# OpenMP

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- A Running Example: SpMV
- 2 parallel pragma
- 3 Work sharing constructs
  - loops (for)
  - scheduling
  - task parallelism (task and taskwait)
- 4 Data sharing clauses
- SIMD constructs

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# A running example: Sparse Matrix Vector Multiply (SpMV)

- sparse matrix : a matrix whose elements are mostly zeros
- i.e. the number of non-zero elements (nnz)  $\ll$  the number of all elements  $(M \times N)$ 
  - $\bullet$  M: the number of rows
  - $\bullet$  N: the number of columns

## Sparse matrices appear everywhere

- meshes in scientific simulation
  - $A_{i,j} =$  a weight connecting nodes i and j in the mesh
- graphs, which in turn appear in many applications
  - $A_{i,j}$  = the weight of the edge  $i \to j$  (or  $j \to i$ )
  - Web, social network, road/traffic networks, citation networks, metabolic pathways, etc.
- many problems can be solved using SpMV
  - eigenvalues (including PageRank, graph partitioning, etc.)
  - partial differential equation
  - . . .

# What makes "sparse" matrix different from ordinary (dense) matrix?

- the number of non-zero elements are so small that representing it as  $M \times N$  array is too wasteful (or just impossible)
- use a data structure that takes memory/computation only
   (or mostly) for non-zero elements (coordinate list,
   compressed sparse row, etc.)

# Coordinate list (COO)

- represent a matrix as a list of  $(i, j, A_{i,j})$ 's
- data format:

```
struct coo {
int n_rows, n_cols, nnz;
/* nnz elements */
struct { i, j, Aij } * elems;
};
```

• SpMV (y = Ax)

```
for (k = 0; k < A.nnz; k++) {
   i,j,Aij = A.elems[k];
   y[i] += Aij * x[j];
}</pre>
```

# Compressed sparse row (CSR)

- puts elements of a single row in a contiguous range
- an index (number) specifies where a particular row begins in the elems array
- $\bullet \rightarrow no \ need \ to \ have \ i \ for \ every \ single \ element$
- data format:

```
struct coo {
  int n_rows, n_cols, nnz;
  struct { j, Aij } * elems; // nnz elements
  int * row_start; // n_rows elements
};
```

elems[row\_start[i]]  $\cdots$  elems[row\_start[i+1]] are the elements in the ith row

• SpMV (y = Ax)

```
for (i = 0; i < A.n_rows; i++) {
  for (k = A.row_start[i]; k < A.row_start[i+1]; k++) {
    j,Aij = A.elems[k];
    y[i] += Aij * x[j];
  }
}</pre>
```

## OpenMP

- de fact standard model for programming shared memory machines
- $\bullet$  C/C++/Fortran + directives + APIs
  - by **#pragma** in C/C++
  - by comments in Fortran
- many free/vendor compilers, including GCC, LLVM, NVIDIA HPC SDK

## OpenMP reference

- official home page: http://openmp.org/
- specification: http://openmp.org/wp/openmp-specifications/
- latest version is 5.0 (https://www.openmp.org/spec-html/5.0/openmp.html)
- section numbers below refer to those in OpenMP spec 5.0

## Compiling OpenMP programs for multicores

• GCC and LLVM (clang/clang++): compile with -fopenmp

```
$ clang -Wall -fopenmp program.c
$ gcc -Wall -fopenmp program.c
```

• NVIDIA HPC SDK (nvc/nvc++): compile with -mp

```
1 $ nvc -Wall -mp program.c
```

• In this lecture, we use LLVM and NVIDIA HPC SDK, as they support OpenMP for multicore, GPU offloading, and CUDA

## Running OpenMP programs

• run the executable specifying the number of threads with OMP\_NUM\_THREADS environment variable

```
1 $ OMP_NUM_THREADS=1 ./a.out # use 1 thread

2 $ OMP_NUM_THREADS=4 ./a.out # use 4 threads
```

- if OMP\_NUM\_THREADS is unspecified, it uses the number of available processors visible to OS, including hyperthreading
- see 2.6.1 "Determining the Number of Threads for a parallel Region" for more details and other ways to control the number of threads

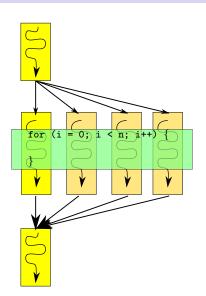
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# Two pragmas you must know first

- #pragma omp parallel to launch a team of threads (2.6)
- then #pragma omp for to distribute iterations to threads (2.9.2)

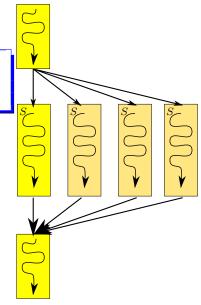
Note: all OpenMP pragmas have the common format: #pragma omp ...



## #pragma omp parallel

• basic syntax:

- basic semantics:
  - create a team of OMP\_NUM\_THREADS threads
  - the current thread becomes the *master* of the team
  - S will be executed by each member of the team
  - the master thread waits for all to finish S and continue



## parallel pragma example

```
#include <stdio.h>
int main() {
   printf("hello\n");

#pragma omp parallel
   printf("world\n");

printf("bye\n");
   return 0;

}
```

```
1 $ OMP_NUM_THREADS=1 ./a.out
2 hello
3 world
4 $ OMP_NUM_THREADS=4 ./a.out
5 hello
6 world
7 world
8 world
9 world
10 bye
```

# Remarks: what does parallel do?

- you may assume an OpenMP thread  $\approx$  OS-supported thread (e.g., Pthread)
- that is, if you write this program

```
int main() {
    #pragma omp parallel
    worker();
}
```

and run it as follows,

```
1 $ OMP_NUM_THREADS=50 ./a.out
```

you will get 50 OS-level threads, each doing worker()

# How to distribute work among threads?

- #pragma omp parallel creates threads, all executing the same statement
- it's not a means to parallelize work, per se, but just a means to create a number of similar threads
  - Single Program Multiple Data (SPMD) model
- so how to distribute (or partition) work among them?
  - do it yourself
  - 2 use work sharing constructs

# Do it yourself: functions to get the number/id of threads

- omp\_get\_num\_threads() (3.2.2): the number of threads in the current team
- omp\_get\_thread\_num() (3.2.4): the current thread's id (0, 1, ...) in the team
- they are primitives with which you may partition work yourself by whichever ways you prefer
- e.g.,

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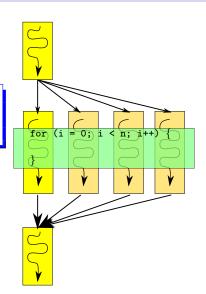
## Work sharing constructs

- in theory, parallel construct is all you need to do things in parallel
- but it's too inconvenient
- $\bullet$  OpenMP defines ways to partition work among threads  $(work\ sharing\ constructs)$ 
  - for
  - task

# #pragma omp for (work-sharing for)

• basic syntax (2.9.2):

- basic semantics: the threads in the team divde the iterations among them
- but how?  $\Rightarrow$  scheduling



### #pragma omp for restrictions

- iterations are executed in any order may interleave
  - the program must not rely on the order in which they are executed
- strong syntactic restrictions apply (2.9.1); basically, the *iteration space must be easily identifiable at the beginning* of the loop
  - roughly, it must be of the form:

```
#pragma omp for
for(i = init; i < limit; i += incr)
S</pre>
```

except < and += may be other similar operators

• init, limit, and incr must be loop invariant

# Parallel SpMV for CSR using #pragma omp for

• it only takes to work-share the outer for loop

```
// assume inside #pragma omp parallel
...

#pragma omp for
for (i = 0; i < A.n_rows; i++) {
    for (k = A.row_start[i]; k < A.row_start[i+1]; k++) {
        j,Aij = A.elems[k];
        y[i] += Aij * x[j];
    }
}</pre>
```

• note: the inner loop (k) is executed sequentially

# Parallel SpMV COO using #pragma omp for?

• the following code does *not* work (why?)

```
// assume inside #pragma omp parallel
...
#pragma omp for
for (k = 0; k < A.nnz; k++) {
   i,j,Aij = A.elems[k];
   y[i] += Aij * x[j];
}</pre>
```

• a possible remedy will be described later

#### Contents

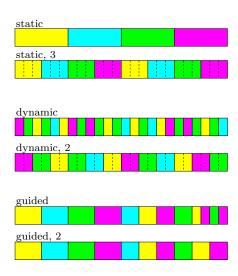
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## Scheduling (2.9.2)

- schedule clause in work-sharing for loop determines how iterations are divided among threads
- There are three alternatives (static, dynamic, and guided)

## static, dynamic, and guided

- schedule(static[,chunk]): predictable round-robin
- schedule(dynamic[,chunk]): each thread repeats fetching chunk iterations
- schedule(guided[,chunk]): threads grab many iterations in early stages; gradually reduce iterations to fetch at a time
- *chunk* specifies the minimum granularity (iteration counts)



## Other scheduling options and notes

• schedule(runtime) determines the schedule by OMP\_SCHEDULE environment variable. e.g.,

```
1 $ OMP_SCHEDULE=dynamic,2 ./a.out
```

• schedule(auto) or no schedule clause choose an implementation dependent default

### Parallelizing loop nests by collapse

• collapse(l) can be used to partition nested loops. e.g.,

```
#pragma omp for collapse(2)
for (i = 0; i < n; i++)
for (j = 0; j < n; j++)
S</pre>
```

will partition  $n^2$  iterations of the doubly-nested loop

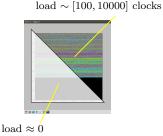
- schedule clause applies to nested loops as if the nested loop is an equivalent flat loop
- restriction: the loop must be "perfectly nested" (the iteration space must be a rectangular and no intervening statement between different levels of the nest)

## Visualizing schedulers

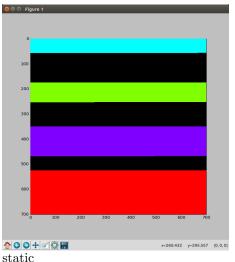
- seeing is believing. let's visualize how loops are distributed among threads
- write a simple doubly nested loop and run it under various scheduling options

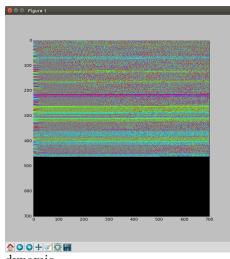
```
#pragma omp for collapse(2) schedule(runtime)
for (i = 0; i < 1000; i++)
for (j = 0; j < 1000; j++)
unit_work(i, j);</pre>
```

- load per point is systematically skewed:
  - $\approx 0$  in the lower triangle
  - randomly drawn from



# Visualizing schedulers





## Scheduling for SpMV on CSR

```
// assume inside #pragma omp parallel
...

#pragma omp for schedule(???)

for (i = 0; i < A.n_rows; i++) {
   for (k = A.row_start[i]; k < A.row_start[i+1]; k++) {
      j,Aij = A.elems[k];
      y[i] += Aij * x[j];
   }

}</pre>
```

- static? depending on the number of elements in rows, load imbalance may be significant
- dynamic/guided? load balancing will be better, but extremely dense rows may still be an issue
- the more robust strategy is to partition non-zeros, not rows

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## Task parallelism in OpenMP

- OpenMP's initial focus was simple parallel loops
- since 3.0, it supports task parallelism
- but why it's necessary?
- aren't parallel and for all we need?

# Limitation of parallel for

• what if you have a parallel loop inside another

```
1 for ( ... ) {
    ...
3 for ( ...) ...
}
```

• perhaps in a function?

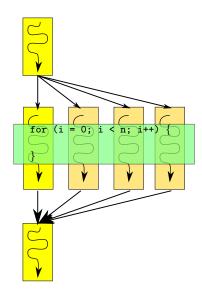
```
main() {
   for ( ... ) {
      ...
      g();
   }
   g() {
      for (...) ...
   }
```

• what about parallel recursions?

```
1  qs() {
2   if (...) { ... }
3   else {
4    qs();
5    qs();
6   }
7  }
```

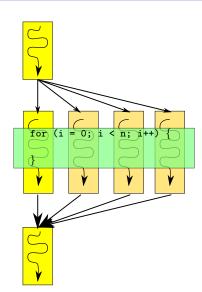
## parallel for can't handle nested parallelism

 OpenMP generally ignores nested parallel pragma when enough threads have been created by the outer parallel pragma, for good reasons



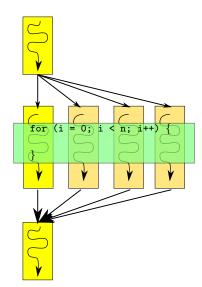
# parallel for can't handle nested parallelism

- OpenMP generally ignores nested parallel pragma when enough threads have been created by the outer parallel pragma, for good reasons
- the fundamental limitation is its simplistic work-sharing mechanism



# parallel for can't handle nested parallelism

- OpenMP generally ignores nested parallel pragma when enough threads have been created by the outer parallel pragma, for good reasons
- the fundamental limitation is its simplistic work-sharing mechanism
- *tasks* address these issues, by allowing tasks to be created at arbitrary points of execution (and a mechanism to distribute them across cores)



# Task parallelism in OpenMP

- syntax:
  - task creates a task executing S (2.10.1)

```
1 g #pragma omp task g g
```

• taskwait waits for child tasks to finish (2.17.5)

```
1 #pragma omp taskwait
```

# OpenMP task parallelism template

- don't forget to create a parallel region
- don't also forget to enter a master region, which says only the master executes the following statement and others "stand-by"

```
int main() {
#pragma omp parallel
#pragma omp master
// or #pragma omp single
  ms(a, a + n, t, 0);
}
```

• and create tasks in the master region

```
void ms(a, a_end, t, dest) {
   if (n == 1) {
      ...
} else {
      ...

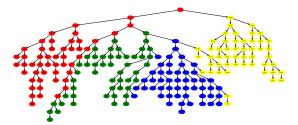
   #pragma omp task
   ms(a, c, t, 1 - dest);

   #pragma omp task
   ms(c, a_end, t + nh, 1 - dest);

   #pragma omp taskwait
   ...
}
```

# What are tasks good for?

- the strength of tasks as opposed to for loop is its flexibility
  - create tasks at any point during the computation
  - they get distributed to cores
- especially good for "nested parallelism" and "parallel recursions (divide and conquer)"



• even for loops, you may consider reformulating them into divide-and-conquer as an alternative dynamic load-balancing strategy

# Visualizing task parallel schedulers

• the workload is exactly the same as before

```
#pragma omp for collapse(2) schedule(runtime)
for (i = 0; i < 1000; i++)
for (j = 0; j < 1000; j++)
unit_work(i, j);</pre>
```

• but we rewrite it into recursions

```
void work_rec(rectangle b) {
      if (small(b)) {
      } else {
        rectangle c[2][2];
        split(b, c); // split b into 2x2 sub-rectangles
        for (i = 0; i < 2; i++) {
7
          for (i = 0; i < 2; i++) {
8
   #pragma omp task
            work_rec(b[i][j]);
10
11
12
13
   #pragma omp taskwait
```

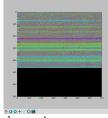
load  $\sim$  [100, 10000] clocks



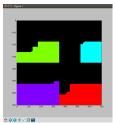
# Visualizing schedulers



static



dynamic



2D recursive (midway)



2D recursive (end)

# SpMV with divide and conquer

- you may recursively divide the matrix A submatrices, until nnz in a submatrix becomes sufficiently small (divide and conquer)
- putting memory management issues aside, it is:

```
void SpMV_rec(A, x) {
      if (nnz(A) is small) {
        return SpMV_serial(A, x, y);
      } else if (M >= N) {
        A0_{,A1_{,a}} = divide_{,a}
5
        y0 = SpMV_rec(A0_, x);
        y1 = SpMV_rec(A1_, x);
        return y0 ++ y1; // concatination
      } else {
        A_0, A_1 = divide_cols(A);
10
        x0,x1 = divide(x);
11
        y0 = SpMV_rec(A_0, x0);
12
        y1 = SpMV_rec(A_0, x0);
13
        return y0 + y1; // vector addition
14
1.5
16
```

#### ...and there is taskloop

• syntax:

```
#pragma omp taskloop
for(i = init; i < limit; i += incr)
S</pre>
```

- syntactic restrictions are equivalent to work-sharing for
- conceptually, it creates tasks each of which is responsible for an (or a few) iteration(s)
- unlike work-sharing for, it is generating tasks, so #pragma omp taskloop is supposed to be executed by a single thread, like the task construct

# Pros/cons of various approaches

#### • static:

- partitioning iterations is simple and does not require communication
- mapping between work ↔ thread is deterministic and predictable (why it's important?)
- may cause load imbalance (leave some threads idle, even when other threads have many work to do)

#### • dynamic:

- less prone to load imbalance, if chunks are sufficiently small
- partitioning iterations needs communication (no two threads execute the same iteration) and may become a bottleneck
- mapping between iterations and threads is non-deterministic
- OpenMP's dynamic scheduler is inflexible in partitioning nested loops

#### Pros/cons of schedulers

- divide and conquer + tasks :
  - less prone to load imbalance, as in dynamic
  - distributing tasks needs communication, but efficient implementation techniques are known
  - mapping between work and thread is non-deterministic, as in dynamic
  - you can flexibly partition loop nests in various ways (e.g., keep the space to square-like)
  - need some coding efforts (easily circumvented by additional libraries; e.g., TBB's blocked\_range2d and parallel\_for)

# Deterministic and predictable schedulers

- programs often execute the same for loops many times, with the same trip counts, and with the same iteration touching a similar region
- such *iterative* applications may benefit from reusing data brought into cache in the previous execution of the same loop
- a deterministic scheduler achieves this benefit



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#### Data sharing

- parallel, for, task pragma accept clauses specifying which variables should be shared among threads or between the parent/child tasks (or otherwise privatized/replicated to each thread)
- 2.19 "Data Environments"
  - private
  - firstprivate
  - shared
  - reduction (only for parallel and for)
  - copyin

# Data sharing/privatizing example

```
int main() {
   int S; /* shared */
   int P; /* made private below */

#pragma omp parallel private(P) shared(S)

f   int L; /* automatically private */
   printf("S at %p, P at %p, L at %p\n",

   &S, &P, &L);

g  }

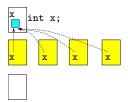
return 0;

11 }
```

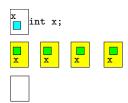
```
$ OMP_NUM_THREADS=2 ./a.out
S at 0x..777f494, P at 0x..80d0e28, L at 0x..80d0e2c
S at 0x..777f494, P at 0x..777f468, L at 0x..777f46c
```

## Data sharing behavior

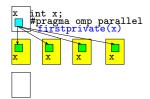
#### shared



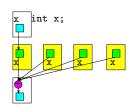
#### private



#### firstprivate



#### reduction



- definition: there is a race condition when concurrent threads access the same location and one of which writes to it
- a race condition almost always implies your program won't work
- even something as simple as this (some accumulations may be lost)

thread 1	thread 2
$x (123) \rightarrow t$	
$x \leftarrow 124$	

thread 1	thread 2
$x (123) \rightarrow t$	
	$\mid x (123) \rightarrow t \mid$
$x \leftarrow 124$	
	$x \leftarrow 124$

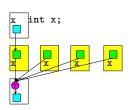
thread 1	thread 2
$x (123) \rightarrow t$	
x ← 124	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$
X \( \bullet \) 124	$x \leftarrow 124$

• The increment by a thread is "lost"

#### Two basic tools to resolve race conditions

- "make it atomic" #pragma omp atomic and #pragma omp critical: gaurantee the specified operation to be done atomically
- "all you need may be a reduction" reduction clause performs efficient reduction operations on behalf of you

thread 1	thread 2
$\begin{array}{c} x (123) \to t \\ x \leftarrow 124 \end{array}$	
	$\begin{array}{c} x (124) \to t \\ x \leftarrow 125 \end{array}$



#### #pragma omp critical

• syntax:

```
#pragma omp critical
statement
```

- effect: the execution of *statement* will not overlap with other executions of *statement* (or any other statement labeled #pragma omp critical, for that matter)
- note: most general, but likely to be slow

#### #pragma omp atomic

• syntax:

```
#pragma omp atomic
var = var op exp
```

op is a predefined operation such as +, -, \*, ...

- effect: guarantee the read-update is done atomically (is not lost); that is, *var* is not updated by someone else between the read and update
- note: semantically, it is like

but typical implementations take advantage of atomic instructions supported by CPU, such as fetch-and-add or compare-and-swap

#### Reduction

• in general, "reduction" refers to <sup>1</sup>/<sub>2</sub> an operation to combine many <sup>3</sup> values into a single value. e.g., <sup>4</sup>

```
• v = v_1 + \dots + v_n

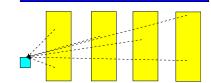
• v = \max(v_1, \dots, v_n)

• \dots
```

- simply sharing the variable (v) does not work (race condition)
- one way to fix is to make updates atomic, but it will be slow

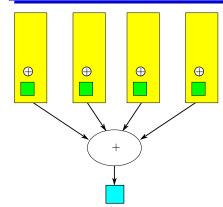
```
v = 0.0;
for (i = 0; i < n; i++) {
v += f(a + i * dt) * dt;
}
```

```
v = 0.0;
#pragma omp parallel for
for (i = 0; i < n; i++) {
#pragma omp atomic
v += f(a + i * dt) * dt;
}</pre>
```



## Reduction clause in OpenMP

- a more efficient strategy:
  - let each thread work (reduce) on its private variable, and
  - when threads finish, combine their partial results into one
- reduction clause in OpenMP does just that (2.19.5)



# Builtin reduction and user-defined reduction (2.9.2)

• reduction syntax:

```
#pragma omp parallel reduction(op:var,var,...)
S
```

- builtin reductions
  - op is one of +, \*, -, &, ^, |, &&, and ||
  - (Since 3.1) min or max
- builtin reductions are limited to simple types and common operations → user-defined reductions (since 4.0)

# Why do you want user-defined reductions?

- consider how to do reduction on 3-element vector
- e.g., how to parallelize this loop safely

```
typedef struct {
      double a[3];
    } vec_t;
4
    int main() {
      vec_t y;
6
      vec_init(&y);
                                      /* y = \{0,0,0\} */
    #pragma omp parallel
    #pragma omp for
      for (long i = 0; i < 10000; i++) {
10
        y.a[i % 3] += 1;
11
12
    }
13
```

- you cannot say reduction(+:y.a[0], y.a[1], y.a[2]) (what if you have 100 elements?)
- we define a reduction operation on vec\_t type instead

#### User-defined reduction

• syntax: (2.19.5.7)

```
#pragma omp declare reduction (name : type : combine_statement)

Or
```

```
#pragma omp declare reduction (name : type : combine\_statement) initializer (init\_statement)
```

- effect:
  - you can specify reduction(name: var) for a variable of type type
  - init\_statement is executed by each thread before entering the loop, typically to initialize its private copy of var
  - combine\_statement is executed to merge a partial result to another variable

## User-defined reduction: a simple example

• introduce reduction

```
#pragma omp declare reduction \
(vp : vec_t : vec_add(&omp_out,&omp_in)) \
initializer(vec_init(&omp_priv))
```

vec\_add must be defined somewhere and not shown

• add reduction(vp : y) to the for loop

#### User-defined reduction: how it works

#### with

```
#pragma omp declare reduction \
(vp : vec_t : vec_add(&omp_out,&omp_in)) \
initializer(vec_init(&omp_priv))

#pragma omp for reduction(vp : y)
for (long i = 0; i < 10000; i++) {
    y.a[i % 3] += 1;
}

pragma omp for reduction(vp : y)

provided in the provided in t
```

```
vec.t y_priv; // thread-local copy of y
vec_init(&y_priv); // initializer

#pragma omp for
for (long i = 0; i < 10000; i++) {
    y_priv.a[i % 3] += 1;
}

// merge the partial result into the shared variable
// actual implementation may be (is likely to be) different
vec_add(&y, &y_priv); // y += y_priv</pre>
```

#### User-defined reduction: limitations

- combine-statement can reference only two local variables (omp\_in and omp\_out)
  - it should reduce (merge) omp\_in into omp\_out (e.g., omp\_out
     += omp\_in)
- *init-statement* can reference only two local variables (omp\_priv and omp\_orig)
  - omp\_priv: the private copy init-statement should initialize
  - omp\_orig: the original shared variable
- $\bullet$   $\Rightarrow$  local contexts necessary for initialization and reduction must be encapsulated in the variables subject to reduction

#### An exercise: reduction on variable-length vectors

• a variable-length version of the previous example

```
typedef struct {
long n;  // number of elements (variable)
double * a; // n elements
vec_t;

typedef struct {
long n;  // number of elements (variable)
}
vec_t;
```

• and a reduction for it

```
vec_t y;
long n = 100;
vec_init(&y, n); // n is a local context

#pragma omp parallel
#pragma omp for // how to do a proper reduction for y?
for (long j = 0; j < 1000000; j++) {
    y.a[j % n] += 1;
}</pre>
```

• the point is you cannot reference n in the initializer

```
1
2 (!) #pragma omp declare reduction \
2  (vp : vec_t : vec_add(&omp_out,&omp_in)) \
3  initializer(vec_init(&omp_priv, n))
```

# An exercise: reduction on variable-length vectors

- initializer can reference omp\_orig to obtain the context (i.e. vector length in this example)
- $\bullet \Rightarrow$  define a function,  ${\tt vec\_init\_from},$  which takes the shared y and initialize the private copy of y

```
int vec_init_from(vec_t * v, vec_t * orig) {
  long n = orig->n;
  double * a = (double *)malloc(sizeof(double) * n);
  for (long i = 0; i < n; i++) {
     a[i] = 0;
  }
  v->n = n;
  v->a = a;
  return 0;
}
```

• and say

```
#pragma omp declare reduction \
(vp : vec_t : vec_add(&omp_out,&omp_in)) \
initializer(vec_init_from(&omp_priv, &omp_orig))
```

#### Contents

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- parallel pragma
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  - loops (for)
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#### SIMD constructs

- simd pragma (2.9.3)
  - allows an explicit vectorization of for loops
  - syntax restrictions similar to omp for pragma apply
- declare simd pragma (2.9.3.3)
  - instructs the compiler to generate vectorized versions of a function
  - with it, loops with function calls can be vectorized

#### simd pragma

• basic syntax (similar to omp for):

```
#pragma omp simd clauses
for (i = ...; i < ...; i += ...)
S</pre>
```

- clauses
  - aligned(var, var, ... : align)
  - uniform(var,var,...) says variables are loop invariant
  - linear(var,var,...:stride) says variables have the specified stride between consecutive iterations

#### declare simd pragma

• basic syntax (similar to omp for):

```
#pragma omp declare simd clauses
function definition
```

- clauses
  - those for simd pragma
  - notinbranch
  - inbranch

## SIMD pragmas, rationales

- most automatic vectorizers give up vectorization in many cases
  - conditionals (lanes may branch differently)
  - 2 inner loops (lanes may have different trip counts)
  - 3 function calls (function bodies are not vectorized)
  - 1 iterations may not be independent
- simd and declare simd directives should eliminate obstacles 3 and 4 and significantly enhance vectorization opportunities

## A note on GCC OpenMP SIMD implementation

- GCC simd and declare simd ≈ existing auto vectorizer dependence analysis
- declare simd functions are first converted into a loop over all vector elements and then passed to the loop vectorizer

- the range of vectorizable loops in a recent version I investigated (7.3.0) seems very limited
  - innermost loop with no conditionals
  - doubly nested loop with a very simple inner loop

# Strategies for SpMV

- parallelize only across different rows (a single row is processed sequentially)
  - especially natural for CSR
  - extremely long rows may limit speedup
- parallelize all non-zeros, with careful handling of y[i] +=
  - atomic accumulation (#pragma omp atomic)
  - reduction (#pragma omp reduction). you must have user-defined reduction
- divide rows until the number of non-zeros becomes small (e.g.,  $\leq 5000$ )
  - further divide a single row if a row contains many zeros
  - can be done naturally with tasks