### HW5

#### Problem 1

We have to compute the sum of the series :  $f_n = f_{n-1}^2 \$ . Lets compute the first few value for this function: Given  $f_1 = f_0^2 = 2^2 = 4$  therefore,  $f_2 = f_1^2 = 4^2 = 16$   $f_3 = f_2^2 = 16^2 = 256$  ........... We can see that for any given number of 'n' the sum is going to be :  $f_1 = f_1^2 = 16$   $f_2 = 16$   $f_3 = 16$   $f_4 = 16$ 

Different data types has different limits. The information about data types are taken from Wikipedia/C-data\_types. The examples and codes (which i have modified for my problem) are taken from G4G.org.

# Choosing maximum 'n' for our data types

For my hardware (**ARM64**) the maximum number can be stored in c++ data types are given below: For "int": 2147483647 For "float":  $3.4028210^{3}$  \$ and for "double":  $1.7 10^{3}$  \$. Previously I put wrong name for the data types.

I ran (executed) the following code to find out the max supported number for the c++ data types :

```
#include
int main() {
  using namespace std;
  cout << numeric_limits<int>::max() << endl;
  cout << numeric_limits<float>::max() << endl;
  cout << numeric_limits<double>::max() << endl;
  return 0;
}</pre>
```

Which showed me the following output in my computer: 2147483647 3.40282e+38

We can see that for our series the sum for any chosen n must not exceed these limits. We can find out the maximum allowed number for our data types as follows: For "int":  $S_{\max} = 2147483647$ , thus n (max) would be = 5; otherwise the last value of the sum will exceed the max limit For "float":  $S_{\max} = 3.40282e+38$ , thus n (max) would be n = 7; otherwise the last value of the sum will exceed the max limit For "Double":  $S_{\max} = 1.79769e+308$ , thus n (max) would be n = 10; otherwise the last value of the sum will exceed the max limit.

## Problem 2

#### Solve problem 1 with C++

We will write 3 different codes for 3 different data types (int, float and double) . For the "int"" types the codes are given follows:

```
#include
using namespace std;
int main()
{ int n,init_s=2, sum = 0;
cout << "Please enter the value for n (max 7) : ";</pre>
```

```
cin >> n;
for (int i=1; i<n; i++)
init_s=init_s*init_s;
sum = sum + init_s; 
cout « "The sum of the series for n = " « n « " is : " « sum ;
return sum;
}
we save this file as series_int.cc in current folder and run the following command
to make it excecutable : g++ series_int.cc -o series_int than we run the
file using ./series_int . In my computer the code runs without any issue and
its shows the expected result.
image
For the Float data type I will use the following code:
#include
```

```
using namespace std;
#include
typedef std::numeric_limits< double > dbl; // Declaring maximum precision
int main()
{ float n,init_s=2, sum = 0;
cout << "Please enter the value for n : ";</pre>
cin >> n;
for (int i=1; i<n; i++)
{
init\_s = init\_s*init\_s;
sum = sum + init_s;
```

we save this file as **series\_float.cc** in current folder and run the following command to make it excecutable: **g++ series\_int.cc -o series\_float** than we run the file using **./series\_float**. In my computer the code runs without any issue and its shows the expected result.

# For the double types we write the following code:

```
#include
using namespace std;
#include
typedef std::numeric_ limits< double > dbl;
int main()
{ double n,init s=2, sum = 0;
cout << "Please enter the value for n : ";</pre>
cin >> n;
for (int i=1; i<n; i++)
                    {
init_s=init_s*init_s;
sum = sum+init_s;
                    }
 cout.precision(dbl::max_digits10); // Making sure to print max precision.
 cout << "The sum of the series for n = " << n << " is : " << sum ;
return sum; }
we save this file as double_prec.cc in current folder and run the following
command to make it excecutable : g++ double_prec.cc -o double_prec
```

than we run the file using  $\boldsymbol{.}/\mathbf{double\_prec}$  . The result shown in my terminal is given below :

Therefore , I think my code gave the correct result .

Its not a big change from my previus attempt , but I think this version will not loose much of precision.