

#### **Deep Learning for Computer Vision**

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Text processing with NNs require to encoding into vectors

#### One-hot encoding



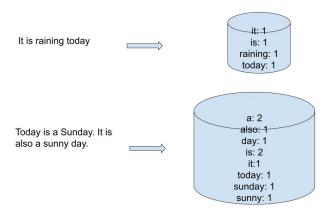
① One-hot encoding: N words encoded as binary vectors of length N

Dictionary	٧	Word Representation					
Α	1	0	0		0	0	
Bus	0	1	0		0	0	
Cat	0	0	1		0	0	
:							
Tide	0	0	0		1	0	
Zone	0	0	0		0	1	

## Bag of Words (BoW)



Bag of Words: Collection and frequency of words



#### **Drawbacks**



Space inefficient

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- Word order is lost
- Ooesn't capture language structure

### Word Embeddings: idea



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- ① Learn embeddings from the words into vectors: W(word)
- Expecting that similar words fall nearby in the space



What is the dimension of the embedding?



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- ② Trade-off: greater capacity vs. efficiency



 $\begin{tabular}{ll} \hline \end{tabular} \begin{tabular}{ll} \hline \end{tabular} Finding $W$: as a part of a prediction task that involves neighboring words$ 

## Word Embeddings: word2vec



1 T Mikolov et al. (2013)

### Word Embeddings: word2vec

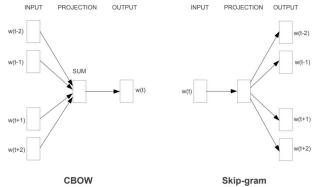


- T Mikolov et al. (2013)
- 2 Predict words from the context

#### Word Embeddings: word2vec



- ① T Mikolov et al. (2013)
- ② Predict words from the context
- Two versions: Continuous Bag of Words (CBoW) and Skip-gram

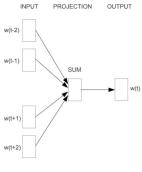




① Considers the embeddings of 'n' words before and 'n' words after the target word

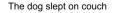


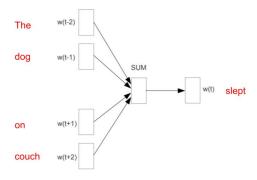
- Considers the embeddings of 'n' words before and 'n' words after the target word
- Adds them (order is lost) for predicting the target word



CBOW









 $\ \, \textbf{ 1} \ \, \mathsf{Size} \,\, \mathsf{of} \,\, \mathsf{the} \,\, \mathsf{vocabulary} = V \\$ 



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- 3 That is, V- way classification  $\to$  (after a softmax) maximizes the probability for the target word



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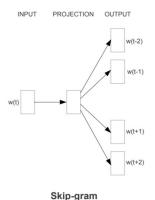


- ①  $W_{N\times V}$  or  $W'_{V\times N}$  can be considered as the word embeddings
- 2 Or, take the average of both the representations

#### Word Embeddings: Skipgram



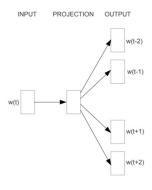
Predicts surrounding words given current word



### Word Embeddings: Skipgram



- Predicts surrounding words given current word
- ② Pick a word in the context randomly, and predict that the words that form the context



Skip-gram

# Word Embeddings: interesting results



 $\textcircled{1} \ \ W(\mathsf{Paris}) \ \text{-} \ W(\mathsf{France}) \ + \ W(\mathsf{Italy}) = W(\mathsf{Rome})$ 

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- $\mathbb{Q}$  W(Paris) W(France) + W(Italy) = W(Rome)

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# Word Embeddings: Applications



- ① Key for the success of many NLP tasks such as PoS tagging, parsing, semantic role labeling, etc.
- ② Can serve projecting multi-modal data (e.g. multiple languages, images and text, etc.)

#### References



Mikolov, Tomas; et al. (2013). "Efficient Estimation of Word Representations in Vector Space". arXiv:1301.3781