| Roll No | |
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TCS-402

B. TECH. (CSE) (FOURTH SEMESTER) MID SEMESTER EXAMINATION, 2021

FINITE AUTOMATA AND FORMAL LANGUAGES

Time: 11/2 Hours

Maximum Marks: 50

- Note: (i) Answer all the questions by choosing any *one* of the sub-questions.
 - (ii) Each question carries 10 marks.
- 1. (a) Convert the following NDFA as given in Table 1 to DFA and informally describe the language it accepts. Here, P is initial state, S* and T* is final state.

| Table 1 | | | | | | | |
|-----------------|------------|-------------|--|--|--|--|--|
| Current State | Next State | | | | | | |
| Current State | 0 | 1 | | | | | |
| \rightarrow P | {P, Q} | {P} | | | | | |
| Q | {R, S} | {T} | | | | | |
| R | {P, R} | {T} | | | | | |
| S* | - | _ | | | | | |
| T* | _ | | | | | | |

10 Marks (CO2, CO6)

OR

(b) Design a regular expression, where every string start with 01 over input symbol $\Sigma = \{0,1\}$ using Arden's theorem.

10 Marks (CO2, CO6)

2. (a) Construct a minimal DFA that accept all the string of a's and b's where 4th symbol from left end is always b.

10 Marks (CO1, CO2)

OR

(b) Construct a Moore machine that take set of all string over {a, b} as input and count number of substring 'ab'.

10 Marks (CO1, CO2)

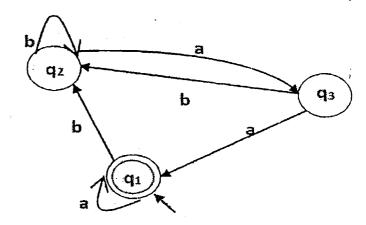
| 3. | (a) | Construct a Moore machine equivalent to |
|----|-----|---|
| | | the Mealy machine M defined in Table 2. |

| Table 2 | | | | | | | | |
|------------------------------|------------------|--------|----------------|--------|--|--|--|--|
| Current | Next State | | | | | | | |
| State | 0 | Output | 1 | Output | | | | |
| \rightarrow Q ₁ | Q_1 | 1 | Q_2 | 0 | | | | |
| Q ₂ | Q ₄ | 1 | Q ₄ | 1 | | | | |
| Q_3 | Q_2 | 1 | Q_3 | 1 | | | | |
| Q ₄ | $\overline{Q_3}$ | 0 | Q_1 | 1 | | | | |

10 Marks (CO2, CO6)

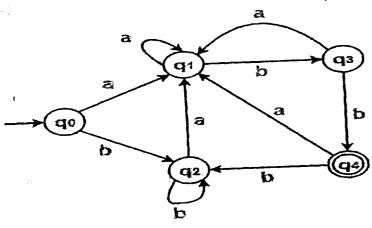
OR

(b) Write Regular expression for the given DFA. 10 Marks (CO2, CO6)



4. (a) Construct a minimum DFA equivalent to the DFA given in below figure:

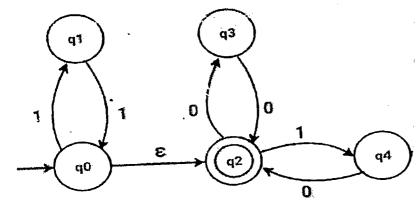
10 Marks (CO5)



OR

(b) Convert epsilon-NFA to NFA:

10 Marks (CO5)

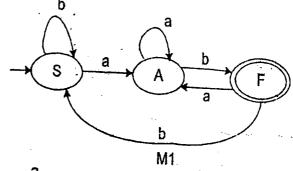


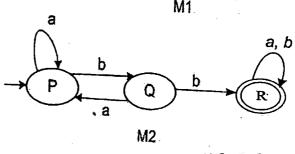
5. (a) Using the pumping lemma, show that the language $L = \{a^n b^{2n} \square n > 0\}$ is not regular.

10 Marks (CO2, CO6)

OR

(b) Let M1 and M2 be two FA accepting languages L1 and L2 respectively as shown in the following figure. Construct a DFA to accept the language (i) L1 ∪ L2 and (ii) L1 ∩ L2: 10 Marks (CO2, CO6)





TCS-402

1200