

Name: _____

Assignment 1: 70 + 10 points (optional)

Q1. [10] The switch statement in C language has the following format.

```
switch(expression) {  
    case constant-expression:  
        statement(s);  
        break;          /* optional */  
  
    /* you can have any number of case statements */  
  
    default:             /* optional */  
        statements(s);  
}
```

Write an Extended Backus Naur Form (EBNF) description for a **switch** statement, using the following non-terminals < ... >.

<switch_stmt> : specifies the switch statement abstraction
<expr> : specifies an expression,
<literal> : specifies a constant-expression,
<stmt_list> : specifies a list of statements.
switch, case, break, default: keywords in C.

Q2. [10] Using the following grammar in BNF, draw a parse tree and write a leftmost derivation for a statement below.

$A = A / (B + (C / A))$

Grammar in BNF:

```
<assign> → <id> = <expr>  
<expr> → <expr> + <term> | <term>  
<term> → <term> / <factor> | <factor>  
<factor> → (<expr>) | <id>  
<id> → A | B | C
```

Q3. [10] Rewrite the BNF of Q2 to give + precedence over / and force + to be right-associative.

Q4. [10] Modify the grammar of Q2 to add a unary minus (-) operator that has higher precedence than either + or /.

Note: A unary minus operator is, for example, - A in statement $B = - A / 2$.

Unary operators precede any operator.

Q5. [10]

(1) [5] Prove that the following grammar is ambiguous.

$\langle S \rangle \rightarrow \langle A \rangle$
 $\langle A \rangle \rightarrow \langle A \rangle - \langle A \rangle \mid \langle id \rangle$
 $\langle id \rangle \rightarrow a \mid b \mid c$

(2) [5] Modify (1) to be the unambiguous grammar in the simplest way.

Q6. [10] Compute the weakest precondition for the following assignment statements and postconditions:

$a = 3 * (2 * b - a);$
 $b = 2 * a - 1;$
 $\{b > 5\}$ - postcondition

Q7. [10] Compute the weakest precondition for the following selection statement and postconditions:

if ($x < y$)
 $x = x + 1$
else
 $x = 2 * x$
 $\{x < 0\}$ - postcondition

Q8. [10, optional] Prove the following program is correct by applying Axiomatic Semantics:

$\{n > 0\}$ - precondition
 $count = n;$
 $sum = 0;$
while $count \neq 0$ **do**
 $sum = sum + count;$
 $count = count - 1;$
end
 $\{sum = 1 + 2 + \dots + n\}$ - postcondition