20CP412P 21BCP359

## PRACTICAL 7

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Aim:	Understanding Jaccard Similarity.				

## **Jaccard Similarity**

Jaccard Similarity is a measure of similarity between two asymmetric binary vectors or we can say a way to find the similarity between two sets. It is a common proximity measurement used to compute the similarity of two items, such as two text documents. The index ranges from 0 to 1. Range closer to 1 means more similarity in two sets of data.

$$J(A,B) = \frac{|A \cap B|}{|A \cup B|}$$

## Code

```
def jaccard similarity(list1, list2):
  intersection = 0
  union = 0
  for a, b in zip(list1, list2):
     if a == 1 or b == 1:
       union += 1
     if a == 1 and b == 1:
        intersection += 1
  if union == 0:
     return 0
  return intersection / union
C1 = [0, 1, 0, 0, 0, 1, 0, 0, 1]
C2 = [0, 0, 1, 0, 0, 0, 0, 0, 1]
C3 = [1, 1, 0, 0, 0, 1, 0, 0, 0]
similarity C1 C2 = jaccard similarity (C1, C2)
similarity C1 C3 = jaccard similarity(C1, C3)
similarity C2 C3 = jaccard similarity (C2, C3)
print(f"Similarity - Customer C1 and C2 is {similarity C1 C2}")
print(f"Similarity - Customer C1 and C3 is {similarity C1 C3}")
print(f"Similarity - Customer C2 and C3 is {similarity C2 C3}")
def jaccard similarity sets(set1, set2):
   intersection = len(set(set1).intersection(set2))
```

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```
\label{eq:union} \begin{tabular}{ll} union &= len(set(set1).union(set2)) \\ return intersection / union \\ S1 &= [0, 2, 5, 7, 9] \\ S2 &= [0, 1, 2, 4, 5, 6, 8] \\ similarity\_S1\_S2 &= jaccard\_similarity\_sets(S1, S2) \\ print(f''Similarity between Set S1 and S2 is {similarity\_S1\_S2}'') \\ \end{tabular}
```

## Output