

**PHYS 403**

## Final Oral Presentation (120 pts)

Name: \_\_\_\_\_ Eric Yu \_\_\_\_\_

<b>CRITERIA</b>	<b>Eugene</b>	<b>Alexey</b>
Abstract is well-written and on time <b>(20)</b>	20	20
Attended both days <b>(6)</b>	6	6
First slide has appropriate title, name, affiliation, date <b>(4)</b>	4	4
Scientific background, goal and motivation were clearly and correctly presented <b>(20)</b>	19	19
Research activities were clearly and correctly presented <b>(20)</b>	20	20
Results were clearly and correctly presented <b>(20)</b>	20	20
Technical aspects: good balance of text and figures, good quality figures, appropriate citations, correct spelling, correct number of significant digits, etc. <b>(20)</b>	20	20
Time management: good balance between Introduction-Procedure-Results-Analysis, finished on time <b>(5)</b>	5	5
Spoke clearly, at a good pace, loud enough, etc. <b>(2)</b>	2	2
Answered questions clearly and correctly <b>(3)</b>	3	3
<b>Final Totals (120)</b>	<b>119</b>	<b>119</b>

1. You say that the results are far from the expected, yet the fits appear in excellent agreement with data.

**119**

See a few comment in text. The report is good. (ec)

## Determining the gap value of superconducting tin using electron tunneling

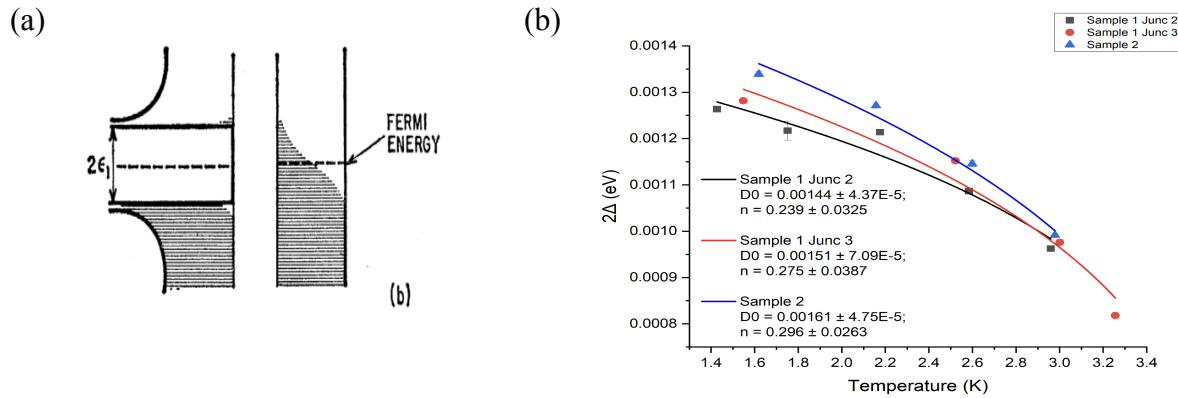
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April 27th, 2023

The gap  $2\Delta$  of allowed energies at the Fermi level is fundamental to the superconducting state and determines many properties of a specific superconductor [1]. One way of experimentally measuring the gap value  $2\Delta$  is by measuring the tunneling current between a superconductor and a normal conductor separated by a thin insulating film. When a voltage is applied across the superconductor/insulator/normal-conductor junction, electrons will tunnel across the insulating film. However, for voltages within the energy gap electrons will not tunnel because those energies are forbidden states as shown in Fig. 1(a) [3].



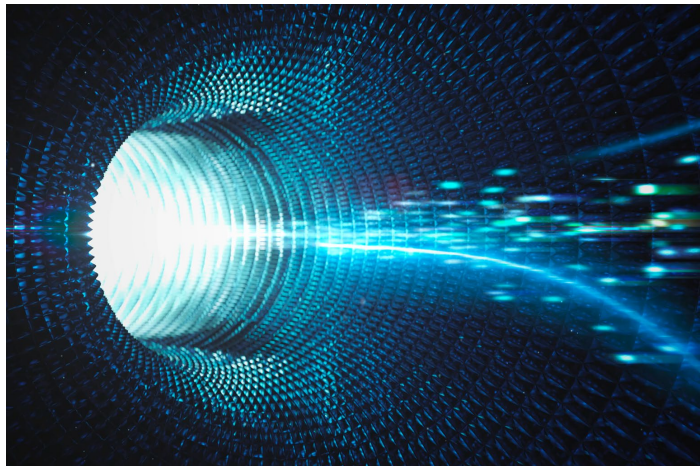
**Fig. 1**

We measured the gap values of superconducting tin at different temperatures below the critical temperature (3.722 K) using tin/aluminum-oxide/aluminum junctions. To determine the gap value  $2\Delta$ , recorded data is fit to an expression derived from BCS theory [2] that gives the first derivative of tunneling current with respect to applied voltage in terms of  $\Delta$  and the applied voltage. The values of  $2\Delta$  for three different junctions at different temperatures are shown in Fig. 1(b). All three junctions roughly agree as they should since we are measuring  $2\Delta$  for tin. The data points are fit to a BCS relationship between  $\Delta$  and temperature for temperatures near the critical temperature. The values of  $\Delta_0$  ( $D0$ ) and  $n$  differ from their expected values of  $\Delta_0 = 0.00103$  and  $n = 0.5$  because the limiting case that the BCS relationship holds for does not apply to the temperature range over which we are fitting.

1. T. Kita, D. Akasako, and H. Murakami. Gap Value Determinations on the Tunneling Spectrum. *Advances in Superconductivity VII* (1995). doi:10.1007/978-4-431-68535-7\_10
2. J. Bardeen, L. N. Cooper, and J. R. Schrieffer. Theory of Superconductivity. *Physical Review* **108**, 1175 (1957). doi:10.1103/PhysRev.108.1175
3. I. Giaever and K. Megerle. Study of Superconductors by Electron Tunneling. *Physical Review Letters* (1961). doi:10.1103/PhysRev.122.1101

# Determining the gap value of superconducting tin using electron tunneling

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March 27, 2023

A quantum tunnel  
Courtesy [scientificamerican.com](https://www.scientificamerican.com)

# The energy gap $2\Delta$ in superconductors

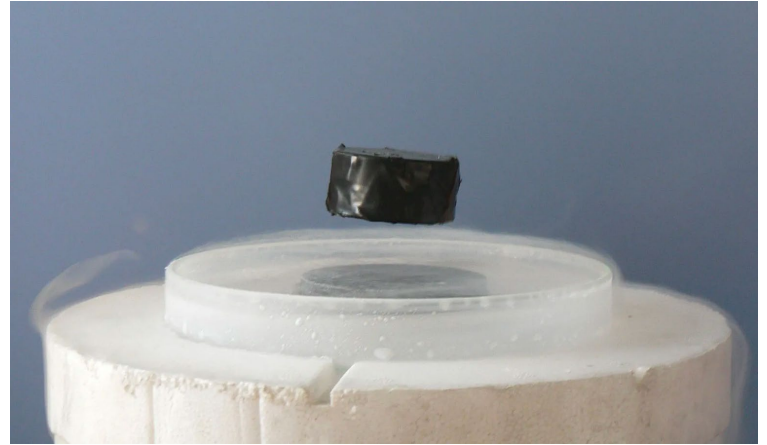
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Gap  $2\Delta$  in energy distributions available to an electron.

In BCS,  $2\Delta$  is the energy required to create a Cooper pair.

$2\Delta$  is zero at  $T_C$  and reaches its maximum at 0 K.

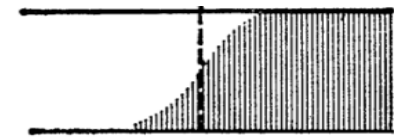
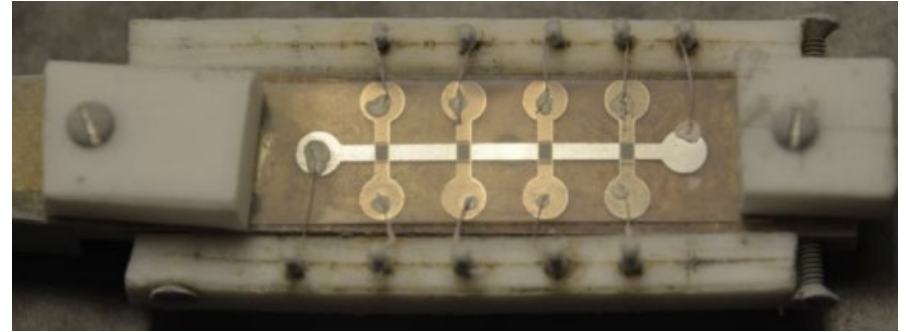
Larger  $2\Delta$  means more energy needed to 'break' the superconducting state.



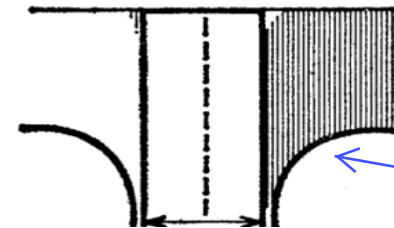
# Al/Al<sub>2</sub>O<sub>3</sub>/Sn sandwiches

NIS junctions:

- Normal-conductor
- Insulator (thin)
- Superconductor



← **NORMAL CONDUCTOR: Aluminum (Al) [ $T_c \approx 1.2$  K]**



← **INSULATOR: Aluminum-oxide (Al<sub>2</sub>O<sub>3</sub>)**



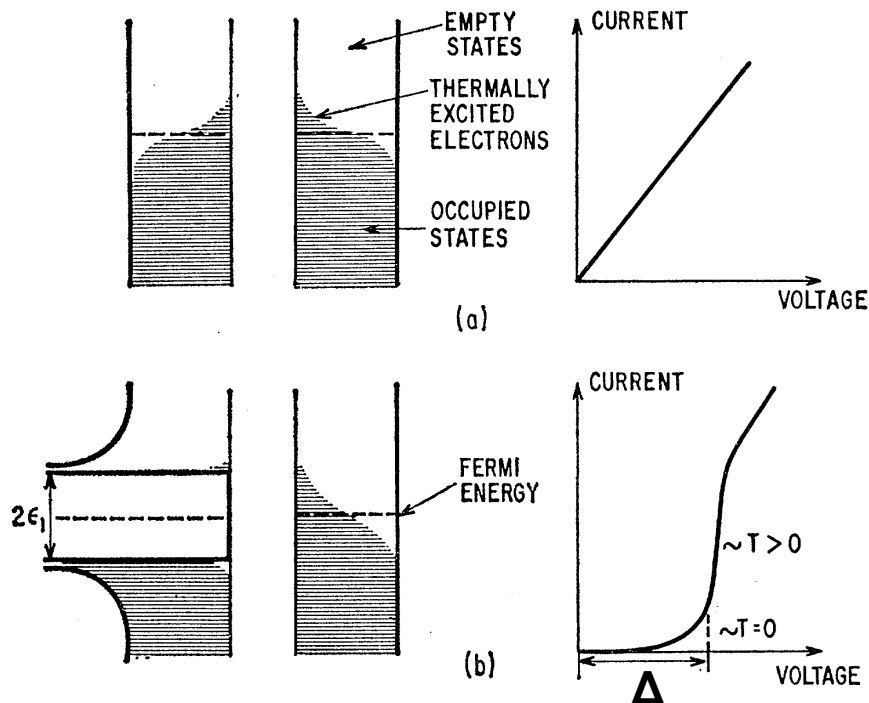
← **SUPERCONDUCTOR: Tin (Sn) [ $T_c \approx 3.722$  K]**

preferable to rotate this diagram by  
90° cw

# Tunneling current in NIS junctions

Energies  $|eV| < \Delta$  are forbidden states in a superconductor.

Tunneling current in NIS deviates from  $I = V/R$  at the gap.



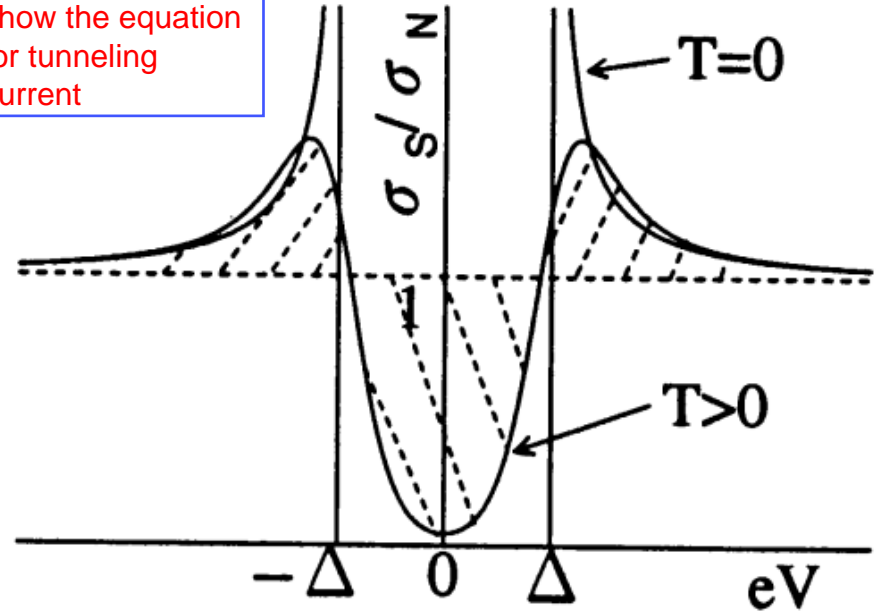
I. Giaever and K. Megerle. Study of Superconductors by Electron Tunneling. *Physical Review Letters* (1961).

# According to BCS theory

The differential conductivity  $dI/dV$  of an NIS junction is proportional to the density of states for a superconductor, which in BCS is

$$\frac{dI}{dV} \propto \frac{|eV|}{\sqrt{(eV)^2 - \Delta^2}}$$

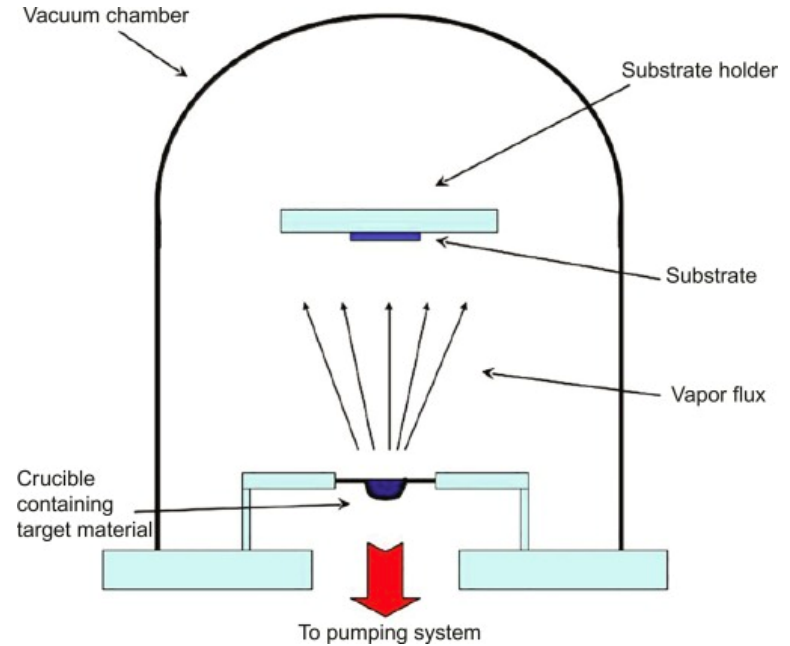
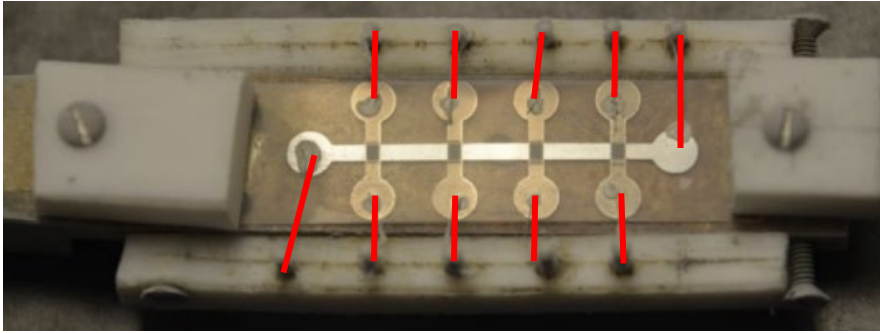
would be useful to show the equation for tunneling current



# Making Al/ $\text{Al}_2\text{O}_3$ /Sn sandwiches

Vacuum deposition (glass substrate)

1. Deposit aluminum:  $\approx 1500 \text{ \AA}$
2. Oxidize outer layer:  $\approx 30 \text{ \AA}$
3. Deposit tin:  $\approx 3000 \text{ \AA}$



Courtesy Donald M. Mattox doi:10.1016/B978-0-8155-2037-5.00006-X

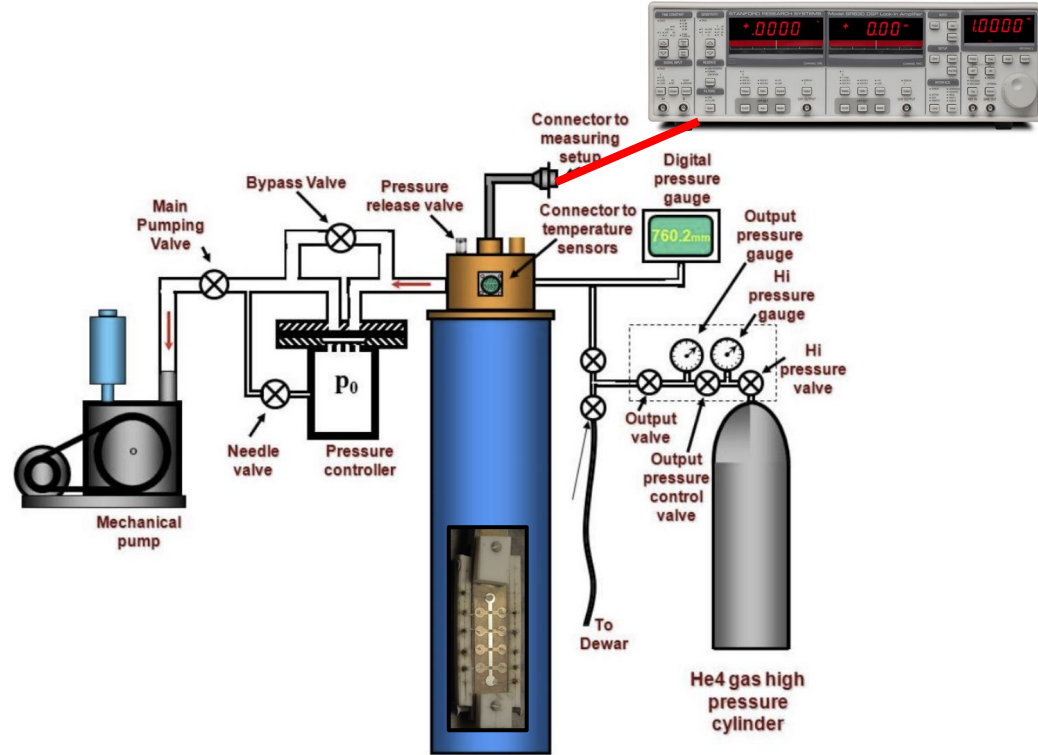


# Cryogenic and measurement setup

1. Put sandwich in cryostat
2. Nitrogen: 293 K to 77 K
3. Helium: 77 K to 4 K
4. Pump:  $1.5 \text{ K} < T < 4 \text{ K}$

Lock in amplifier can measure

- Current  $I$
- First harmonic  $dI/dV$   
(differential conductivity)
- Second harmonic  $d^2I/dV^2$



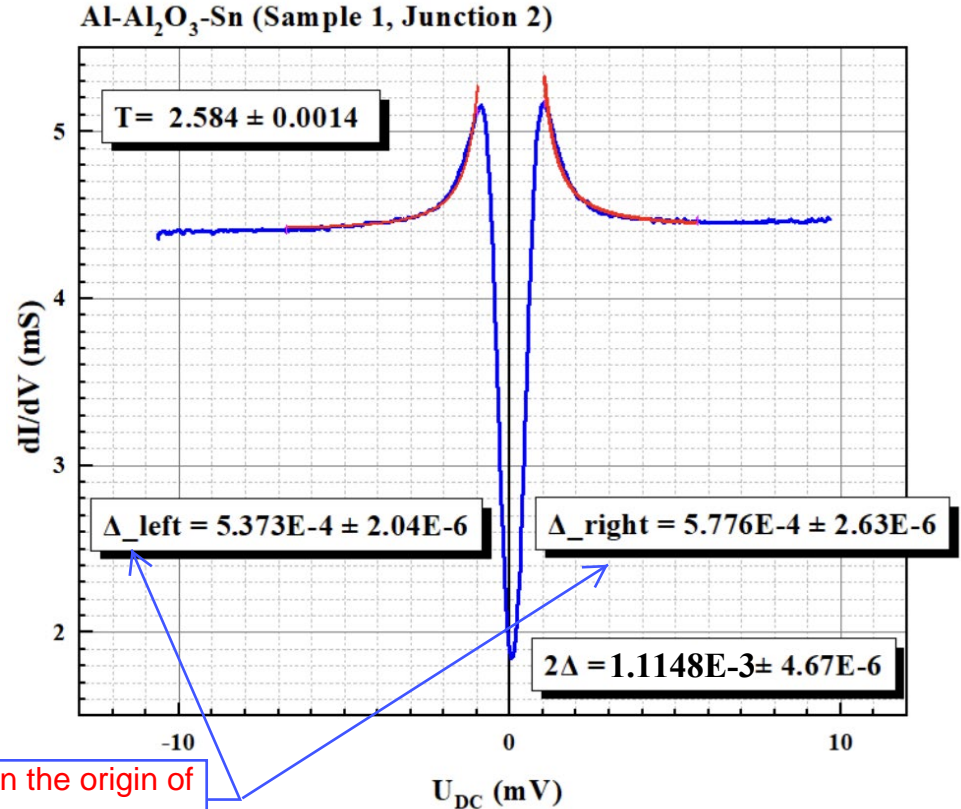
# Determining $\Delta$

Voltage  $U_{DC}$  applied to NIS junction is varied across a range and first harmonic  $dI/dV$  measured.

Fit to BCS equation.

Repeated at different  $T < T_c$ .

$$\frac{dI}{dV} \propto \frac{|eV|}{\sqrt{(eV)^2 - \Delta^2}}$$



# Results

For  $T$  near  $T_c$ , BCS gives the relationship

$$\Delta(T) = 3.2k_B T_c \sqrt{1 - (T/T_c)}$$

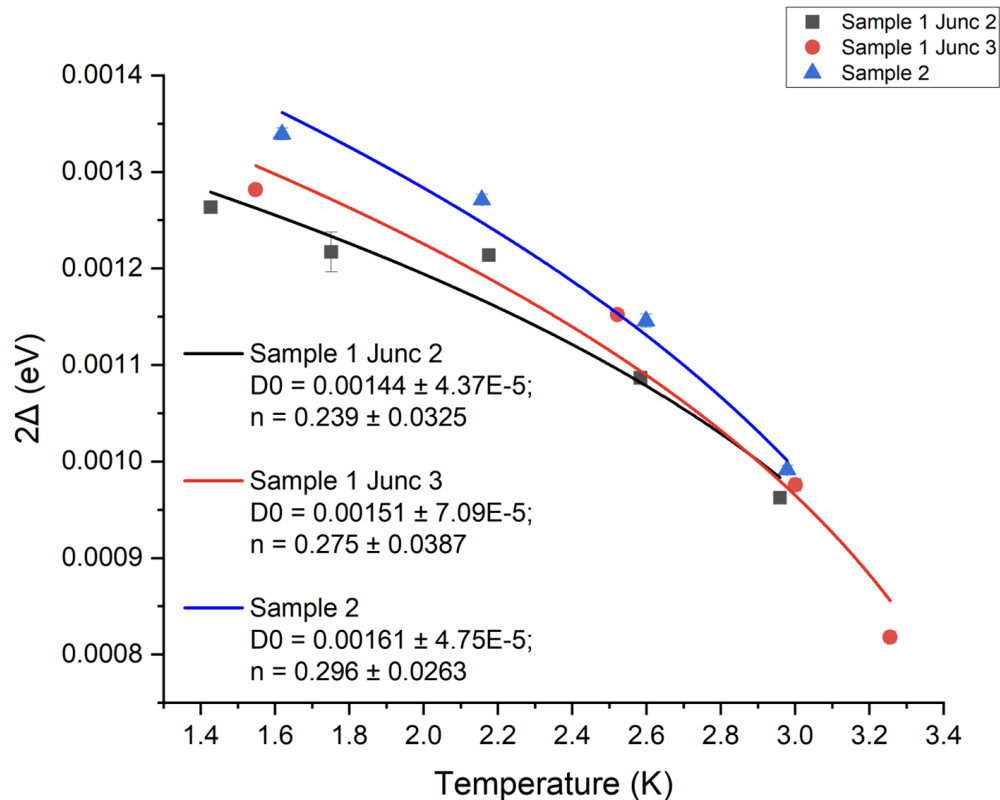
We fit to

$$\Delta(T) = \Delta_0 \left(1 - \frac{T}{T_c}\right)^n$$

fixing  $T_c = 3.722$  K.

Expecting:

- $n = 0.5$
- $\Delta_0 = 0.00103$  mV



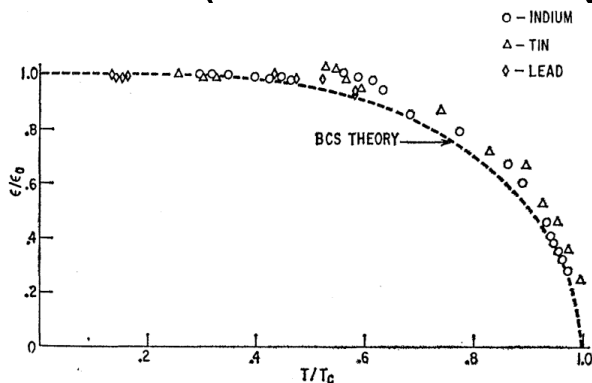
# Conclusion

Results significantly off from expected

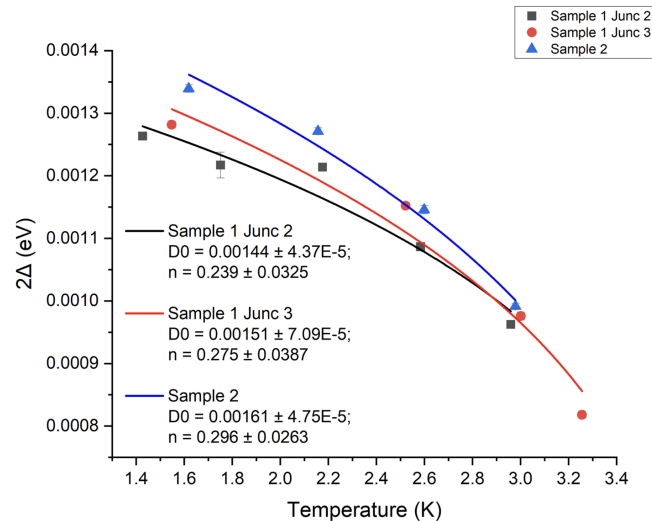
- Temperatures not near  $T_c$

Improvements

- Measure at more temperatures
- Compare results to non-approximate BCS result (numerical integration)



I. Giaever and K. Megerle. Study of Superconductors by Electron Tunneling. *Physical Review Letters* (1961).



	'Theory'	Result
$n$	0.5	0.27
$\Delta_0$	0.00103	0.00152