

### **Deep Learning for Computer Vision**

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### So far in the class..



Brief introduction to ML

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- MLP, CNNs and different families of architecture
- (today) Some of the important training aspects of CNNs

# Data preprocessing for Computer vision



• Mean subtraction (e.g. AlexNet:  $32 \times 32 \times 3$ , VGG:  $1 \times 1 \times 3$ )

# Data preprocessing for Computer vision



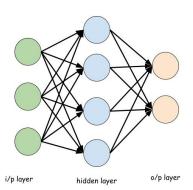
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- Mean subtraction and division by standard deviation per channel (e.g. ResNet)

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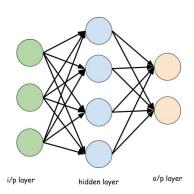
- Mean subtraction (e.g. AlexNet:  $32 \times 32 \times 3$ , VGG:  $1 \times 1 \times 3$ )
- Mean subtraction and division by standard deviation per channel (e.g. ResNet)
- PCA or whitening are not common





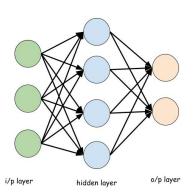
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- Or, a different constant?





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- Or, a different constant?
- Leads to a failure mode (often known as the 'symmetry' problem)



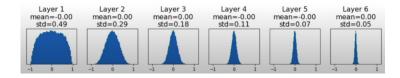
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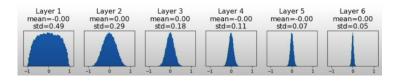


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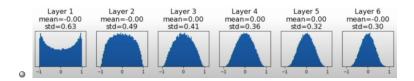
All zero gradients, no learning!



• W = 0.001 \* np.random.randn(
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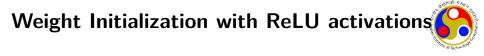
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- $\bullet \to \mathsf{var}(w_i) = \frac{1}{d_{l-1}}$



Kaiming He or MSRA initialization

Figure credits: Dr Justin Johnson

- Kaiming He or MSRA initialization
- $std=sqrt(2/d_{l-1})$

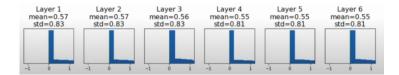
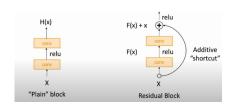


Figure credits: Dr Justin Johnson

# Weight Initialization: Residual Networks



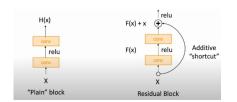


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### Weight Initialization: Residual Networks



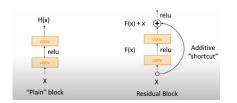


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### Weight Initialization: Residual Networks





- MSRA initialization: Var(F(x)+x) > Var(x)
- Variance grows!
- Solution: Initialize the first Conv layer with MSRA, and the second one with zero  $\rightarrow$  Var(x+F(x)) = Var(x)

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Most of the regularization techniques for deep learning are based on regularizing estimators



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- 2 Trade increased bias for decreased variance



An overly complex model family need not include the target function



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- In practice we almost never have access to the true data generating process, and which is almost certainly outside the model family



Most often the best-fitting model is a large model that has been appropriately regularized



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- Parameter Norm penalties  $(l_2, l_1, \text{ etc.})$
- Dataset Augmentation
- Noise Robustness
- Semi-Supervised Learning
- Multi-Task Learning (Parameter sharing)
- Sparse Representation
- Dropout
- etc.

#### **Parameter Norm Penalties**



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- Bias controls only a single variable as opposed to weight which connects two
- 3 Regularizing biases may induce underfitting



①  $L_2$  parameter regularization:  $\tilde{\mathcal{J}} = \frac{\alpha}{2} w^T w + \mathcal{J}(w; X, y)$ 



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- Norm penalties induce different desired behaviors based on the exact penalty imposed



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- 3 Create fake data and add it to the training data, called Dataset augmentation



Easier for classification



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- Difficult for density estimation task (unless we have solved the estimation problem)



• Has been particularly effective for specific classification problems such as object recognition



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- Operations such as translation by few pixels, rotating slightly, adding mild noise, etc. greatly improve generalization
- 4 Hand-designed augmentations in some domains can result in dramatic improvements
- Should restrict to label preserving transformations

# Multi-Task Learning



Improves generalization by collecting samples arising out of multiple taks

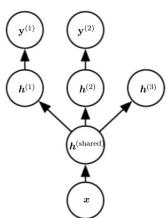
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Dr. Konda Reddy Mopuri dl4cv-8/Training DNNs 20



Wey ideas and contributions in DL have been to engineer architectures for making them easier to train



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- Dropout is one such ('deep') regularization technique (Srivastava et al. 2014)

① During the forward pass, some of the units are randomly 'zeroed' out (neurons are removed)

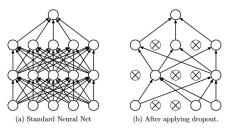


Figure 1: Dropout Neural Net Model. Left: A standard neural net with 2 hidden layers. Right: An example of a thinned net produced by applying dropout to the network on the left. Crossed units have been dropped.

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- ② Dropped units are randomly selected in each layer independent of others

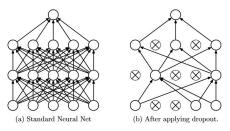


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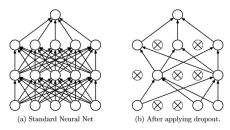


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- Resulting network has a different architecture
- Backpropagation happens through the remaining activations

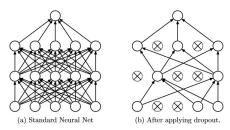


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- Improves independence between the units (prevents co-adaptation of the units in the network)
- Distributes the representation among all the units (forces the network to learn redundancy)



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We will decide on which units/layers to use dropout, and with what probability p units are dropped.



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- ② For each sample, as many Bernoulli variables as units are sampled independently for dropping the units.

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- 2 Every possible binary mask results in a member of the ensemble
- 3 E.g. a dense layer with 10 units has  $2^{10}$  masks!



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- ① Which model from the ensemble to use? y = f(x, w, m) (m is the chosen binary mask)
- 2 How about taking the opinion of all the experts?  $\to$  'average out' and make the o/p deterministic



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- **⑤** The standard variant uses the 'inverted dropout'. Multiplies activations by  $\frac{1}{(1-p)}$  during train and keeps the network untouched during test.



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Which layers to regularize with the Dropout?



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- ② More parameters are the dense layers ightarrow usually applied there



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- Which layers to regularize with the Dropout?
- f 2 More parameters are the dense layers o usually applied there
- 3 Not much used after ResNets!



**①** Gradient Descent converges faster with feature scaling  $(x \leftarrow \frac{x-\mu}{\sigma})$ 



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- ${f 2}$  Batch Normalization (BN) is a normalization method for intermediate layers of NNs ightarrow performs whitening to the intermediate layer activations



```
\begin{array}{ll} \textbf{Input:} \  \, \text{Values of } x \text{ over a mini-batch: } \mathcal{B} = \{x_{1...m}\}; \\ \text{Parameters to be learned: } \gamma, \beta \\ \textbf{Output:} \  \, \{y_i = \text{BN}_{\gamma,\beta}(x_i)\} \\ \\ \mu_{\mathcal{B}} \leftarrow \frac{1}{m} \sum_{i=1}^m x_i \\ \\ \sigma_{\mathcal{B}}^2 \leftarrow \frac{1}{m} \sum_{i=1}^m (x_i - \mu_{\mathcal{B}})^2 \\ \\ \widehat{x}_i \leftarrow \frac{x_i - \mu_{\mathcal{B}}}{\sqrt{\sigma_{\mathcal{B}}^2 + \epsilon}} \\ \\ y_i \leftarrow \gamma \widehat{x}_i + \beta \equiv \text{BN}_{\gamma,\beta}(x_i) \\ \end{array} \right. // \text{mini-batch wariance}
```

 $\gamma$  and eta are learn-able parameters



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- ② BN makes the activation of each neuron to be Gaussian distributed
- ICS is undesirable because the layers need to adapt to the new distribution of activations
- With BN, it is reduced to new pair of parameters, but the distribution remains Gaussian



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Mitigates interdependency between hidden layers during training





Mitigates interdependency between hidden layers during training

$$Input \quad \stackrel{\dots}{\longrightarrow} \quad \left( \begin{array}{c} a \end{array} \right) \longrightarrow \quad \left( \begin{array}{c} b \end{array} \right) \longrightarrow \quad \left( \begin{array}{c} c \end{array} \right) \longrightarrow \quad \left( \begin{array}{c} d \end{array} \right) \longrightarrow \quad \left( \begin{array}{c} e \end{array} \right) \stackrel{\dots}{\longrightarrow} \quad Output$$



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- 3 if we want to adjust the input distribution of a specific hidden unit, we need to consider the whole sequence of layers (w/o BN)



Mitigates interdependency between hidden layers during training



- 3 if we want to adjust the input distribution of a specific hidden unit, we need to consider the whole sequence of layers (w/o BN)
- $\ \, \ \,$  BN acts like a valve which holds back the flow, and allows its regulation using  $\beta$  and  $\gamma$



Reduces training time (less ICS)



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- ② Reduces the demand for additional regularizers (Batch statistics)



- Reduces training time (less ICS)
- ② Reduces the demand for additional regularizers (Batch statistics)
- 3 Allows higher learning rates (less danger of vanishing/exploding gradients)

### Regularization: General idea



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Add some randomness during the training

#### Regularization: General idea



- Add some randomness during the training
- Have a mechanism for marginalizing while testing

#### Regularization: General idea



- Add some randomness during the training
- 2 Have a mechanism for marginalizing while testing
- Some of the instances

Dropout

**Batch Normalization** 

Data Augmentation

Drop Connect (drop weights instead)

Fractioinal MaxPooling

Stochastic Depth

Mixup

Cutout

CutMix, etc.