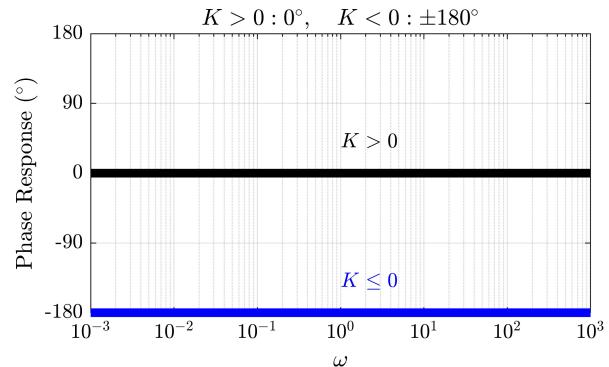
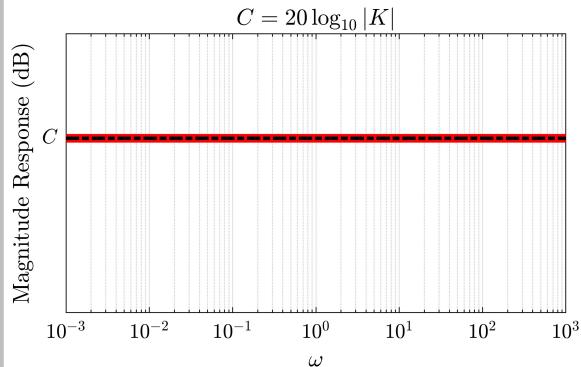


ECE 2280 Circuits & Systems: Active / ECE 3500 Signals & Systems

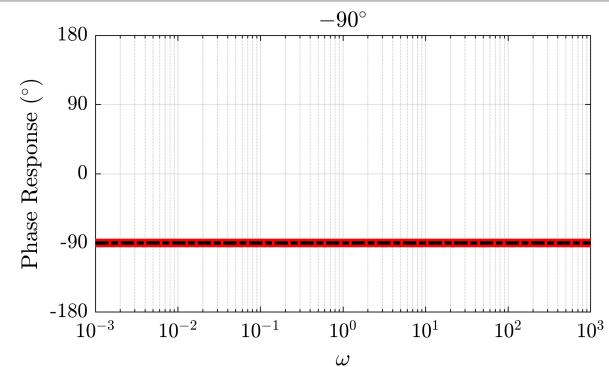
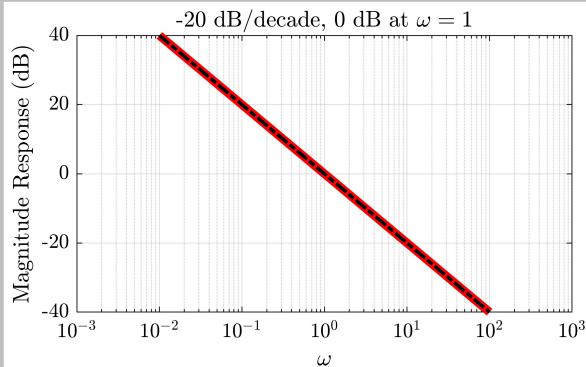
Instructors: Evan J. Benoit / Samuel D. Bellows

Bode Plot Handout:

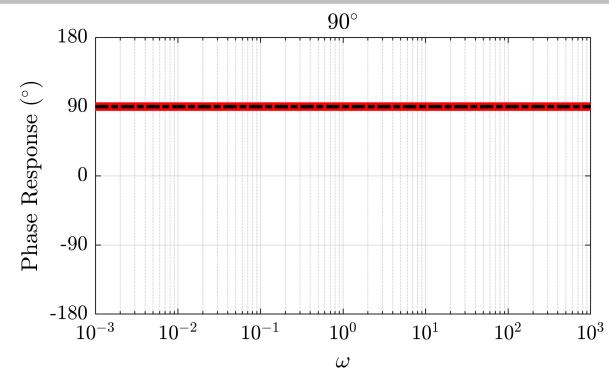
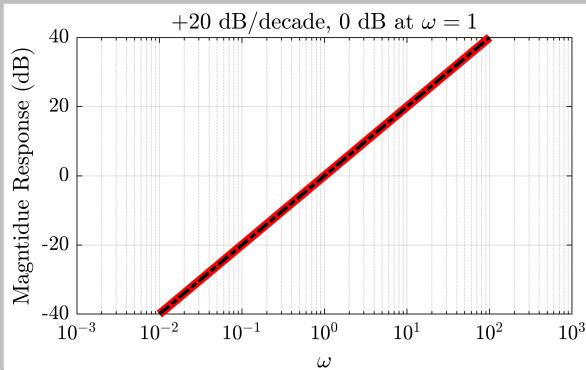
Constant value: $H(s) = K$



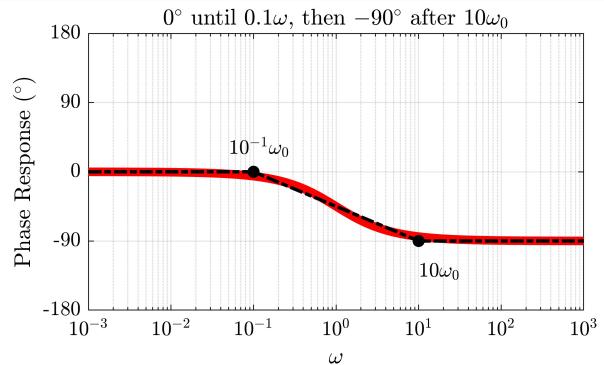
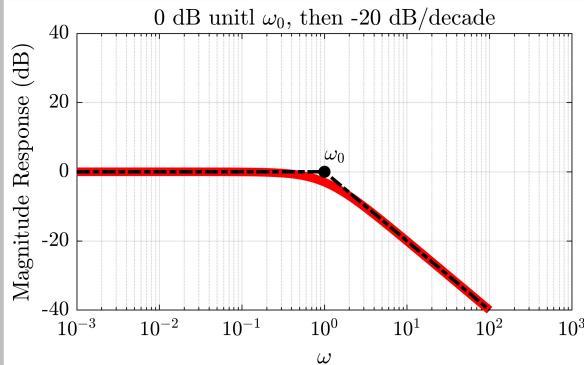
Pole at the origin: $H(s) = \frac{1}{s}$



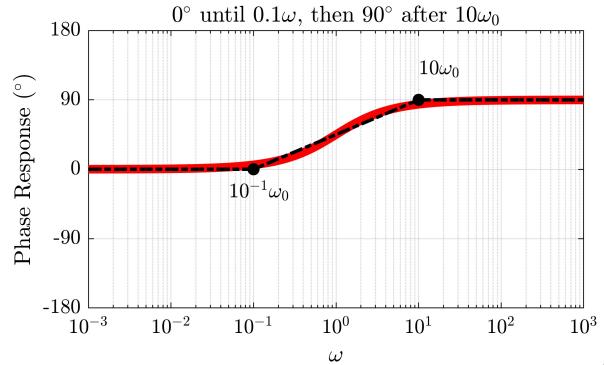
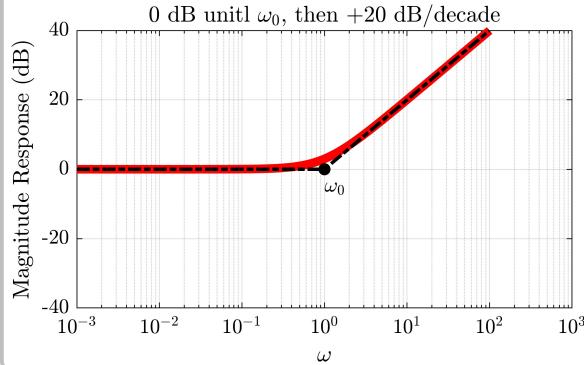
Zero at the origin: $H(s) = s$



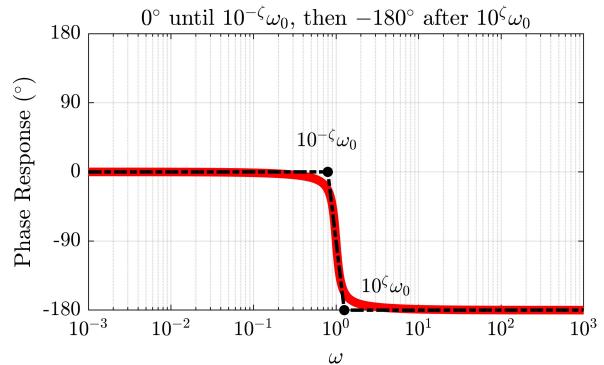
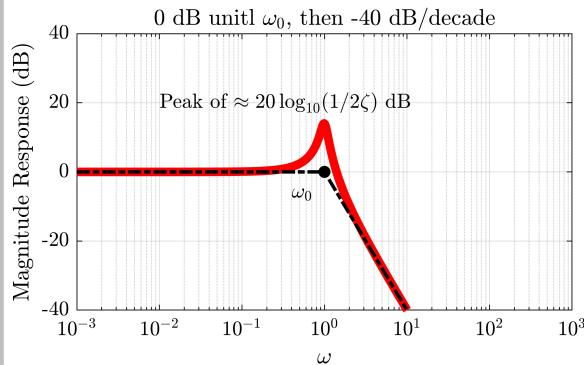
Pole at ω_0 : $H(s) = \frac{1}{s/\omega_0 + 1}$



Zero at ω_0 : $H(s) = \frac{s}{\omega_0} + 1$



Conjugate-symmetric poles: $H(s) = \frac{1}{(s/\omega_0)^2 + 2\zeta(s/\omega_0) + 1}$



Notes

- The response of a second order pole or zero is twice that of a first order pole or zero, i.e., ∓ 40 dB/decade and $\mp 180^\circ$.
- The response of an n th order pole or zero is n times that of a first order pole or zero, i.e., $\mp n 20$ dB/decade.
- Changing a pole to a zero or a zero to a pole inverts its magnitude and phase response about 0 dB/0°.
- The ∓ 3 dB point falls at ω_0 for a first order zero and pole, respectively. For a second order pole or zero at ω_0 , this becomes a ∓ 6 dB point and so forth.