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Theorem: If there is a quadratic form that is Lipschitz then there is an isotropic manifold locally resembling $\mathbb{H}[x]$ in the quotient of $\mathrm{Ker}(\phi)$ and $\mathbb{H}^n \otimes G$

Proof: Let ψ be a square-summable sequence in the rational quotient group. A simple application of trichotomy completes the proof, which is left as an exercise for the reader.

Proposition: Some proposition

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