don't have a fixed position
 - Useful to encode quantities like displacement, velocity, a force

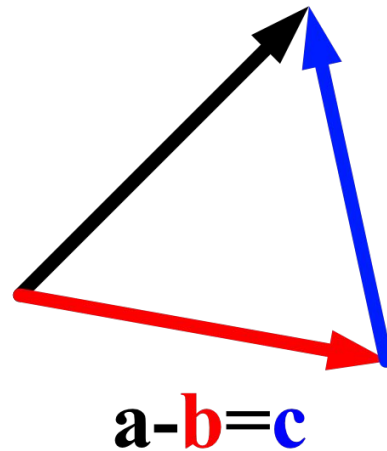


Vector math

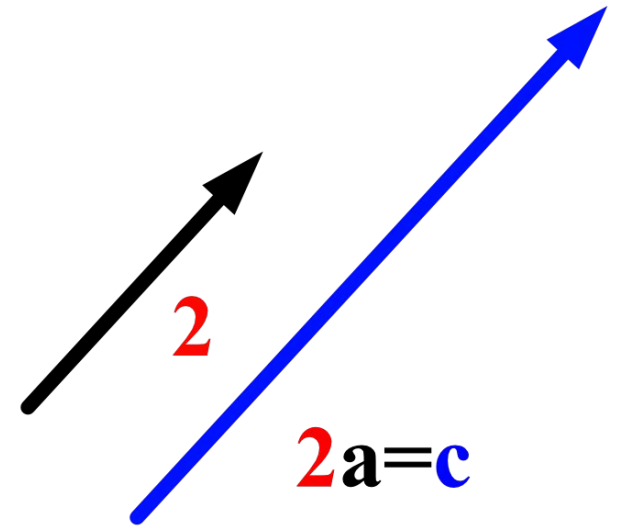
- Vectors can be manipulated with operations such as:
 - Multiplication/division by a number -> scaling
 - Addition/subtraction
 - Other operations that we will not cover
 - E.g. dot product , cross/wedge product
 - Element-wise multiplication, but no intuitive geometric interpretation



“Parallelogram rule”



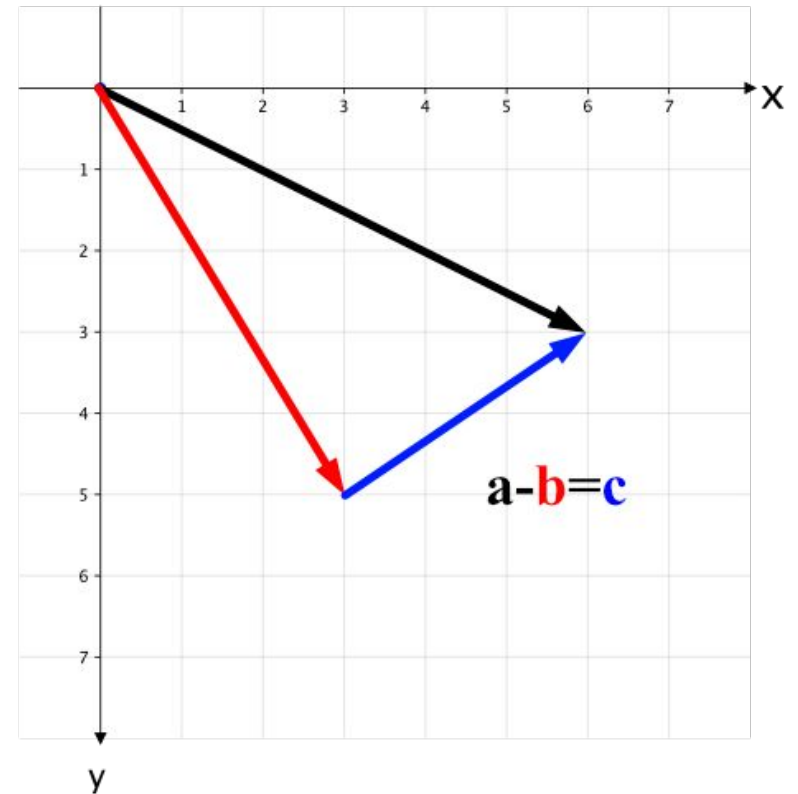
Vector taking me from \mathbf{b} to \mathbf{a}



Scaling/weighting
“How much of the vector”

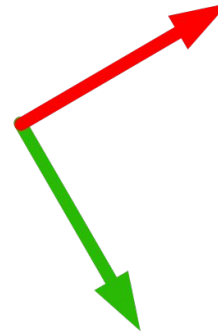
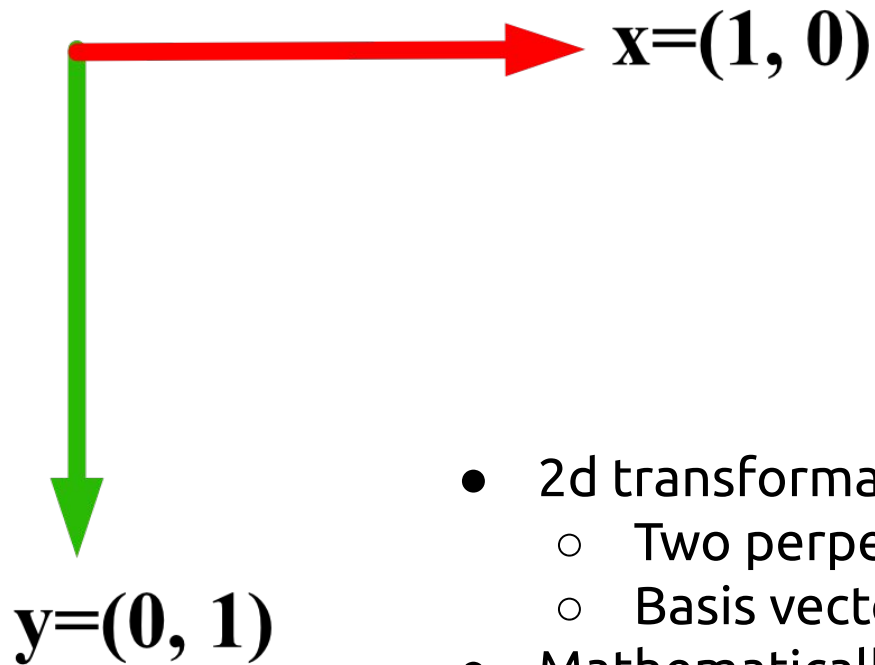
Vector math

- Vectors and positions are **conceptually** different
- But with a coordinate system we can encode positions as vectors
 - Offset from the origin
 - Difference between two positions (encoded as vectors)
gives us a vector
 - Displacement from the first position to the second



We have actually seen vectors since Week1!

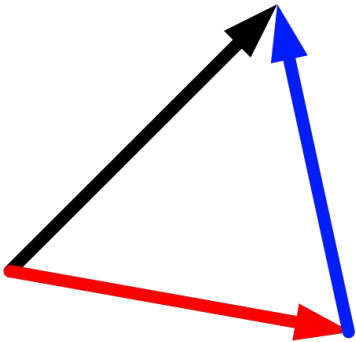
Coordinate systems + transformations



- 2d transformations are defined as:
 - Two perpendicular (orthogonal) vectors and an origin
 - Basis vectors
- Mathematically:
 - Describe a point as a linear combination of basis vectors
 - E.g. $\mathbf{p} = 2\mathbf{x} + 4\mathbf{y}$
 - Try on paper (parallelogram rule)
 - Organized as 3 columns of a “matrix”
 - A matrix can transform a vector
 - That is why we use the term “ofPushMatrix”

We have actually used vectors in Week 2!

(gestural drawing)



$$\mathbf{d} = \text{mouse} - \text{cur}$$

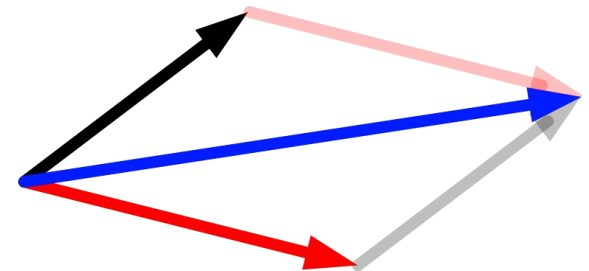
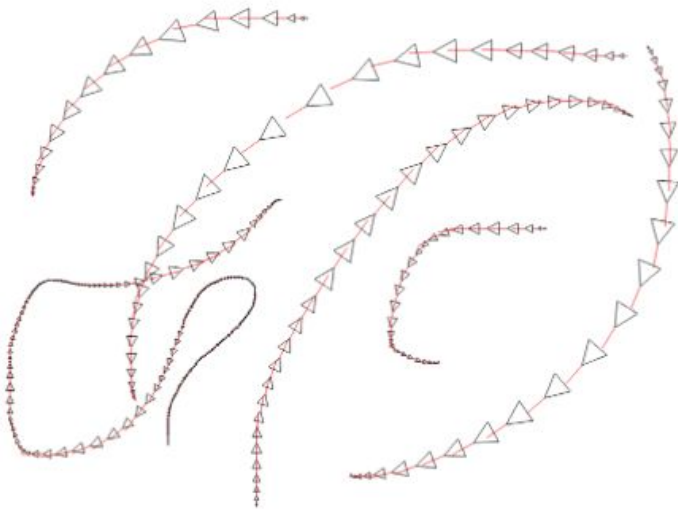
```
void ofApp::draw(){
```

```
    float dx = (mouseX - curx)*amt;
```

```
    float dy = (mouseY - cury)*amt;
```

```
    curx = curx + dx;
```

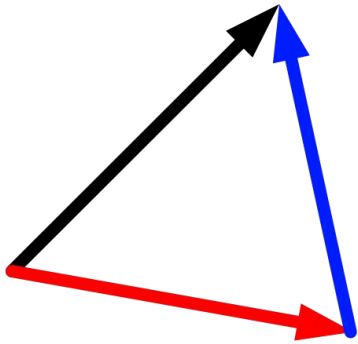
```
    cury = cury + dy;
```



$$\text{cur} = \text{cur} + \mathbf{d}$$

We have actually used vectors in Week 2!

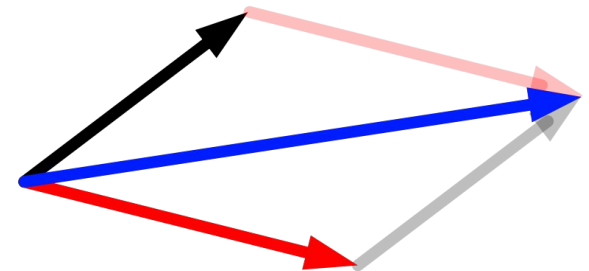
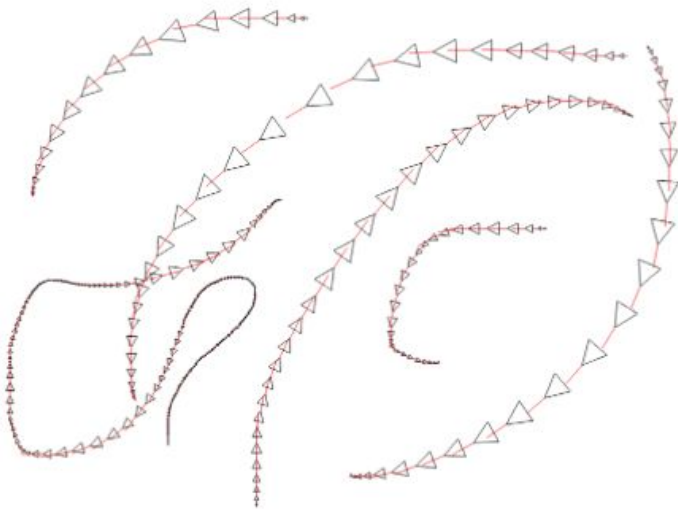
(gestural drawing)



$$\mathbf{d} = \text{mouse} - \text{cur}$$

```
void ofApp::draw(){
```

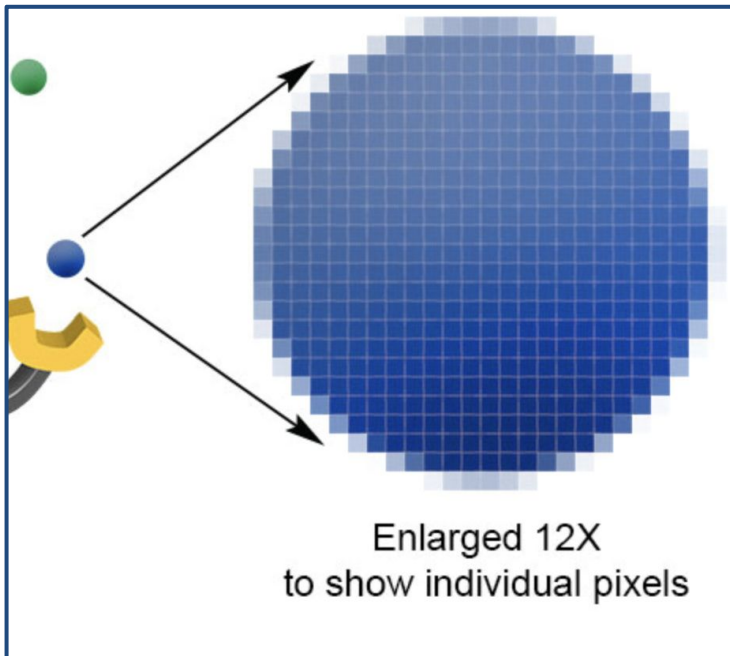
```
    vec2 d = (mouse - cur)*amt;  
    cur = cur + d;
```



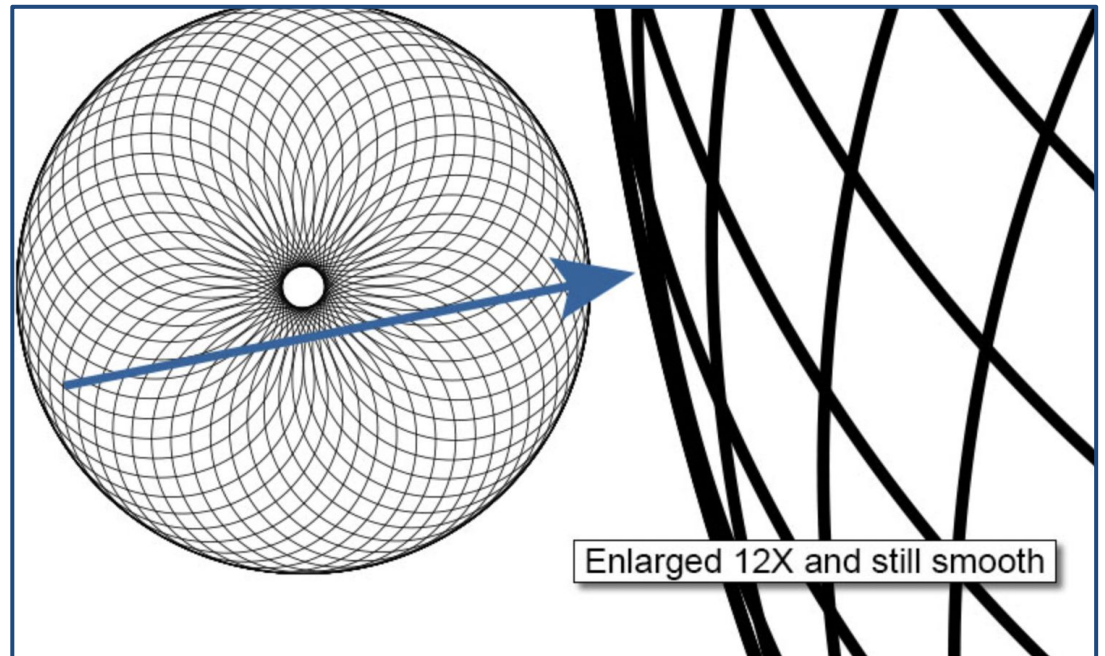
$$\text{cur} = \text{cur} + \mathbf{d}$$

OUTPUT

Bitmap vs. *Vector Graphics*



Bitmap enlarged - we see pixels



Vector graphics - scale better as information is stored as xy coordinates & styling

glm::vec2

we are doing this

In header file ofApp.h or at beginning of ofApp.cpp :

```
using namespace glm;
```

In ofApp.cpp :

```
vec2 myVector;
```

Without “using namespace” we would write:

```
glm::vec2 myVector;
```

<https://openframeworks.cc/documentation/glm/>

<https://openframeworks.cc/documentation/glm/glm::vec2/>

We have seen this before!

In week 2 helloWorld.cpp :

```
#include <iostream>
using namespace std;

int main()
{
    cout << "Hello World!" << endl;
}
```


glm::vec2

We can store x and y coordinates in a vec2, e.g.

```
vec2 myVector = vec2(mouseX, mouseY);  
myVector.x = 100; //change value
```

<https://openframeworks.cc/documentation/glm/>
<https://openframeworks.cc/documentation/glm/glm::vec2/>



vec2 is for two values – xy

- Dot notation

- `vec2` is a C++ (class) type
- Initialize with a “constructor” (like a function call):
 - `vec2 myVec = vec2(mouseX, mouseY);`
- `vec2.x` gives us a access to the **x** component
- `vec2.y` gives us a access to the **y** component
- Can set a component, e.g:
 - `vec2 myVec = vec2(3, 4);`
`myVec.x = 1.0;`
- You will see in function definitions that take a vector:
 - `void ofTranslate(const glm::vec2& p)`
 - For the moment don't worry about it!
 - Just think, it takes a `vec2` and does not modify it

Addition, Subtraction, Multiplication & Division

Addition and Subtraction are an element-wise operation:

This is the resulting vector

$$\begin{array}{c} 2 + 1 \\ \swarrow \quad \searrow \\ (2, 3, 6) + (1, 2, 3) = (3, 5, 9) \end{array}$$

Without vectors (error prone)

```
float ax=2.0, ay=3.0;
float bx=1.0, by=2.0;
float cx = ax + bx;
float cy = ay + by;
```

vs

With vectors

```
vec2 a = vec2(2.0, 3.0);
vec2 b = vec2(1.0, 2.0);
vec2 c = a + b;
```


<https://natureofcode.com/book/chapter-1-vectors/>



Addition, Subtraction, Multiplication & Division

Multiplication and Division are done by multiplying/dividing each element by a scalar:

Scalar


$$(2, 3, 6) * 2 = (4, 6, 12)$$

Without vectors (error prone)

```
float ax=2.0, ay=3.0;  
float bx = ax*4;  
float by = ay*4;
```

vs

With vectors

```
vec2 a = vec2(2.0, 3.0);  
vec2 b = a*4;
```

or

```
vec2 b = vec2(2.0, 3.0)*4;
```

<https://natureofcode.com/book/chapter-1-vectors/>



vec2 is for two values – xy

*It has a **Length** or **Magnitude***

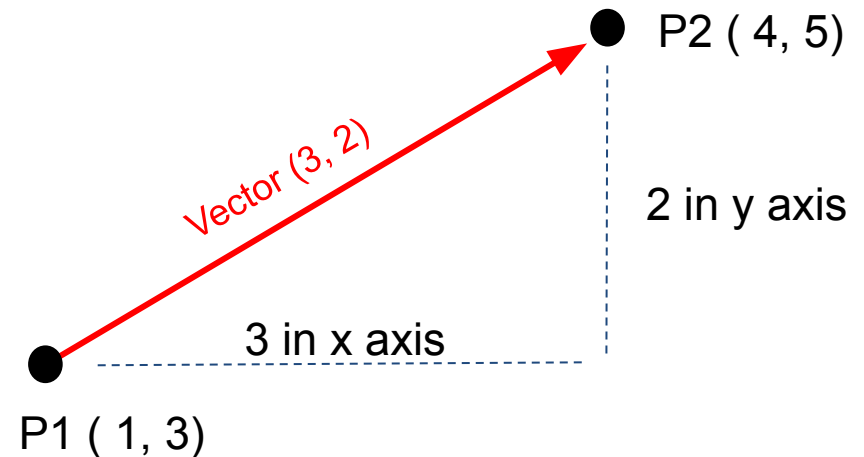
(i.e. how long is this red arrow?)

```
vec2 redArrow = vec2(3,2);  
float mag = length(redArrow);
```

*It has a **Direction***

(i.e. what direction is the arrow pointing?)

```
vec2 redArrow = vec2(3,2);
```



Normalizing a vector makes it a unit vector

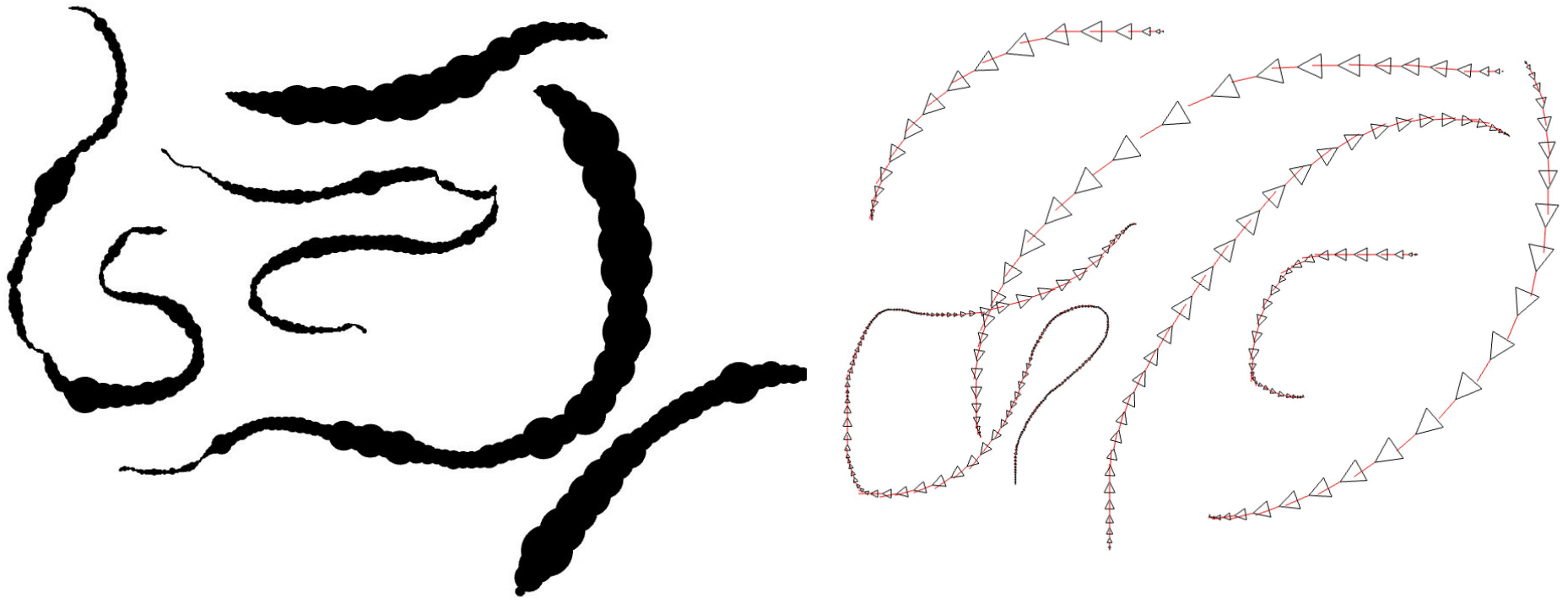
```
float angle = atan2(dir.y, dir.x); // or redArrow  
vec2 dir = normalize(redArrow);
```

A unit vector is a vector of length 1:

```
vec2 dir = vec2(cos(angle), sin(angle))
```

control

mouse speed gives us gestural control



Output like this can be achieved using the Gestural Drawing Activity

Break?

Export one “frame” of drawing as SVG

In ofApp.h:

```
bool exportVectorGraphics; //set to false in setup()
```

In draw():

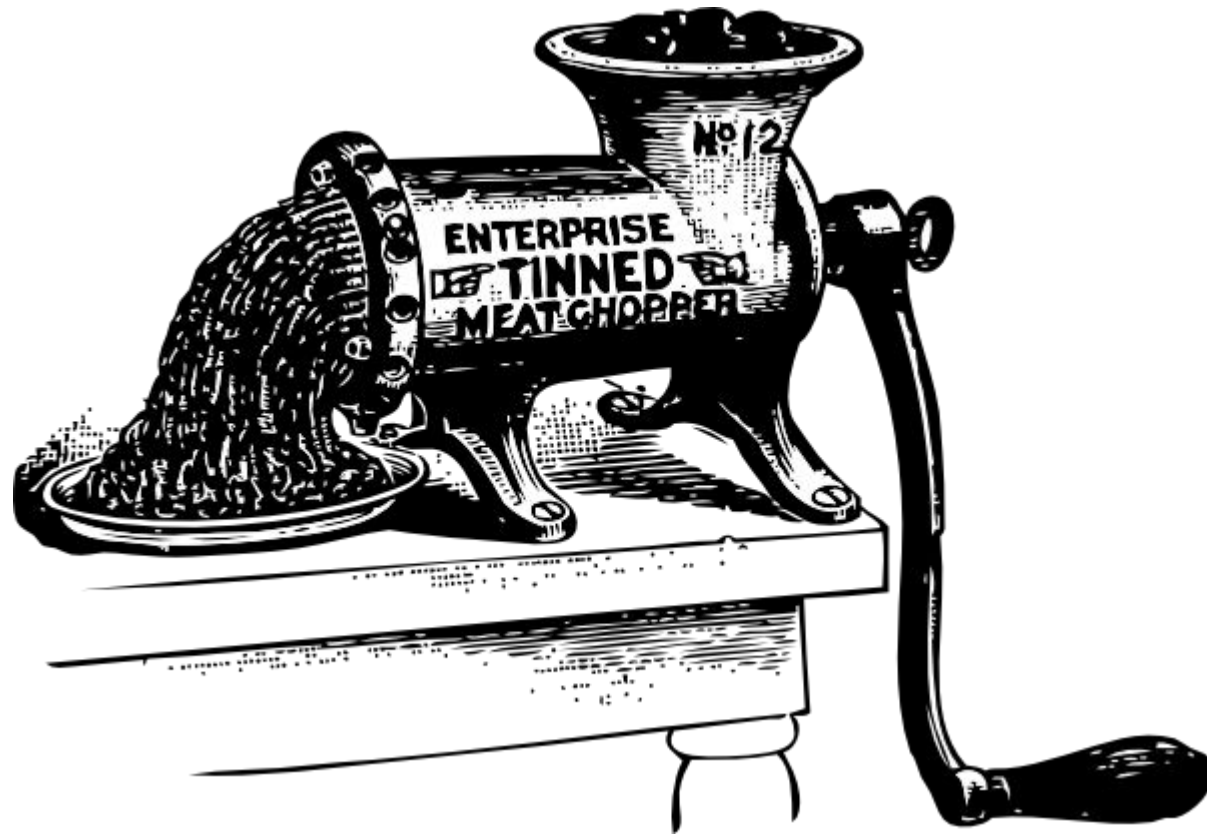
```
if (exportVectorGraphics) {  
    ofBeginSaveScreenAsSVG("nameOfFile.svg");  
}  
//our drawing code  
if (exportVectorGraphics) {  
    ofEndSaveScreenAsSVG();  
    exportVectorGraphics = false;  
}
```

In keyPressed():

```
exportVectorGraphics = true;
```


Break?

Smooth randomness

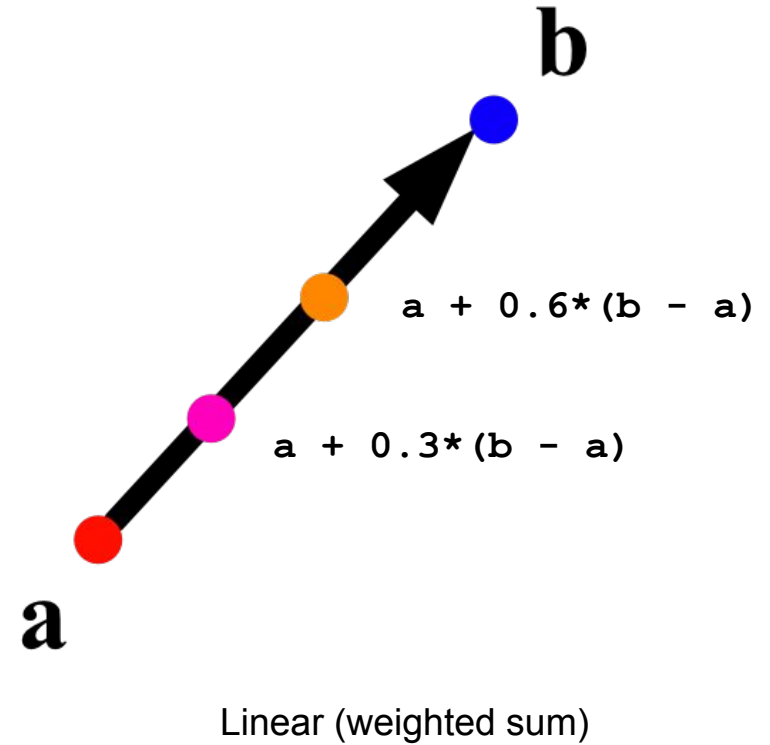


interpolation

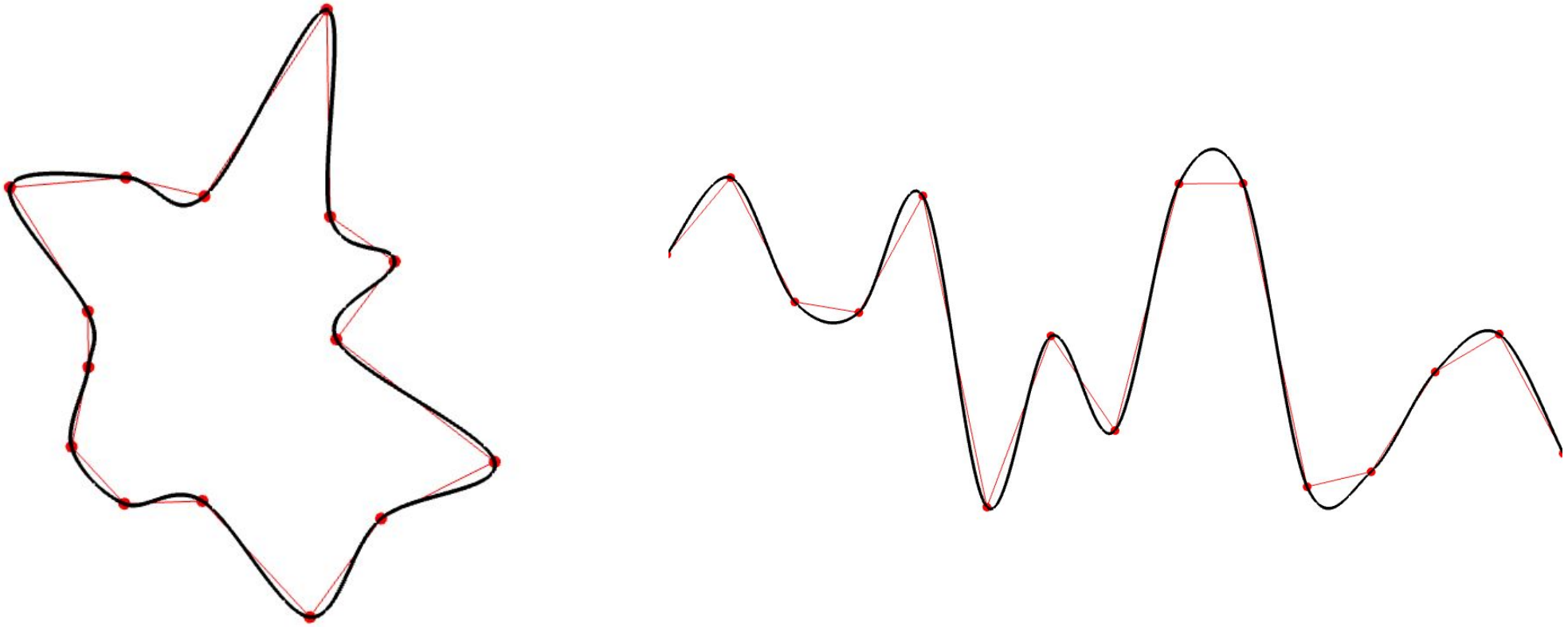
Input points (discrete)

Linear interpolation

Spline interpolation (cubic)



ofRandom + interpolation (with ofCurveVertex)



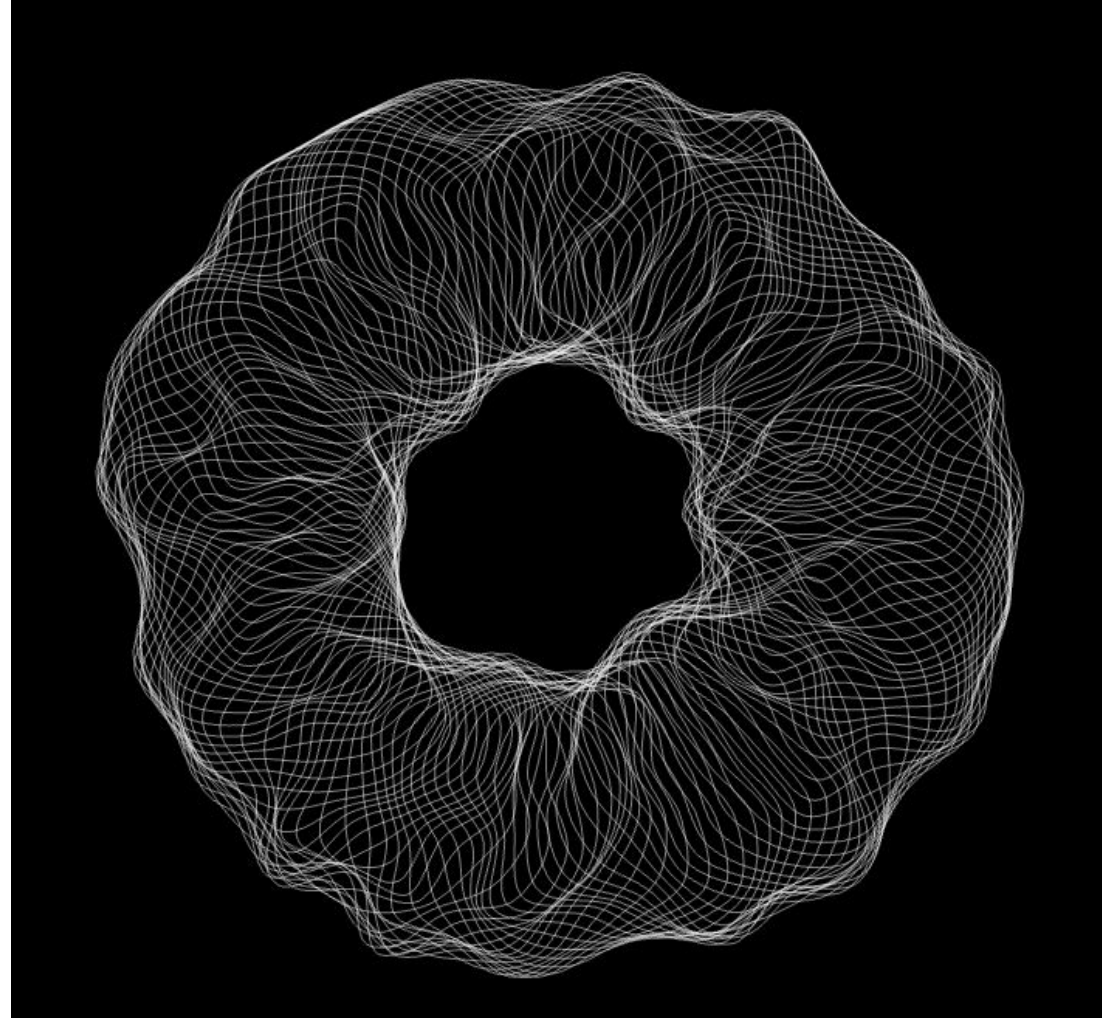
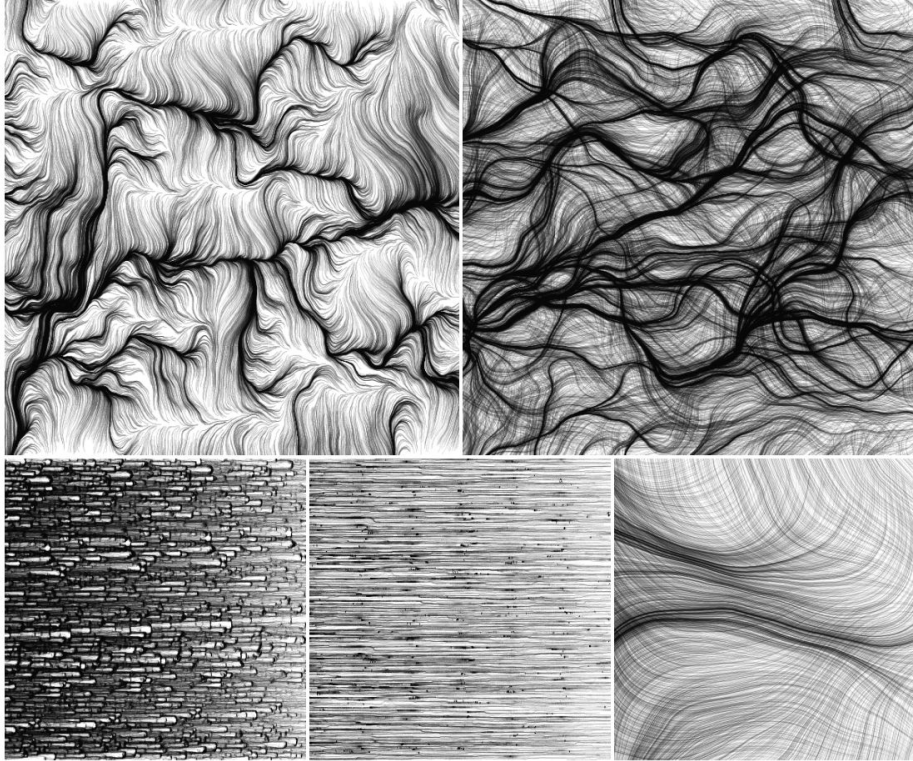
Each line one breath

John Franzen

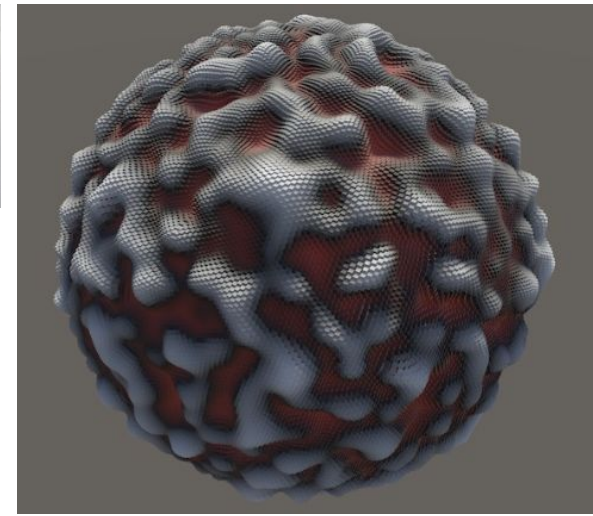


<https://www.johnfranzen.com/each-line-one-breath>

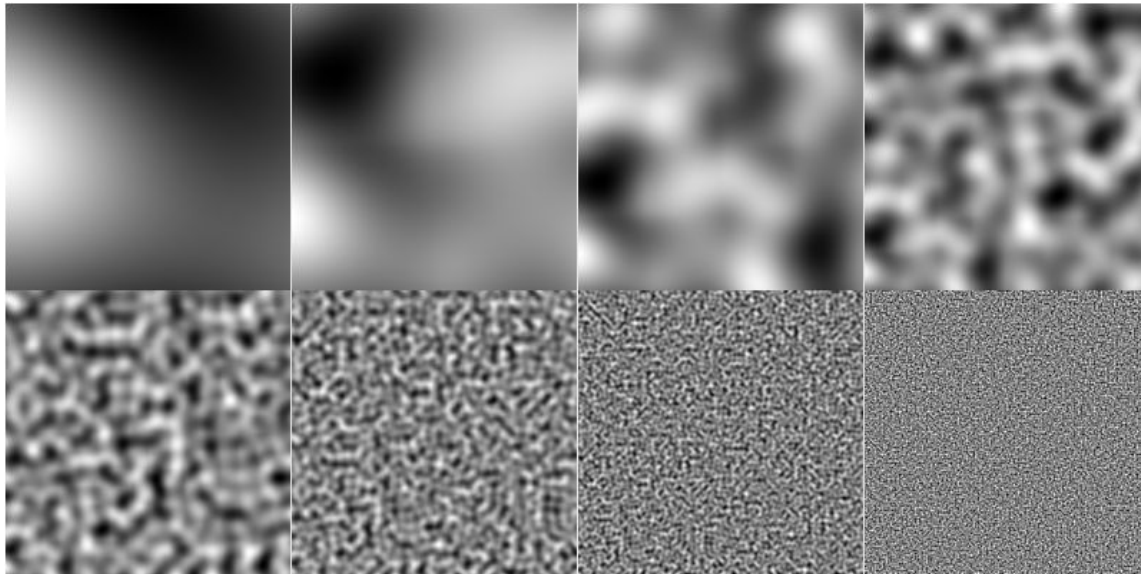
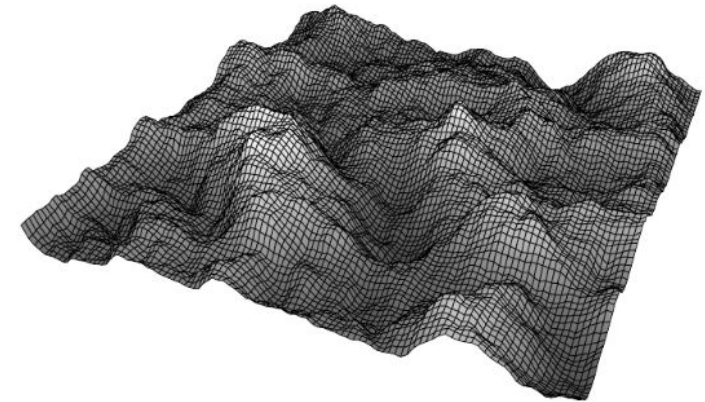
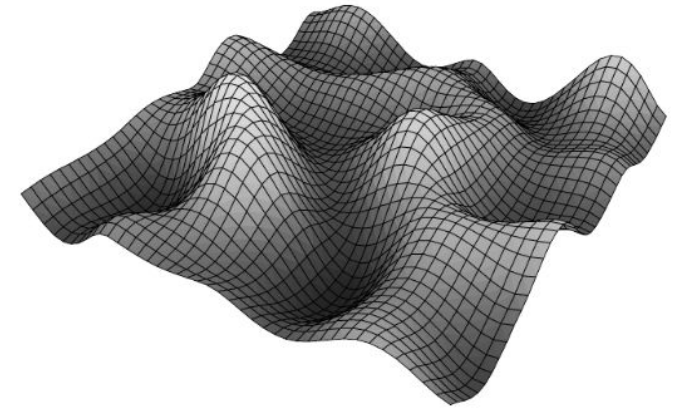
But what if we want to do stuff like this?



Enter Perlin Noise



- invented by Ken Perlin
 - Computer graphics pioneer
- A bit like “pepper” of computer graphics
 - Very useful
 - Don’t use too much:)
- Very useful to create organic forms



Intermezzo - Demo Scene

Elevated by Inigo Quilez



Video: <https://www.youtube.com/watch?v=jB0vBmiTr6o>

ShaderToy: <https://www.shadertoy.com/view/MdX3Rr>

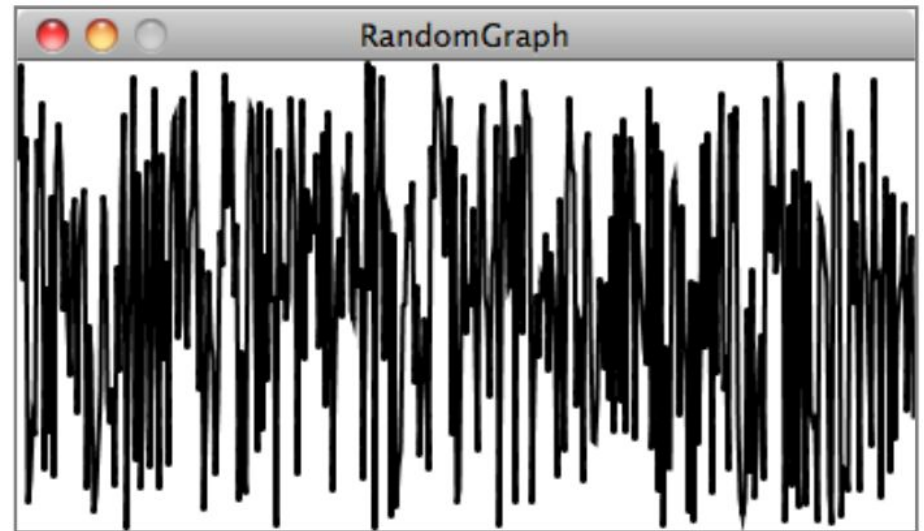
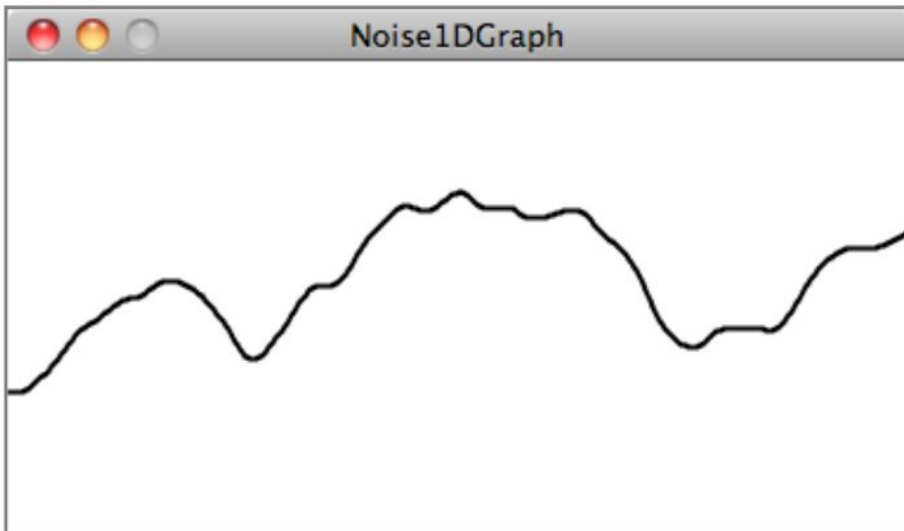
<https://www.youtube.com/channel/UCdmAhiG8HQDIz8uyekw4ENw>

<https://www.shadertoy.com/view/4ttSWf>

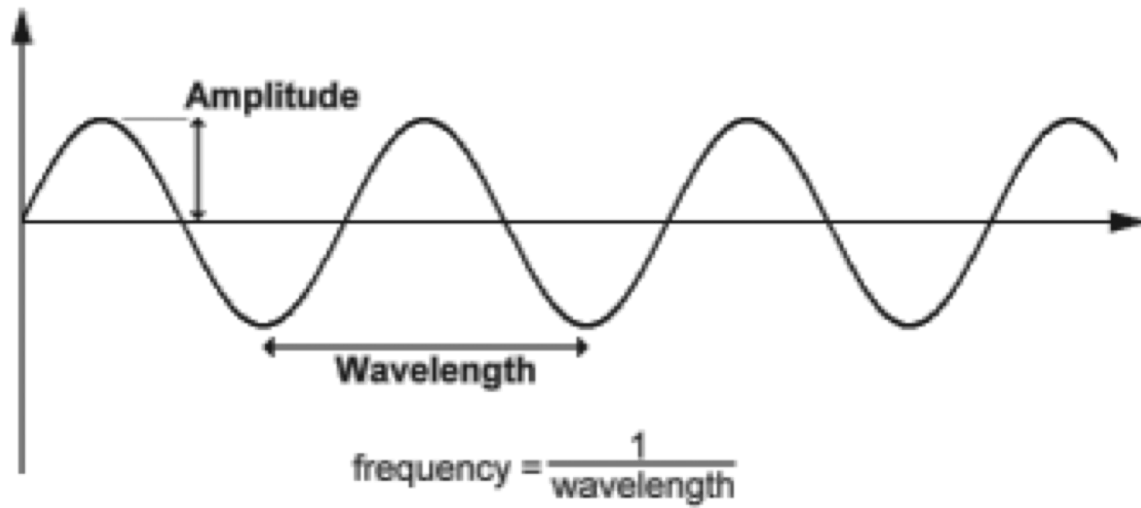
ofNoise ()

the details

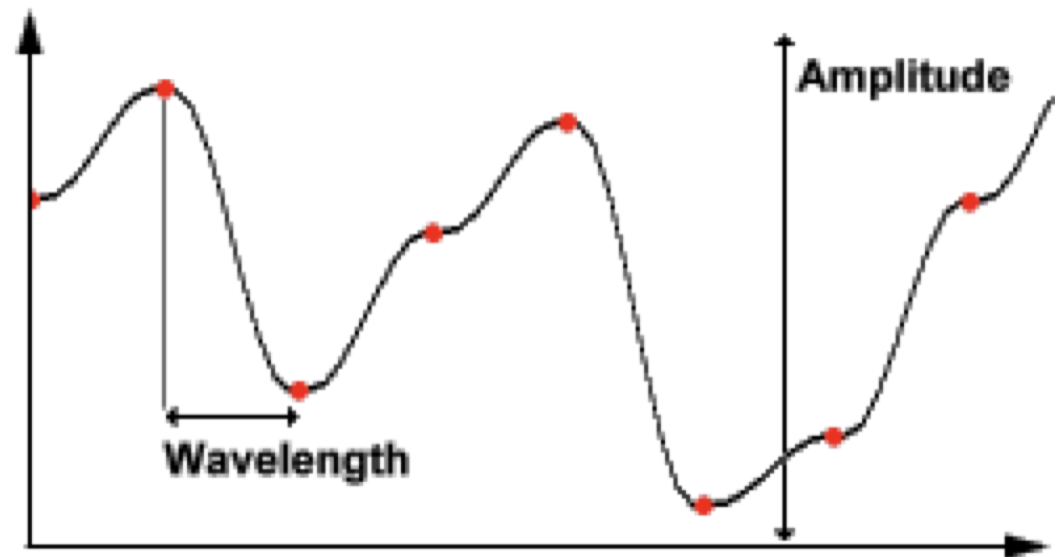
- `ofNoise ()` returns a value between 0-1
- `ofSignedNoise ()` returns a value between -1 and 1
- we pass as parameters the point in time we want
- ie `ofNoise (5)` always returns the same value



Noise waves

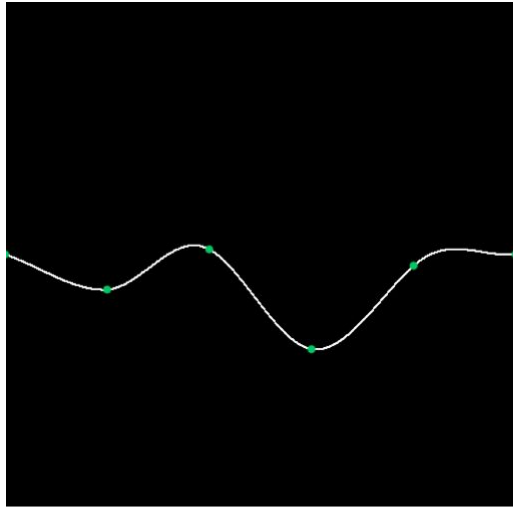


Sine wave

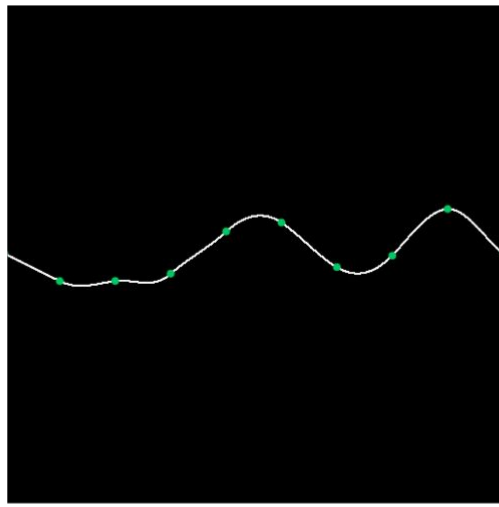


Noise wave

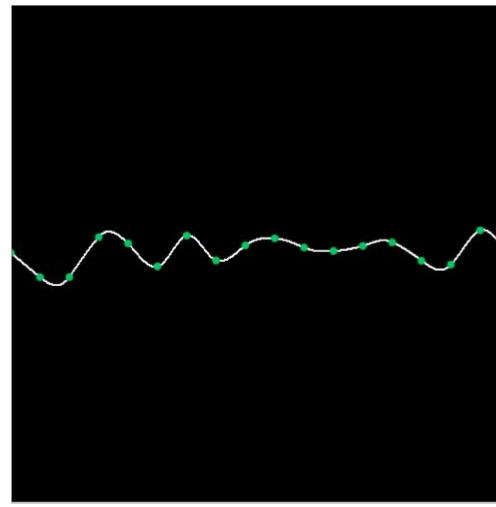
Controlling noise waves



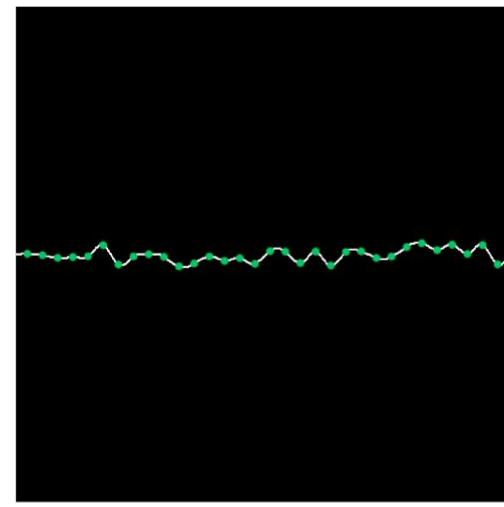
freq = 4
amp = 1



freq = 8
amp = 0.5

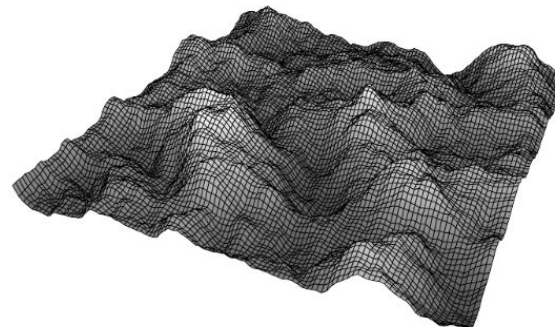
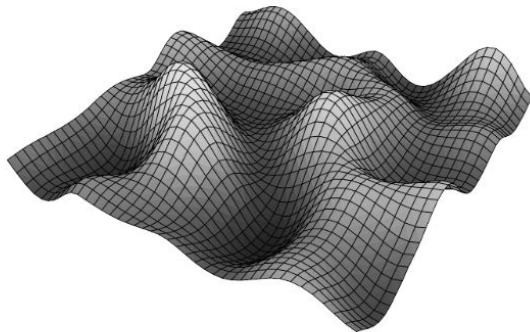
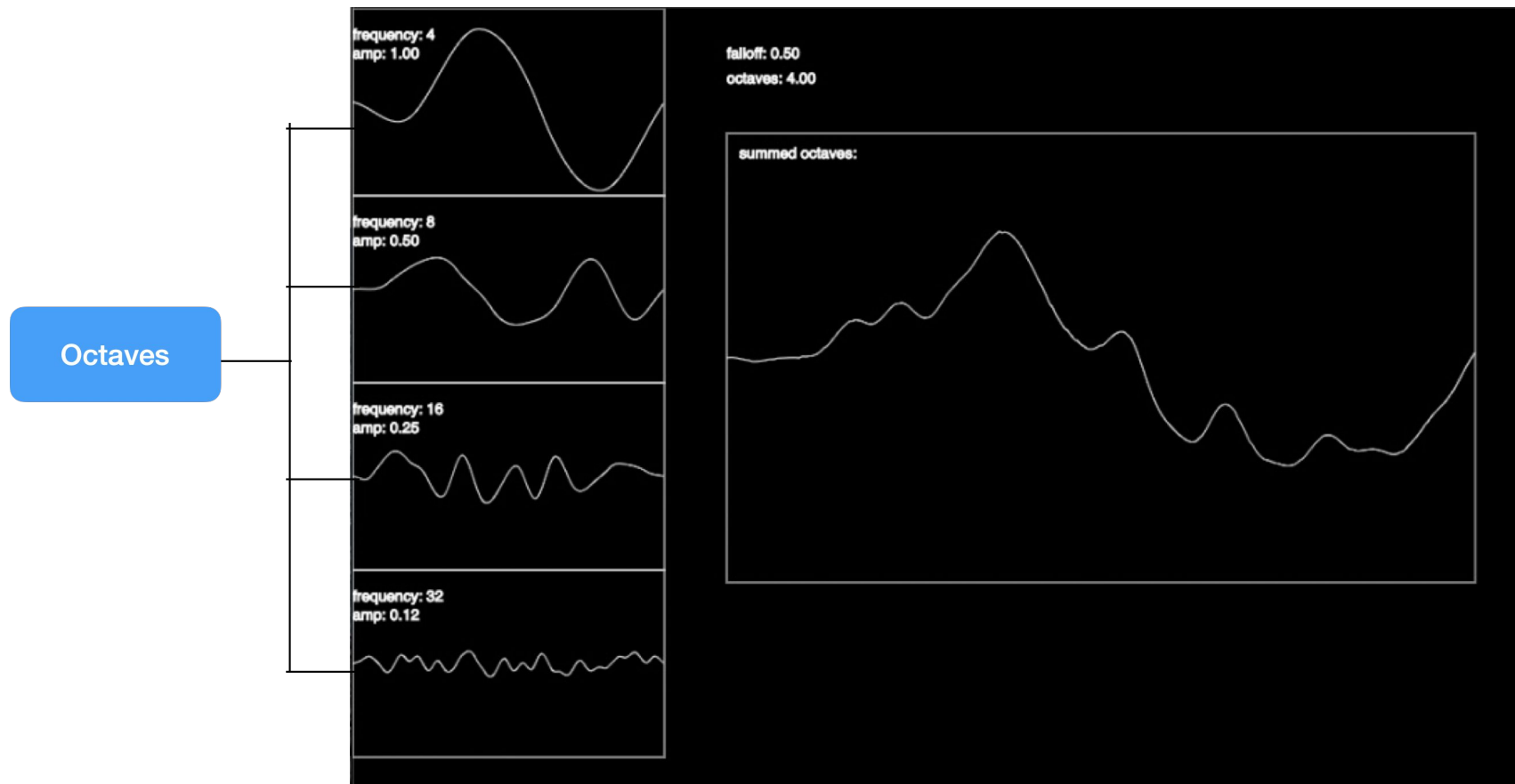


freq = 16
amp = 0.25



freq = 32
amp = 0.125

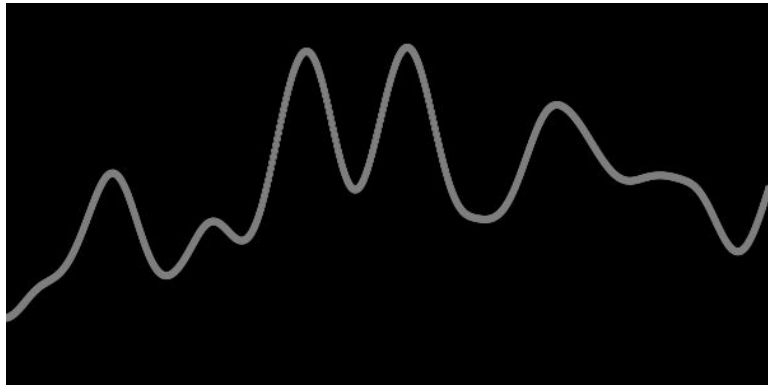
Adding noise waves (octave noise)



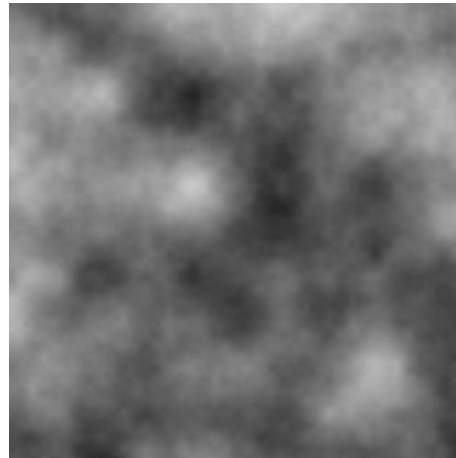
ofNoise ()

the details

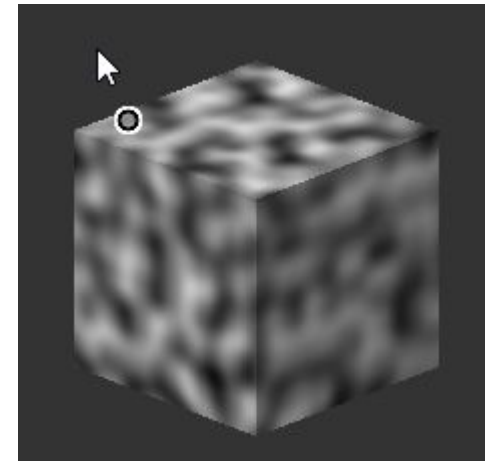
- ofNoise () always returns one float
- But **input** can be either 1 value, 2 values or 3 values
 - Imagine these as a randomized:
 - Waveform (1d)
 - Image (2d)
 - Volume (3d)



1d A moving slice of ->



2d A moving slice of ->

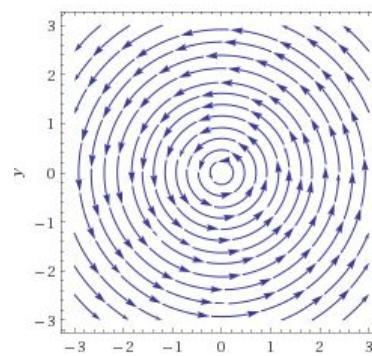
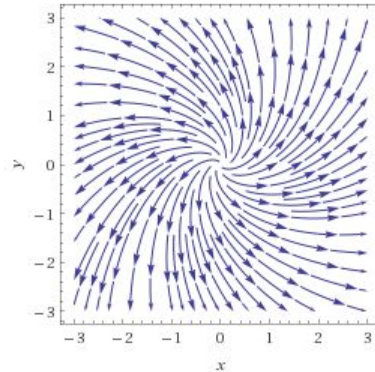
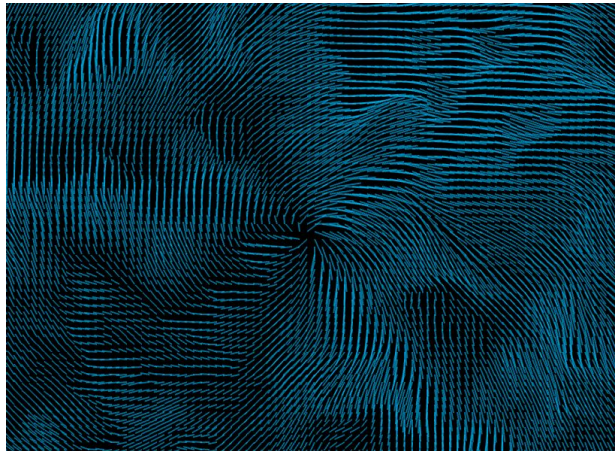


3d

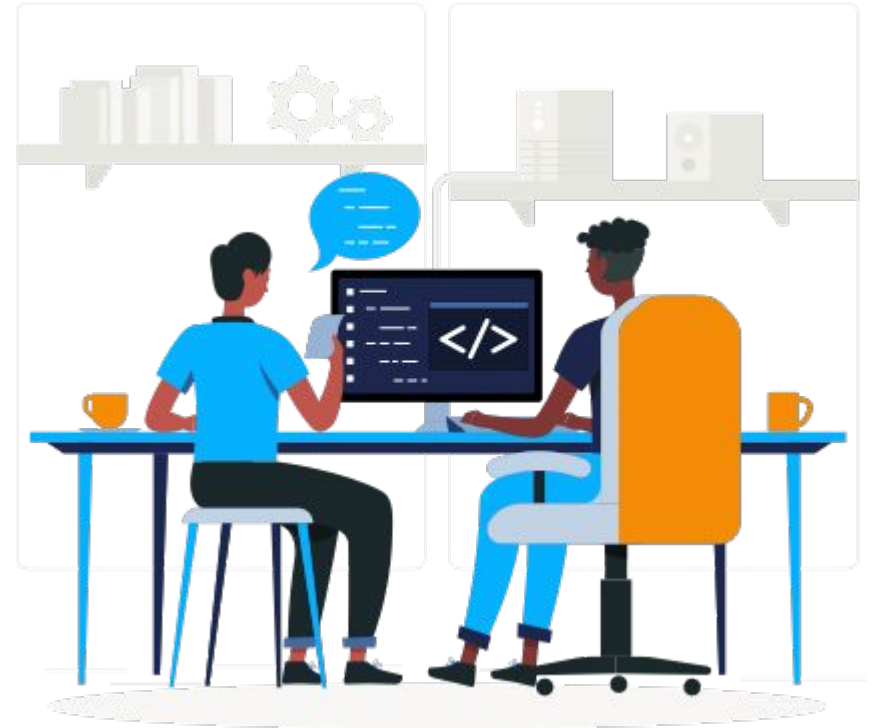
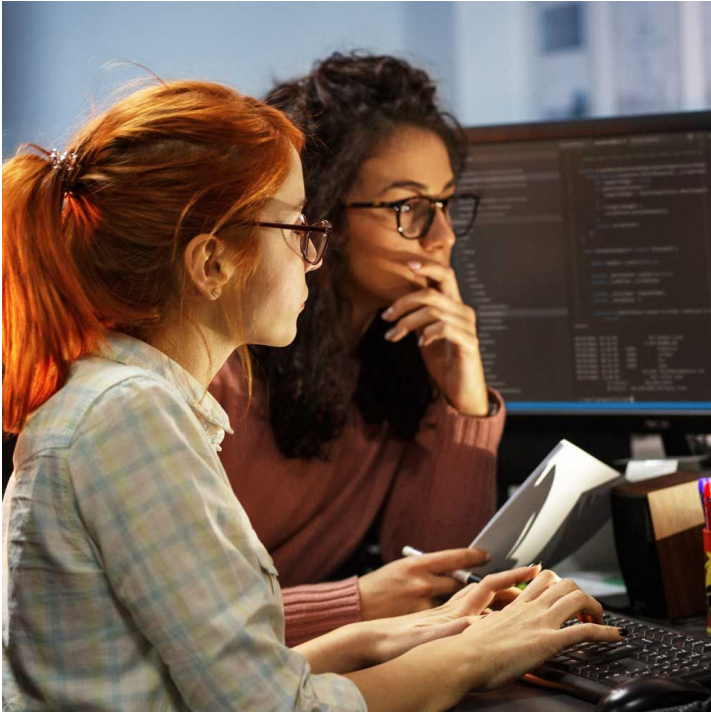


2d example: Vector fields

- We can use 2d (or a slice of 3d) noise to compute a direction for a given XY position (as an angle)
 - `float angle = ofSignedNoise(pos.x, pos.y)*PI;`
- Use direction to compute a “flow” vector
 - `vec2 flow = vec2(cos(angle), sin(angle))`
 - A unit vector (length 1)
- The result is a vector field (a vector for any given position)
- We can animate it (e.g by moving in 3d)
 - `float angle = ofSignedNoise(pos.x, pos.y, z)*PI;`
- We can add vector fields together
 - Just add the vectors resulting for a given position



Pair programming



- **Driver:** types code // reads instructions
- **Navigator:** reads instructions // looks up commands // corrects code